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# Parity violating Berry Phases in an Atomic Beam Spin Echo - Experiment

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Peter Augenstein

IMPRS-Seminar / 24.4.2012



## Outline

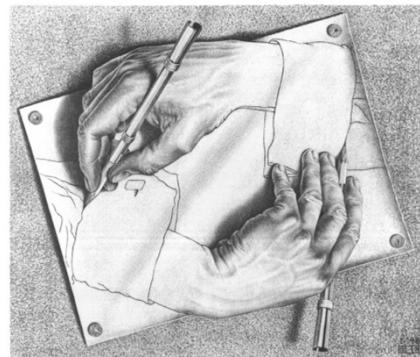
- Motivation
- Atomic Beam Spin Echo-Principle & Berry-Phases
- The Experimental Setup
- First Measurements
- Summary & Outlook



# Motivation



# Parity Violation



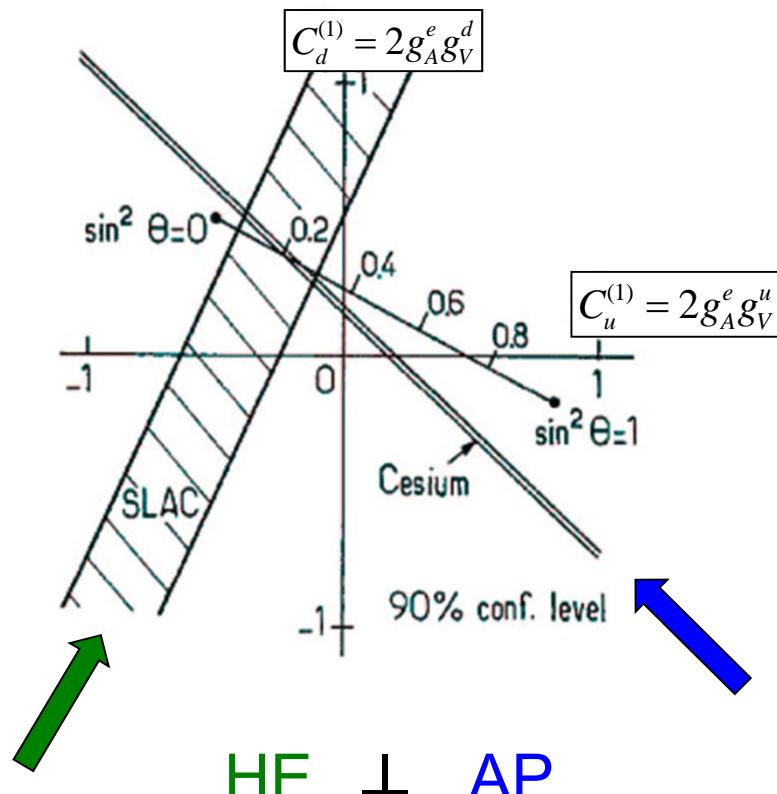
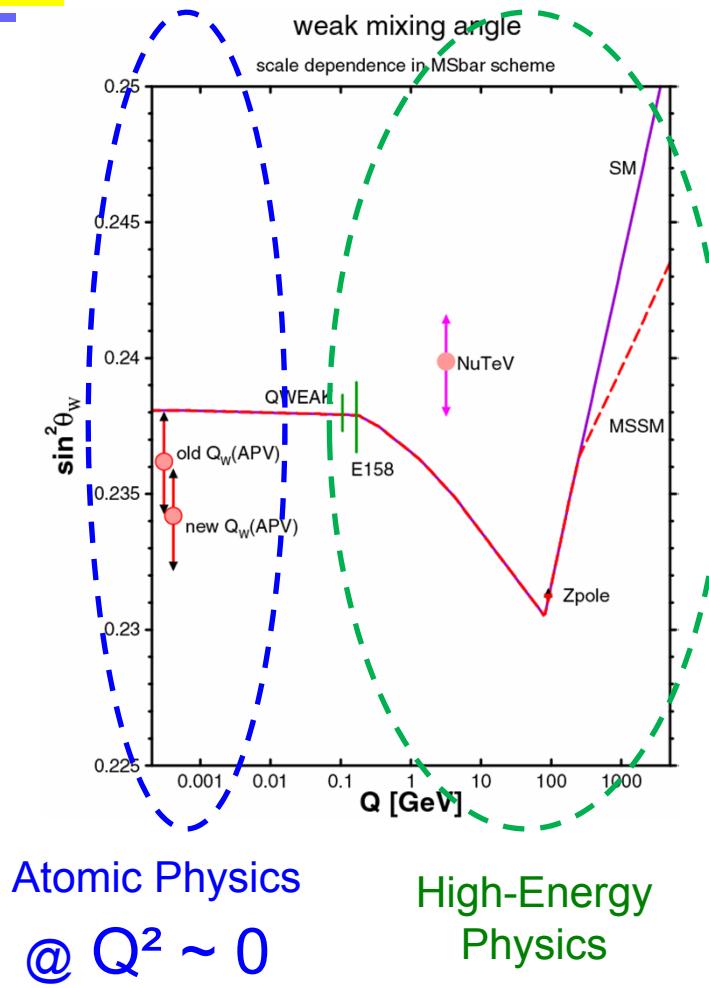
$$P^{-1} H P \neq H$$

$Q_W$

Three Generations of Matter (Fermions)				Bosons (Forces)
Quarks	I	II	III	
mass →	2.4 MeV	1.27 GeV	171.2 GeV	0
charge →	$\frac{2}{3}$	$\frac{2}{3}$	$\frac{2}{3}$	1
spin →	$\frac{1}{2}$	$\frac{1}{2}$	$\frac{1}{2}$	0
name →	u up	c charm	t top	$\gamma$ photon
	d down	s strange	b bottom	g gluon
	4.8 MeV	104 MeV	4.2 GeV	91.2 GeV
	$-\frac{1}{3}$	$-\frac{1}{3}$	$-\frac{1}{3}$	0
	$\frac{1}{2}$	$\frac{1}{2}$	$\frac{1}{2}$	1
Leptons	$<2.2$ eV	$<0.17$ MeV	$<15.5$ MeV	0
	0	0	0	1
	$\frac{1}{2}$	$\frac{1}{2}$	$\frac{1}{2}$	0
	v <sub>e</sub> electron neutrino	v <sub>μ</sub> muon neutrino	v <sub>τ</sub> tau neutrino	Z weak force
	0.511 MeV	105.7 MeV	1.777 GeV	80.4 GeV
	-1	-1	-1	$\pm 1$
	$\frac{1}{2}$	$\frac{1}{2}$	$\frac{1}{2}$	1
	e electron	$\mu$ muon	$\tau$ tau	W weak force



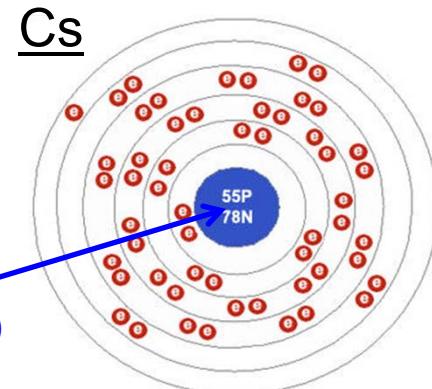
# Parity Violation





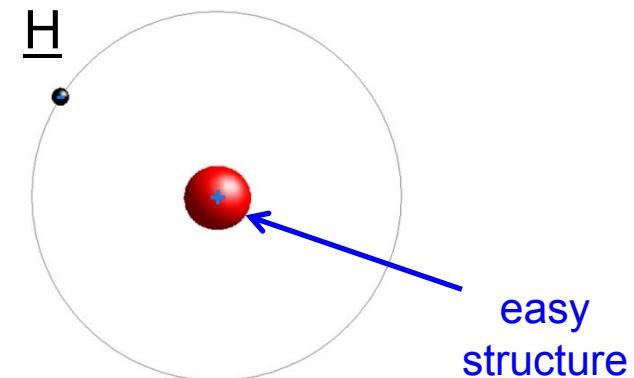
## Parity Violation

complicated  
(133 nucleons)



$$Q_w \sim Z^3$$

$$\Delta E_{\text{weak}} / \Delta E_{\text{em}} < 10^{-6}$$



easy  
structure

$$\Delta E_{\text{weak}} / \Delta E_{\text{em}} < 10^{-12}$$



# Parity Violation

## P-conserving and P-violating Berry Phases

Metastable states of hydrogen: their geometric phases and flux densities

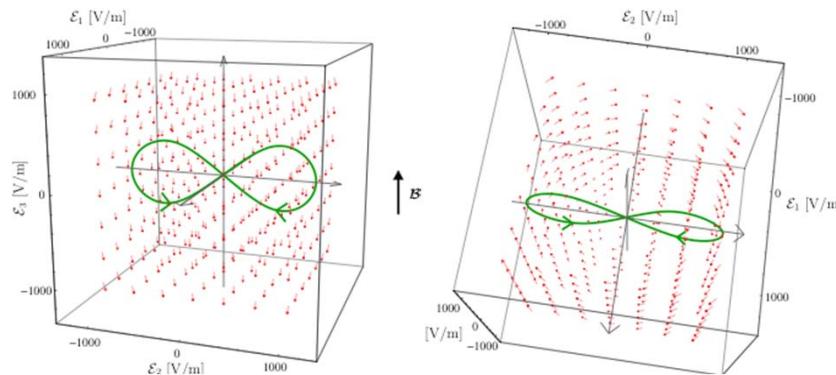
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Philosophenweg 16, 69120 Heidelberg, Germany

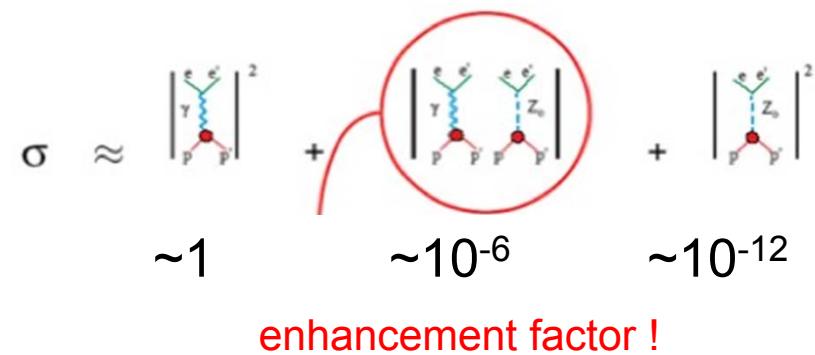
Received: March 7, 2012  
[physics.atom-ph] 6 Mar 2012

**Abstract.** We discuss the geometric phases and flux densities for the metastable states of hydrogen with principal quantum number  $n = 2$  being subjected to adiabatically varying external electric and magnetic fields. Convenient representations of the flux densities as complex integrals are derived. Both, parity conserving (PC) and parity violating (PV) flux densities and phases are identified. General expressions for the flux densities following from rotational invariance are derived. Specific cases of external fields are discussed. In a pure magnetic field the phases are given by the geometry of the path in magnetic field space. But for electric fields in presence of a constant magnetic field and for electric plus magnetic fields the geometric phases carry information on the atomic parameters, in particular, on the PV atomic interaction. We show that for our metastable states also the decay rates can be influenced by the geometric phases and we give a concrete example for this effect. Finally we emphasise that the general relations derived here for geometric phases and flux densities are also valid for other atomic systems having stable or metastable states, for instance, for He with  $n = 2$ . Thus, a measurement of geometric phases may give important experimental information on the mass matrix and the electric and magnetic dipole matrices for such systems. This could be used as a check of corresponding theoretical calculations of wave functions and matrix elements.

HD-THEP-11-05



## Interferometry

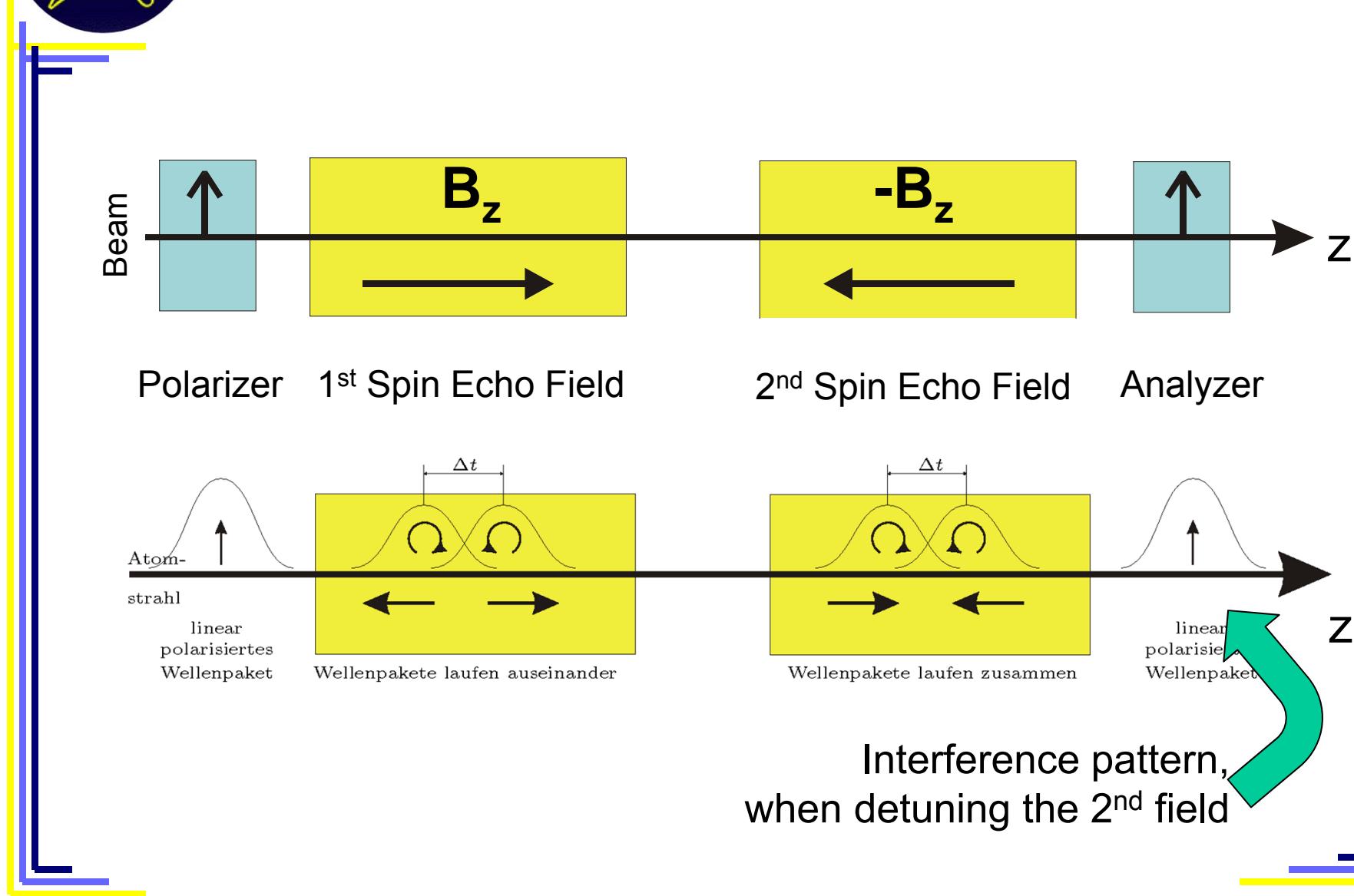




# Atomic Beam Spin Echo



## The ABSE-Principle



Interference pattern,  
when detuning the 2<sup>nd</sup> field



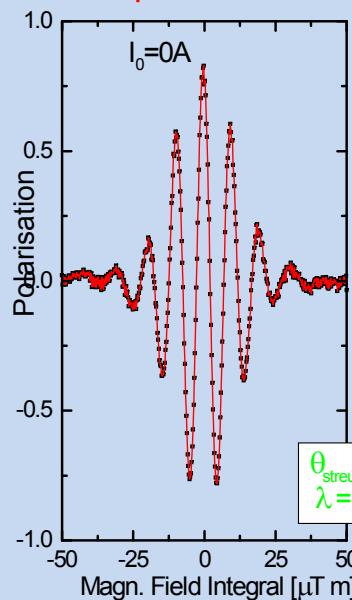
## Signal & Resolution

$^3\text{He}$  data

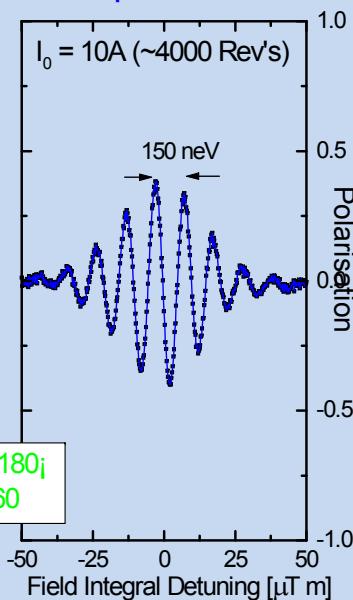
resolution  $\approx 1 \text{ neV}$

(nuclear magnetic moment)

Spin Rotation



Spin Echo



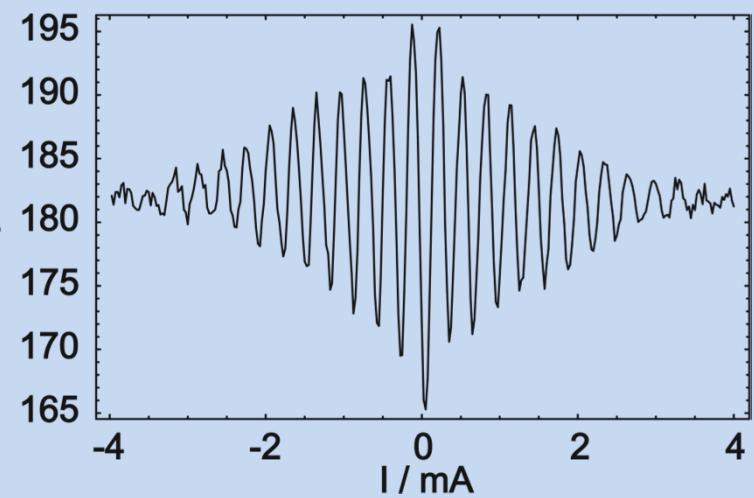
counts or polarization ↑

$^1\text{H}$  data

resolution  $\approx 10 \text{ peV}$

(electron magnetic moment)

Spin Rotation



↔  
detuning  
of B-field



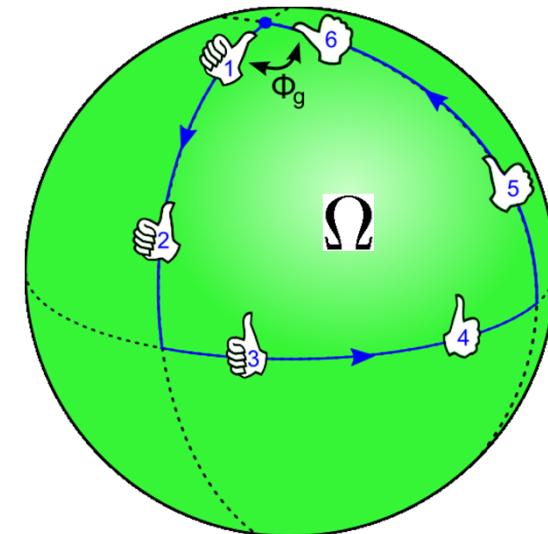
Berry Phase



# Berry Phase

## Classical Mechanics

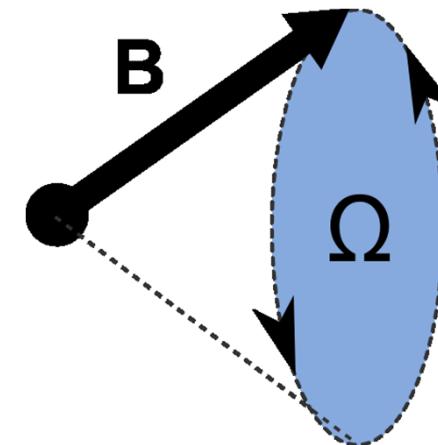
- Parallel Vector Transport
- on Path around exceptional Point



## Quantum Mechanics

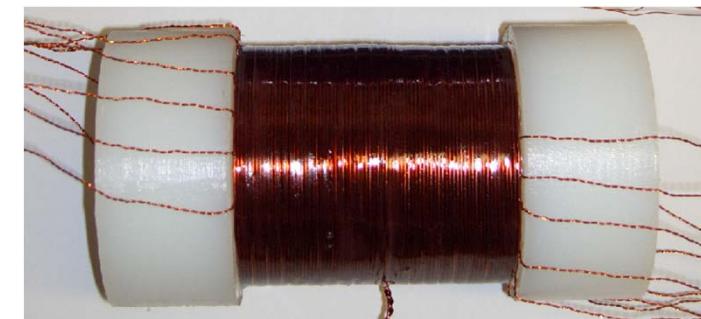
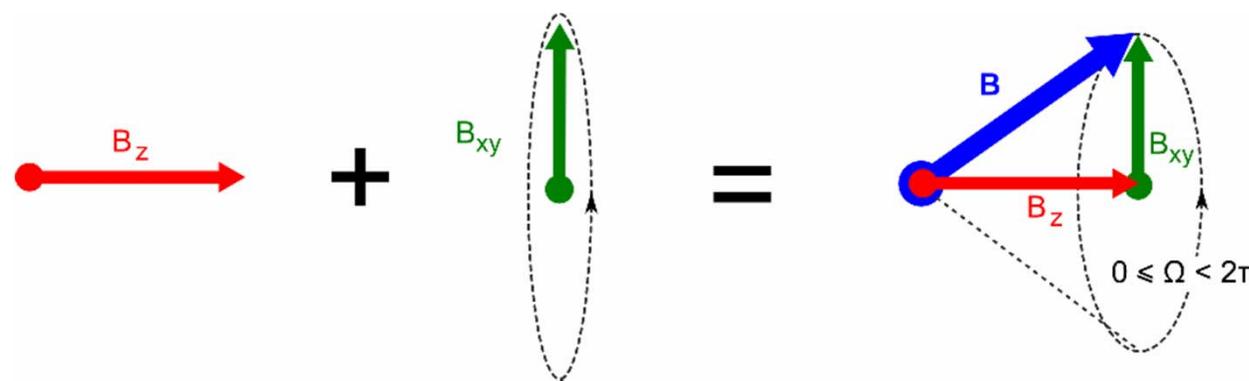
- transport Eigenstate on closed curve in the parameter-space
- Spin in a B-field:

$$\phi_{Berry} = -\mathbf{m} \cdot \boldsymbol{\Omega}$$



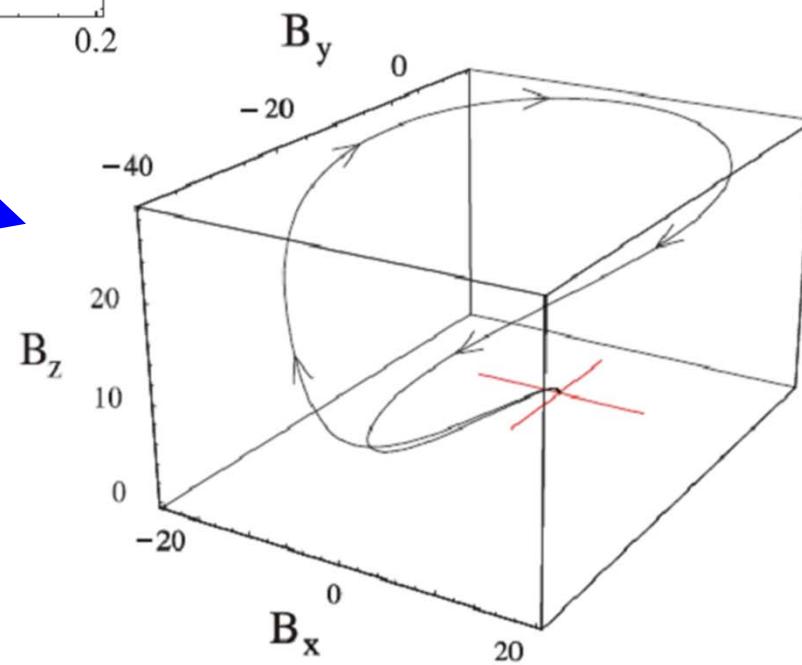
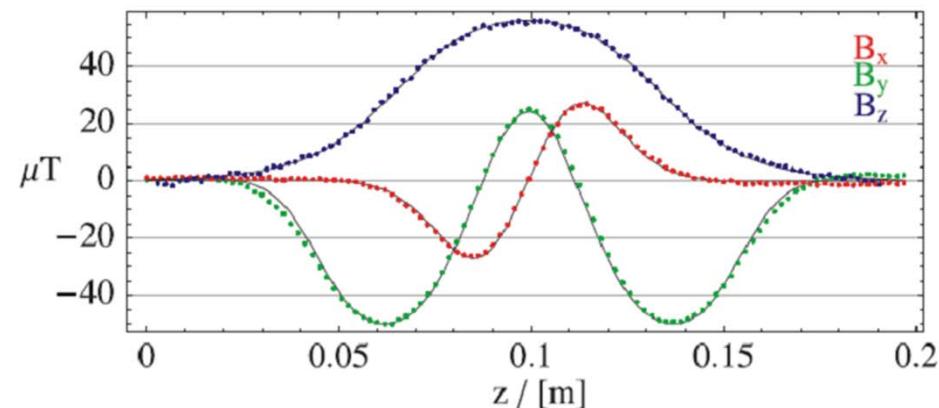


# Generation of a Berry-Phase



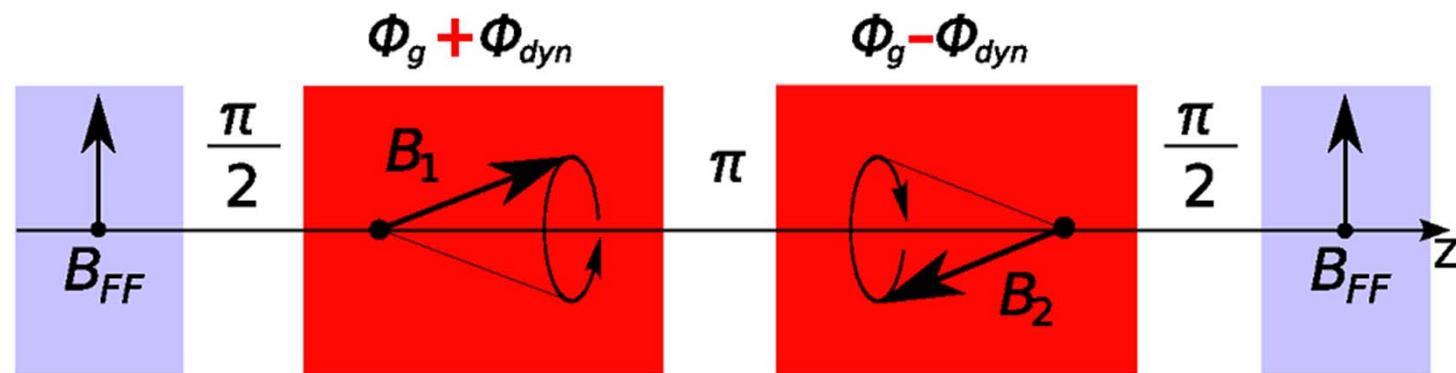
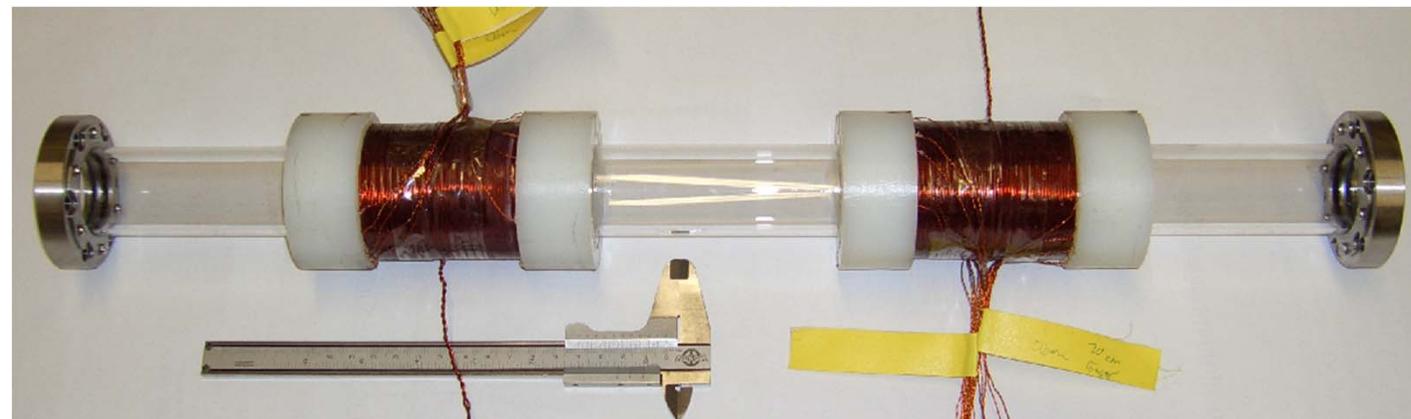


## Berry-Coils: Resulting Fields





## Berry-Spin-Echo



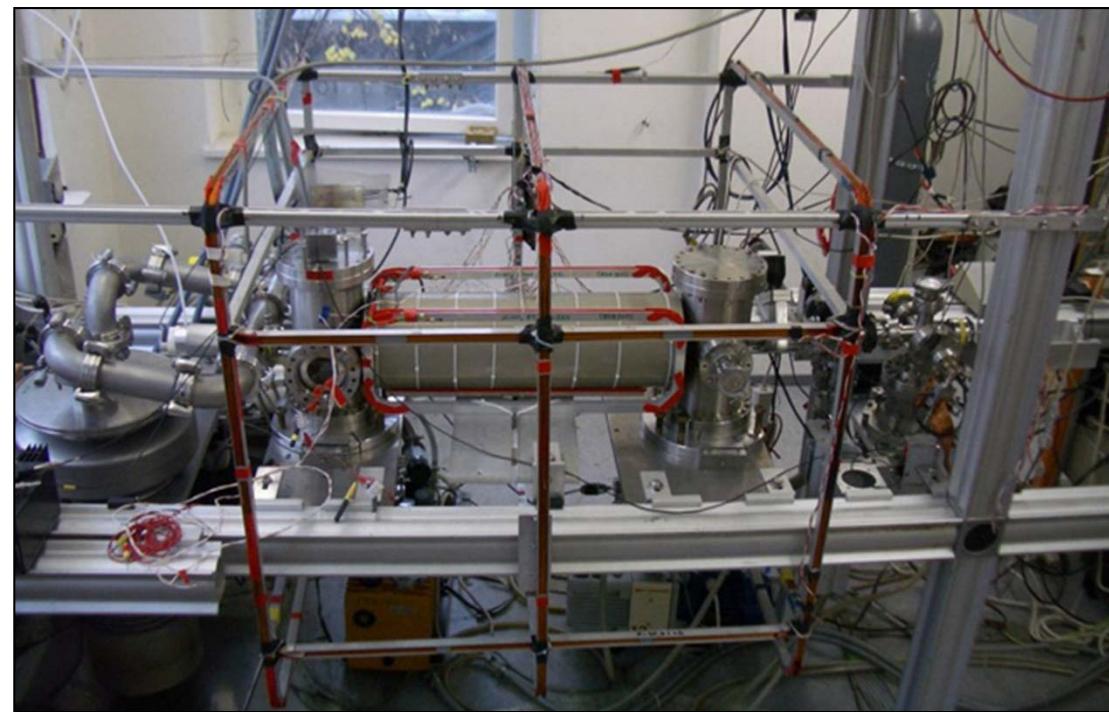
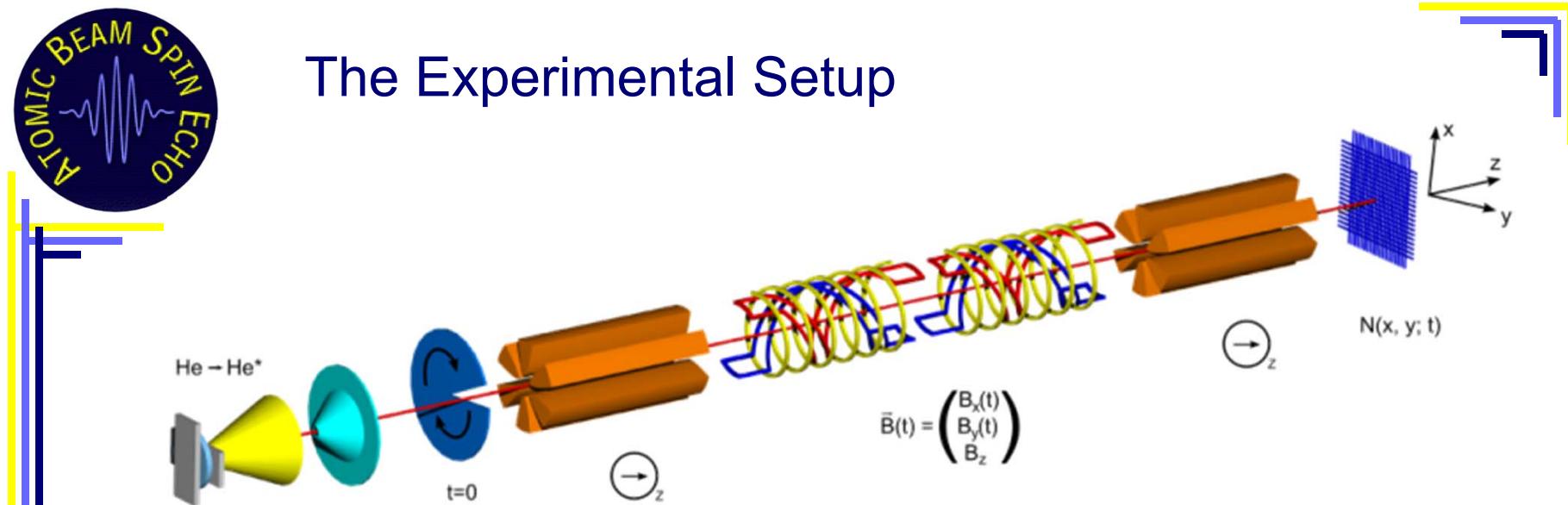
=> Eliminating the dynamic phase



## The Experimental Setup

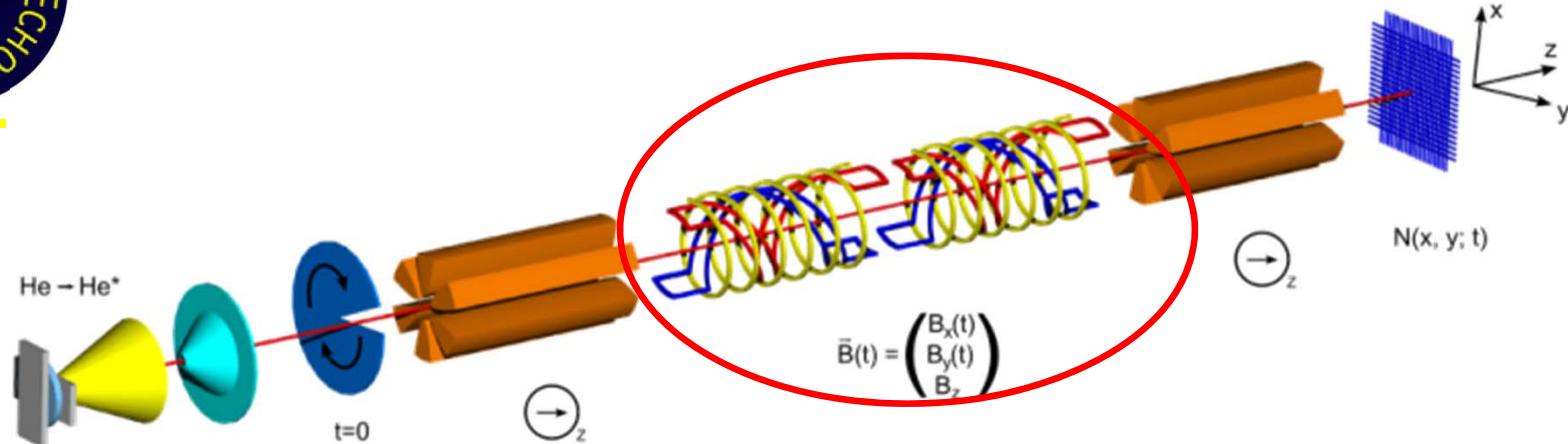


## The Experimental Setup



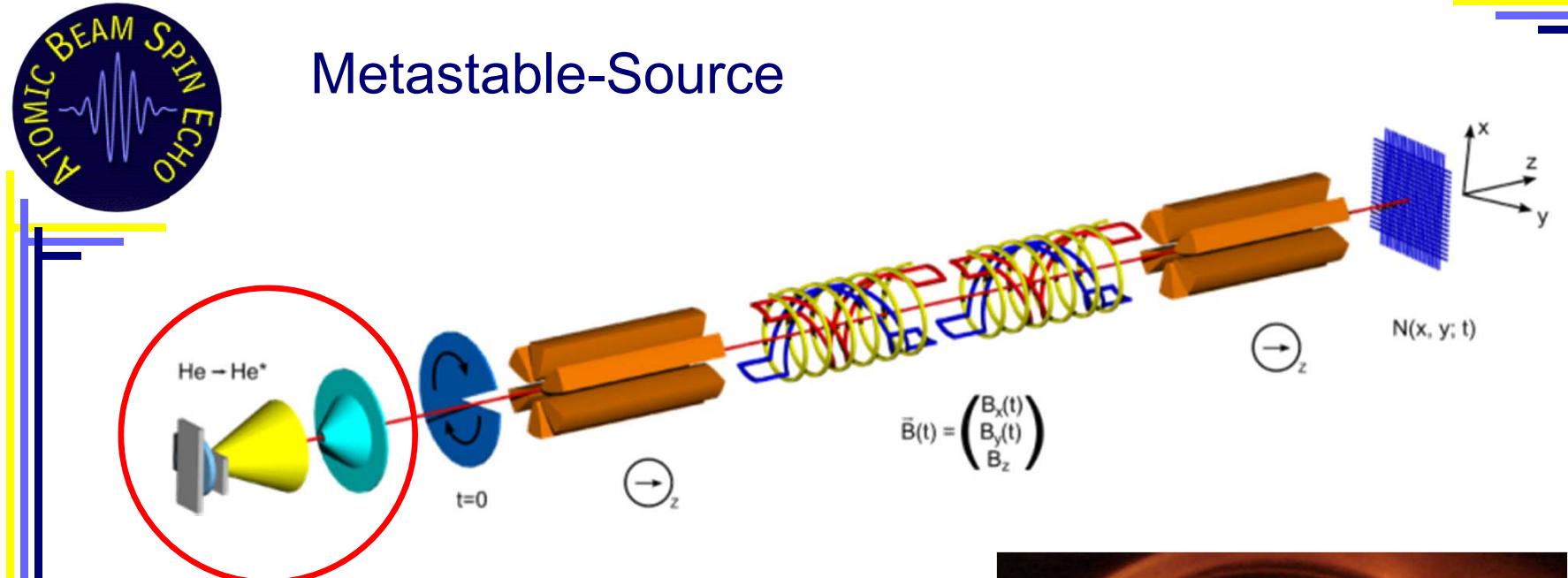


## Berry-Spinecho-Tube in the Experiment



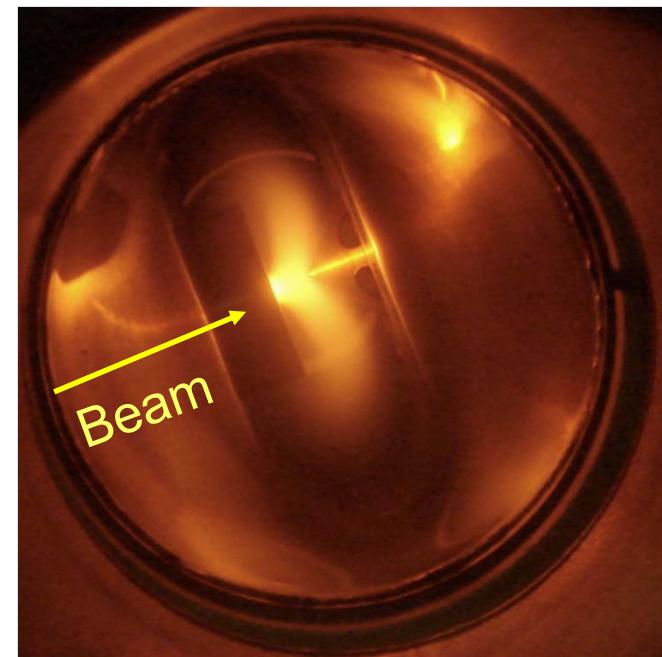


## Metastable-Source



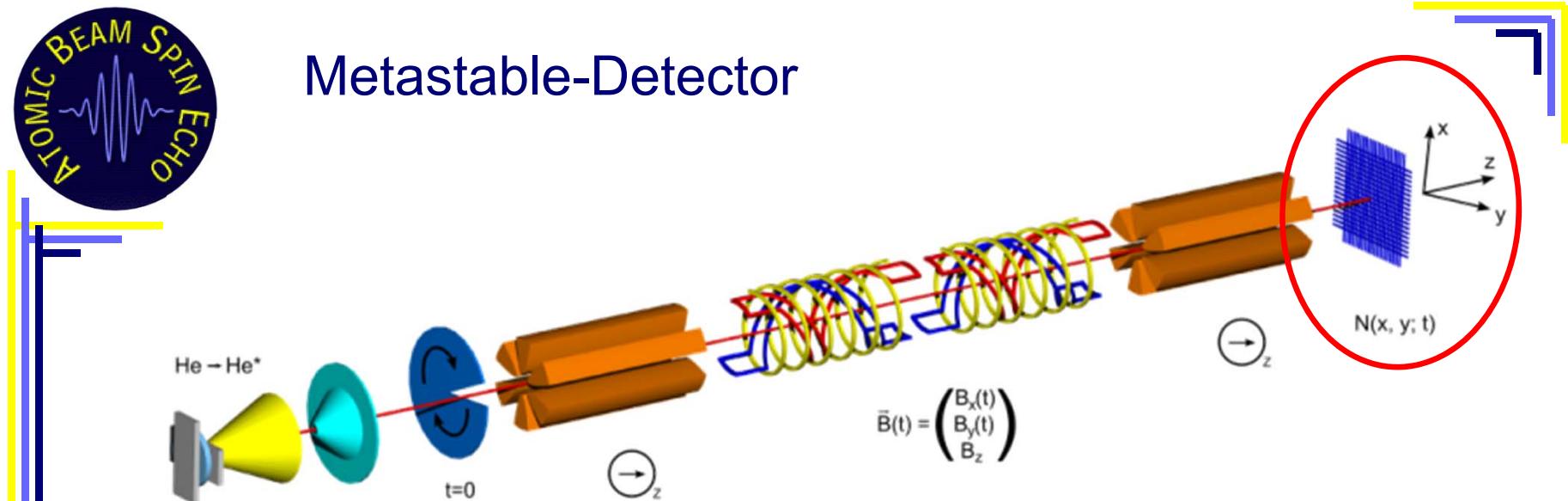
### Advantages:

- high inlet pressure  
=> high metastable yield
- supersonic expansion  
=> cooling atomic beam  
(narrow velocity distribution)





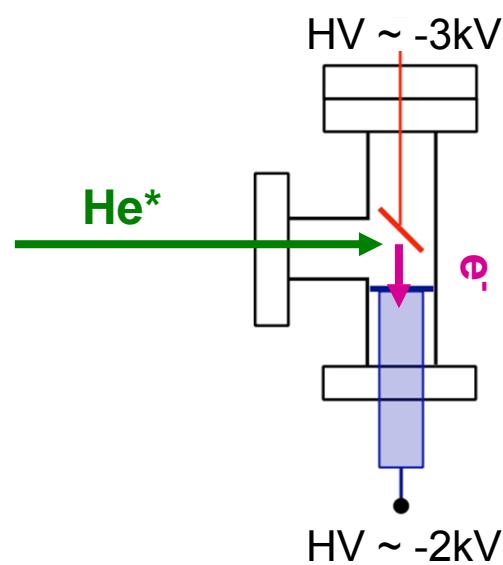
## Metastable-Detector



$$\vec{B}(t) = \begin{pmatrix} B_x(t) \\ B_y(t) \\ B_z \end{pmatrix}$$

### Advantages:

- 100% detection efficiency
- Free of background  
=> good S/N
- fast => Time-of-Flight measurement



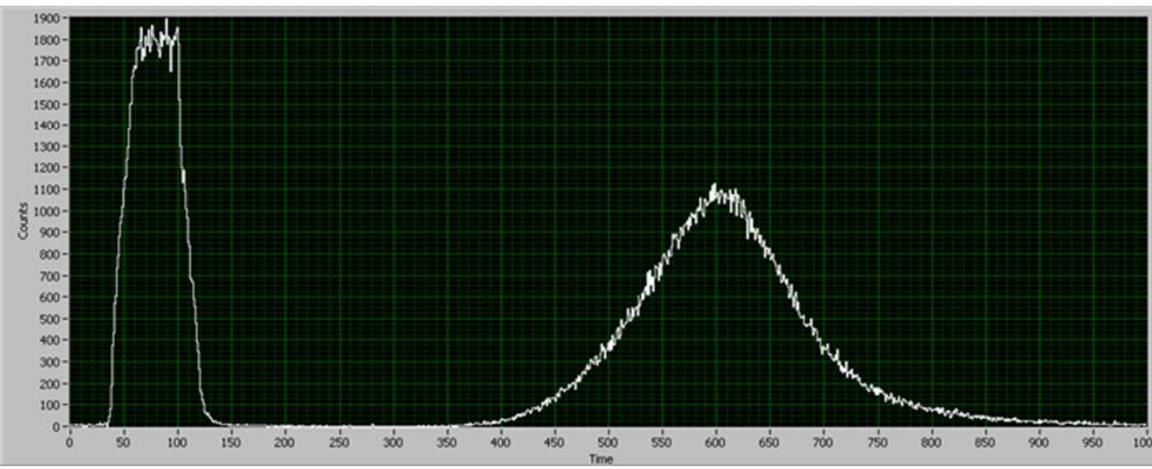


## Mechanical Chopper

$\text{He} - \text{He}^*$

$t=0$

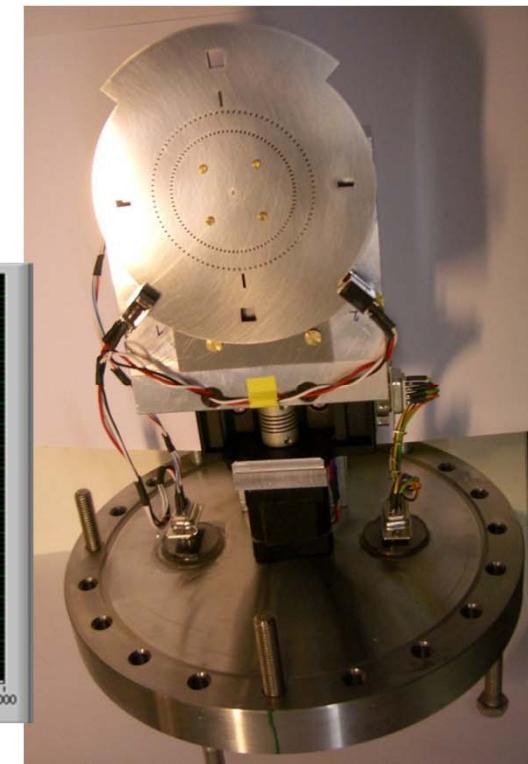
↑ atoms at  
detector



time-of-flight  $\sim 1 / \text{kin. energy}$

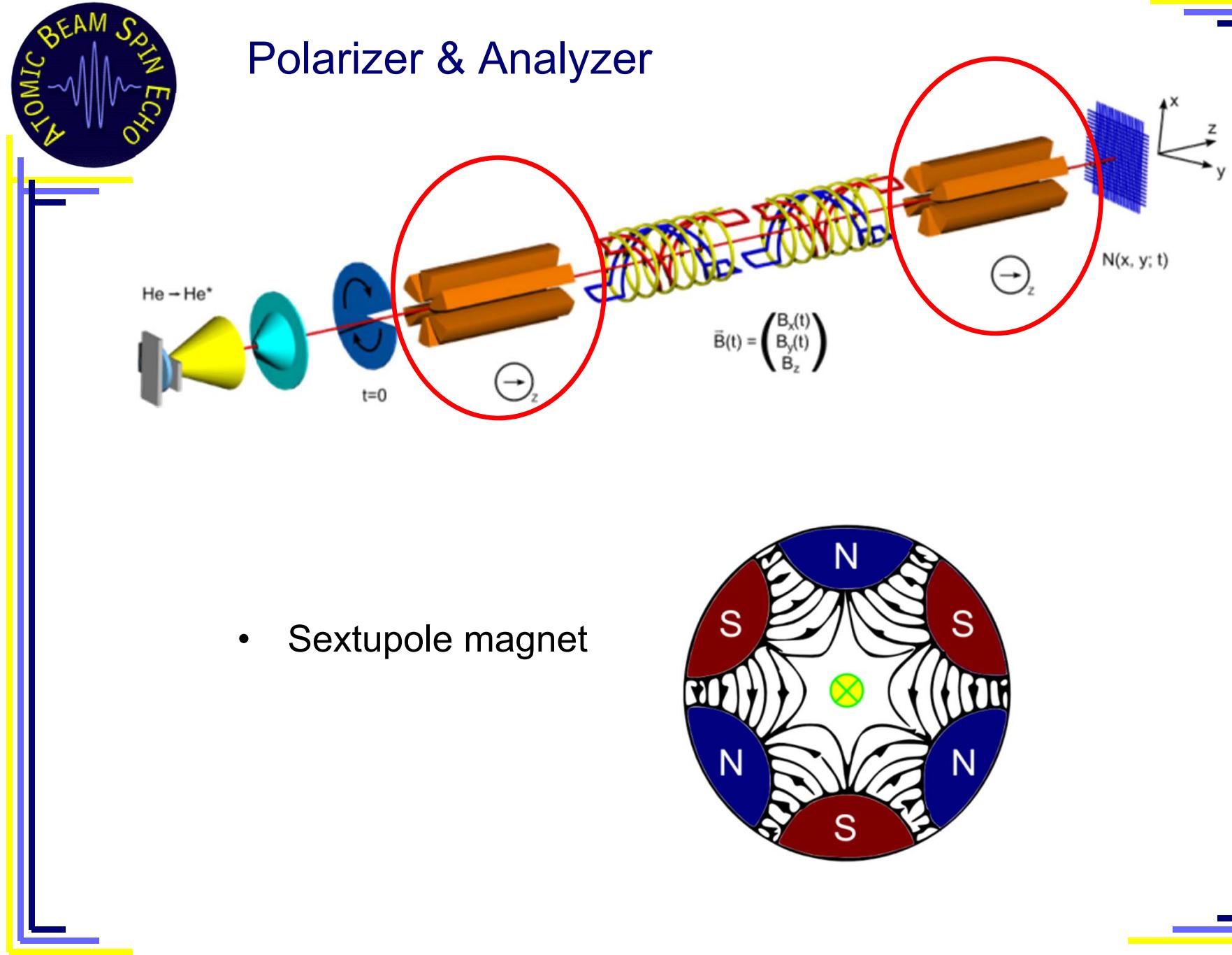
$$\vec{B}(t) = \begin{pmatrix} B_x(t) \\ B_y(t) \\ B_z \end{pmatrix}$$

$$N(x, y; t)$$





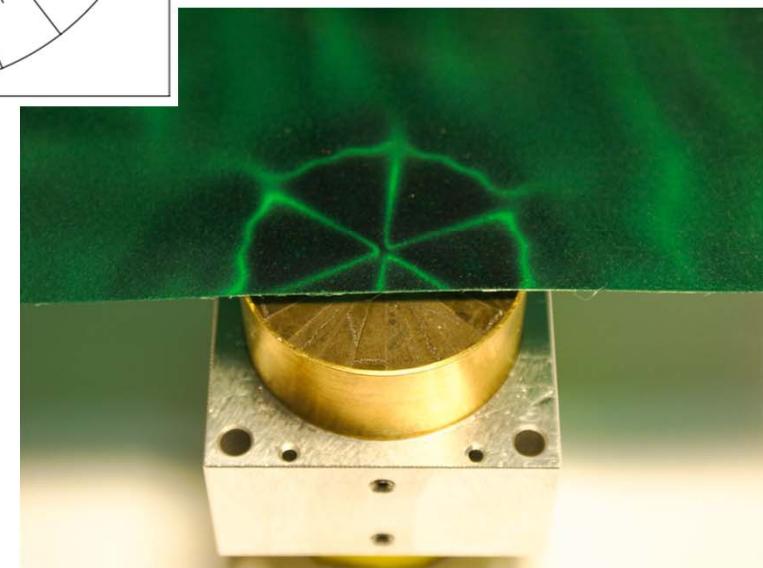
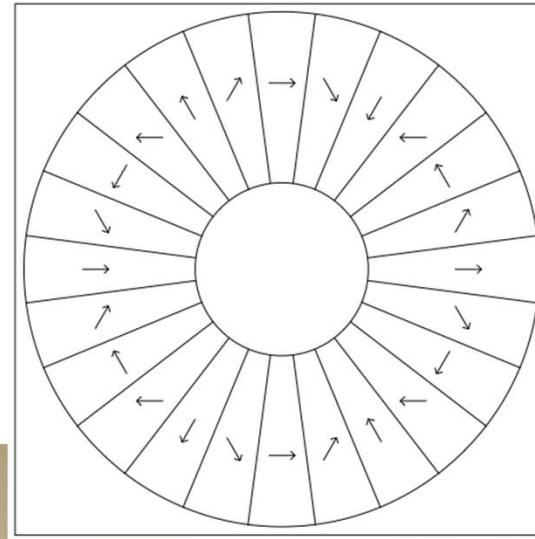
## Polarizer & Analyzer





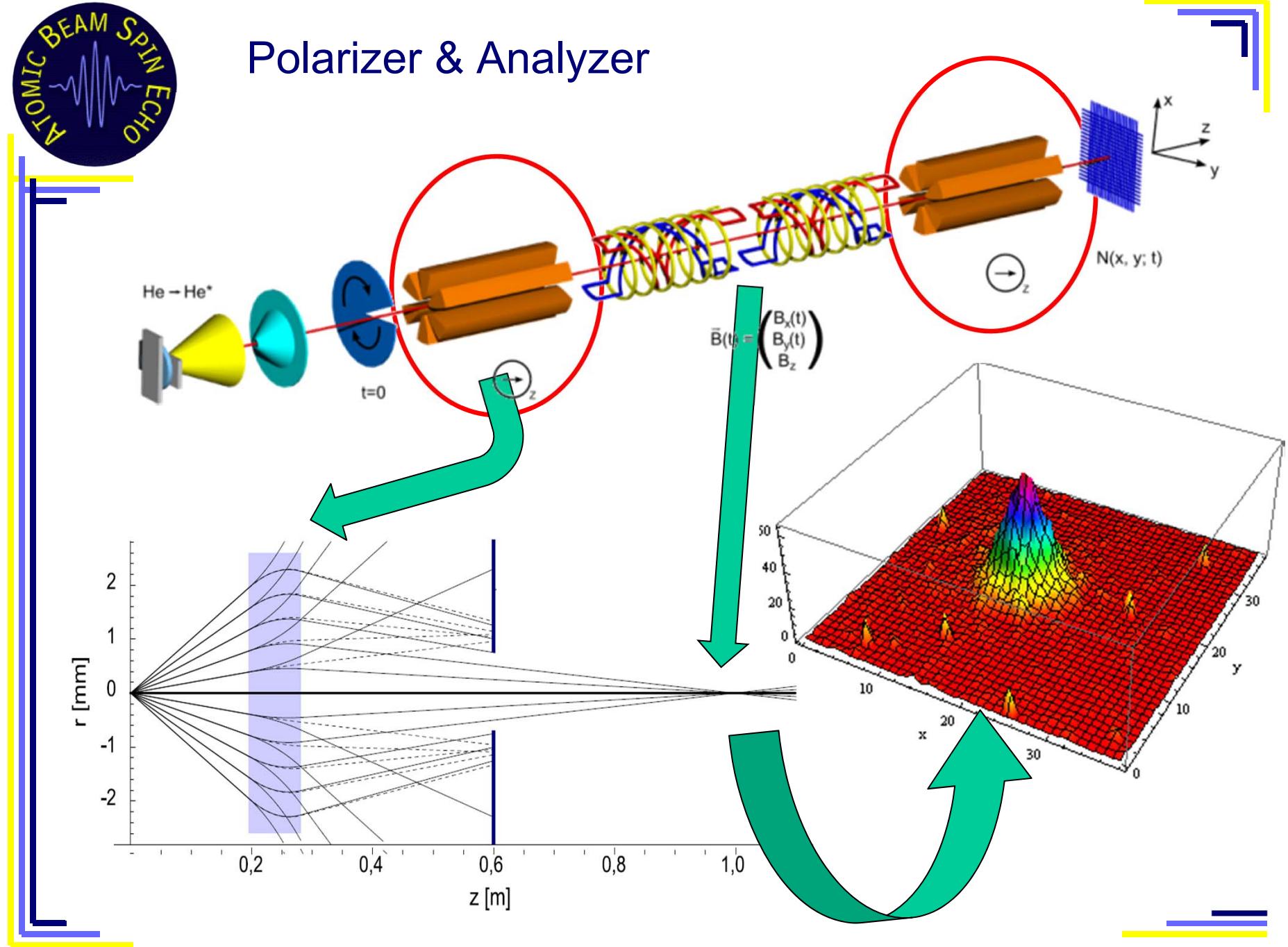
## Polarizer & Analyzer

- hexapole consisting of 24 segments





## Polarizer & Analyzer



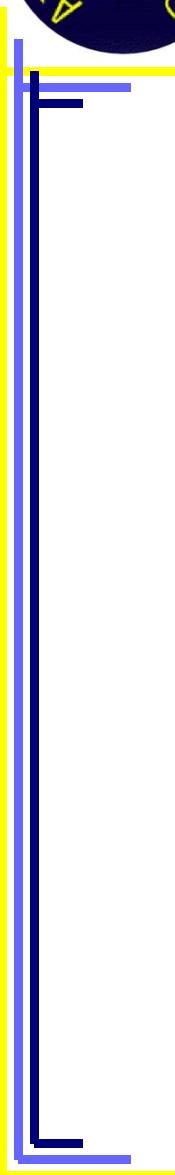


# First Measurements



# First Measurements

( SLIDES REMOVED )





## Summary & Outlook

### Summary:

- ✓ ABSE & Berry-Phases  
→ APV
- ✓ Running Experimental Setup  
→ first data

### Next steps:

- Detailed analysis of Spin-Rotation-Data
- Spin-Echo-Measurements (symmetric setup)
  - Change of the polarization direction
  - Improvement of the magnetic shielding

*work in progress...*

