

A model for gamma-ray binaries, based on the effect of pair production feedback in shocked pulsar winds

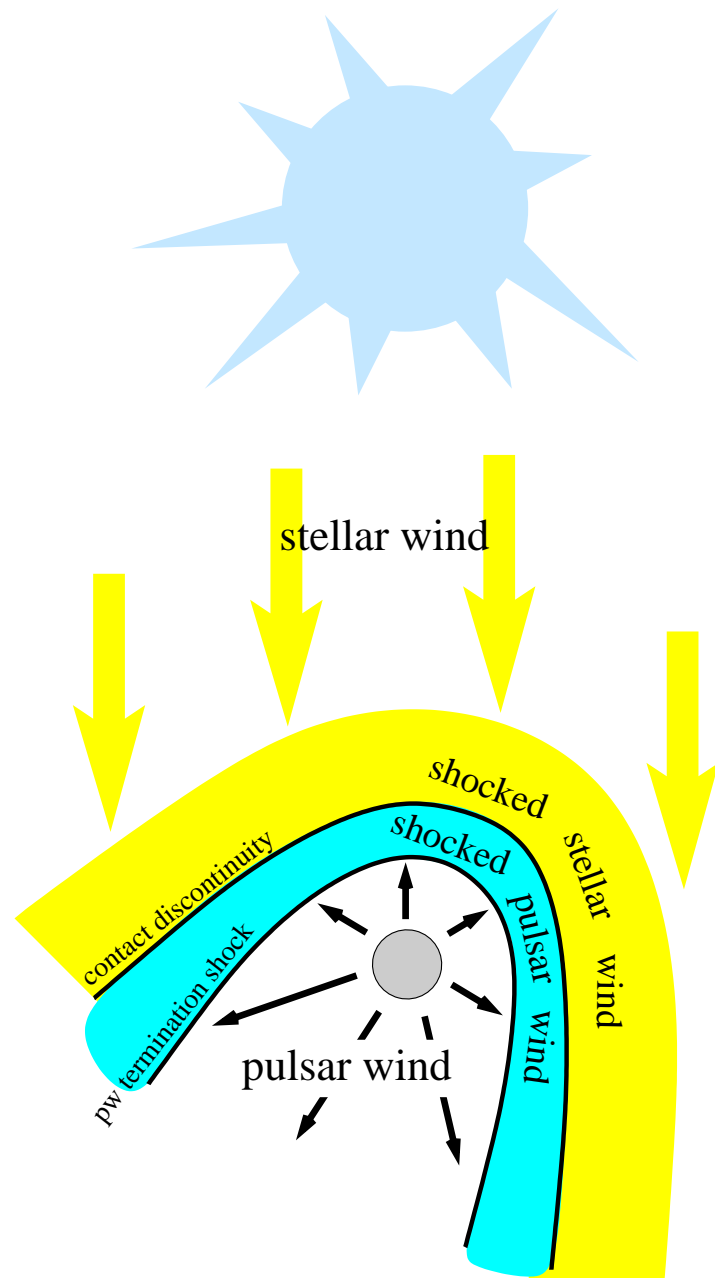
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Three(?) blocks at the basement of all models



Relativistic MHD:

interaction of stellar and pulsar winds,
shocks

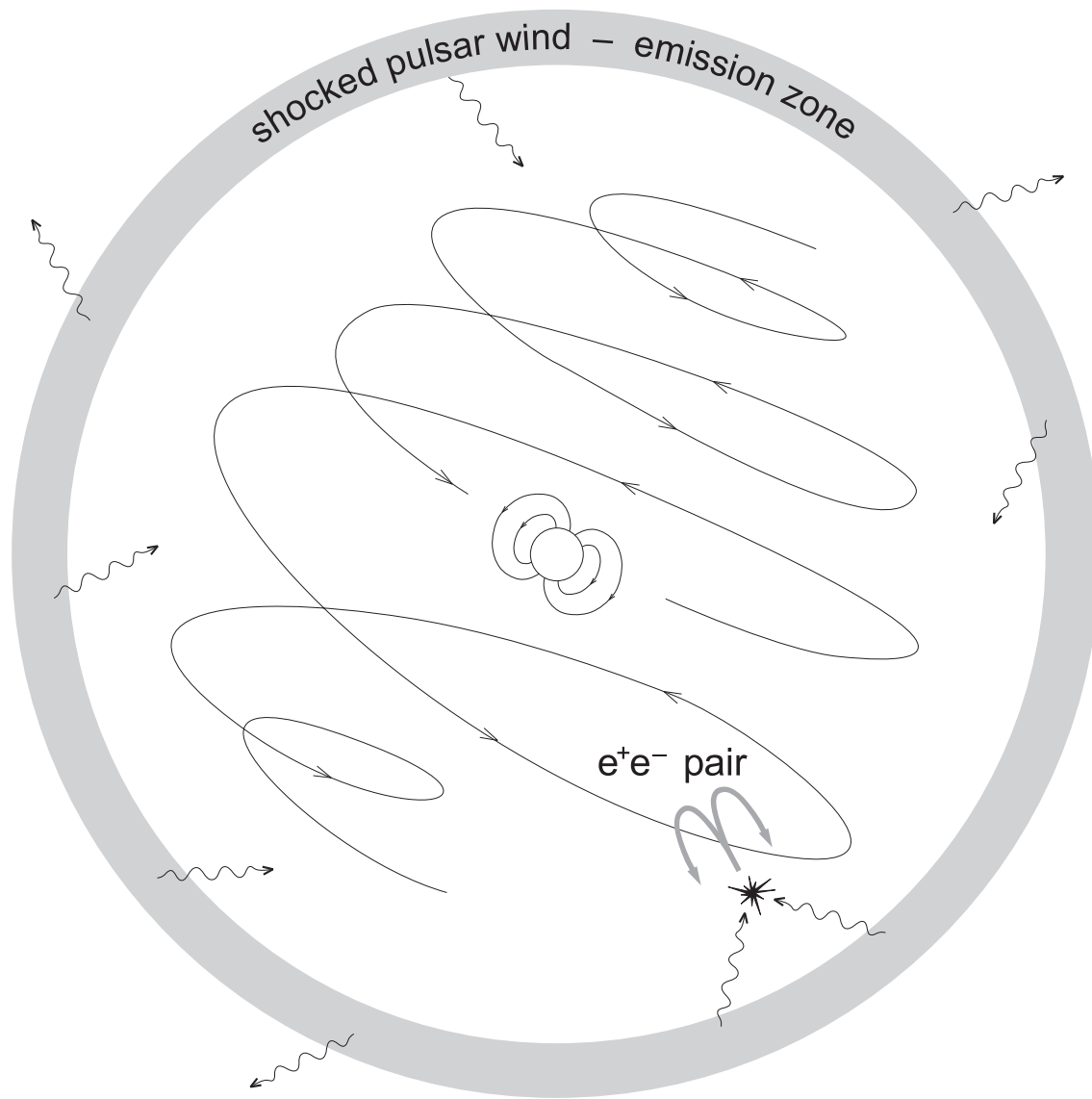
Production of energetic particles:

likely diffusive shock acceleration

Radiative processes:

synchrotron and inverse Compton
radiation, absorption of energetic
photons in the massive star's surrounding
and further cascading

Pair feedback in pulsar wind



Some of high-energy photons from the source produce pairs inside the pulsar wind zone

These pairs are then picked up by the pulsar wind

Pair feedback: is it important?

We know:

luminosity in the sub-MeV – few MeV range, $L_{\text{MeV}} = 10^{35} \text{erg/s}$

orbital distance, $D = 3 \times 10^{12} \text{cm}$

massive star's mass loss rate,

$$\dot{M} = 3 \times 10^{-7} M_{\odot}/\text{yr}$$

and wind velocity, $U_w \equiv \beta_w c \simeq 0.01c$

pulsar's power, $W_p = 10^{36} \text{erg/s}$

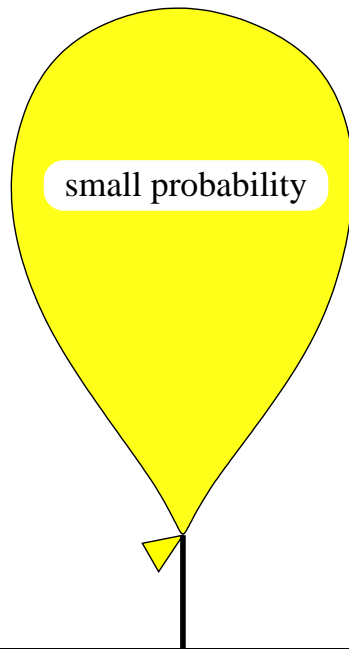
feedback through creation of secondary pairs
and their pickup by the pulsar wind

We can calculate:

size of the emitting region

and then $\gamma - \gamma$ opacity

Pair feedback: is it important?



feedback through creation of secondary pairs
and their pickup by the pulsar wind

Optical depth for $\gamma - \gamma$ pair production

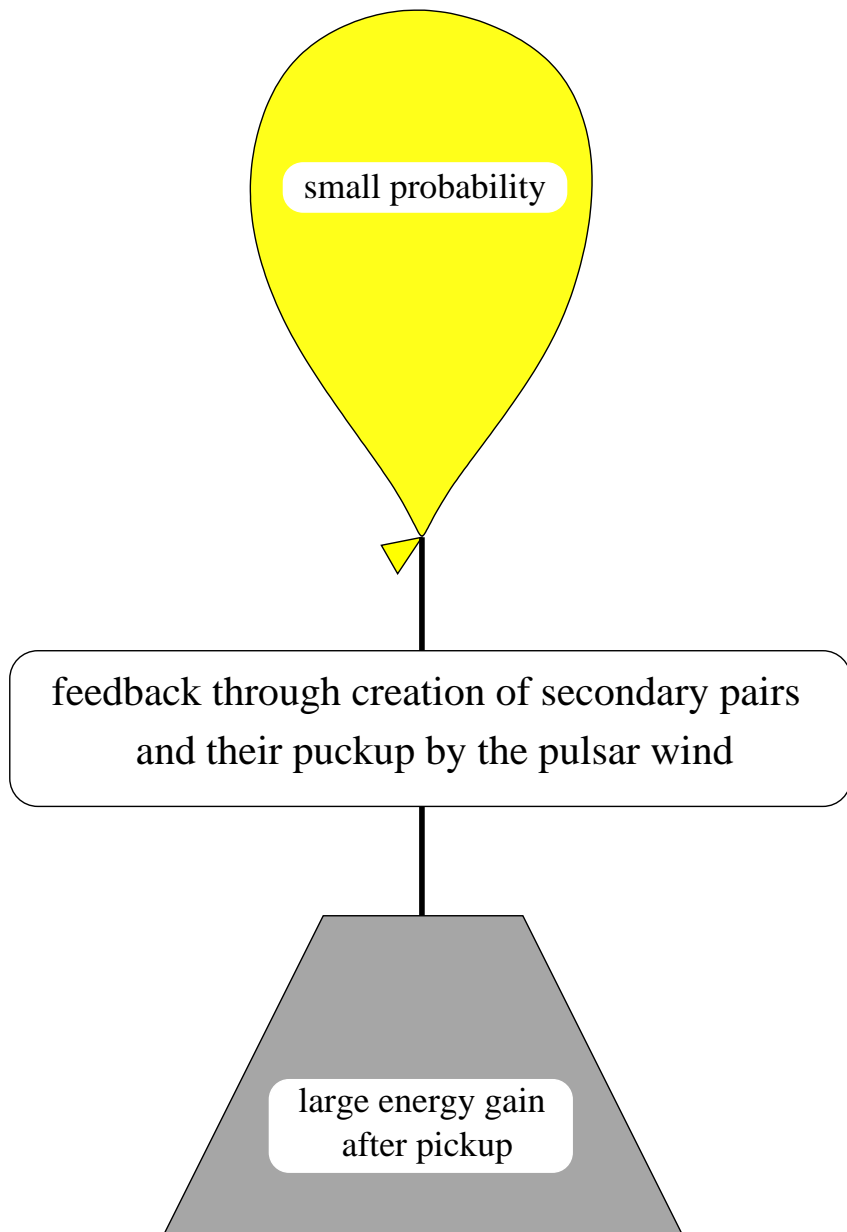
$$\tau_{\gamma\gamma} = \frac{\sigma_{\gamma\gamma}}{4\pi Dc} \frac{L_{\text{MeV}}}{m_e c^2} \left(\frac{\dot{M} U_w c}{W_p} \right)^{1/2}$$

$$\tau_{\gamma\gamma} \sim 10^{-7} \ll 1$$

with corrections for power-law spectrum,

$$\tau_{\gamma\gamma} \sim 10^{-6}$$

Pair feedback: is it important?



Secondary pairs are picked up by ultrarelativistic pulsar wind

with Lorentz factor $\Gamma > 10^3$

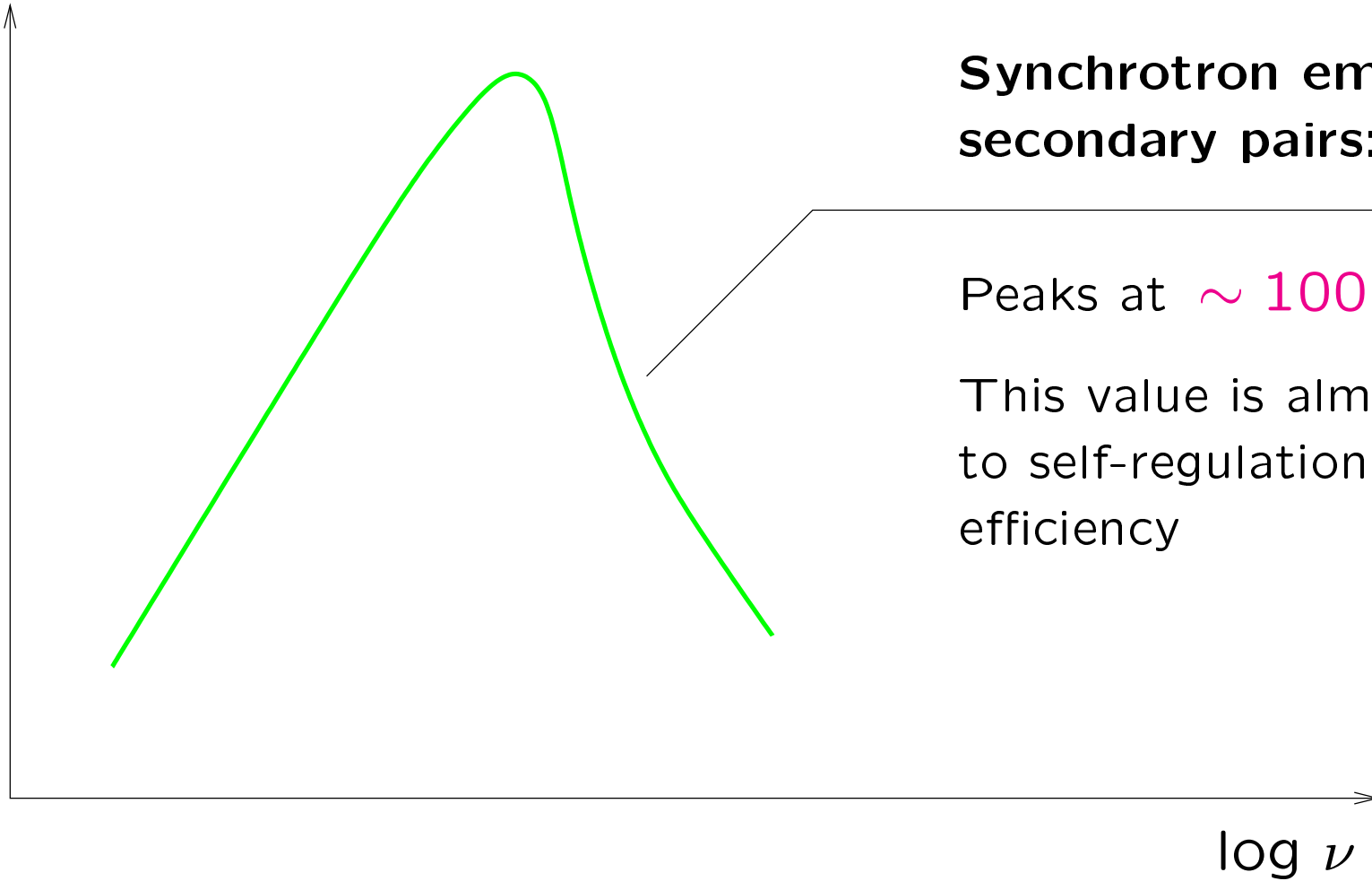
Each secondary pair
increases its energy in Γ^2

Overall feedback efficiency

$$\eta_f = \Gamma^2 \tau_{\gamma\gamma} \gtrsim 1$$

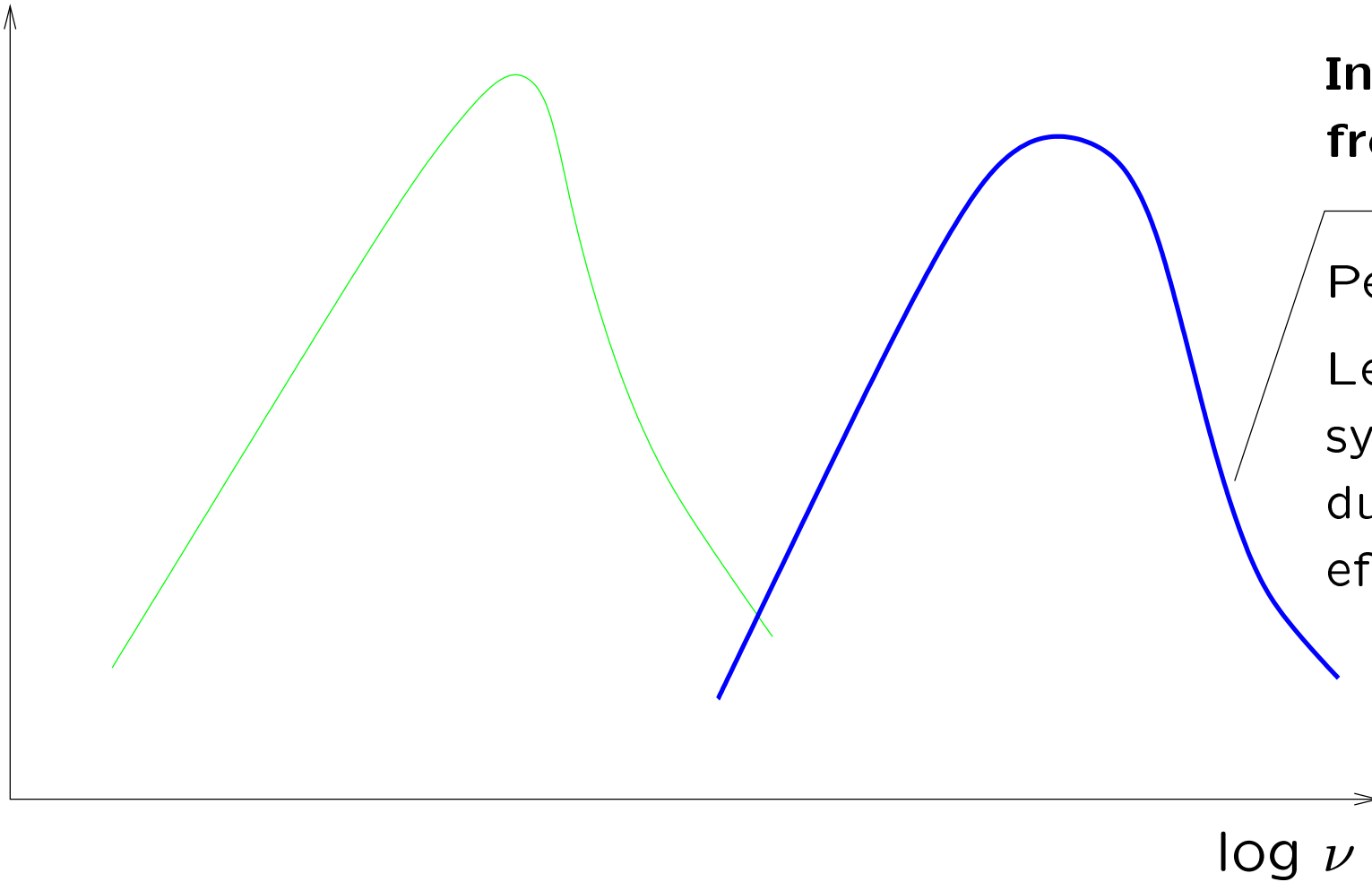
Model broad-band spectrum

$\log \nu F_\nu$



Model broad-band spectrum

$\log \nu F_\nu$



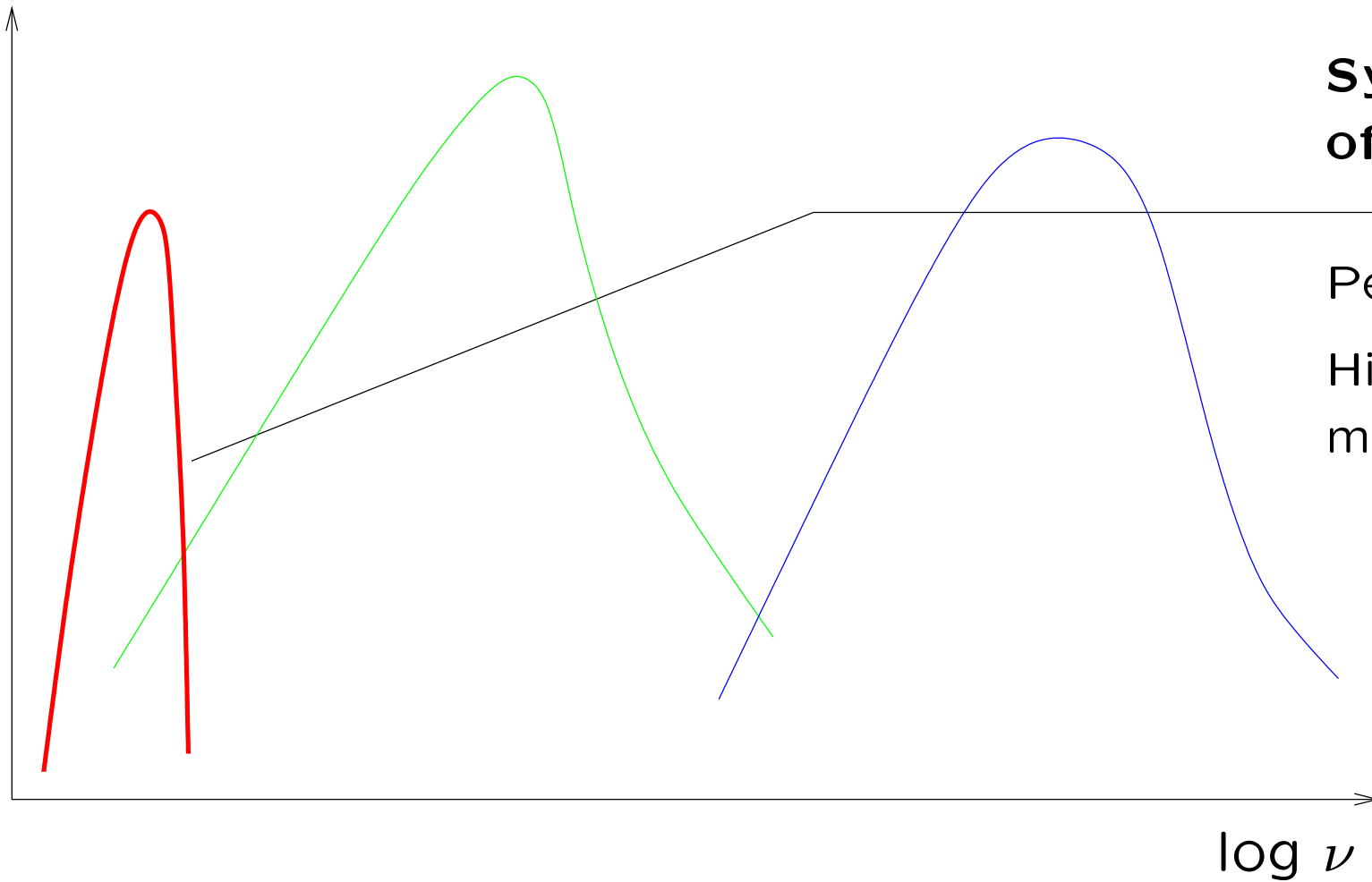
**Inverse Compton
from secondary pairs:**

Peaks at $\sim 0.3 \text{ TeV}$

Less efficient than
synchrotron emission
due to Klein-Nishina
effect

Model broad-band spectrum

$\log \nu F_\nu$

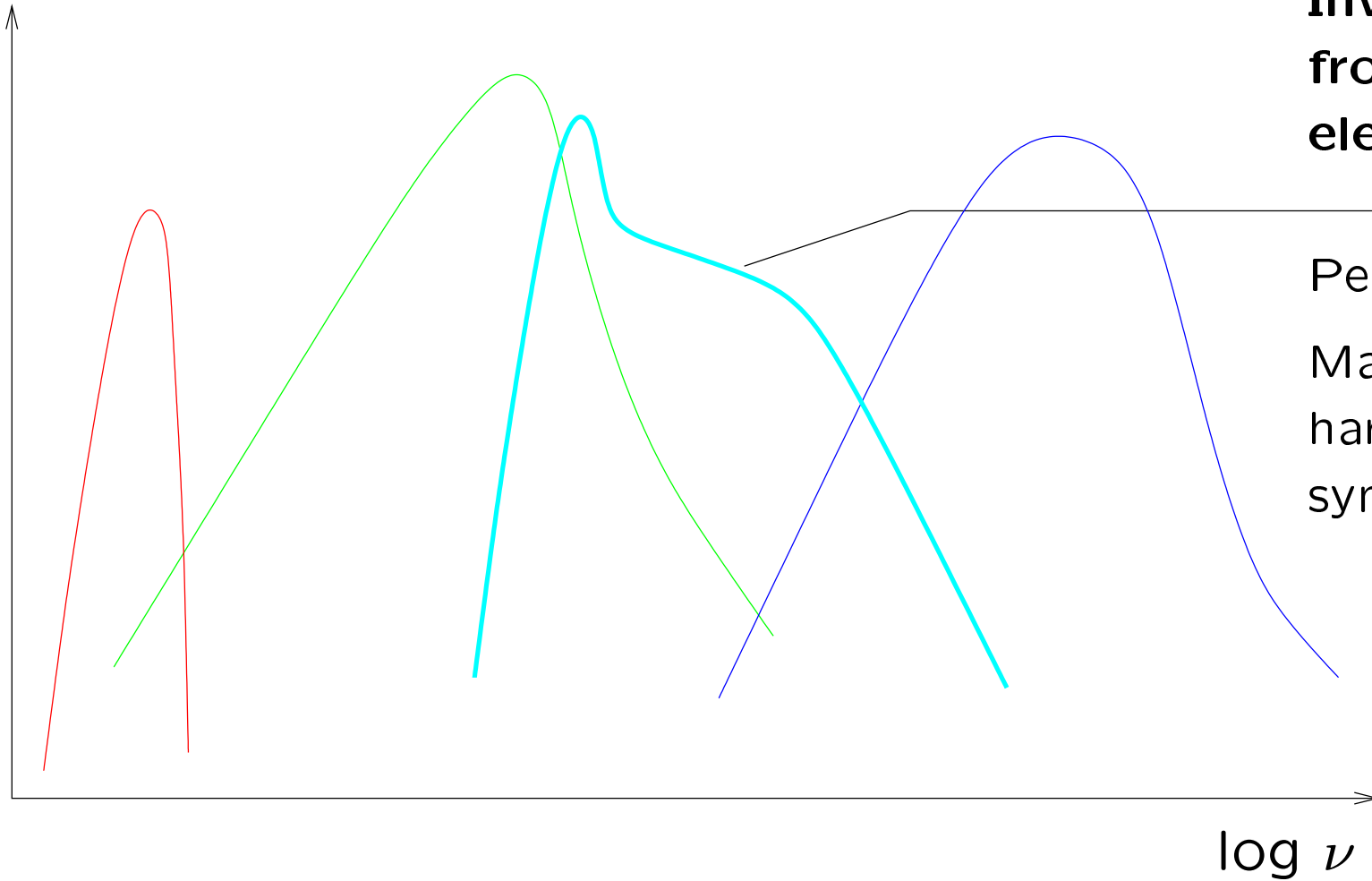


**Synchrotron emission
of primary electrons:**

Peaks in infrared range
Hidden by emission of
massive companion

Model broad-band spectrum

$\log \nu F_\nu$



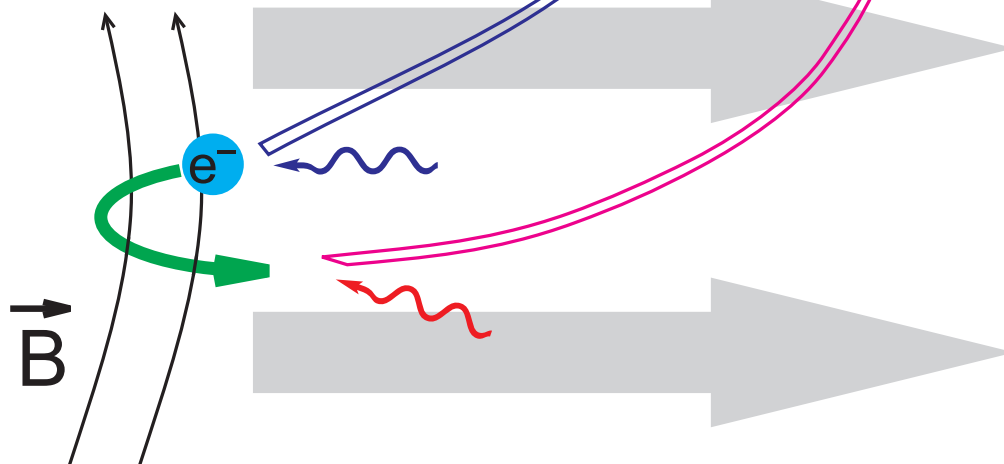
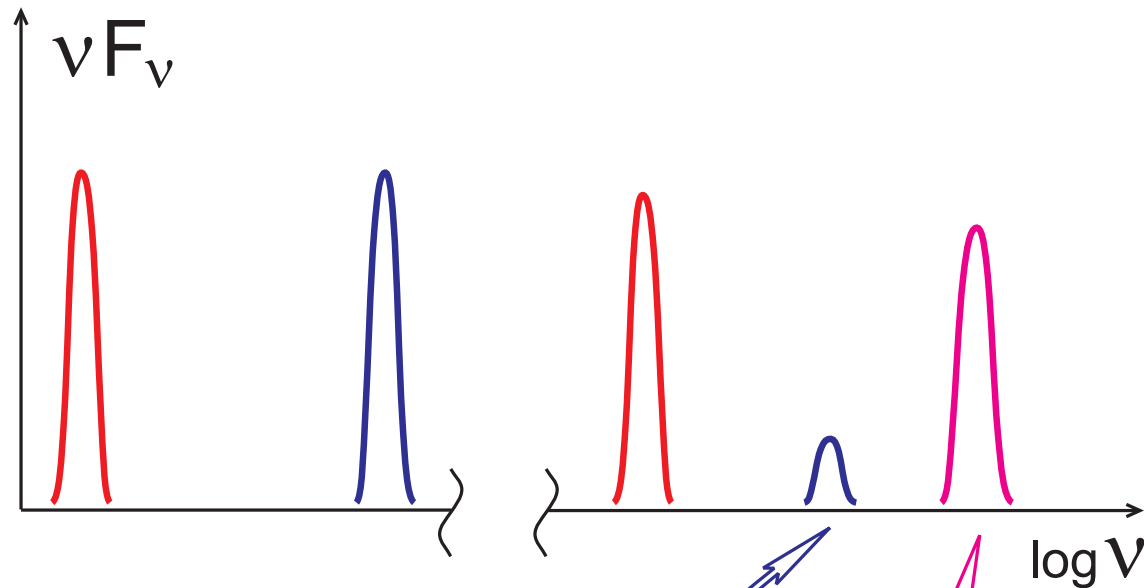
**Inverse Compton
from primary
electrons:**

Peaks at ~ 10 MeV

May compete with the
hard tail of secondaries'
synchrotron emission

Thank you

Recoil-assisted inverse Compton



Thomson regime:

$$E_{\text{IC}} = \gamma^2 E_b \quad L_{\text{IC}} \propto \gamma^2 w_b$$

Klein-Nishina regime (direct):

$$E_{\text{IC}} = \gamma m_e c^2 \quad L_{\text{IC}} \propto E_b^{-2} w_b$$

Klein-Nishina (recoil-assisted):

kick Lorentz factor $\gamma_k = \frac{\gamma E_{b,2}}{2m_e c^2}$

$$E_{\text{IC}} = (\gamma \gamma_k)^2 E_{b,1} = \gamma^4 \frac{E_{b,1} E_{b,2}}{4m_e^2 c^4} E_{b,2}$$

$$L_{\text{IC}} \propto (\gamma \gamma_k)^2 w_{b,1} \times \gamma^{-1} E_{b,2}^{-2} w_{b,2} \\ \propto \gamma^3 w_{b,1} w_{b,2}$$