

Cosmology of the majoron

From leptogenesis to the Hubble tension

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May 10, 2021

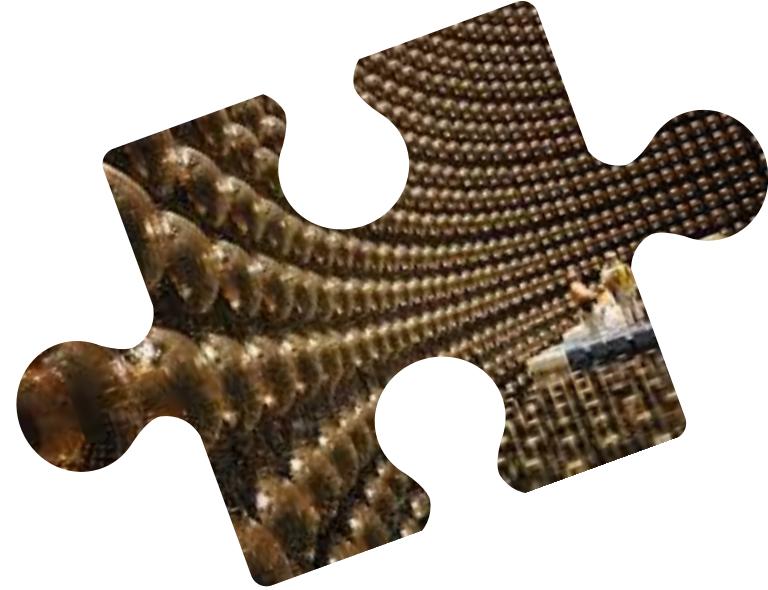
GRAPPA 

GRavitation AstroParticle Physics Amsterdam



Escudero & SJW [Eur.Phys.J.C 80 \(2020\) 4, 294](https://doi.org/10.1140/epjc/s10050-020-08500-0) (arXiv:1909.04044)
Escudero & SJW [arXiv: 2103.03294](https://arxiv.org/abs/2103.03294) (submitted to EPJC)

The Majoron



Neutrino mass problem (*i.e. how are they generated and why so small?*)

Dirac Mass Majorana Mass

$$\mathcal{L} \supset Y_\nu \bar{\ell}_L \tilde{\Phi} \nu_R + \frac{1}{2} \overline{\nu_R^c} M_R \nu_R + hc$$

Explains origin and smallness of neutrino mass in terms of high-energy physics

$M_R \gg m_D$
Seesaw Limit



M_R

The Majoron



$$\frac{1}{2} \overline{\nu_R^c} M_R \nu_R$$

Violates lepton number

Maybe it arises from broken symmetry?

If symmetry *global*, gives rise to pGB (**the majoron**) ϕ

Chikashige, Mohapatra, Peccei (1981)



Singlet Majoron Model

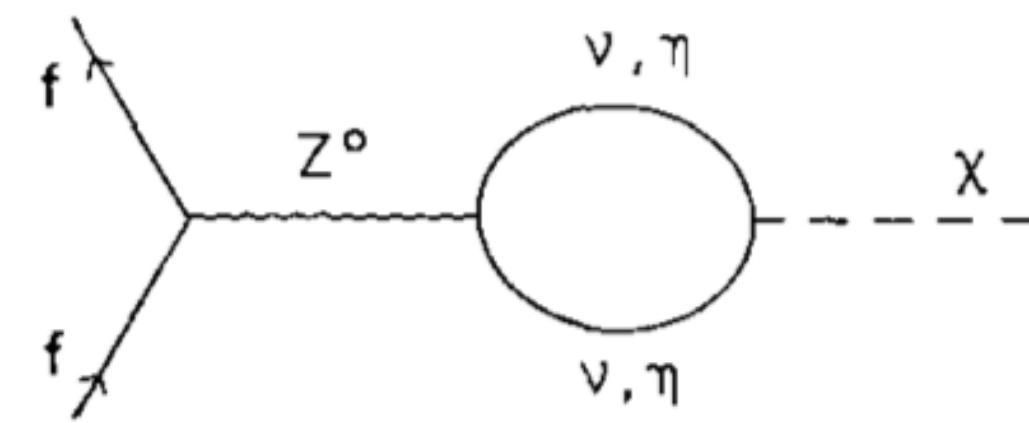
After spontaneous symmetry breaking:

$$\begin{aligned}\mathcal{L} \supset & -\frac{\lambda_N}{2} [\rho \bar{N} N - i\phi \bar{N} \gamma_5 N] , \\ & -\frac{\lambda_{N\nu}}{2} [i\rho(\bar{N} \gamma_5 \nu + \bar{\nu} \gamma_5 N) - \phi(\bar{N} \nu + \bar{\nu} N)] \\ & + \frac{\lambda_\nu}{2} [\rho \bar{\nu} \nu - i\phi \bar{\nu} \gamma_5 \nu] ,\end{aligned}$$

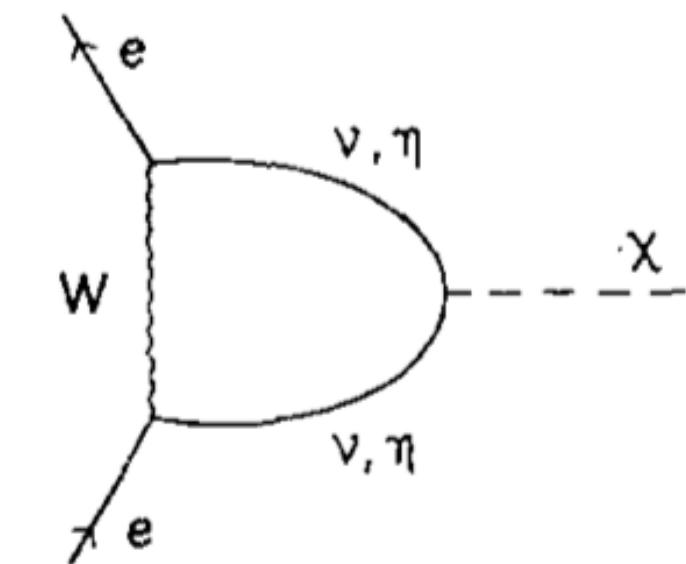
(Hierarchy between couplings)

$$\lambda_\nu \sim \sqrt{\frac{m_\nu}{m_N}} \lambda_{N\nu} \sim \frac{m_\nu}{m_N} \lambda_N$$

Loop suppressed interactions with charged fermions unavoidable...



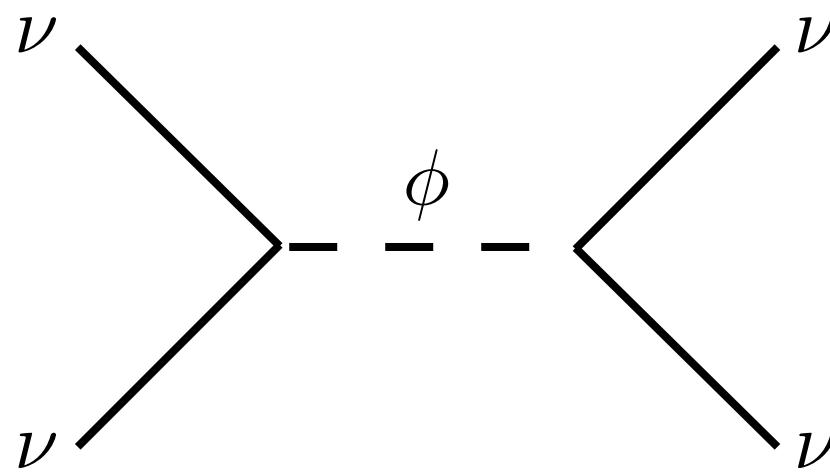
but naturally very small...



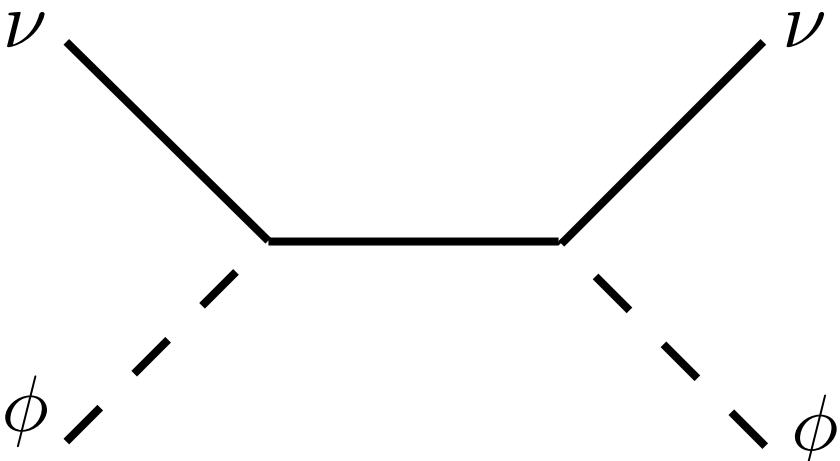
Majoron ~ neutrino-philic

Chikashige, Mohapatra, Peccei (1981)

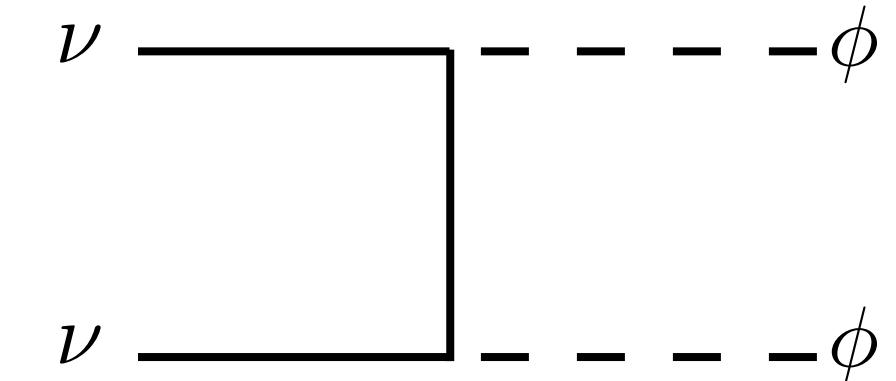
Neutrino self-interactions



2-to-2 scattering



Neutrino/majoron annihilations



Cyr-Racine et al (2013), Archidiacono et al (2014), Forastieri et al (2015), Oldengott et al (2017), Forastieri et al (2019), Kreisch et al (2019), Park et al (2019), Brinkmann et al (2020), Chacko, Hall, Okui, Oliver (2003), Escudero & SJW (2019), Escudero & SJW (2021), Archidiacono et al (2013), Escudero et al (2019), Escudero (2020), Chacko et al (2020), Barenboim et al (2021), Dolgov et al (1997), Huang et al (2018), ...

Late-Time Majoron Cosmology

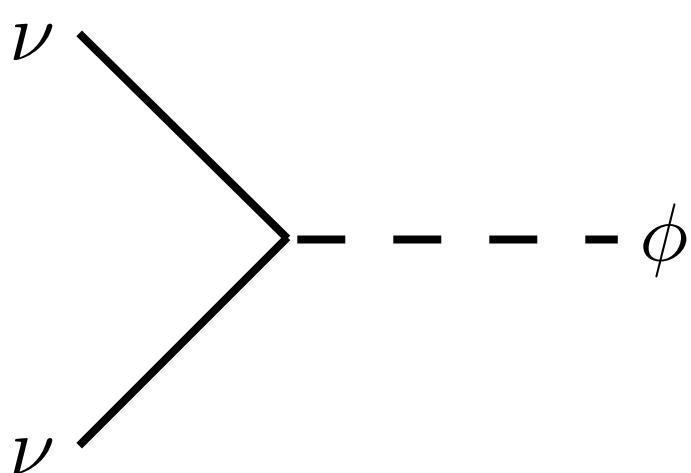
2-to-2 process typically need $g \gtrsim 10^{-7}$

Literature *largely* focused on:

- Massive 4-point contact interaction
- Massless majoron limit

Computationally “easy”

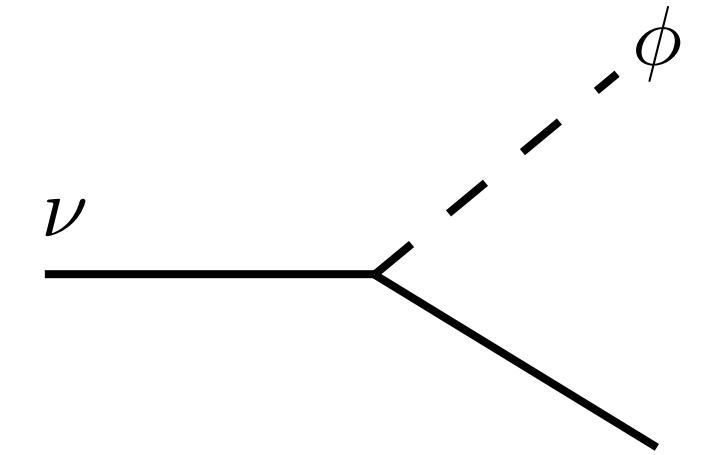
Inverse neutrino decay / Majoron decay



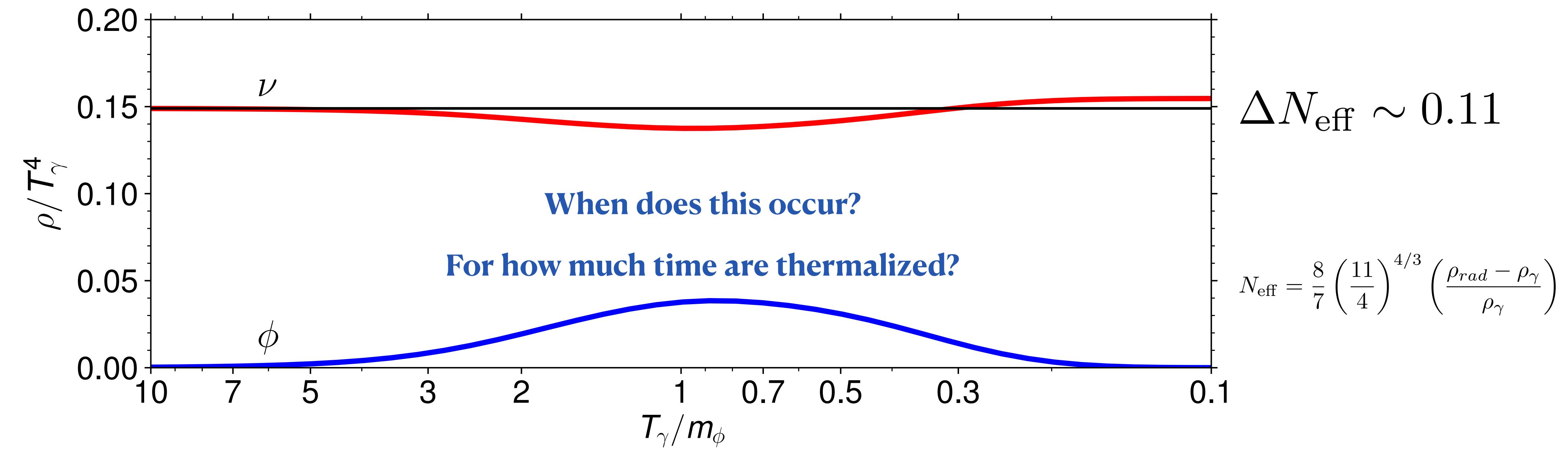
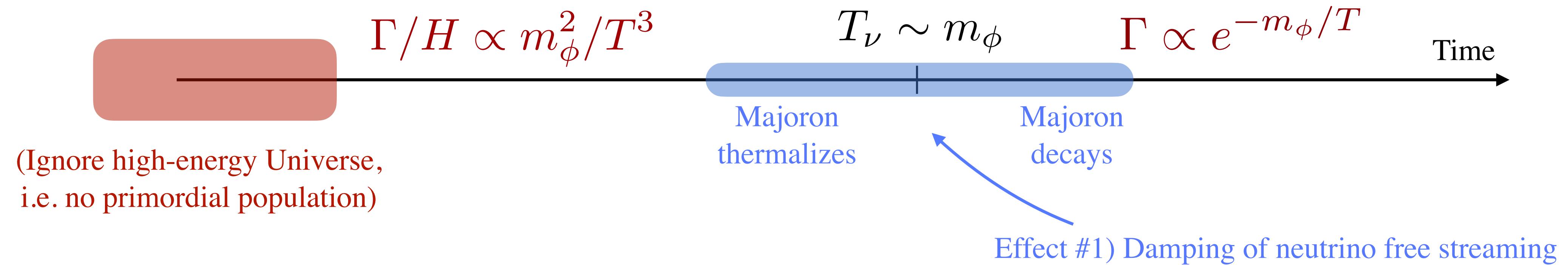
$$g \lesssim 10^{-7}$$

$$m_\phi \in [0.1\text{eV}, \text{MeV}]$$

Neutrino decay



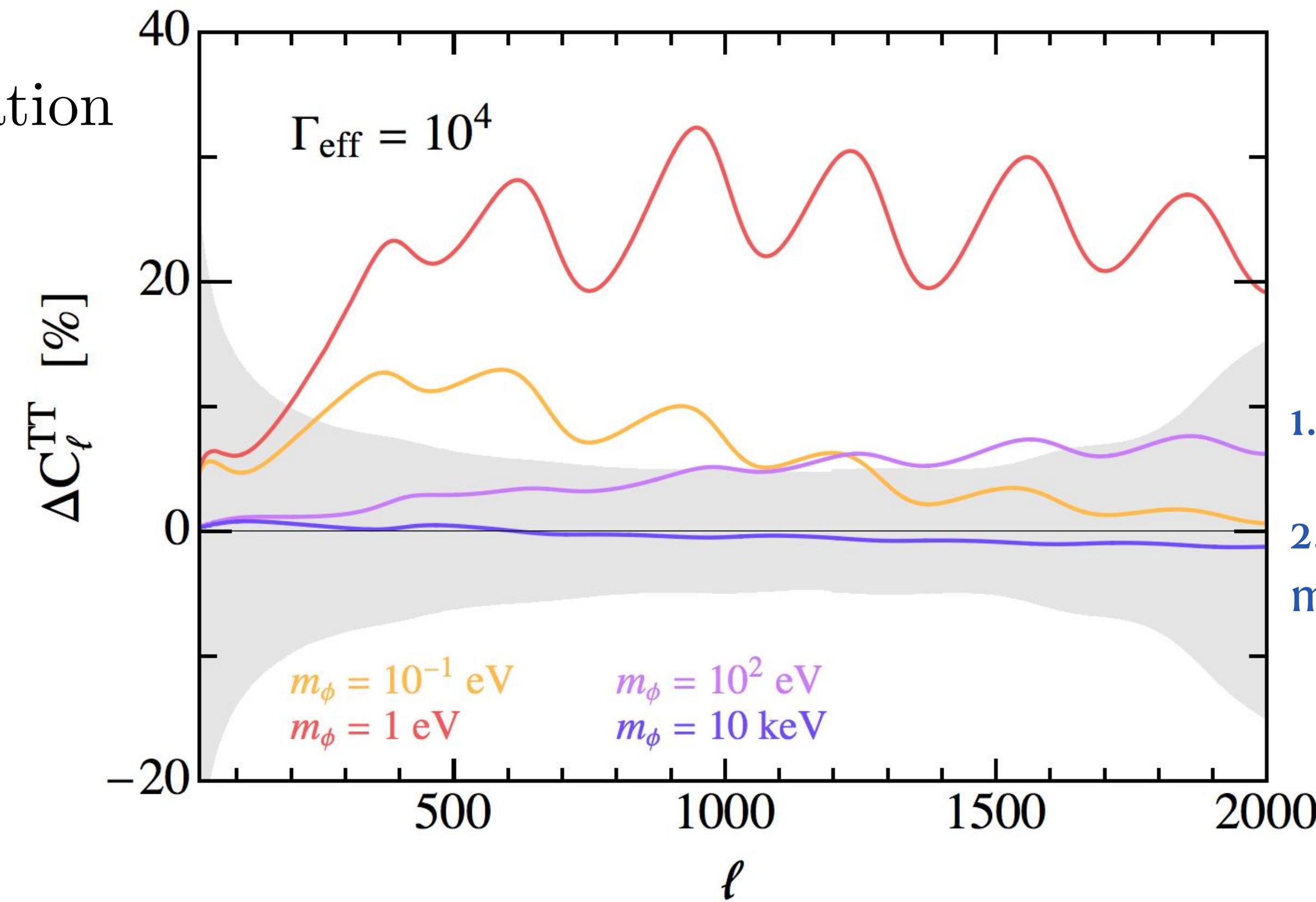
Late-Time Neutrino-Majoron Interactions



Majoron in the CMB

$\Gamma_{\text{eff}} \geq 1$ thermalize

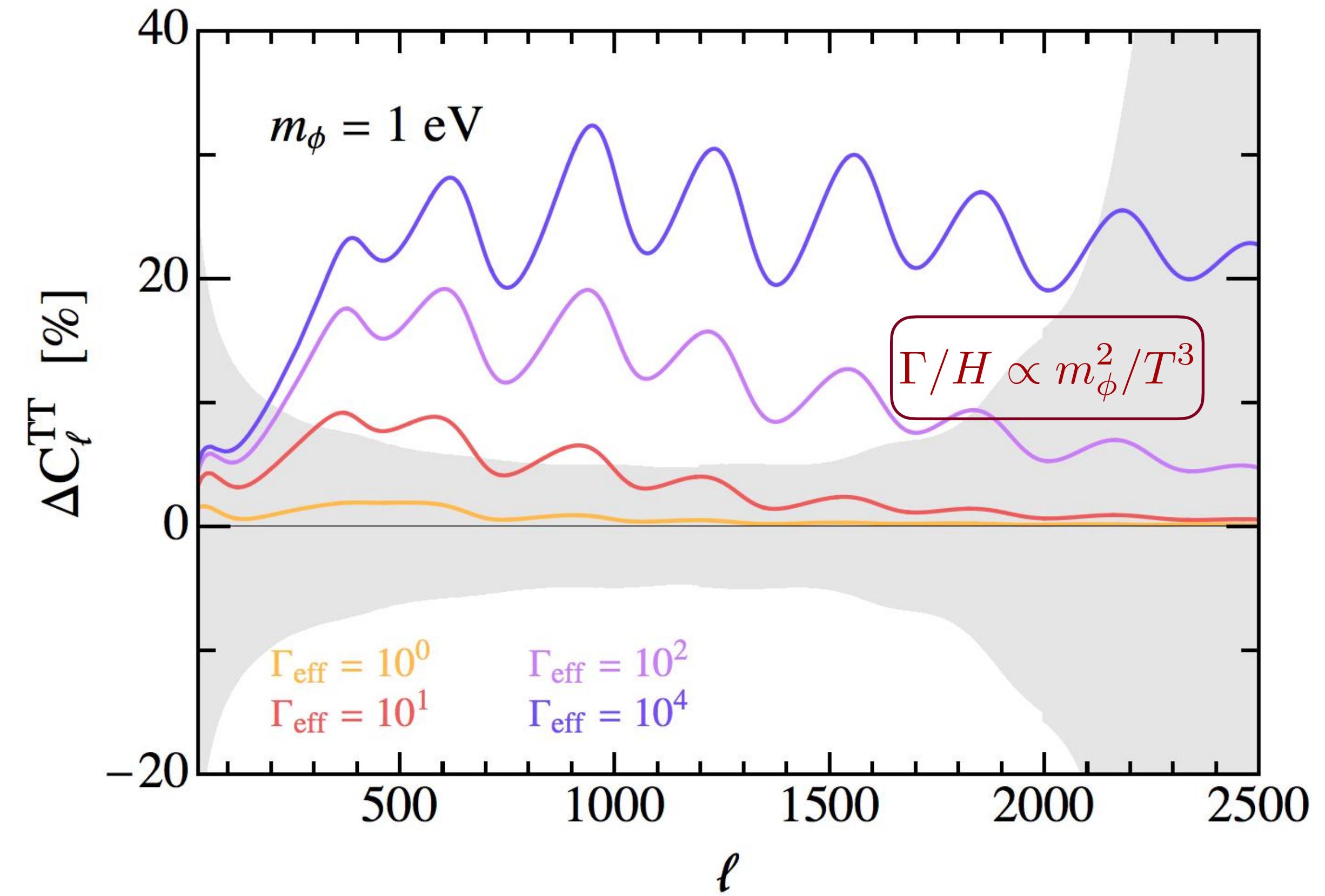
$\Gamma_{\text{eff}} < 1$ No thermalization



- 1.) Anisotropic stress is small
- 2.) Large masses map to large multipoles

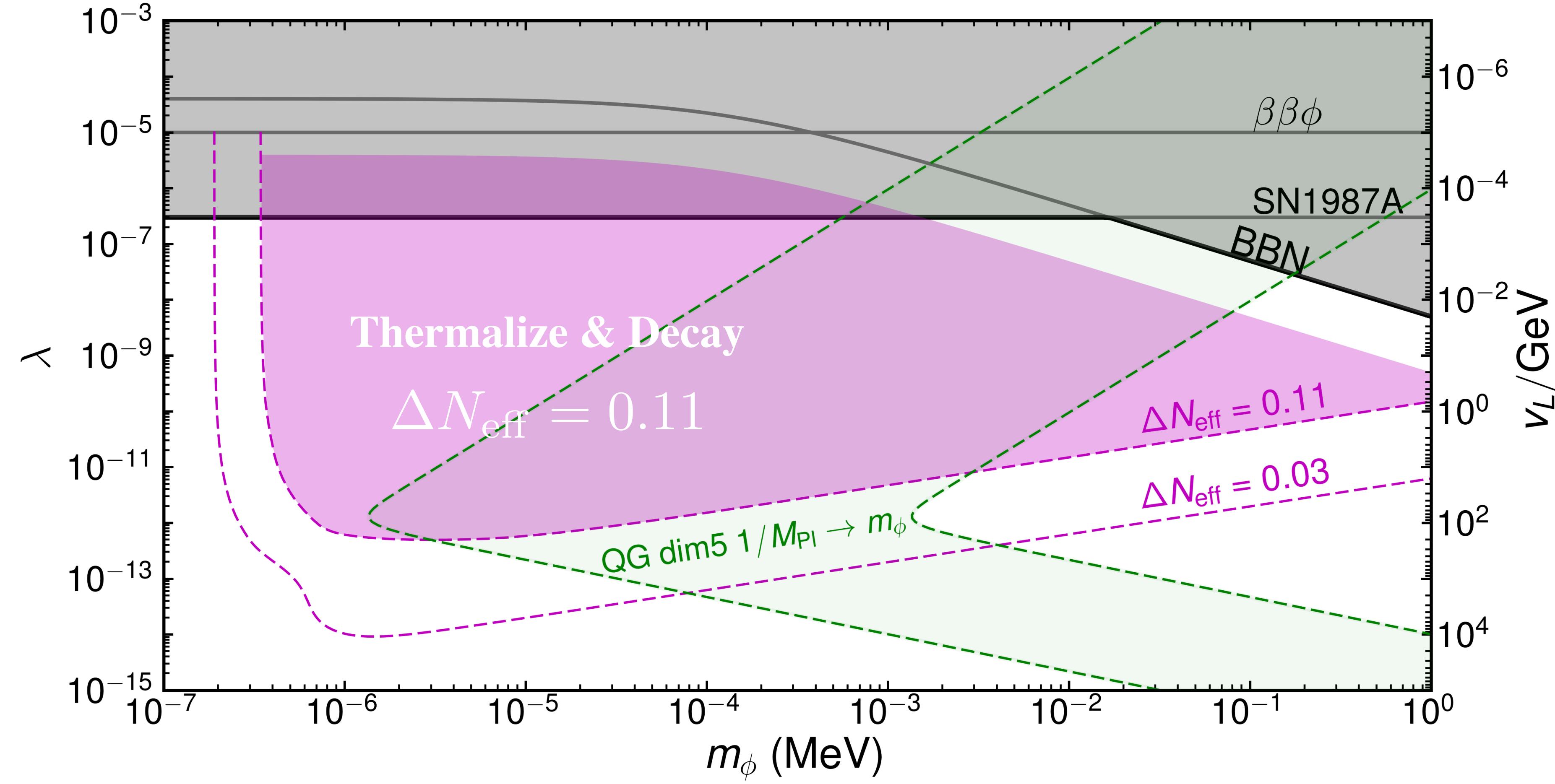
(1909.04044) Escudero, SJW

Majoron in the CMB



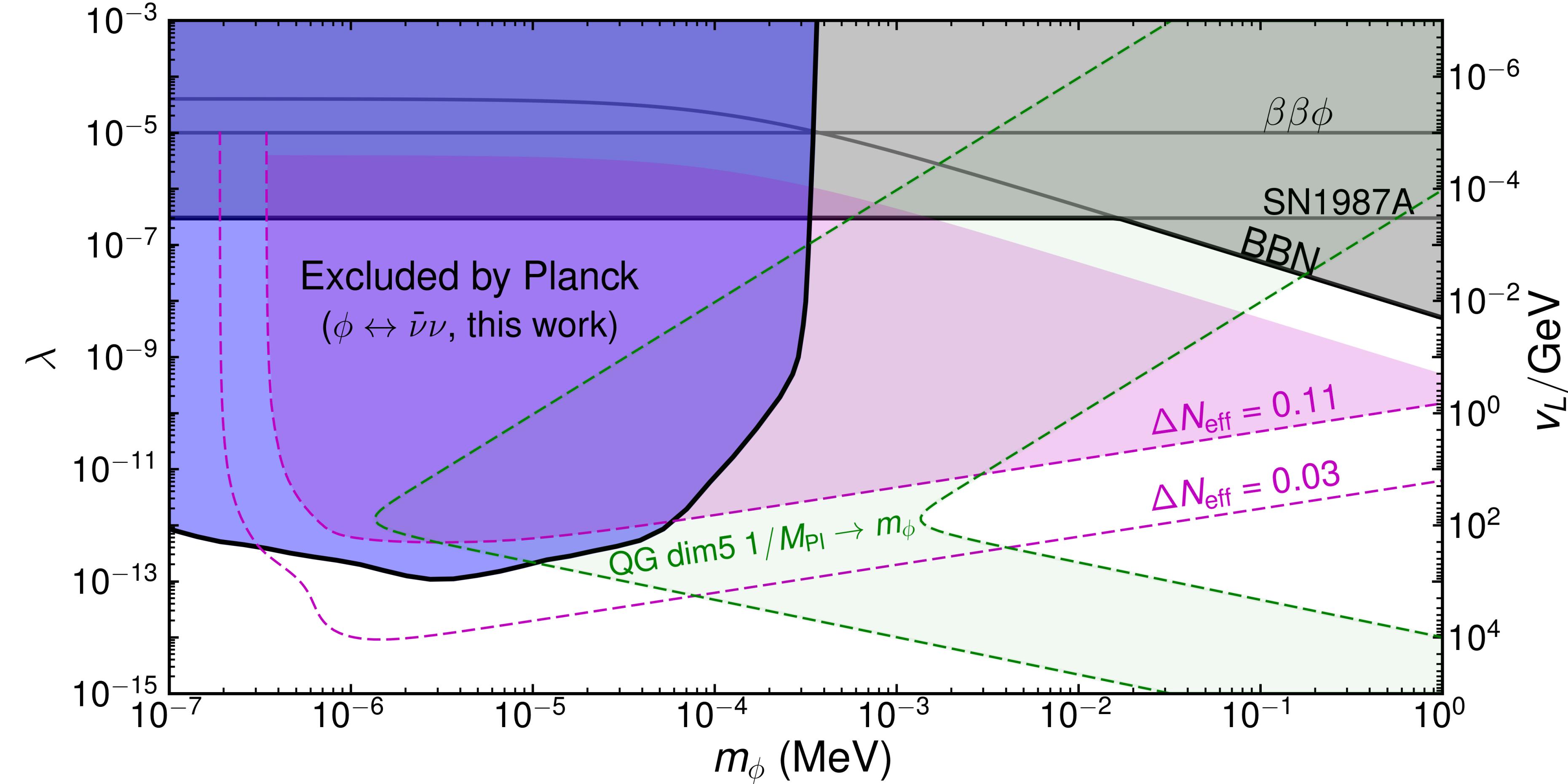
(1909.04044) Escudero, SJW

Majoron Parameter Space



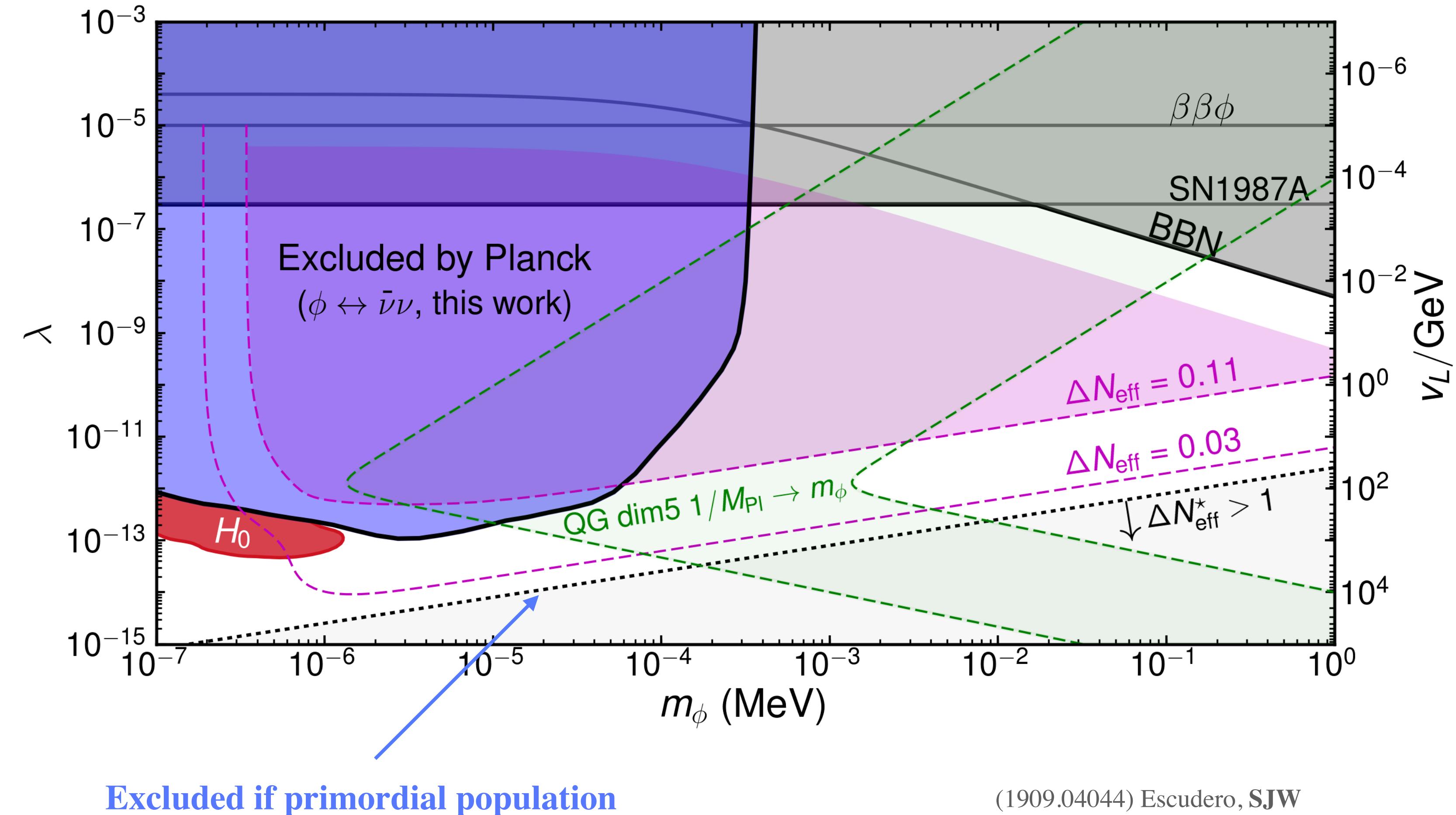
(1909.04044) Escudero, SJW

Majoron Parameter Space



(1909.04044) Escudero, SJW

Primordial Majorons



The Hubble Tension

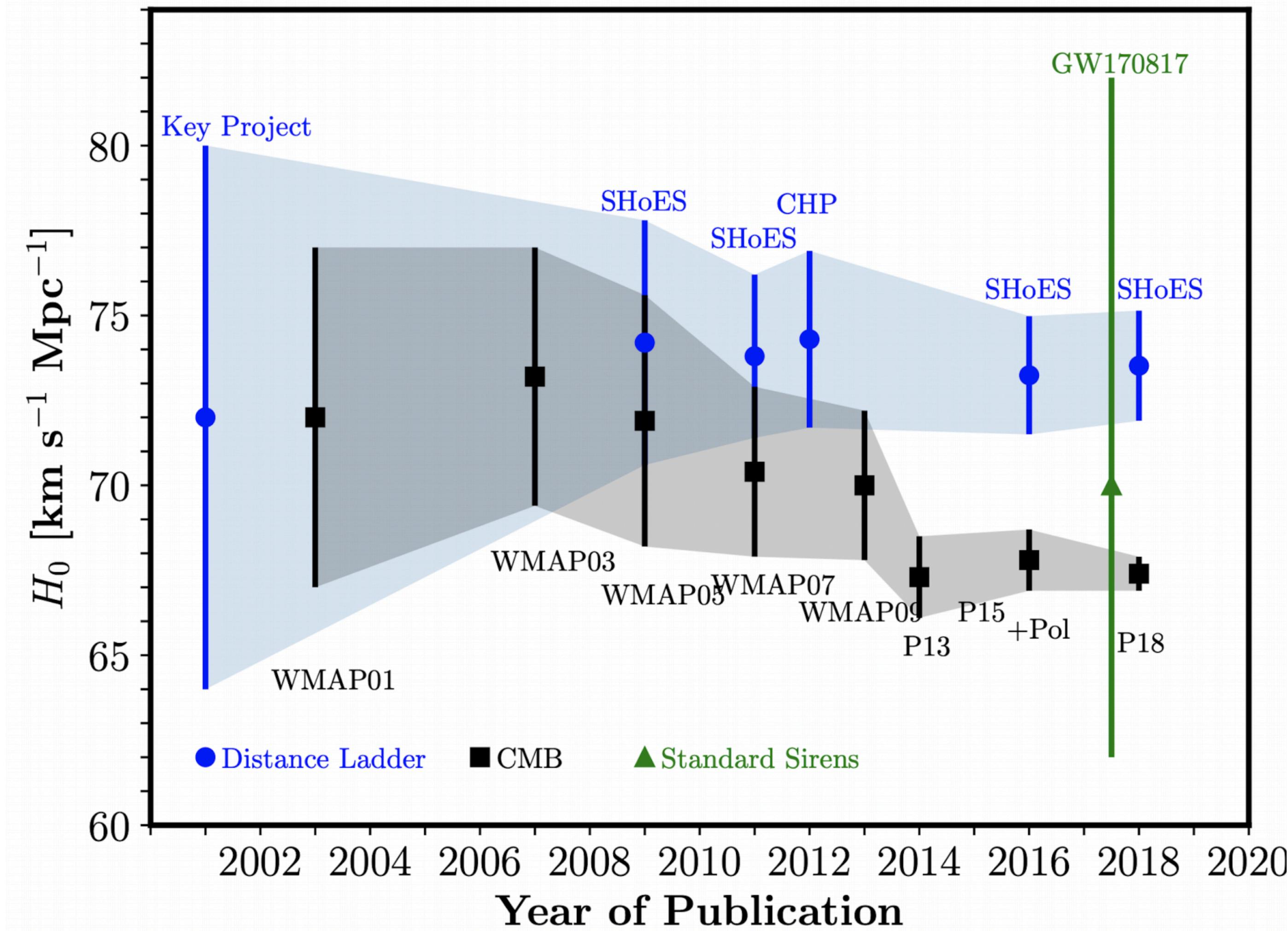
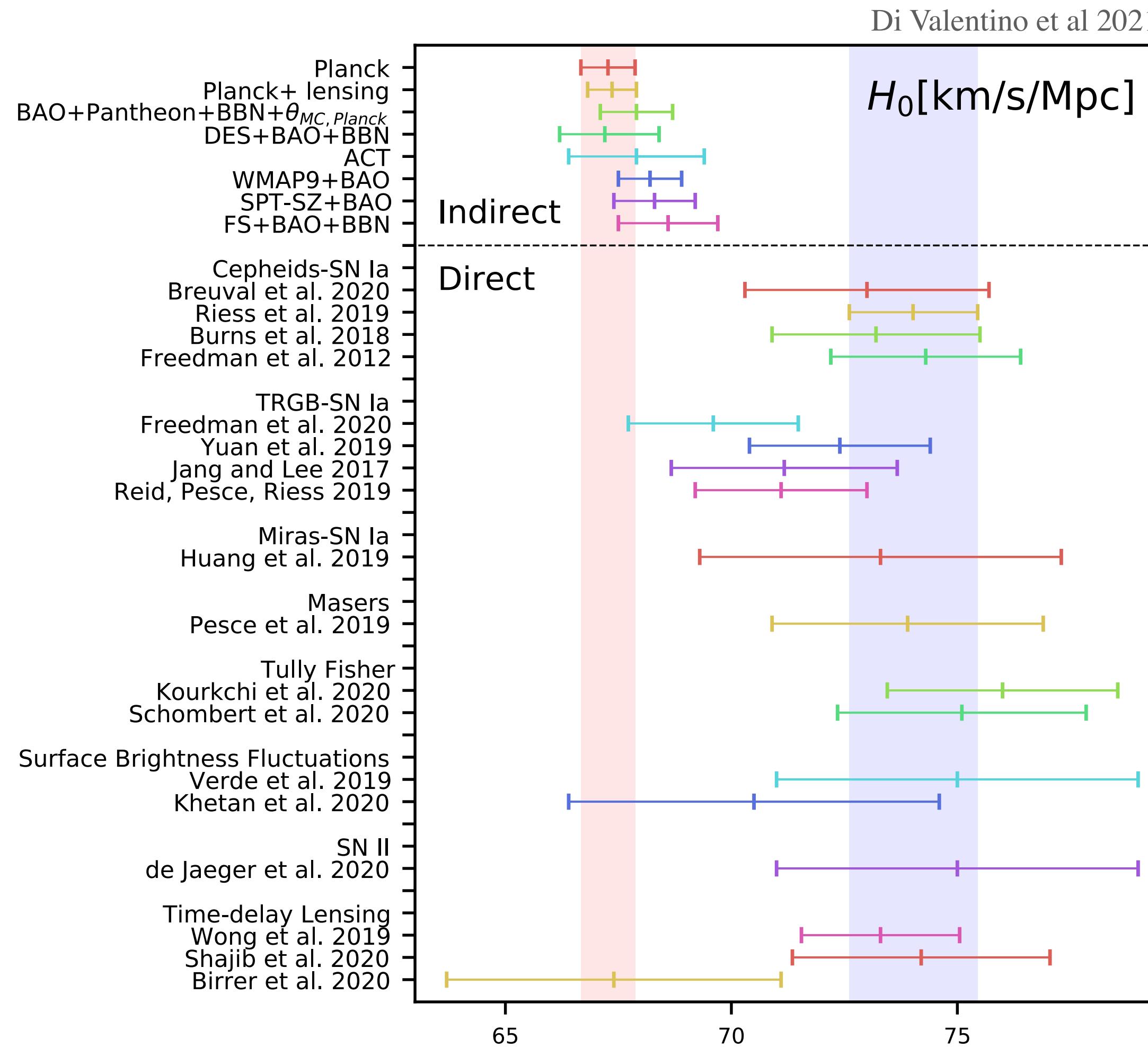


Image credit: Nandita Khetan

The Hubble Tension



How do you resolve this?

1.) Systematics in SHoES

- Are SN1a calibrated correctly?
 - Do we have the correct local anchor distance? Is there a metallicity effect? What about dust? Bias in peculiar velocities? Local calibration systematics?
- Are we sure the SN1a populations are the same?
- Do we live in a void (would need a 5 sigma void...)

Follin & Knox (2017), Feeney et al (2017), Freedman et al (2019), Freedman et al (2020), Yuan et al (2019), Efstathiou et al (2020), Soltis et al (2020), Rigault et al (2014), Jones et al (2018), Brout&Scolnic (2020)...

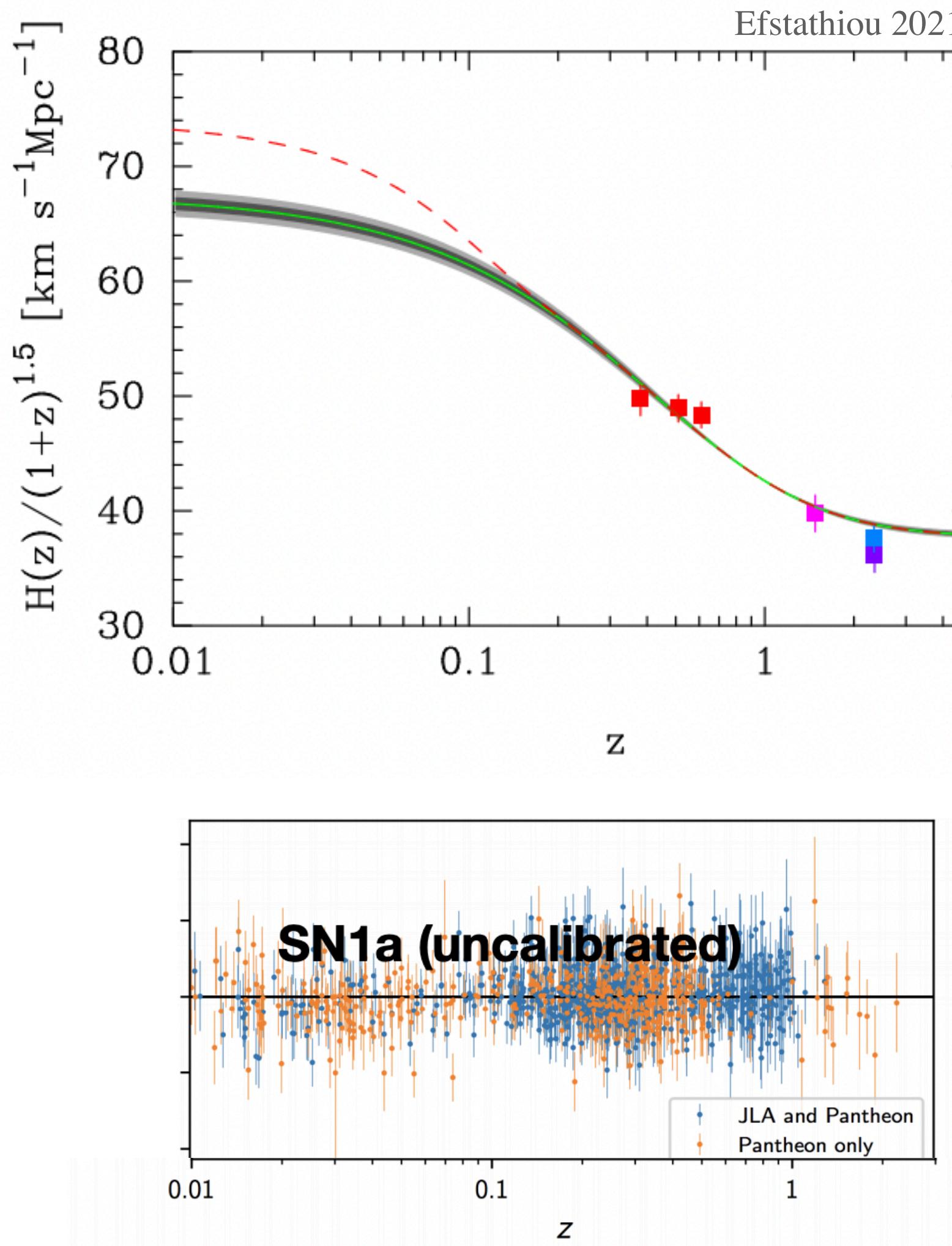
2.) Systematics in Planck

- Planck actually not needed....
- No proposed systematic known to produce this effect

3.) Modify cosmology at late times

4.) Modify cosmology at early times

Late Time Solutions

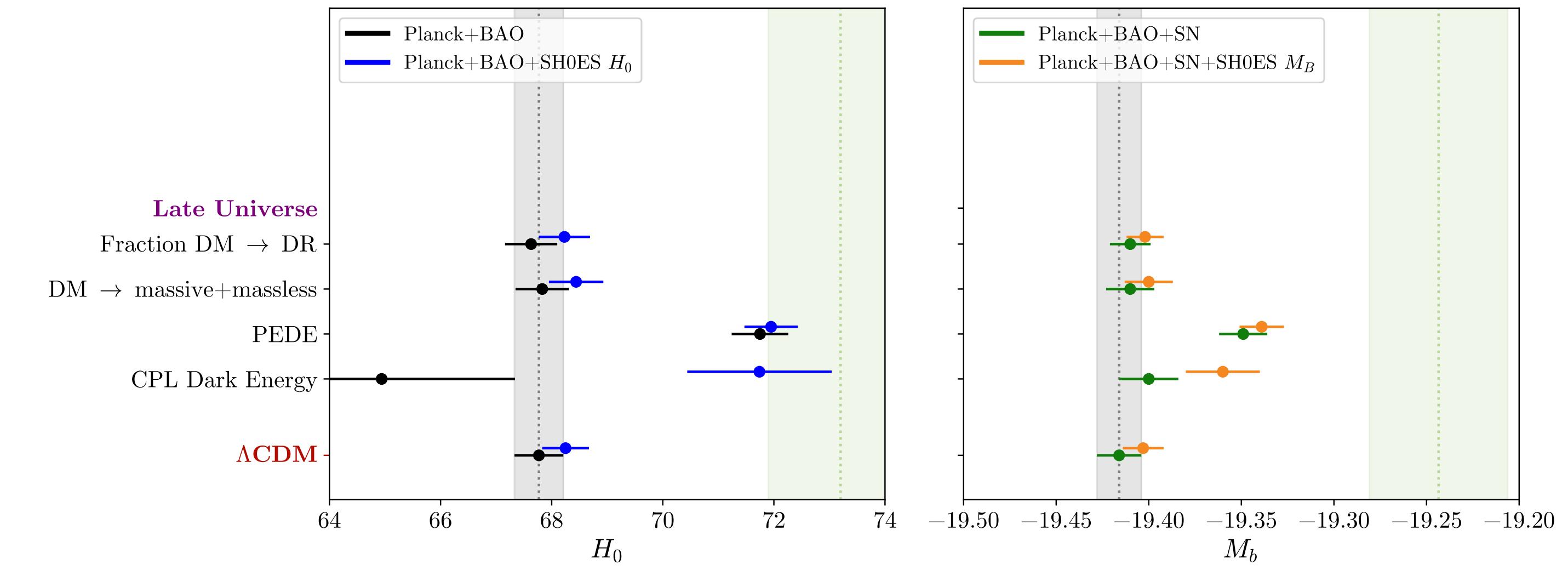


Key point: Supernova measurements do not measure $H(z = 0)$!

Lemos et al 2019, Benevento et al 2020, Camarena et al 2021, Efstathiou 2021

Simply doesn't work well...

(TO APPEAR SOON) Shöneberg, Franco Abellán, Pérez Sánchez, Lesgourges, Poulin, SJW

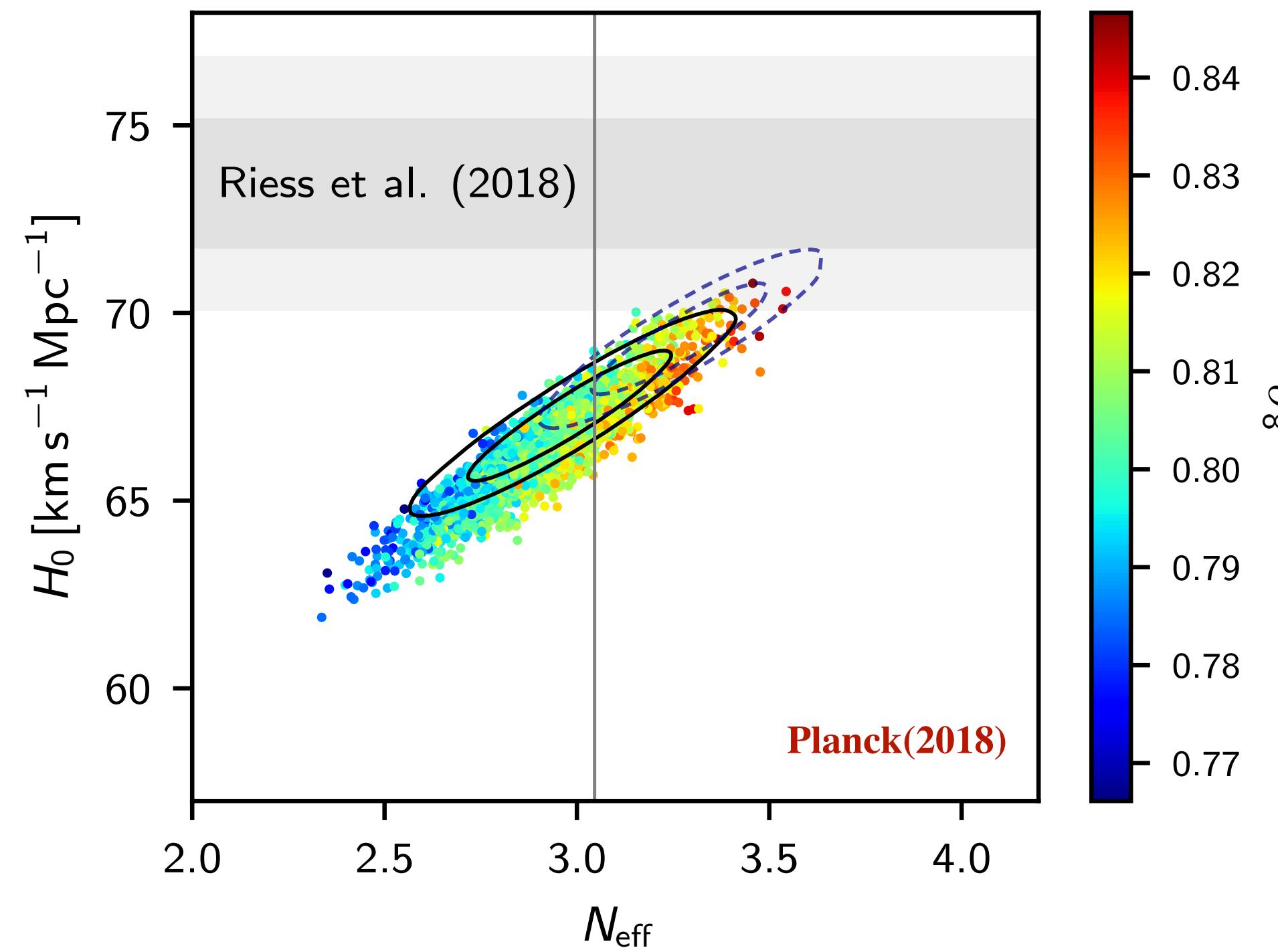


Early Time Solutions

Large number of proposals... (I can't do justice to all, or even many — see Di Valentio et al 2021 for review of proposals)

One subclass exploits degeneracy between Neff and H0

Bernal et al (2016), Morstell and Dhawan (2018)



$$H_0 \simeq [73.6 + 6.2(\Delta N_{\text{eff}} - 1)] \text{ km/s/Mpc}$$

Vagnozzi (2019)

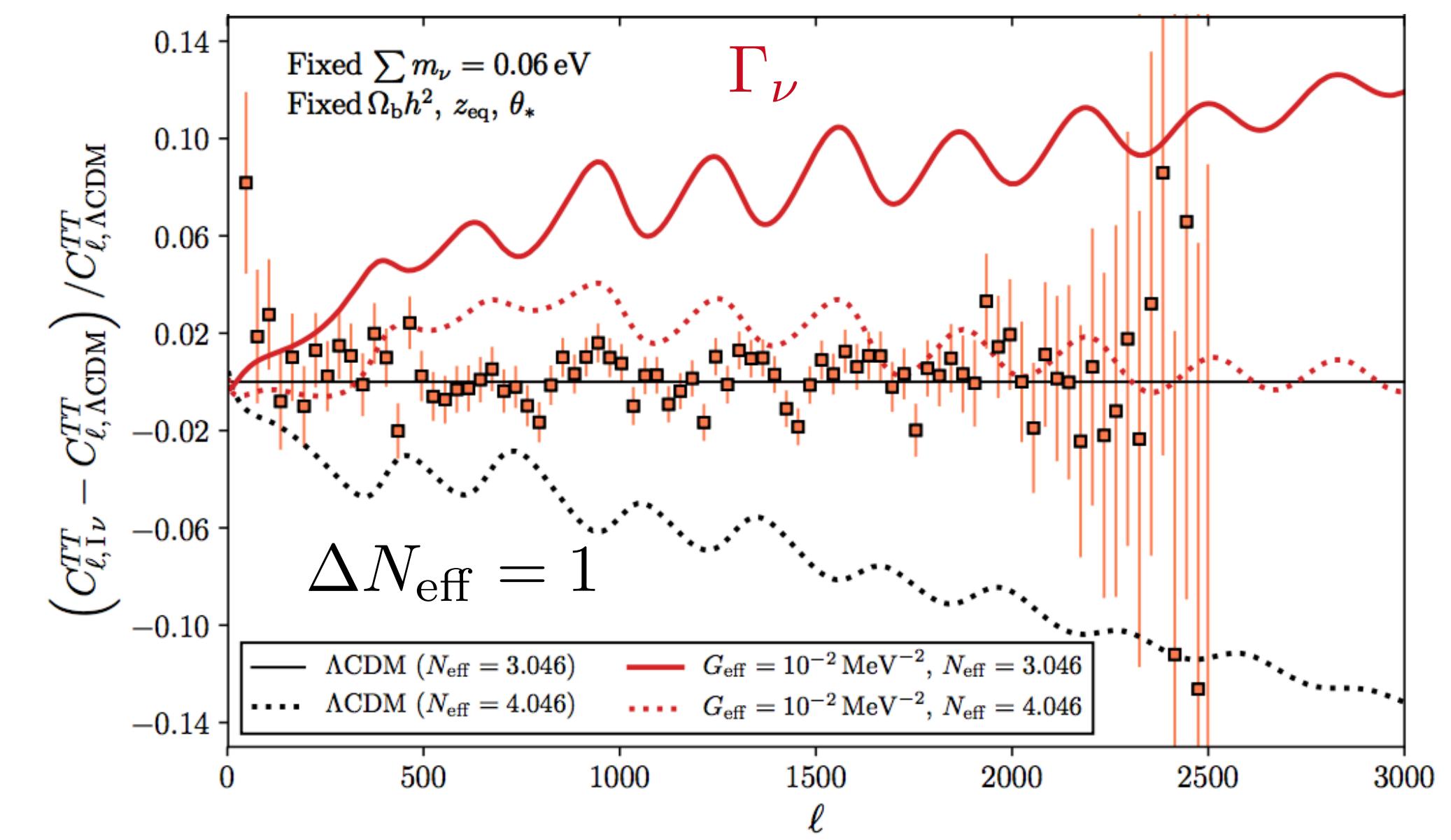
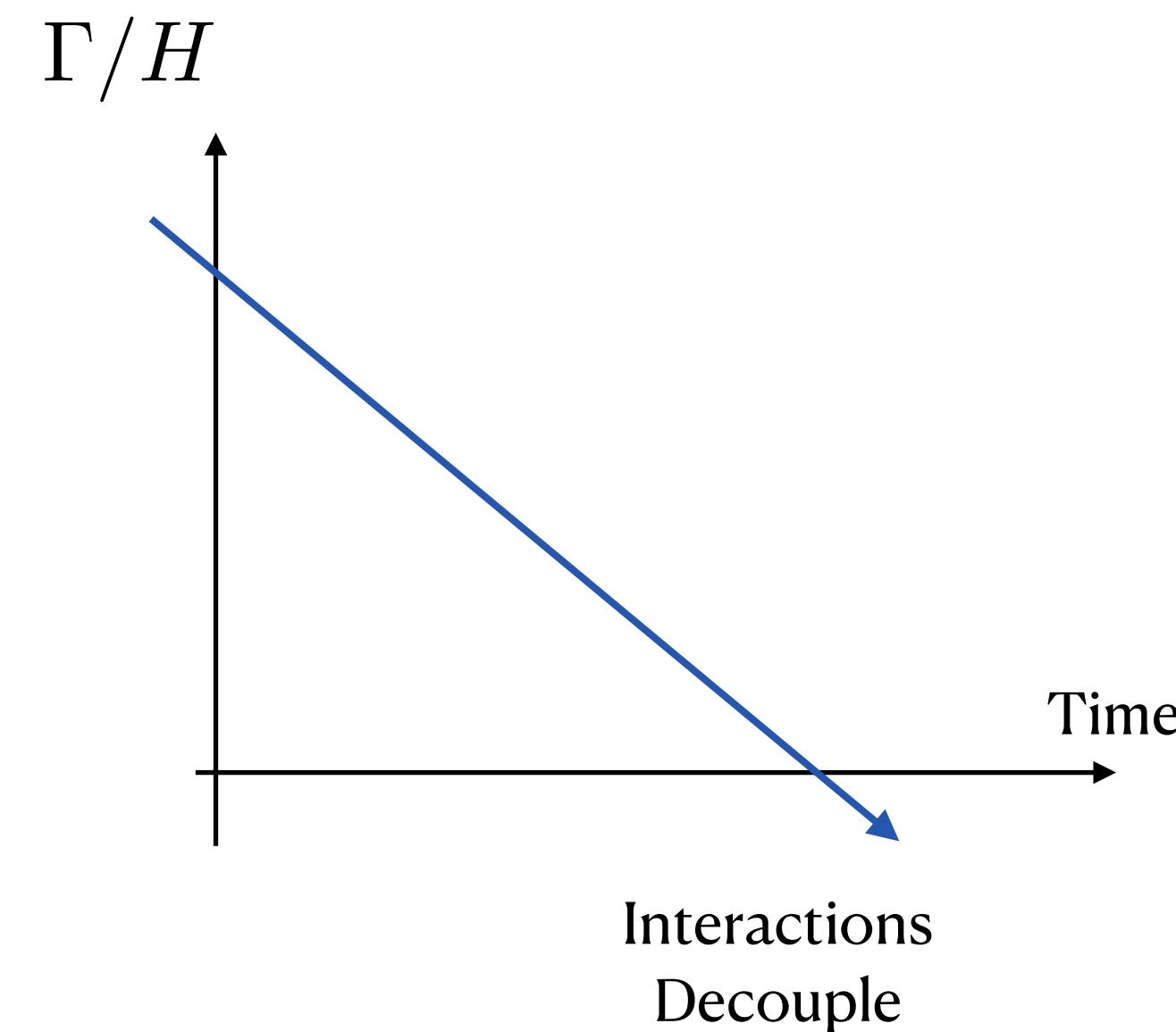
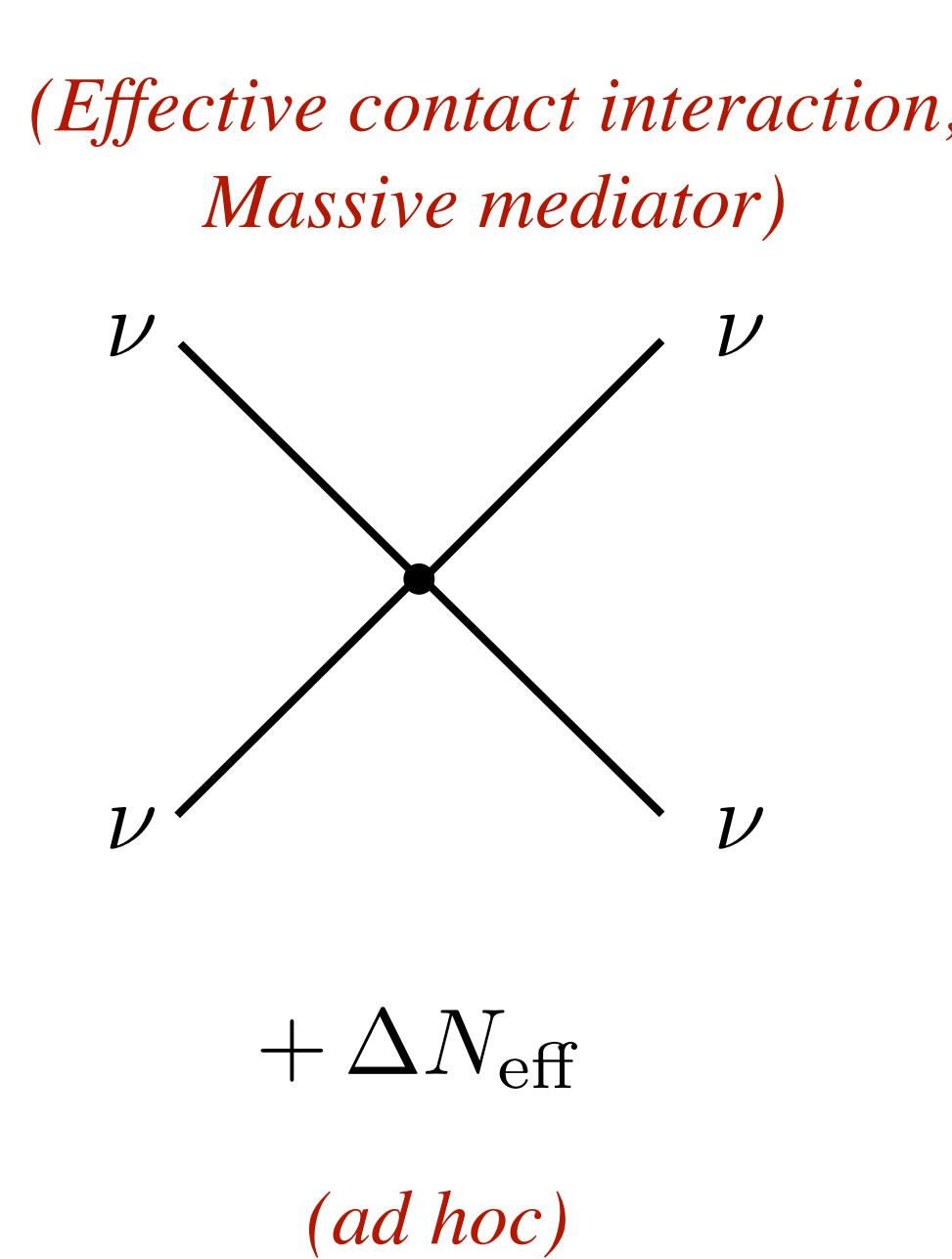
Problem: Large values disfavored by data

Question: What else can I add that allows me to squeeze in more Neff?

The Role of Nu Interactions

Self-interacting neutrino solution

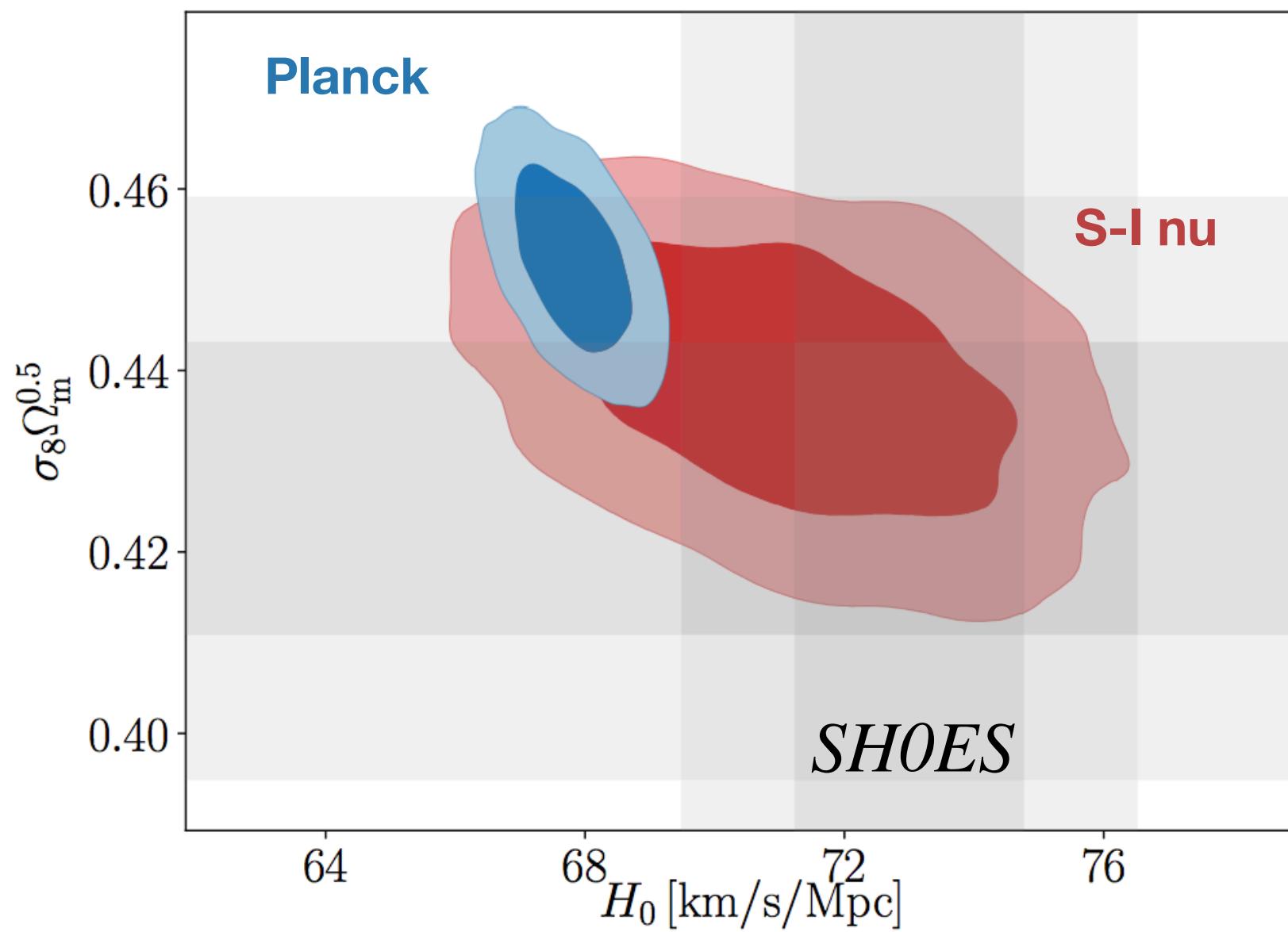
Kreisch et al (2019), Park et al (2019),
Brinckmann et al (2020), ...



Kreisch et al (2019)

The Role of Nu Interactions

(Planck 2015 TT, Lens, BAO)



Kreisch et al (2019)

Problem 1)

Solution also requires $\text{Neff} \sim 4$,
naively excluded by BBN...

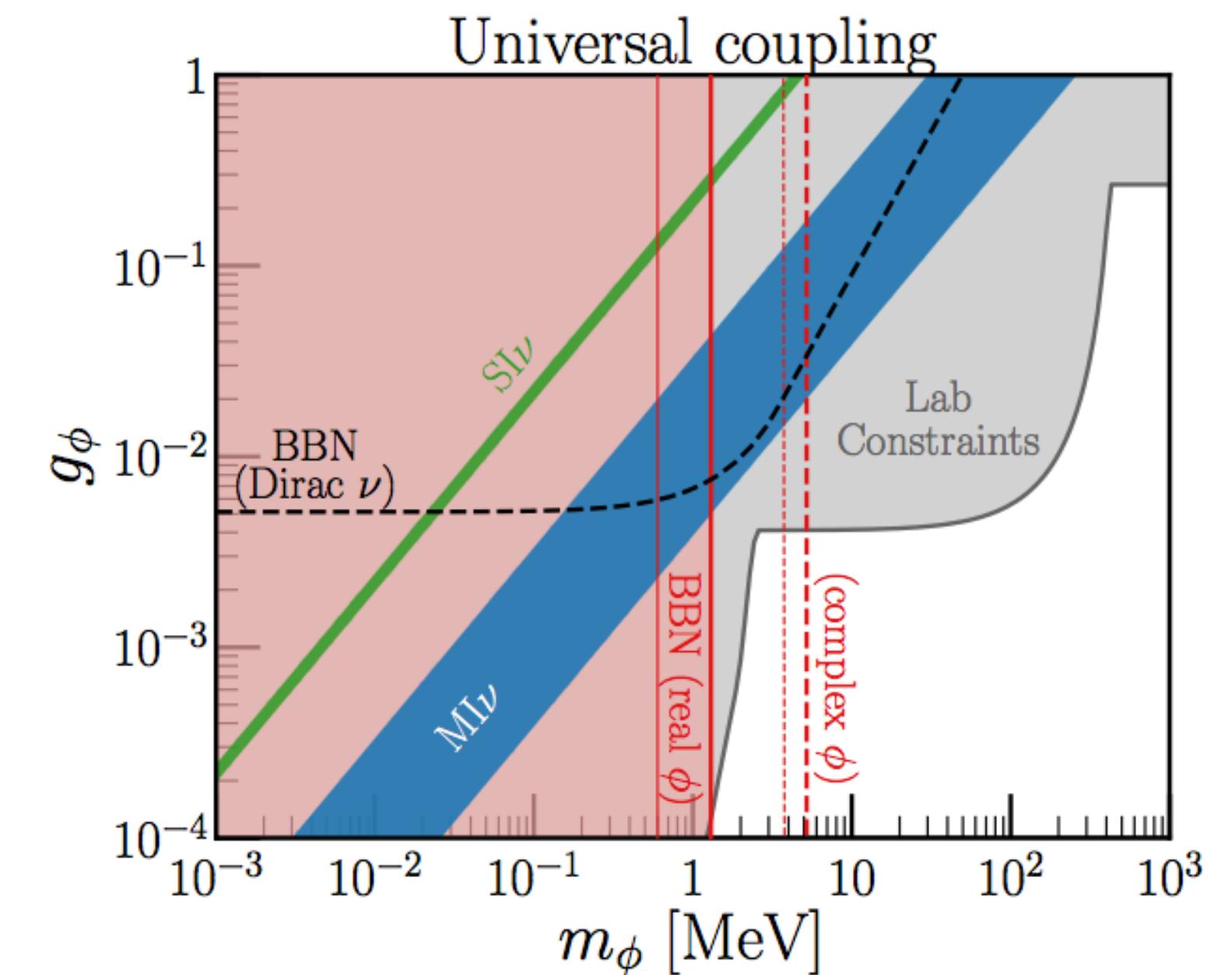
Pisanti et al. 2011.11537

Not necessarily a problem...

- Can generate Neff after BBN
- BBN bound needs to be considered in context of model
- Constraint dominated by Helium (could suffer from systematics)

See e.g. Berbig et al 2021, Huang et al 2021
Aver et al (2020), Izotov et al (2014)

Problem 2)

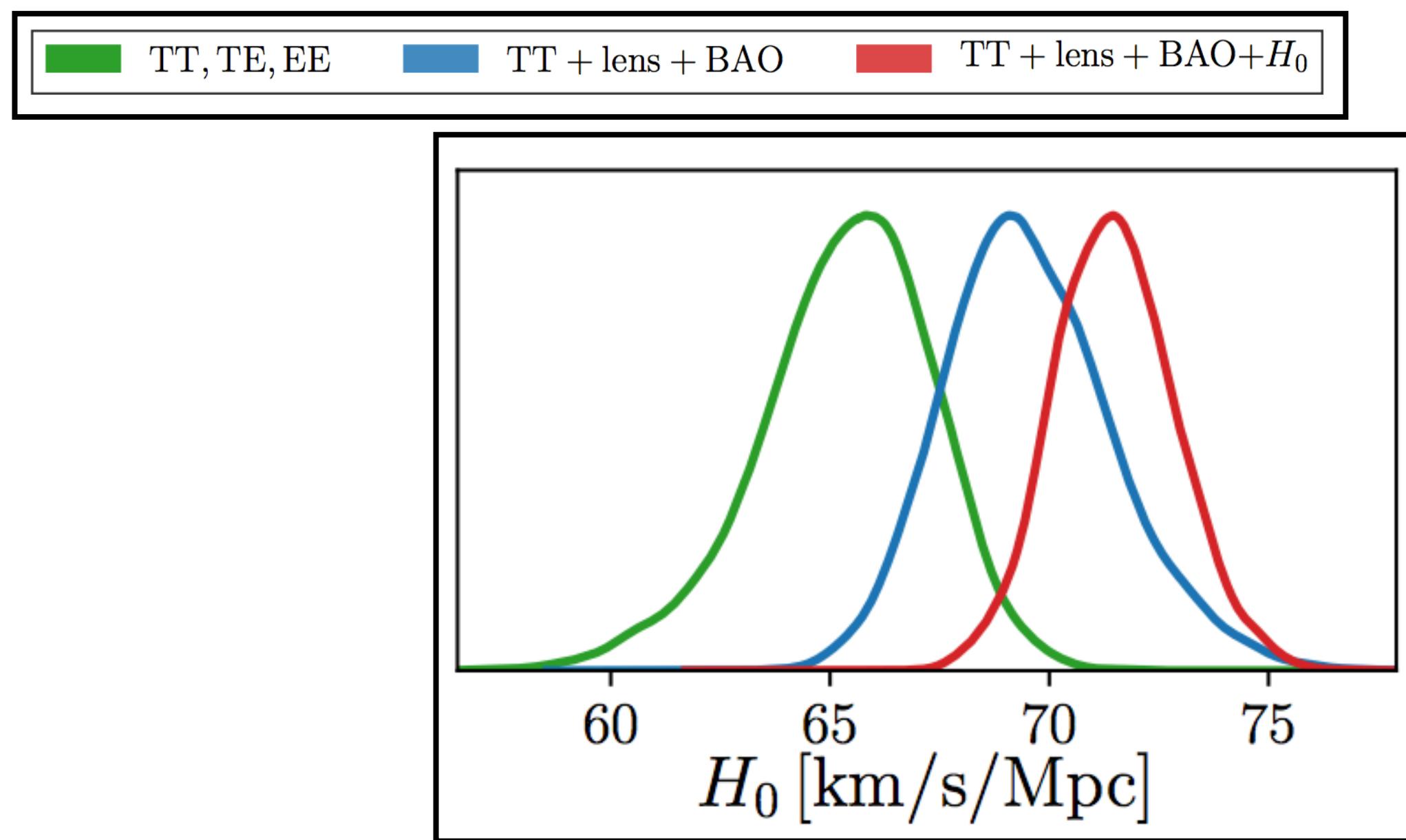


Maybe (????) viable if only coupled to taus....

Blinov, Kelley, Krnjaic, McDermott (2019)

The Role of Nu Interactions

Problem 3)



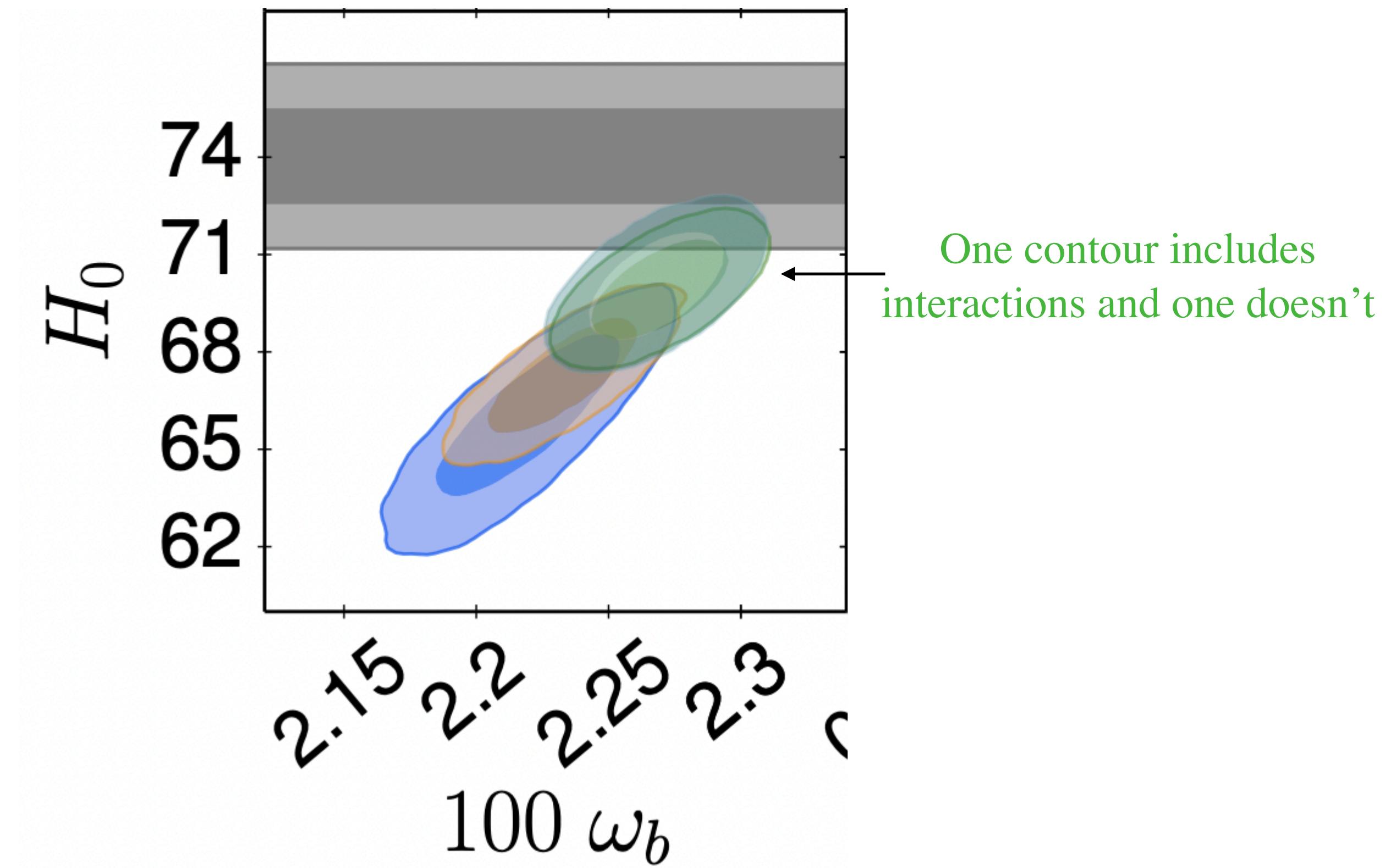
Solution killed with polarization data?

Kreisch et al (2019)

Problem 4)

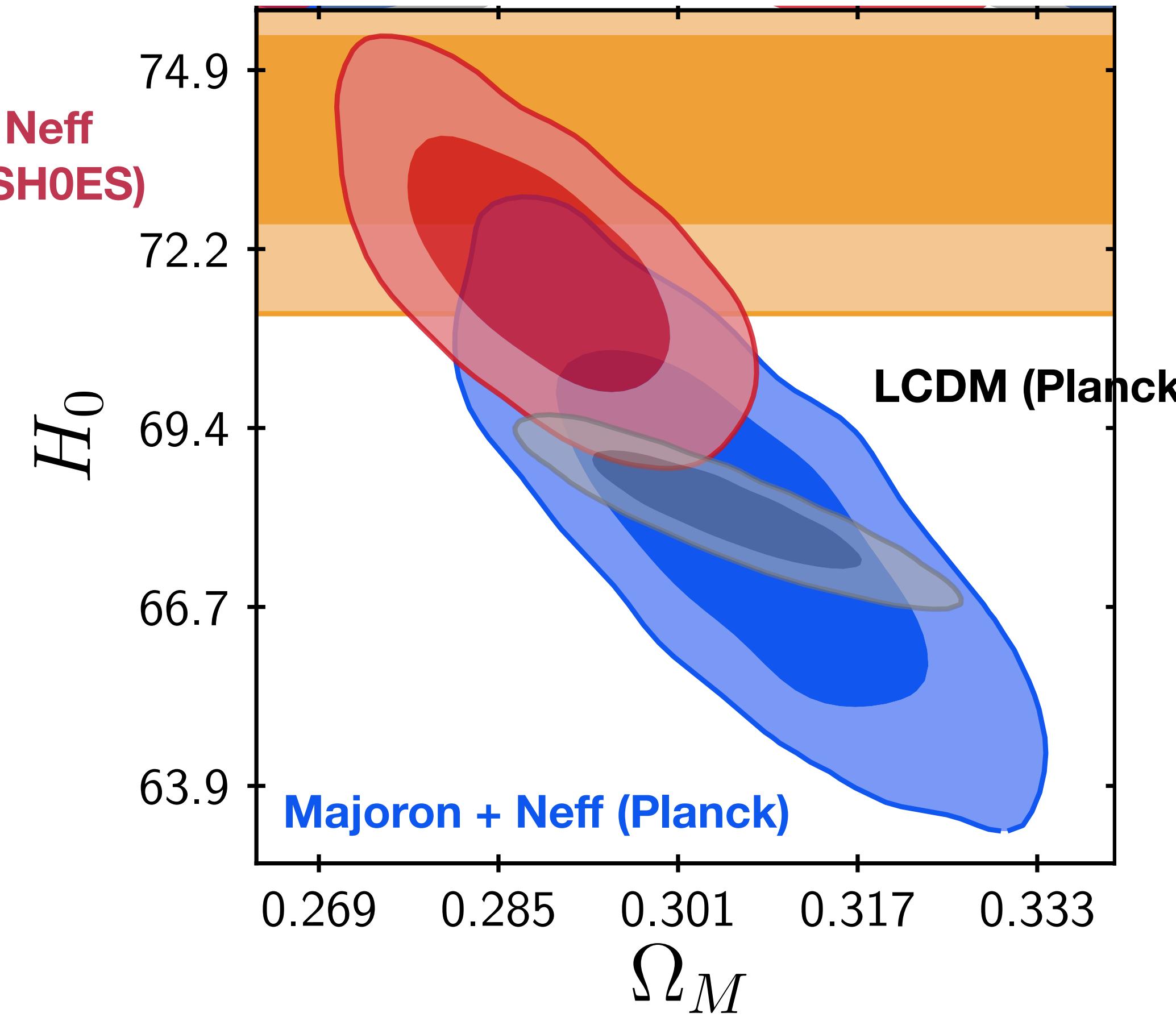
Planck 2018 fit got worse

Brinkmann et al 2020



The Majoron Solution (Part 1)

Majoron + Neff
(Planck + SH0ES)



SH0ES

LCDM (Planck)

H_0

74.9

72.2

69.4

66.7

63.9

0.269

0.285

0.301

0.317

0.333

Ω_M

Majoron + Neff (Planck)

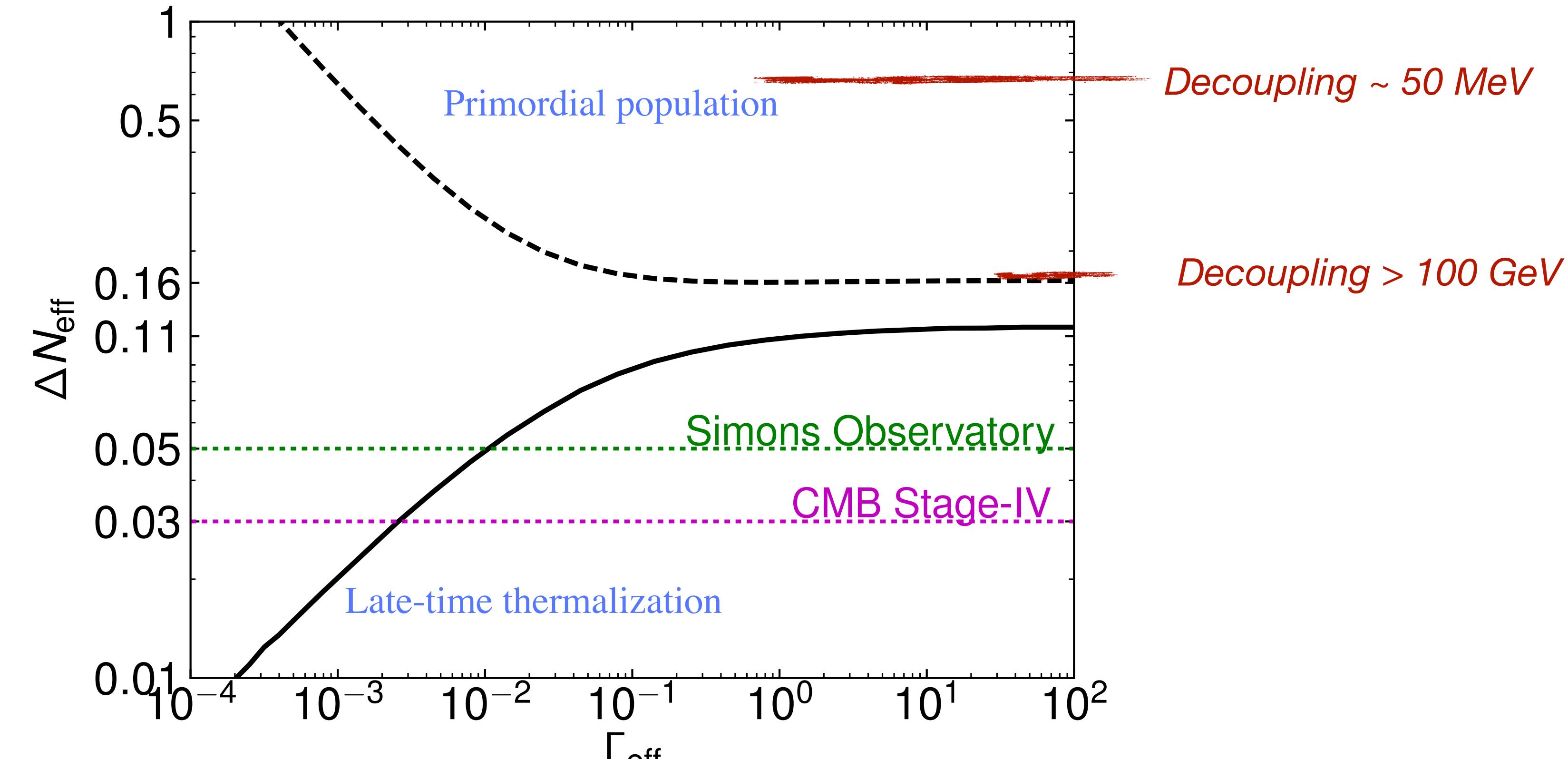
Tension reduced to ~ 2 sigma level...

Improved fit to Planck!

Still require *ad hoc* contribution to Neff

(1909.04044) Escudero, SJW

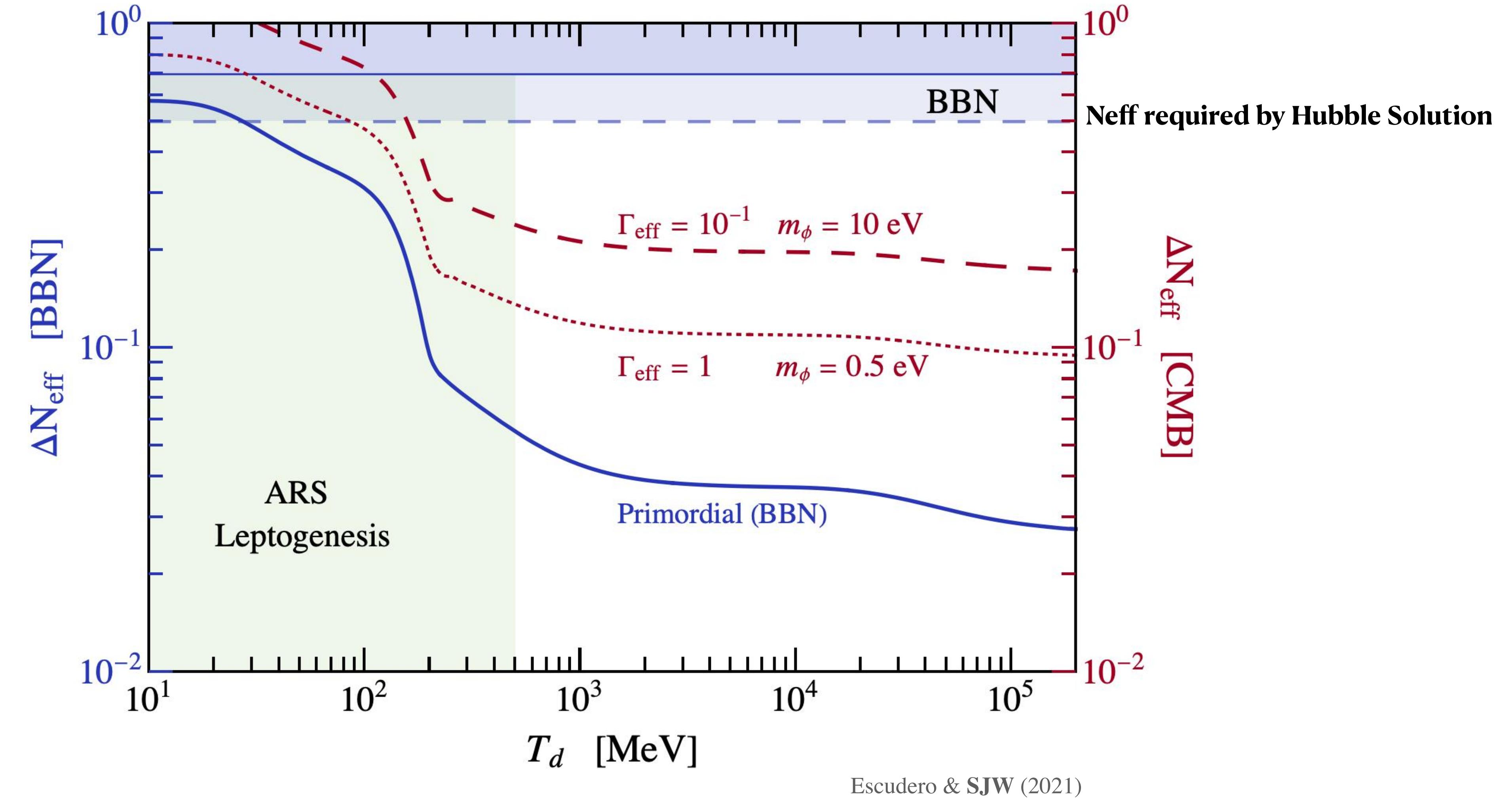
Primordial Majorons



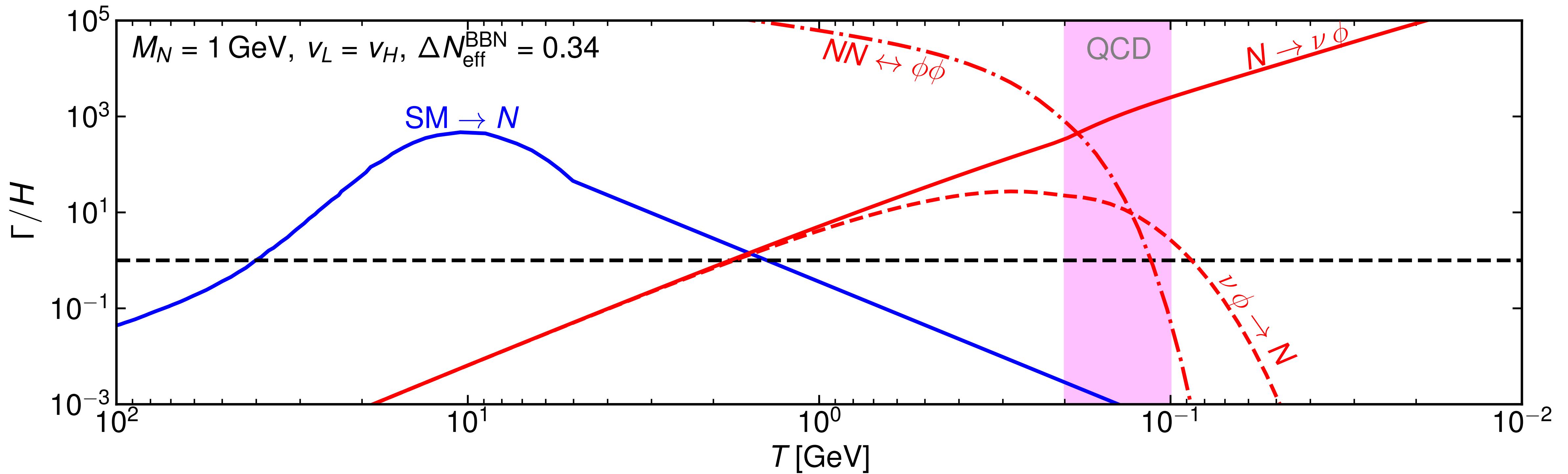
$$\Gamma_{\text{eff}} \equiv \left(\frac{\lambda}{4 \times 10^{-12}} \right)^2 \left(\frac{\text{keV}}{m_\phi} \right)$$

(1909.04044) Escudero, SJW

Majoron Decoupling



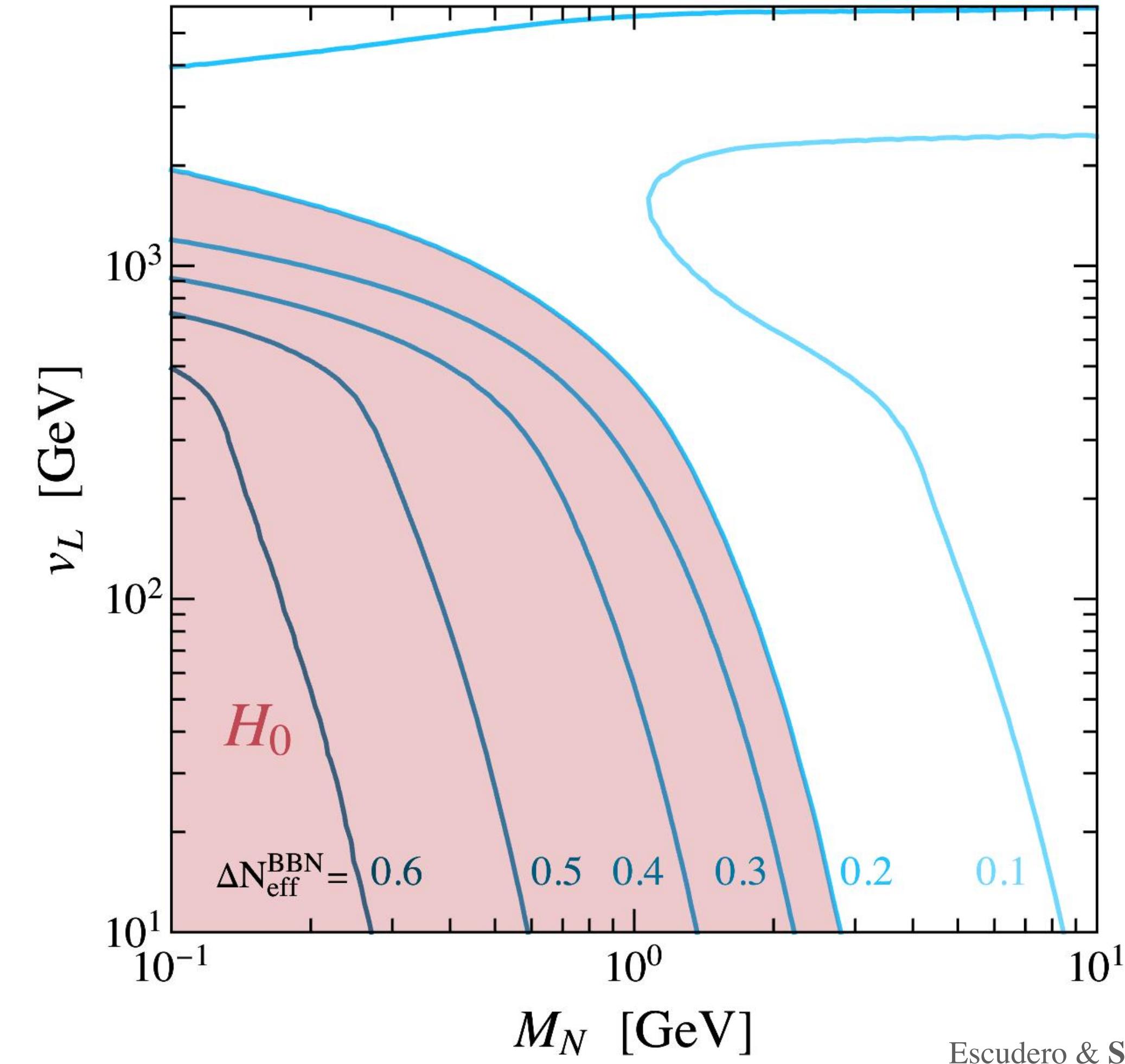
Majoron Production



Thermalization rate for N from Ghiglieri & Laine (2016)

Escudero & SJW (2021)

Majoron Decoupling



Escudero & SJW (2021)

GeV Scale Sterile Neutrinos

Do we have ***motivation*** for GeV sterile neutrinos?

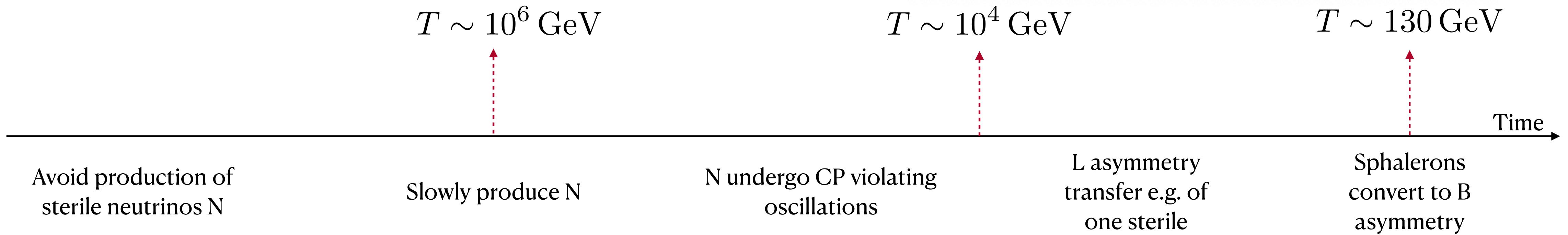
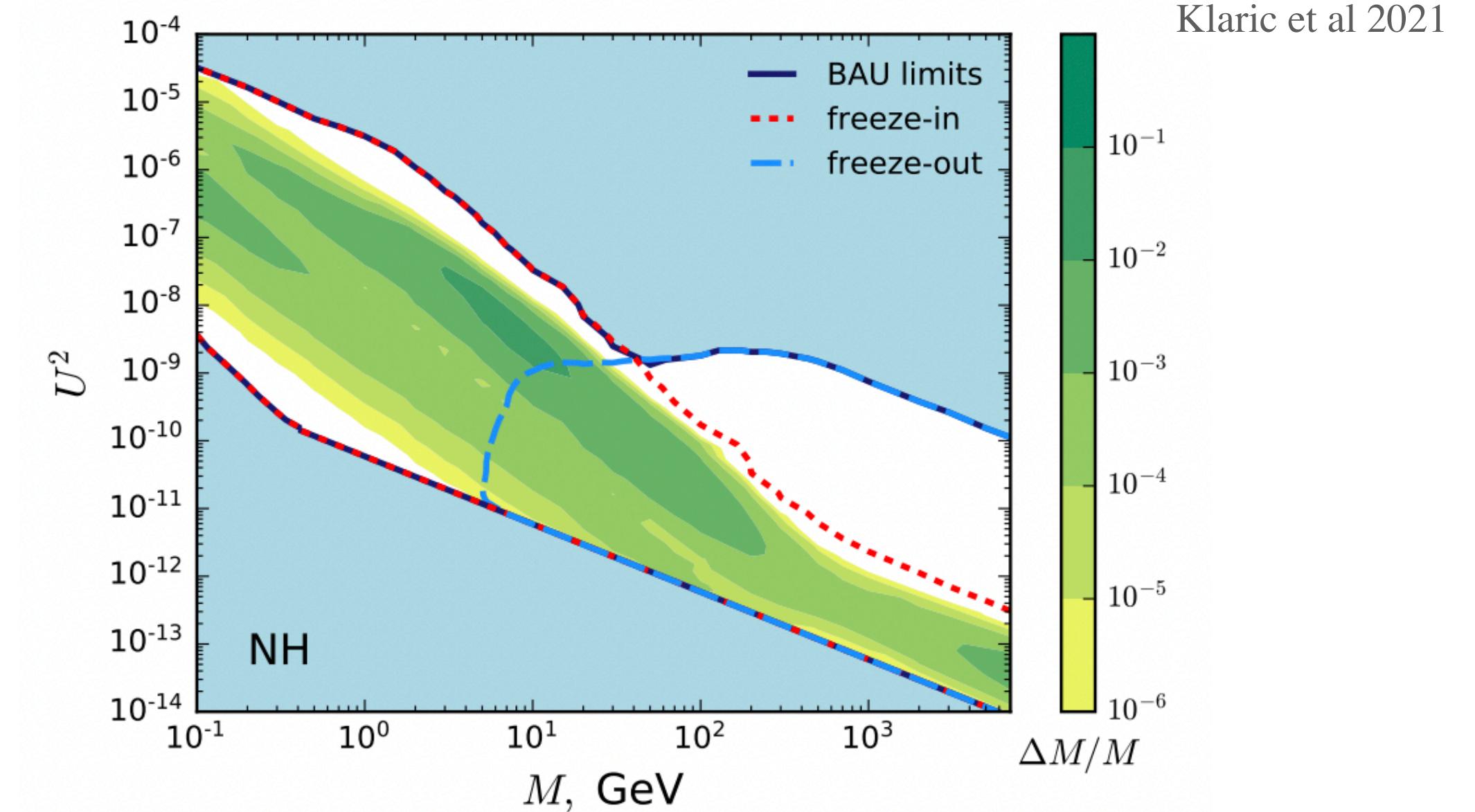
Baryogenesis via Sterile Neutrino Oscillations (ARS Leptogenesis)

Akhmedov, Rubakov & Smirnov, hep-ph/9803255.

See also Asaka & Shaposhnikov, hep-ph/0505013

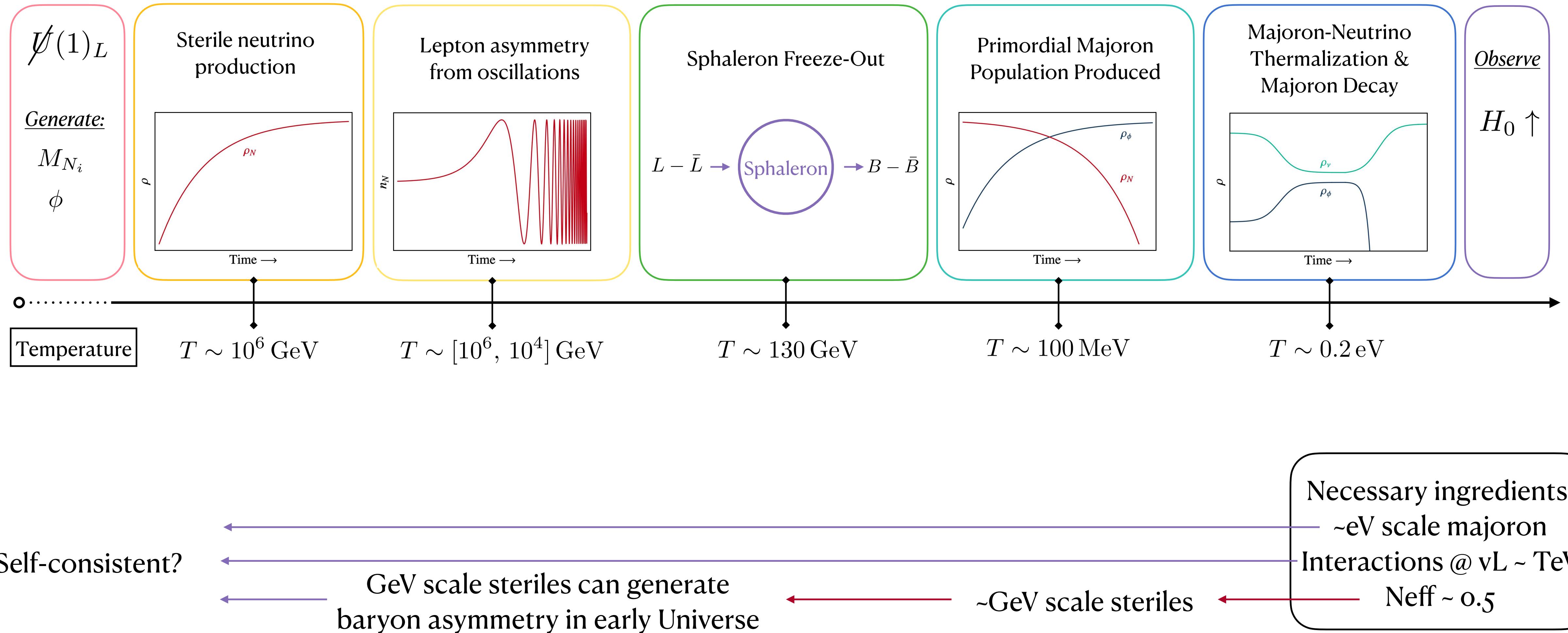
Nice review by Drewes et al. 1711.02862.

Recent comprehensive study: Klaric, Shaposhnikov & Timiryasov 2103.16545



From Leptogenesis to the Hubble Tension

Escudero & SJW (2021)



Leptogenesis in Singlet Majoron Model

Can the presence of the majoron spoil leptogenesis?

Concerns:

- 1.) Sterile Neutrinos thermalize too early

$$\rho \rightarrow N\bar{N} \quad \rho\rho \rightarrow N\bar{N} \quad \phi\phi \rightarrow N\bar{N}$$

Must avoid production!

- 2.) Neutrinos oscillations shouldn't be altered (...could be overly restrictive, see e.g. Hambye & Teresei (2016, 2017))

Symmetry could be unbroken.... $M_N = \lambda_N \langle \Phi \rangle$

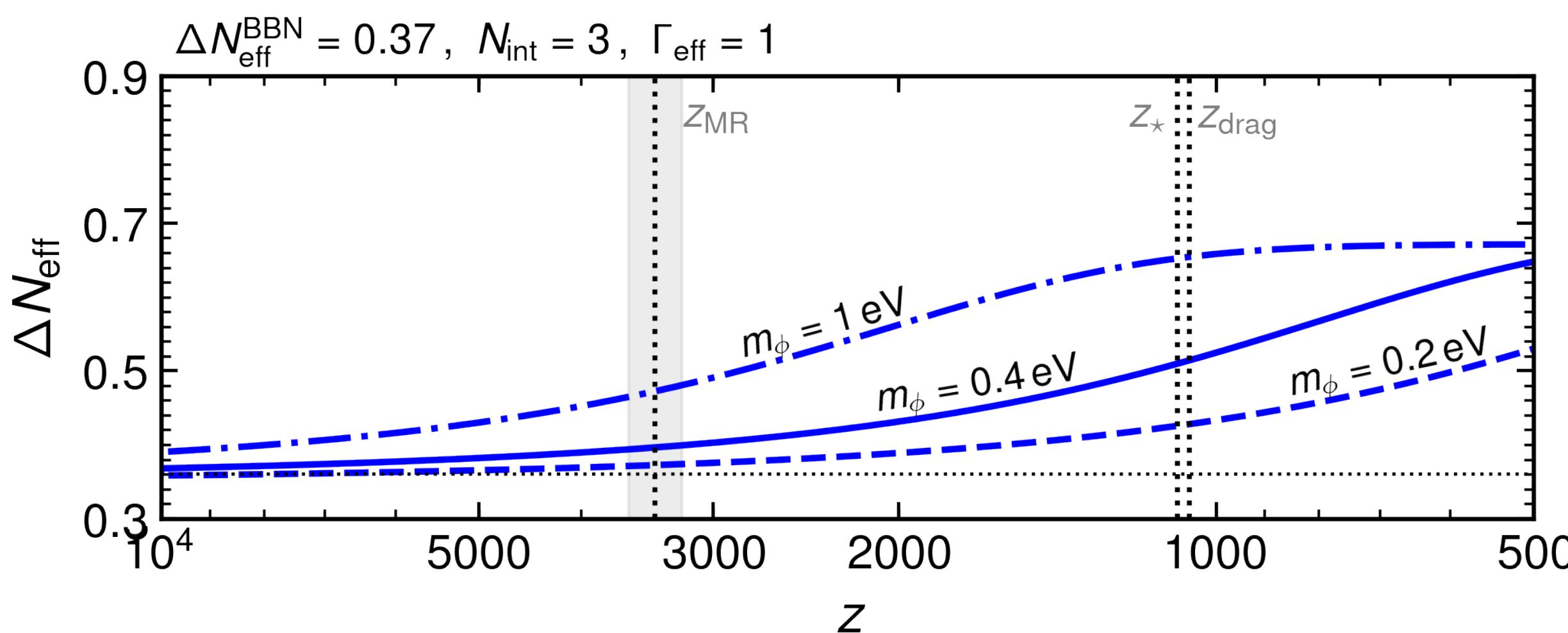
$$|\lambda_{\Phi H}| < 10^{-7} \frac{\nu_L}{1 \text{ TeV}} \sqrt{\frac{10^5 \text{ GeV}}{T_c}}$$

$\phi\phi \rightarrow N\bar{N}$ Could lead to decoherence

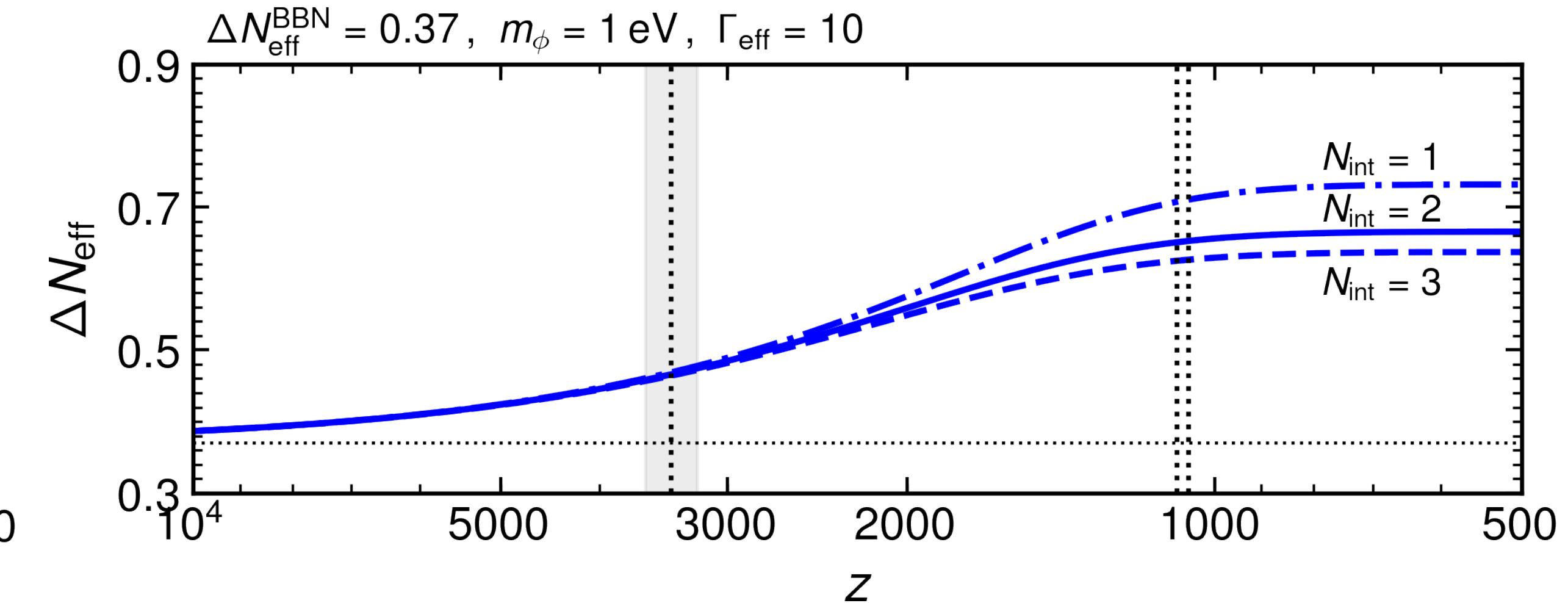
$$\lambda_N = \frac{M_N}{\nu_L} < 0.07 \sqrt{\frac{T_{\text{Lepto}}}{10^5 \text{ GeV}}}$$

Late-Time Thermalization

Late-time thermalization altered due to primordial population



Also dependent on number of interaction neutrinos



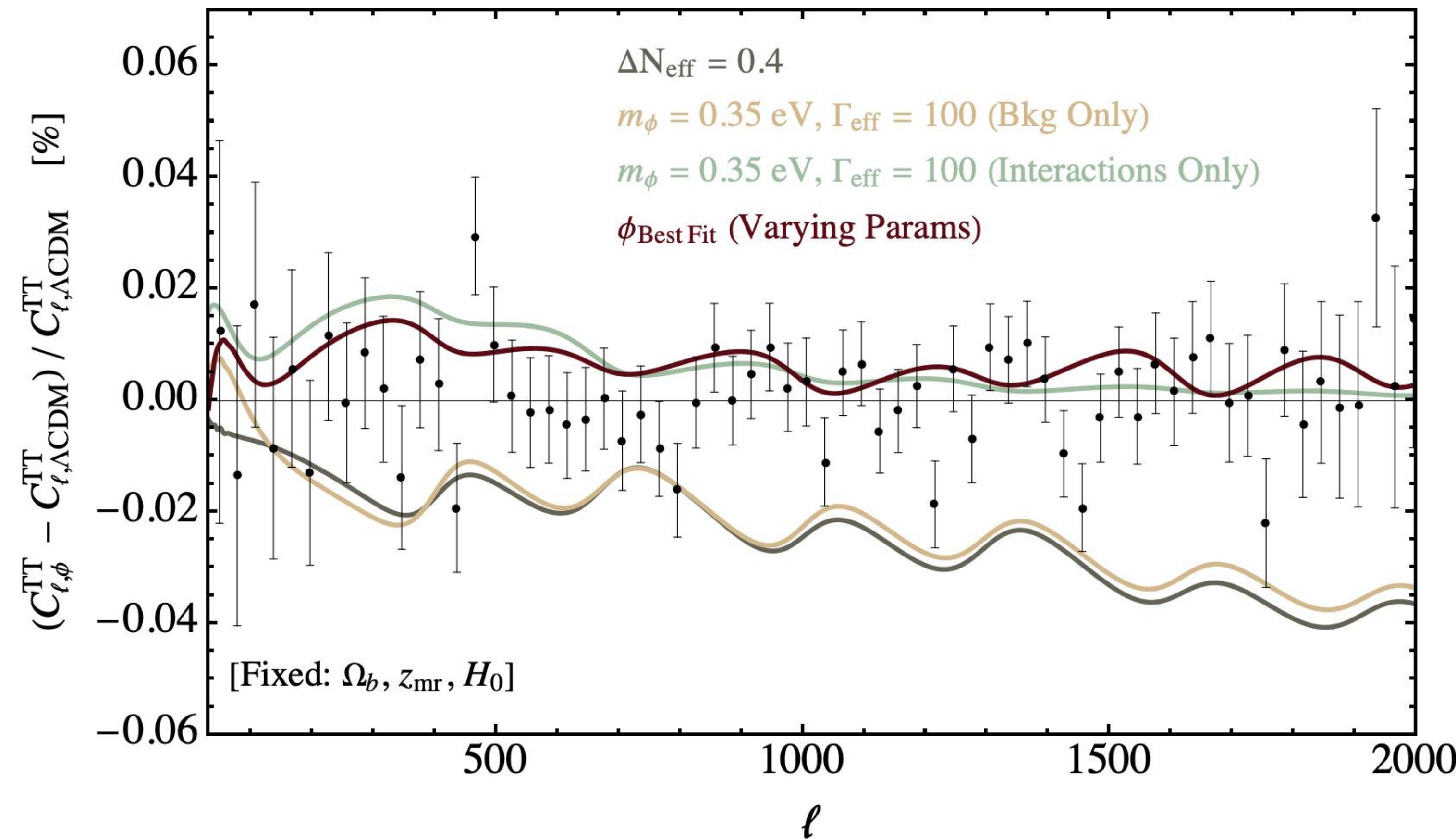
$$N_{\text{int}} = 3 \rightarrow \sum m_\nu \gtrsim 0.15$$

$$N_{\text{int}} = 2 \rightarrow m_1 \sim 0 \quad \& \text{NO}$$

$$N_{\text{int}} = 1 \rightarrow m_1 \sim 0 \quad \& \text{IO}$$

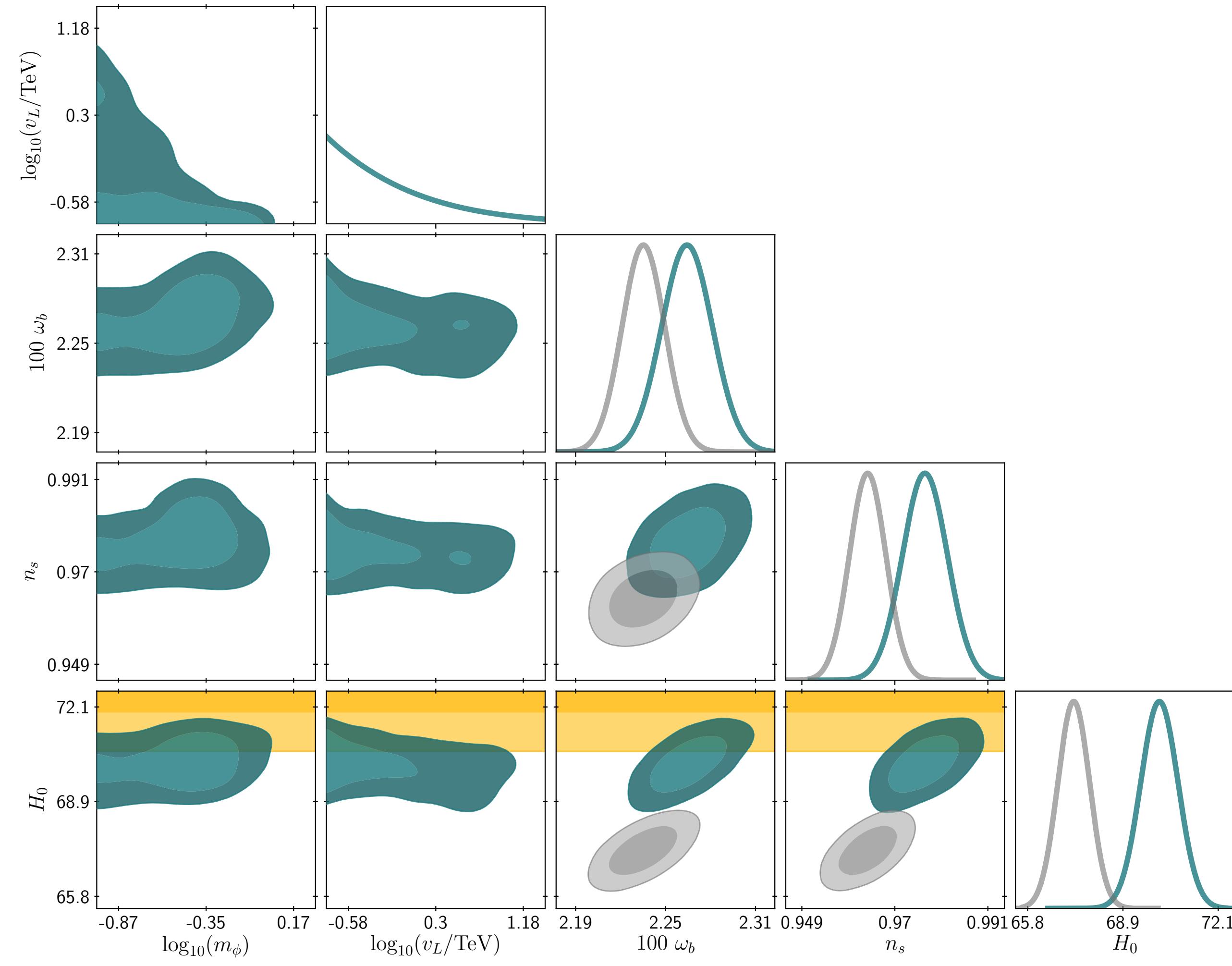
Escudero & SJW (2021)

TT-Power Spectrum



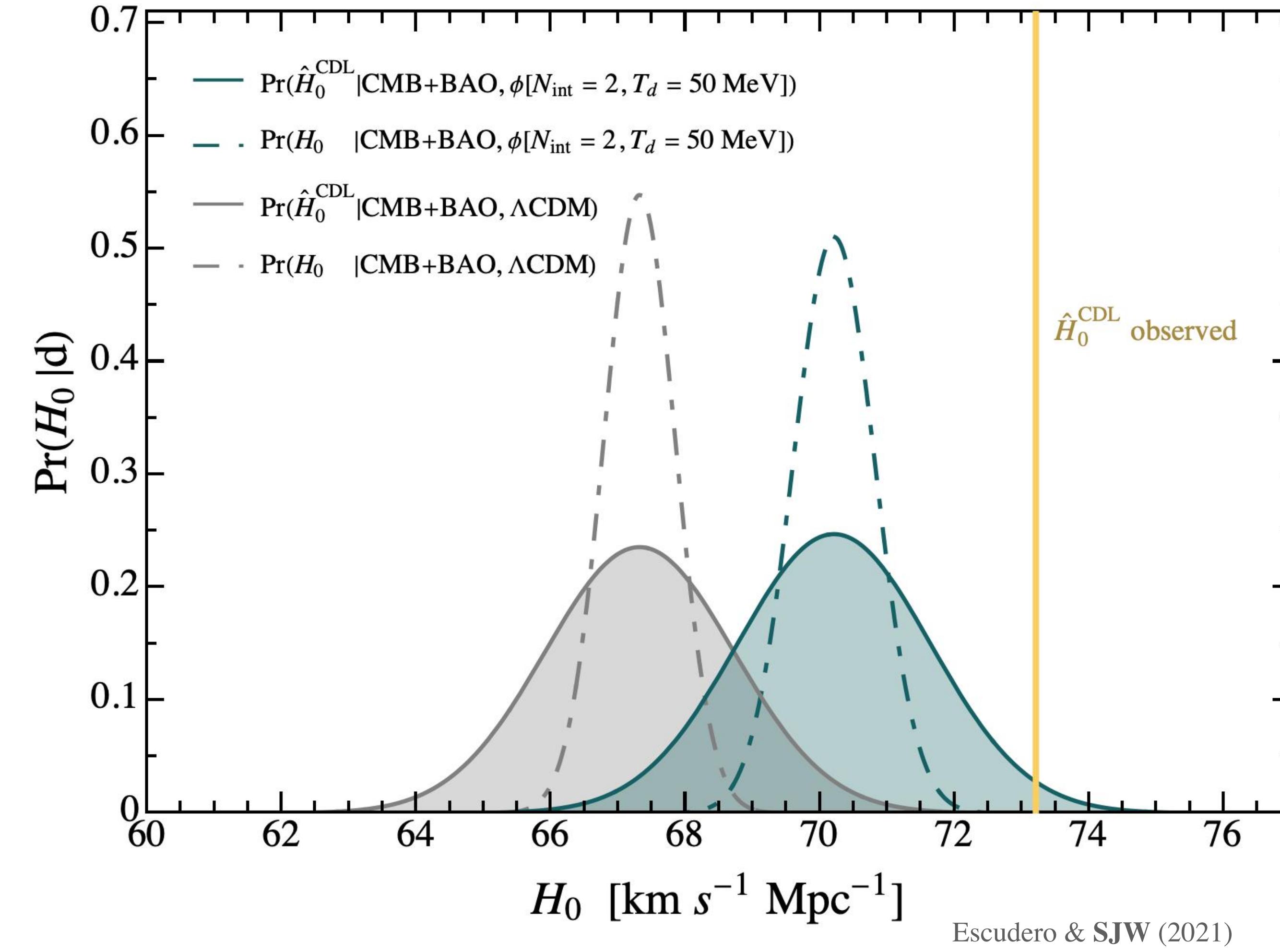
Escudero & SJW (2021)

Planck + BAO



Escudero & SJW (2021)

Posterior Predictive Distribution



Conclusions

- ♦ Cosmology offers promising way to probe low-energy signatures of the neutrino mass mechanism
- ♦ The Hubble Tension has reached a point that is difficult to ignore, and the majoron solution is among the more well-motived and phenomenologically successful proposals
- ♦ Looking forward:
 - ♦ Improved cosmological treatment
 - ♦ Can non-zero neutrino masses help S8
 - ♦ Are current approximations valid
 - ♦ Could majoron actually *assist efficiency of* ARS leptogenesis
 - ♦ Additional signatures that could confirm/refute (e.g. Kaon / pion decays)

Back-up Slides

Majoron Mass

Majoron mass?

Quantum gravity expected to break all global symmetries

See e.g. Kallosh, Linde, Linde, Susskind (1995), Arkani-Hamed, Motl, Nicolis, Vafa (2016), Klawer & Geiß (2015)

D-5 Planck-scale operators (?):

$$V_1(\rho) = \lambda_1 \frac{\rho^5}{M_p} + \lambda_2 \frac{\rho^* \rho^4}{M_p} + \lambda_3 \frac{\rho^{*2} \rho^3}{M_p} + h.c.$$

Rothstein, Babu, Seckel (1993),

Akhmedov, Berezhiani, Mohapatra, Senjanovic (1992)

$$V_2(H, \rho) = \beta_1 \frac{(H^\dagger H)^2 \rho}{M_p} + \beta_2 \frac{(H^\dagger H) \rho^2 \rho^*}{M_p} + \beta_3 \frac{(H^\dagger H) \rho^3}{M_p} + h.c.$$

Assuming

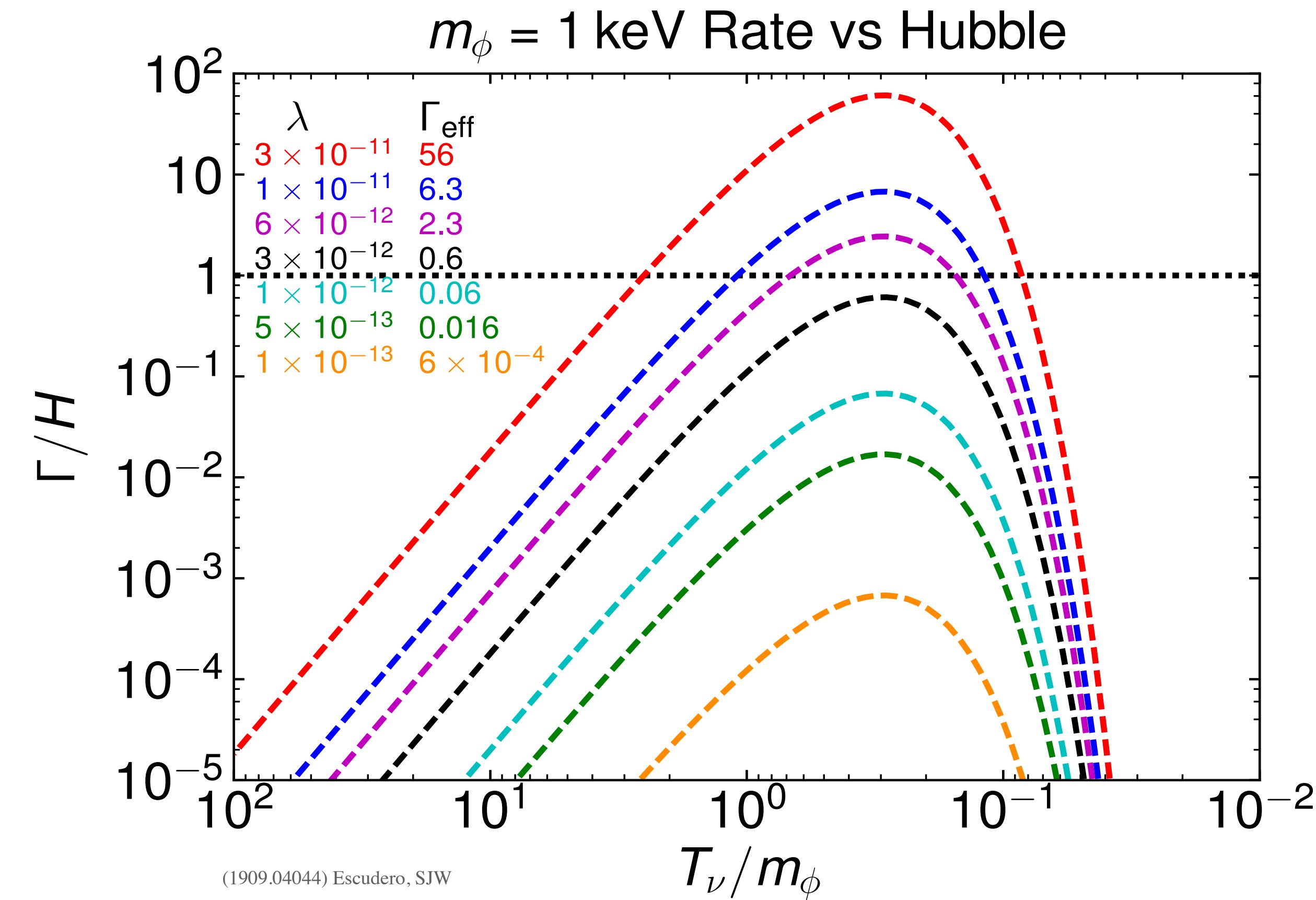
$$v_L \gg v_H$$

$$\lambda_i \sim \beta_i$$

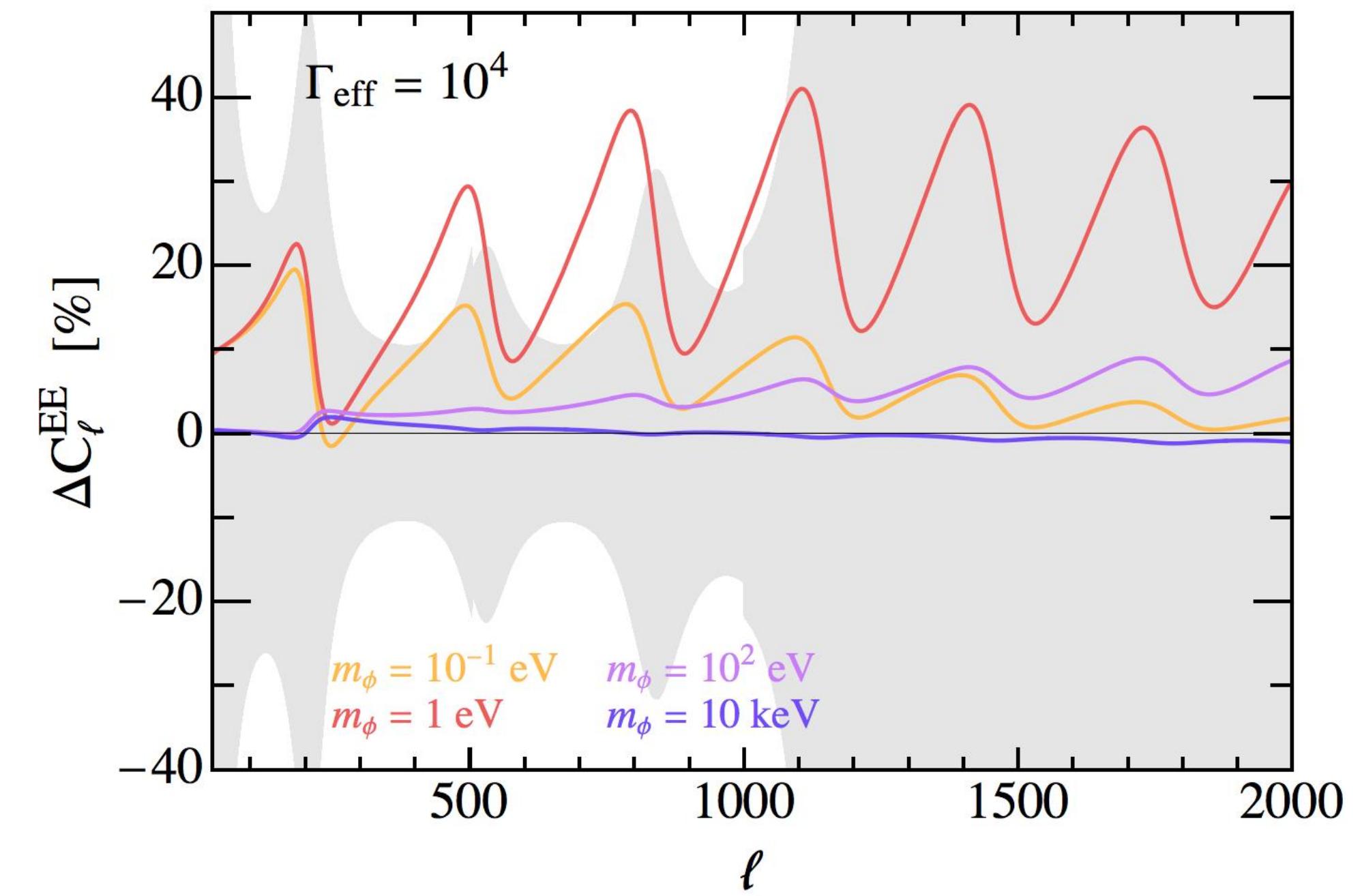
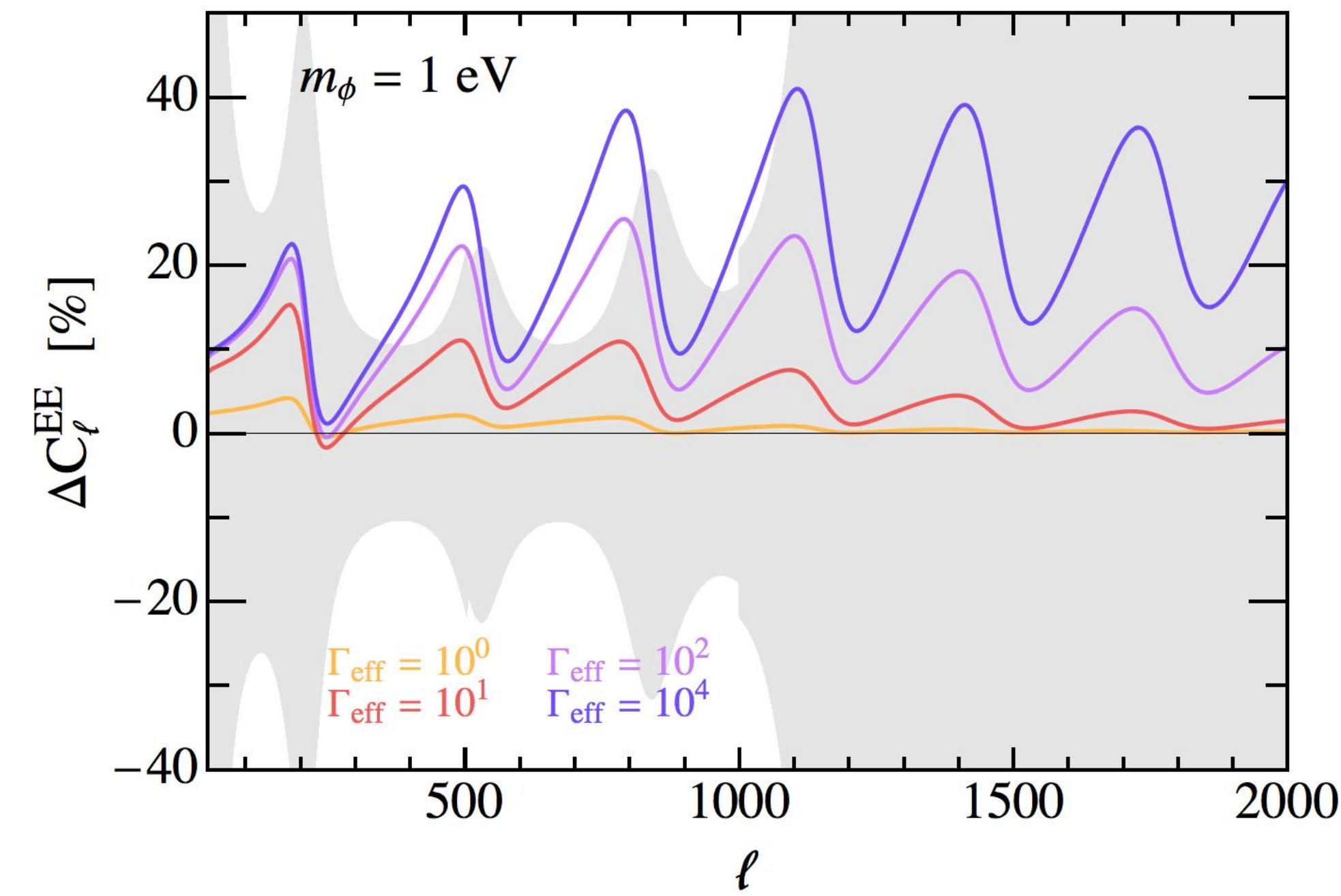
$$m_\phi \sim \sqrt{\beta} \left(\frac{v_L}{v_H} \right)^{3/2} \text{ keV}$$

** Braking could be non-perturbative

Interaction Rate

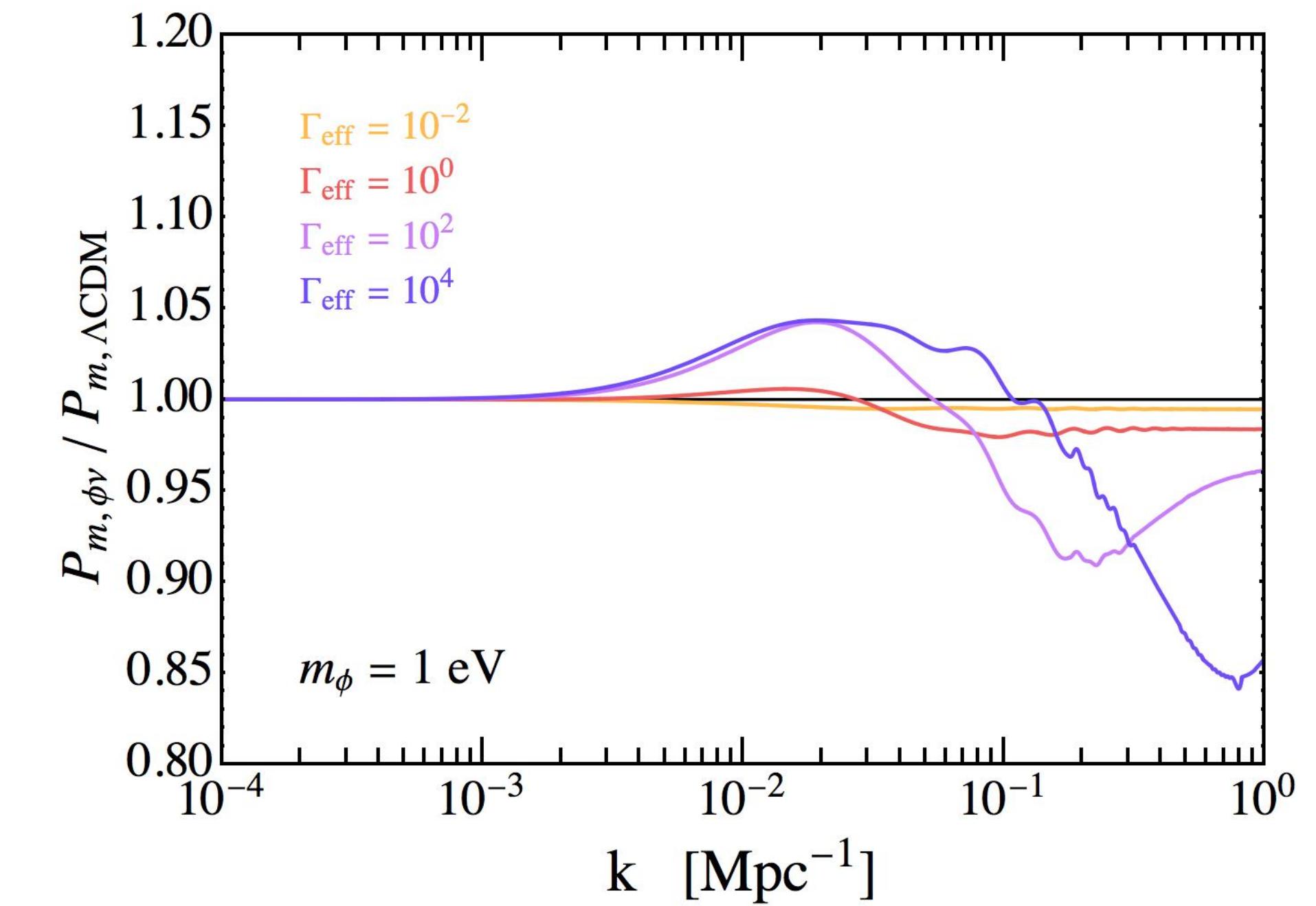
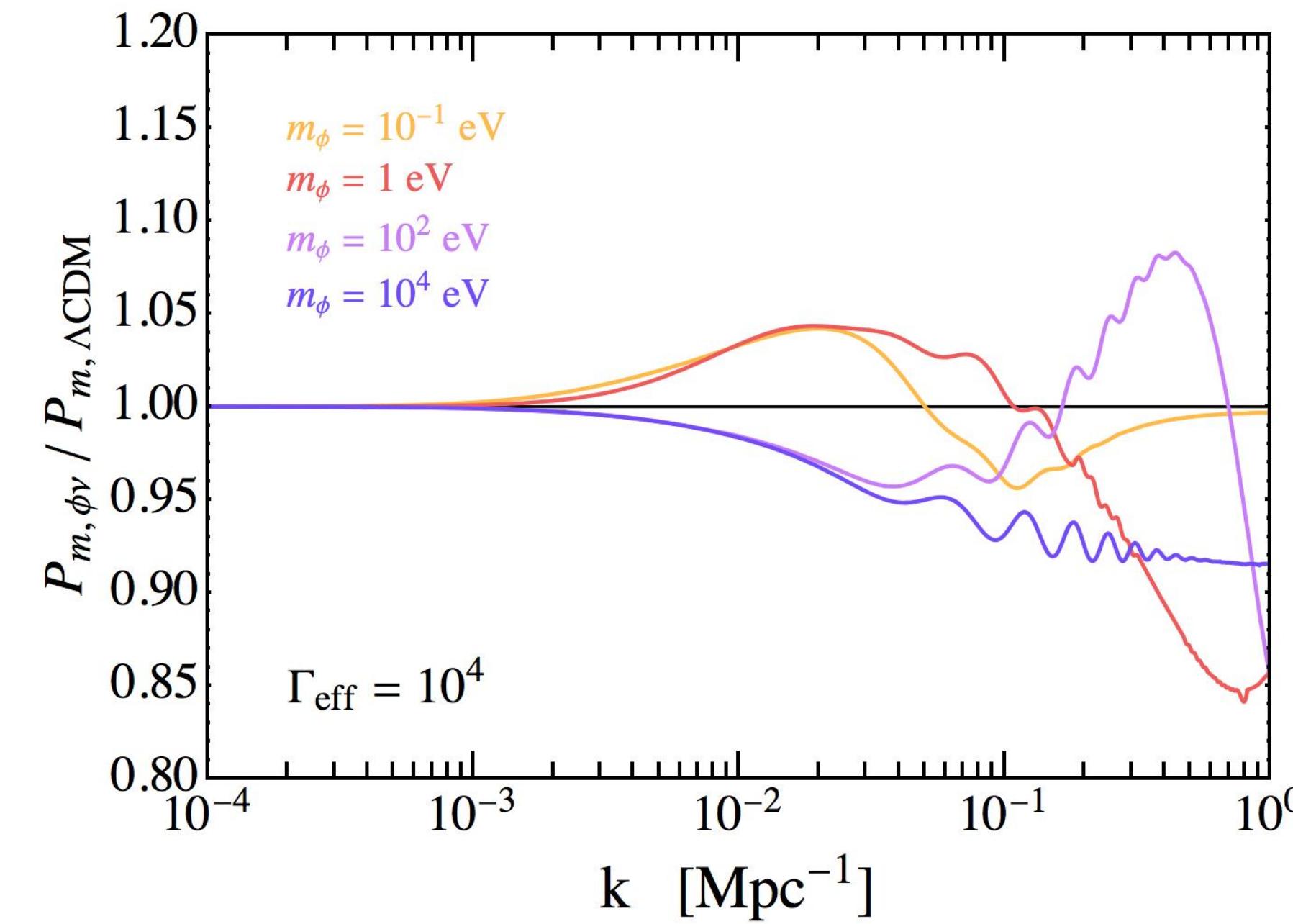


Polarization



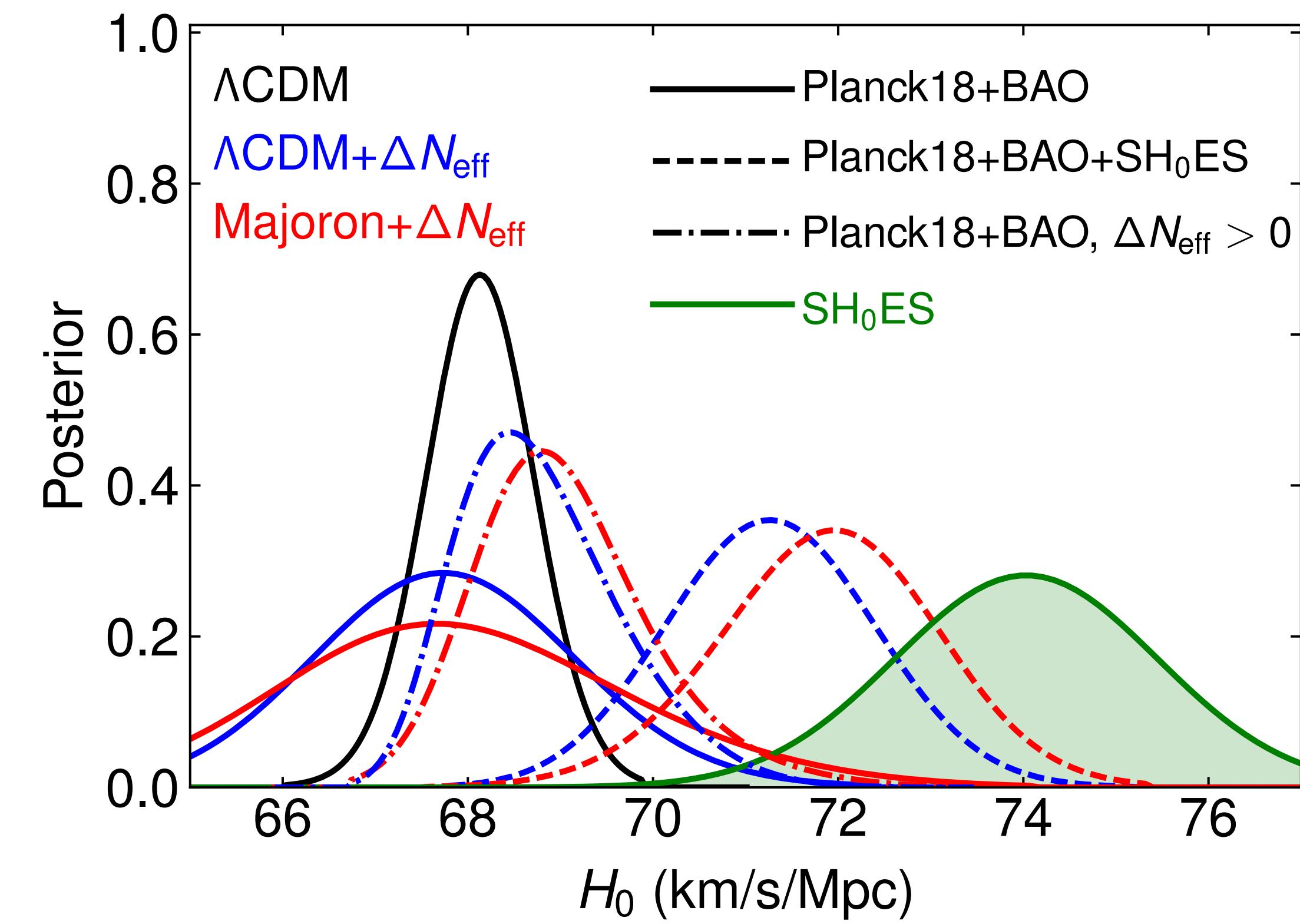
(1909.04044) Escudero, SJW

Matter Power Spectrum



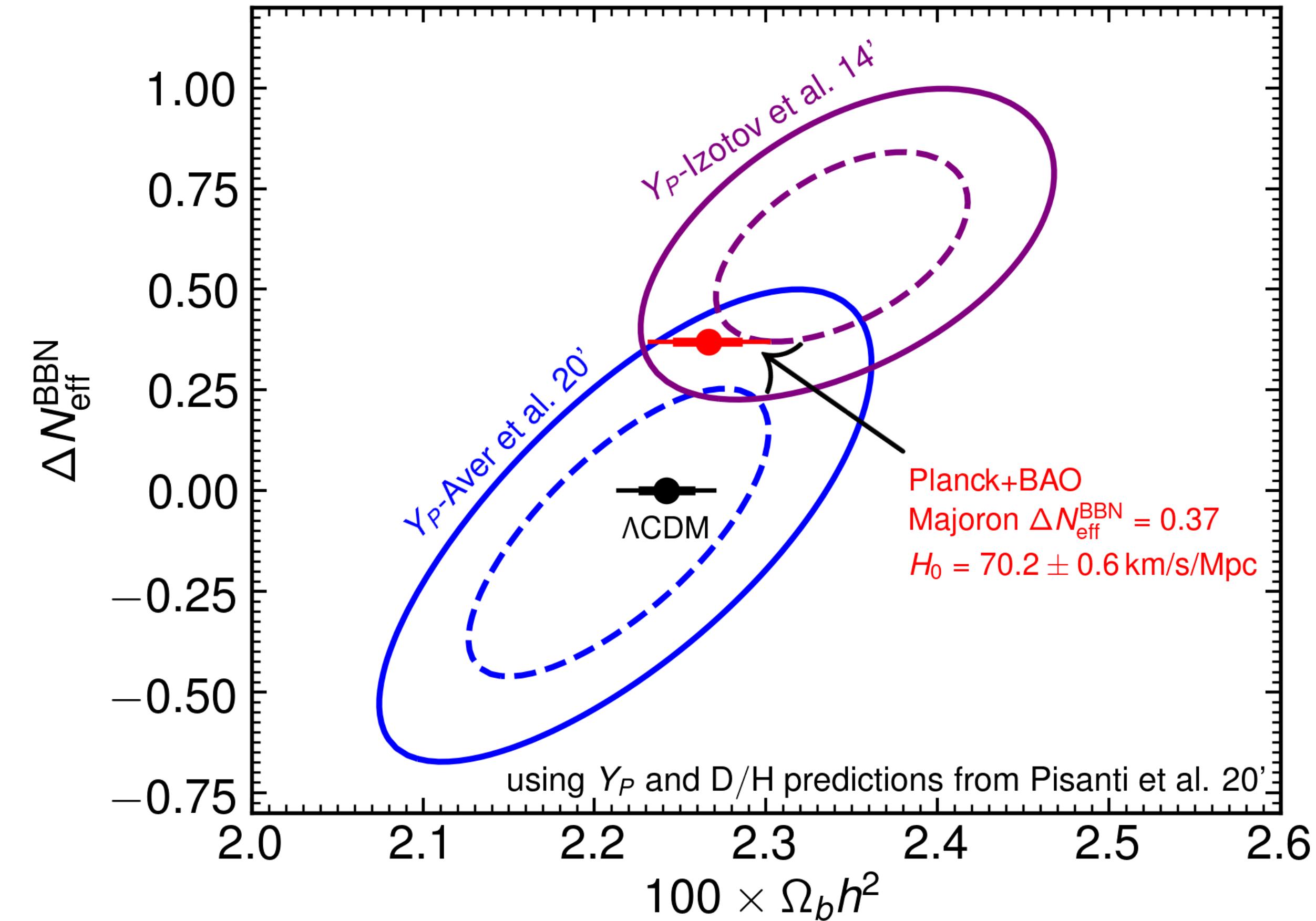
(1909.04044) Escudero, SJW

HO Posterior



(1909.04044) Escudero, SJW

BBN



Escudero & SJW (2021)

Cosmic Distance Ladder

$$z = H_0 d + v_{\text{pec}}$$

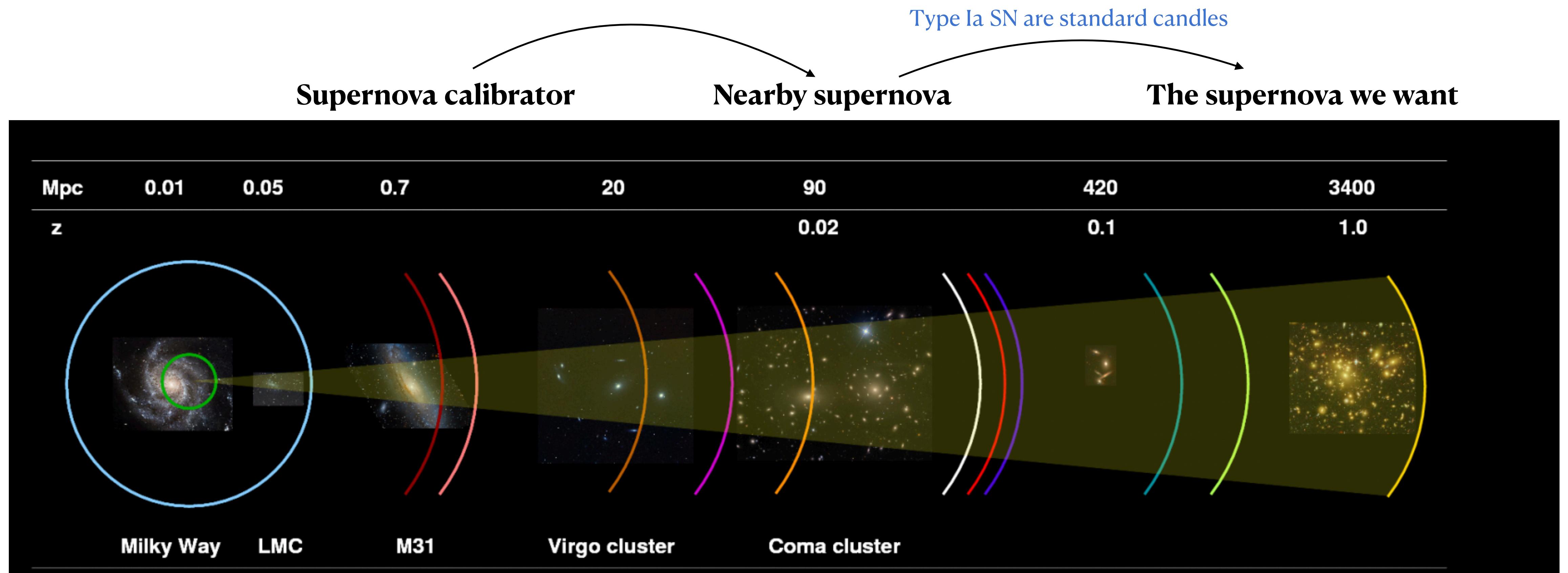
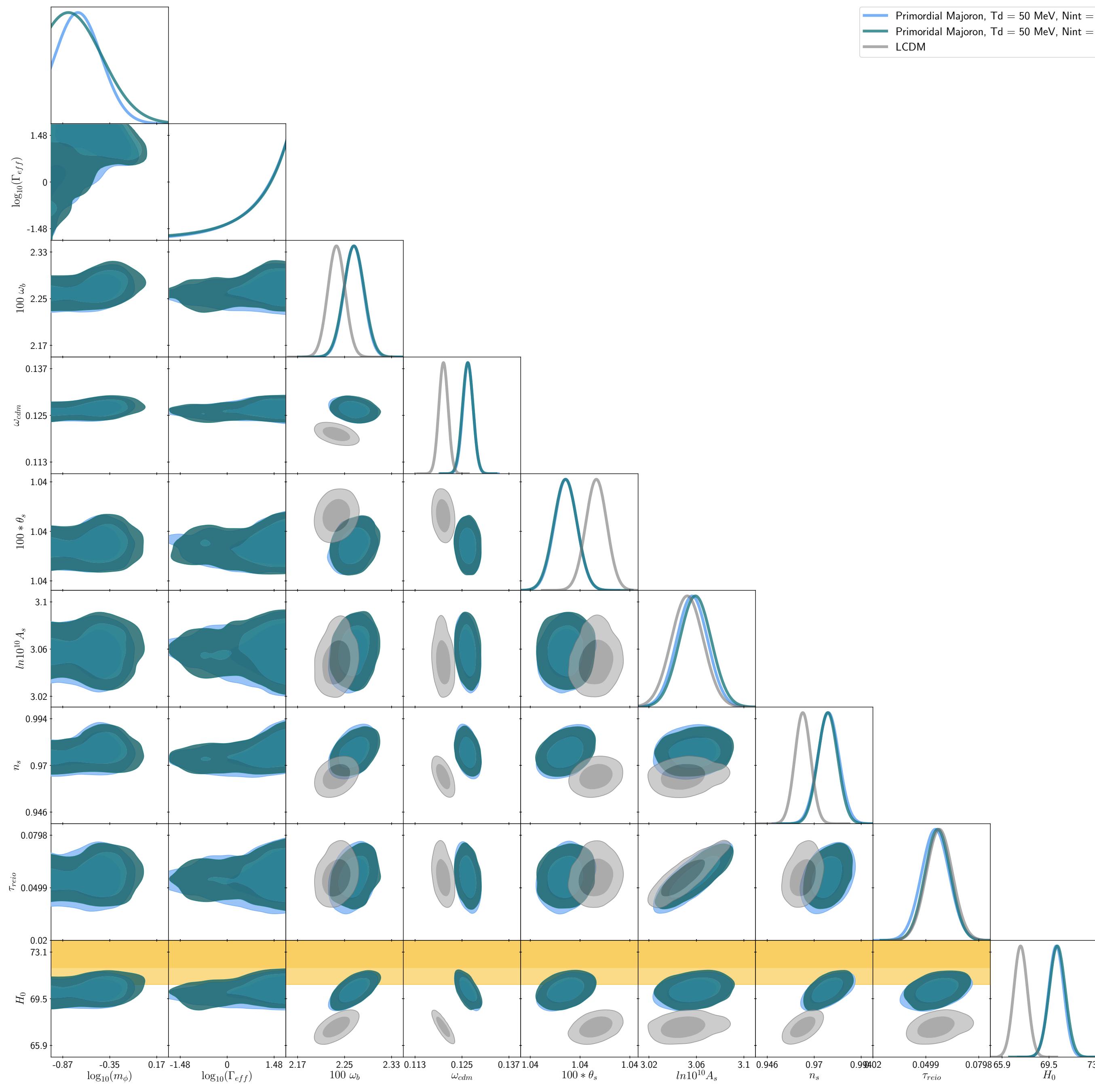
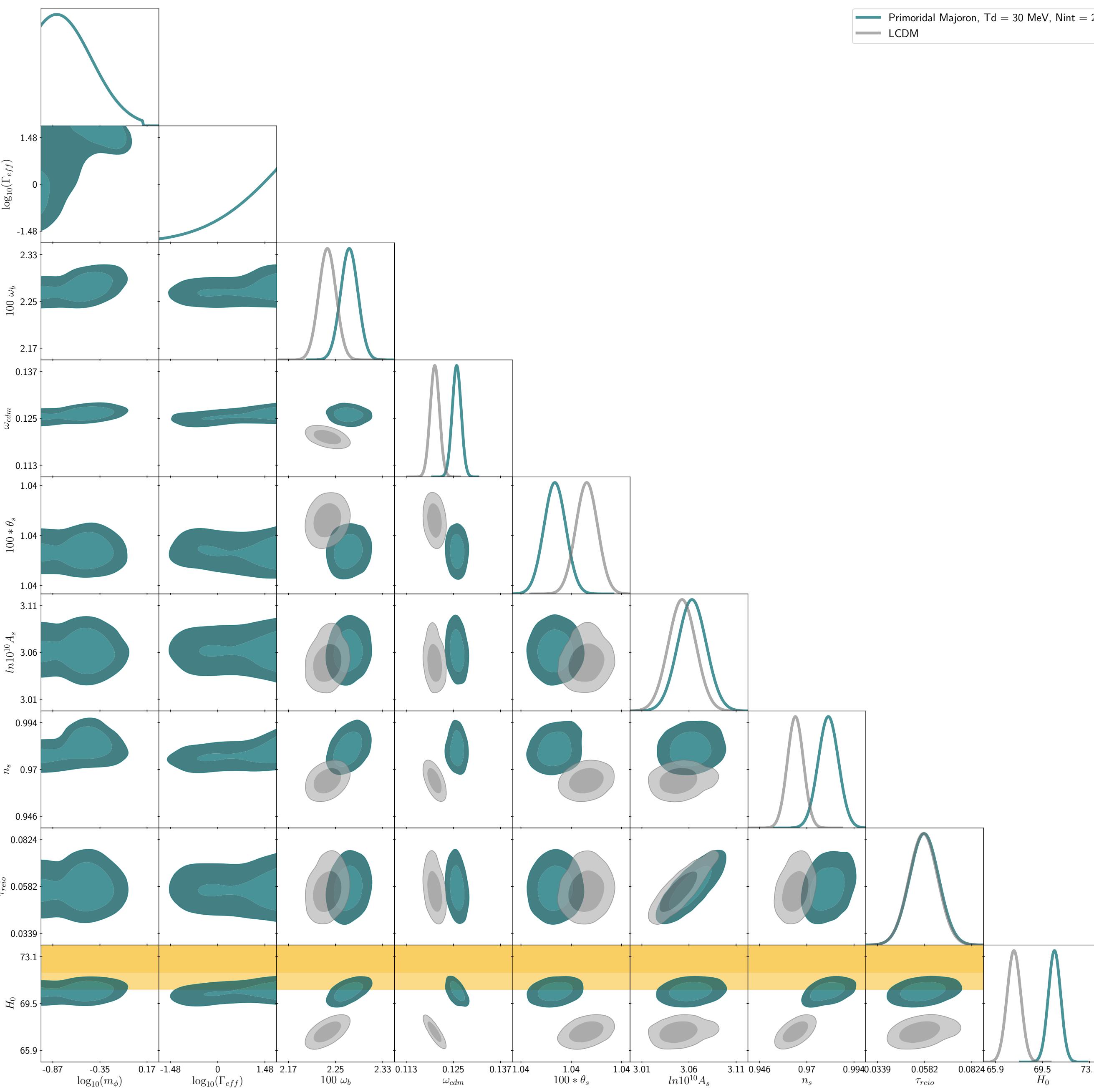


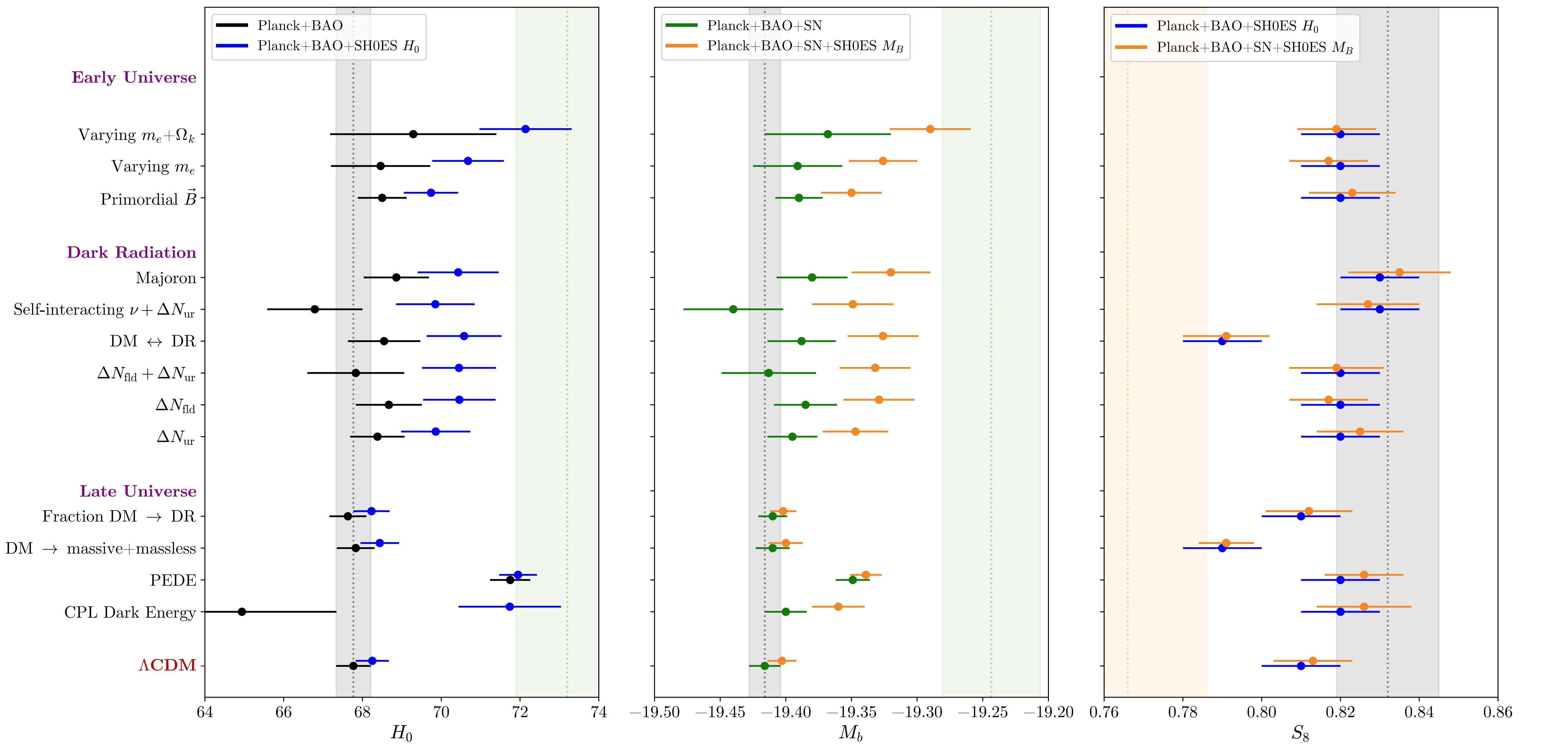
Image credit: Nandita Khetan



Escudero & SJW (2021)



Escudero & SJW (2021)



(TO APPEAR SOON) Shöneberg, Franco Abellán, Pérez Sánchez, Lesgourges, Poulin, SJW

Perturbations

$$f(x^i, p^i, t) = f_0(p) [1 + \Psi(x^i, p^i, t)]$$

$$\Psi = \sum_0^\infty (-i)^\ell (2\ell + 1) \Psi_\ell P_\ell(\mu)$$

$$\dot{\delta}_{\nu\phi} = -\frac{4}{3}\theta_{\nu\phi} - \frac{2}{3}\dot{h},$$

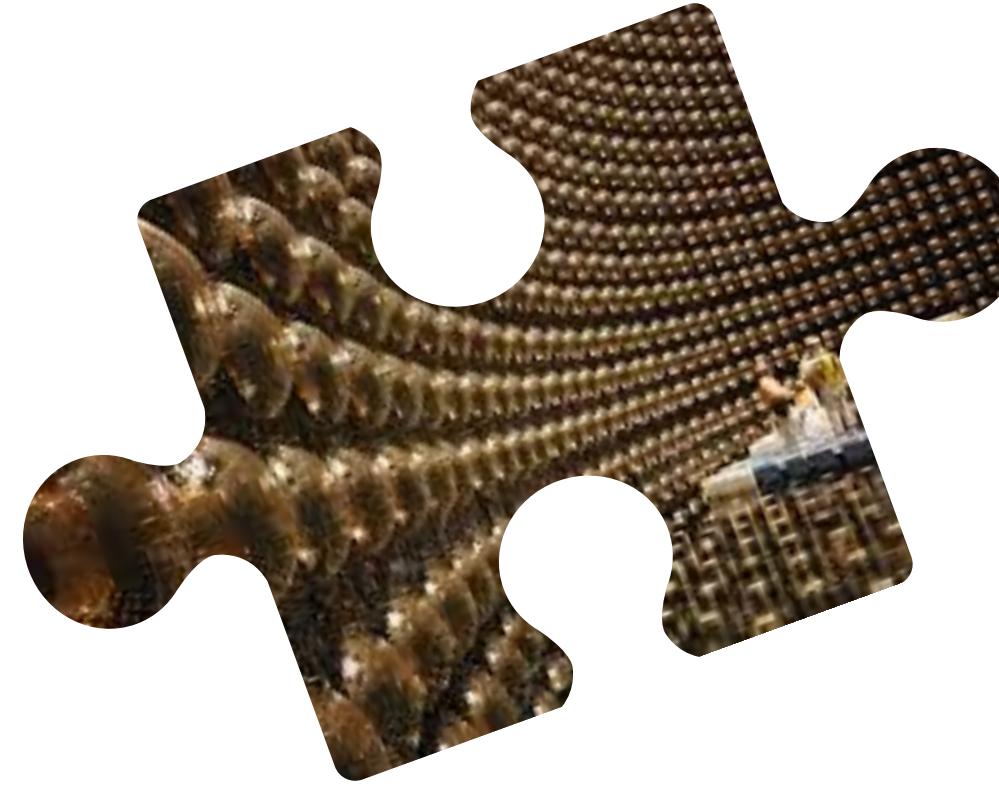
$$\dot{\theta}_{\nu\phi} = k^2 \left(\frac{1}{4}\delta_{\nu\phi} - \sigma_{\nu\phi} \right),$$

$$\dot{F}_{\nu\phi 2} = 2\dot{\sigma}_{\nu\phi} = \frac{8}{15}\theta_{\nu\phi} - \frac{3}{5}kF_{\nu\phi 3} + \frac{4}{15}\dot{h} + \frac{8}{5}\dot{\eta} - 2a\Gamma\sigma_{\nu\phi},$$

$$\dot{F}_{\nu\phi\ell} = \frac{k}{2\ell+1} [\ell F_{\nu\phi(\ell-1)} - (\ell+1)F_{\nu\phi(\ell+1)}] - a\Gamma F_{\nu\phi\ell}, \quad \ell \geq 3.$$

$$\Gamma \equiv \frac{1}{n_\nu} \left. \frac{\delta n_\nu}{\delta t} \right|_{\text{forward}} = \frac{\Gamma_\phi}{2} \frac{m_\phi^2}{T_\nu^2} e^{\frac{\mu_\nu}{T_\nu}} K_1 \left(\frac{m_\phi}{T_\nu} \right)$$

Neutrino Masses



$$\Delta m_{12}^2 \sim (7.50 \pm 0.2) \times 10^{-5} \text{ eV}^2$$

$$\Delta m_{13}^2 \sim (2.55 \pm 0.02) \times 10^{-3} \text{ eV}^2$$

$$\sum m_\nu \lesssim 0.15 \text{ eV}$$

de Salas et al (2021)
Planck 2018

Three Generations of Matter (Fermions) spin $\frac{1}{2}$								
Quarks	I	II	III	Bosons (Forces) spin 1				
	mass → charge → name →	2.4 MeV $\frac{2}{3}$ u Left up Right	1.27 GeV $\frac{2}{3}$ c Left charm Right					
	-4.8 MeV $-\frac{1}{3}$ d Left down Right	104 MeV $-\frac{1}{3}$ s Left strange Right	4.2 GeV $-\frac{1}{3}$ b Left bottom Right					
Leptons	0 eV 0 ν_e Left electron neutrino Right	0 eV 0 ν_μ Left muon neutrino Right	0 eV 0 ν_τ Left tau neutrino Right	Z^0 91.2 GeV 0 0 weak force				
	0.511 MeV -1 e Left electron Right	105.7 MeV -1 μ Left muon Right	1.777 GeV -1 τ Left tau Right	W^\pm 80.4 GeV ± 1 weak force				
gluon								
photon								
Higgs boson								
spin 0								

Image credit: Drewes et al (2013)