



## BEGe pulse shape simulation

---

Matteo Agostini, Alberto Garfagnini, Calin A. Ur,  
Enrico Bellotti, Assunta Di Vacri, Luciano Pandola

September 30th, 2009

Università di Padova



---

# Outline

## 1 The simulation

- I. The dynamics of electrons and photons
- II. Signals induced by the charge motion inside the detector
- III. The total charge pulse and the preamplifier response

## 2 Validation of the simulation

## 3 MSE and SSE simulated signals

## 4 Summary



## The simulation structure

### **I. The dynamics of electrons and photons (MaGe)**

---

- <- the production processes of charged particles and photons
- > the position and the type of the interaction with the germanium crystal
- > the energy loss in each interaction

### **II. Signals induced by the charge motion inside the detector (MGS)**

---

- <- interaction coordinates
- > trajectories
- > signal induced on the electrodes

### **III. The total charge pulse and the preamplifier response**

---

- <- the energy loss in each interaction
- <- the signals induced by each interaction
- <- the preamplifier transfer function (PTF)
- > the total charge pulse convolved with the PTF



## II. Signals induced by the charge motion inside the detector - Trajectories

### Mobility Model

$$\mathbf{v}_h = \mu_h(\mathbf{r}, \mathbf{E}) \cdot \mathbf{E} \quad \mathbf{v}_e = \mu_e(\mathbf{r}, \mathbf{E}) \cdot \mathbf{E}$$

- Electron mobility [L. Mihailescu]
- Hole mobility [B. Brynell]

### Field Computation

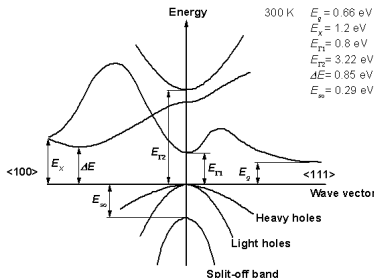
$$\nabla^2 \phi(\mathbf{r}) = -\frac{\rho(\mathbf{r})}{\epsilon} \rightarrow \mathbf{E}(\mathbf{r}) = -\nabla(\phi(\mathbf{r}))$$

- cathode at 0 V, anode at 3500 V
- vacuum grounded chamber
- detector fully depleted:  $\rho(\mathbf{r}) = eN_A(\mathbf{r})$

### Trajectory Computation

$$\mathbf{r}(t + \Delta t) = \mathbf{r}(t) + \mathbf{v}(\mathbf{r}(t)) \cdot \Delta t$$

where  $\Delta t = 1$  ns





## II. Signals induced by the charge motion inside the detector - Trajectories

### Mobility Model

$$\mathbf{v}_h = \mu_h(\mathbf{r}, \mathbf{E}) \cdot \mathbf{E} \quad \mathbf{v}_e = \mu_e(\mathbf{r}, \mathbf{E}) \cdot \mathbf{E}$$

- Electron mobility [L. Mihailescu]
- Hole mobility [B. Brynell]

### Field Computation

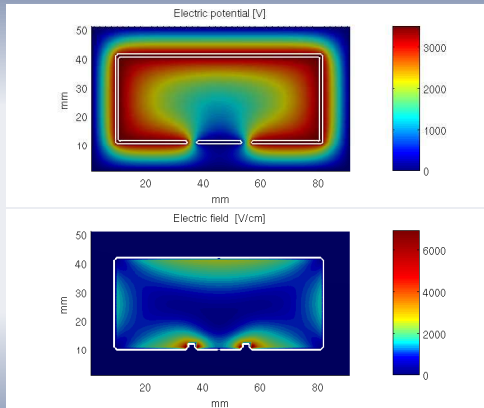
$$\nabla^2 \phi(\mathbf{r}) = -\frac{\rho(\mathbf{r})}{\epsilon} \rightarrow \mathbf{E}(\mathbf{r}) = -\nabla(\phi(\mathbf{r}))$$

- cathode at 0 V, anode at 3500 V
- vacuum grounded chamber
- detector fully depleted:  $\rho(\mathbf{r}) = eN_A(\mathbf{r})$

### Trajectory Computation

$$\mathbf{r}(t + \Delta t) = \mathbf{r}(t) + \mathbf{v}(\mathbf{r}(t)) \cdot \Delta t$$

where  $\Delta t = 1$  ns





## II. Signals induced by the charge motion inside the detector - Trajectories

### Mobility Model

$$\mathbf{v}_h = \mu_h(\mathbf{r}, \mathbf{E}) \cdot \mathbf{E} \quad \mathbf{v}_e = \mu_e(\mathbf{r}, \mathbf{E}) \cdot \mathbf{E}$$

- Electron mobility [L. Mihailescu]
- Hole mobility [B. Brynell]

### Field Computation

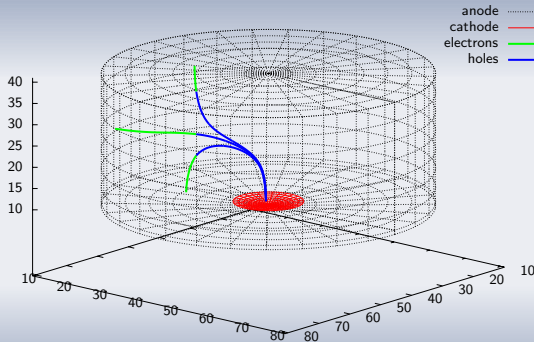
$$\nabla^2 \phi(\mathbf{r}) = -\frac{\rho(\mathbf{r})}{\epsilon} \rightarrow \mathbf{E}(\mathbf{r}) = -\nabla(\phi(\mathbf{r}))$$

- cathode at 0 V, anode at 3500 V
- vacuum grounded chamber
- detector fully depleted:  $\rho(\mathbf{r}) = eN_A(\mathbf{r})$

### Trajectory Computation

$$\mathbf{r}(t + \Delta t) = \mathbf{r}(t) + \mathbf{v}(\mathbf{r}(t)) \cdot \Delta t$$

where  $\Delta t = 1$  ns





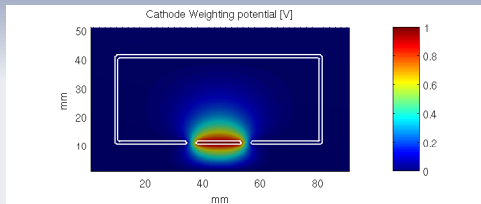
## II. Signals induced by the charge motion inside the detector - Signal induced on the electrodes

### Signal induced on a electrode

Shockley-Ramo Theorem :

$$Q(t) = -q\phi_w(\mathbf{r}(t))$$

where  $\phi_w(\mathbf{r}(t))$  is the weighting potential.



The **weighting potential** is defined as the electric potential calculated when the considered electrode is kept at a unit potential, all other electrodes are grounded and all charges inside the device are removed.



### III. The total charge pulse and the preamplifier response

#### Preamplifier transfer function

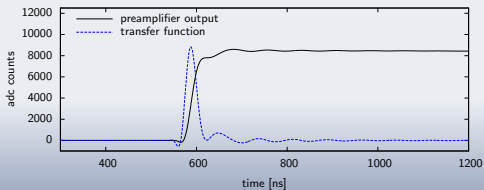
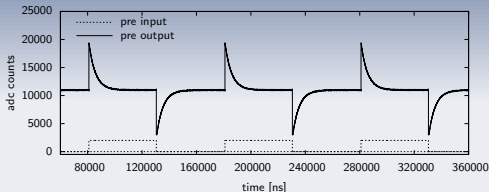
the averaged output pulses is differentiated by simply shifting the signal by one sample and subtracting it from the original signal

#### Total charge pulse and convolution with the PTF

- the total charge pulse of a SSE is the sum of the electron pulse and the hole pulse
- the total charge is convolved with the experimental transfer function

#### MSE

the total charge pulse of a MSE is the sum of the SSE signals weighted by the energy transferred in each interaction







### III. The total charge pulse and the preamplifier response

#### Preamplifier transfer function

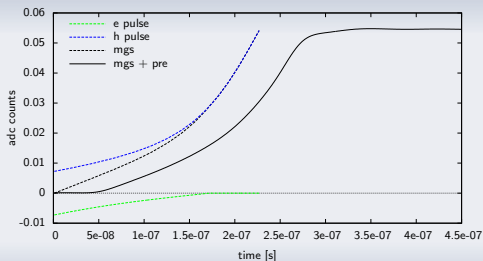
the averaged output pulses is differentiated by simply shifting the signal by one sample and subtracting it from the original signal

#### Total charge pulse and convolution with the PTF

- the total charge pulse of a SSE is the sum of the electron pulse and the hole pulse
- the total charge is convolved with the experimental transfer function

#### MSE

the total charge pulse of a MSE is the sum of the SSE signals weighted by the energy transferred in each interaction





### III. The total charge pulse and the preamplifier response

#### Preamplifier transfer function

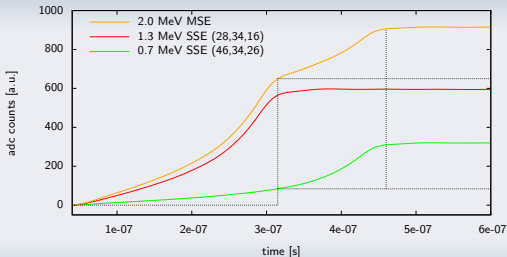
the averaged output pulses is differentiated by simply shifting the signal by one sample and subtracting it from the original signal

#### Total charge pulse and convolution with the PTF

- the total charge pulse of a SSE is the sum of the electron pulse and the hole pulse
- the total charge is convolved with the experimental transfer function

#### MSE

the total charge pulse of a MSE is the sum of the SSE signals weighted by the energy transferred in each interaction





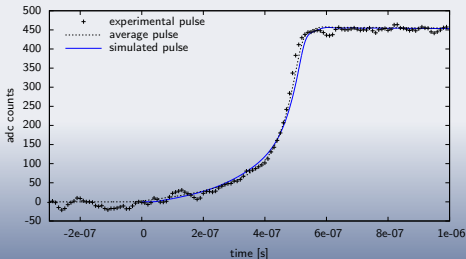
## The validation measurements and the Averaging algorithm

The validation was carried out by comparing directly the simulated and the experimental signals:

- $^{241}\text{Am}$  colimated source  $\Rightarrow$  well localized events close to the detector surface;
- $\sim 600$  s acquisitions for each position
- averaging up the experimental signals  $\Rightarrow$  very low noise

### The averaging algorithm steps:

- 1 the experimental signal (sampled at 10 ns) is resampled at 1 ns interpolating the original points with a linear function;
- 2 the resampled signal is fitted with the average in order to obtain the best possible time alignment;
- 3 if the average rms is minor than the threshold value, the resampled and shifted signal is accepted in the average.





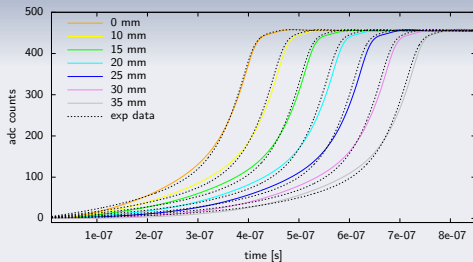
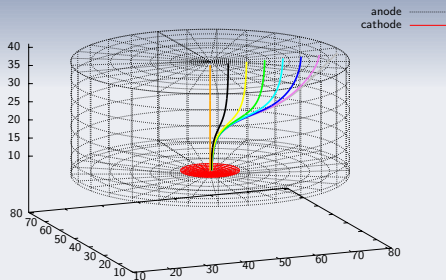
Validation of the simulation

## Radial scanning

->  $^{241}\text{Am}$  source

-> 2 mm collimator

-> 600 s acquisitions for each position



The holes are dragged to the center of the detector and then drift to the p+ contact with a common trajectory  
⇒ Significant differences are expected to occur only in the first rising part of the pulses

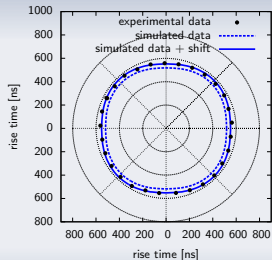
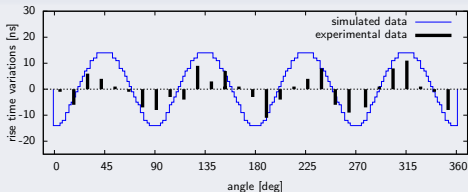


## Circular Scanning

->  $^{241}\text{Am}$  source      -> 1 mm collimator      -> 500 s acquisitions for each position

We study the rise time as a function of the angle.

-> To observe variations we used the rise time between 1% and 90%

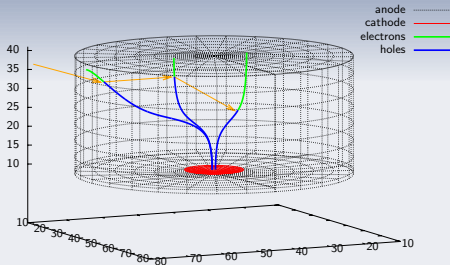


Although the experimental data show a behaviour coherent with the simulation, the agreement is only qualitative.

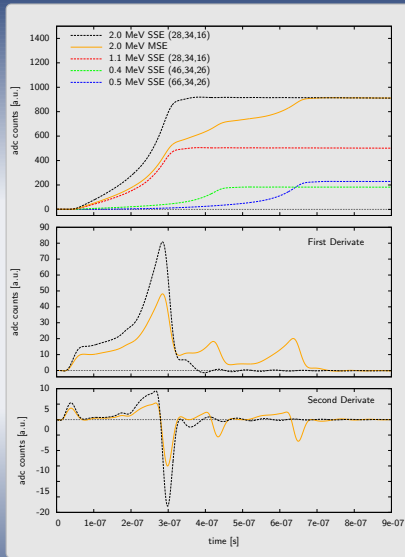
⇒ the result is remarkable taking into account the problems related to the identification of the time corresponding to the 1% of the maximum amplitude



# MSE vs SSE



SSE  $\rightarrow$  2 MeV  
 MSE  $\rightarrow$  0.5 MeV + 0.4 MeV + 1.1 MeV





## Summary

### Results:

- The simulated data show a good agreement with the average experimental signals;
- we have achieved a deeper insight into the peculiar shapes of the BEGe detector signals and the time dependence of the pulses from the interaction position;
- a preliminary study of the BEGe pulse shape discrimination performance was carried out by using the simulation providing excellent results.

### Future works:

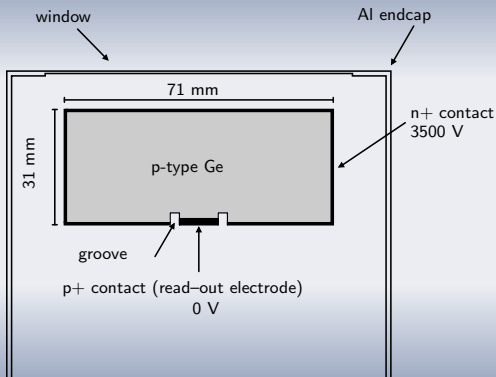
- fully validate the simulation by performing an inner scanning of the detector;
- include in the MAGE simulation a library of the simulated pulses;
- investigate the BEGe geometry by studying which are the geometry parameters that provide the most accurate pulse shapes.

backup slides

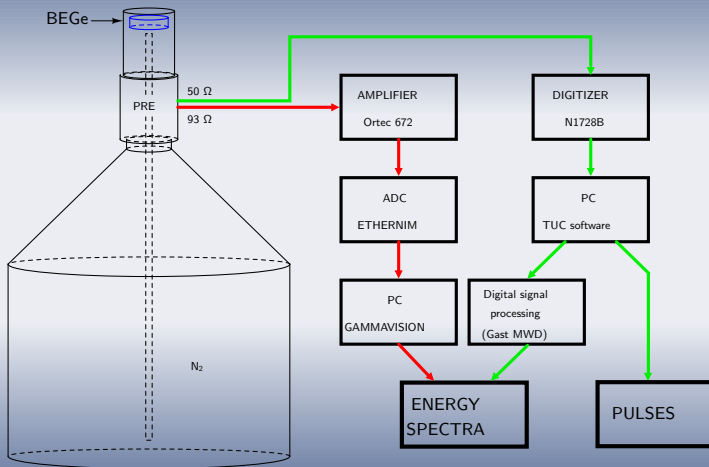




## BEGe detector

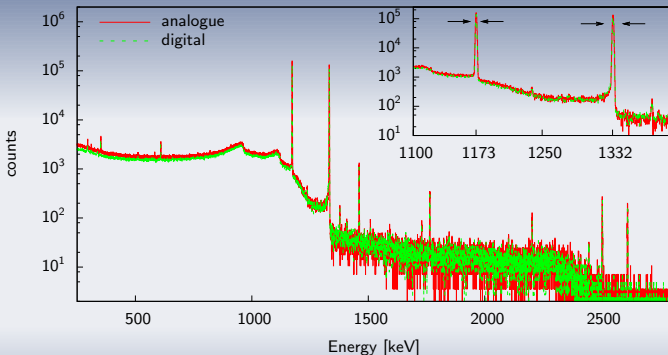


# DAQ systems





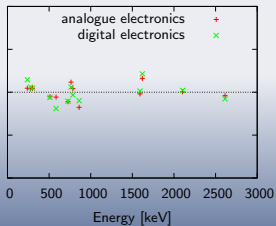
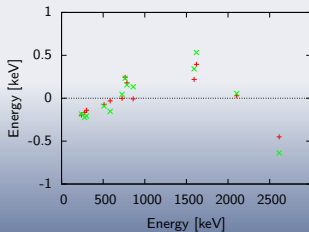
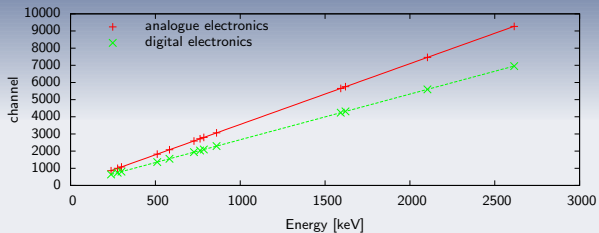
# Characterization measurements - Resolution



Energy [keV]	Analogue DAQ system		Digital DAQ system	
	peak counts	FWHM [keV]	peak counts	FWHM [keV]
1173	259899 (510)	1.529 (0.002)	224857 (506)	1.520 (0.002)
1332	225023 (474)	1.617 (0.002)	200137 (518)	1.607 (0.003)

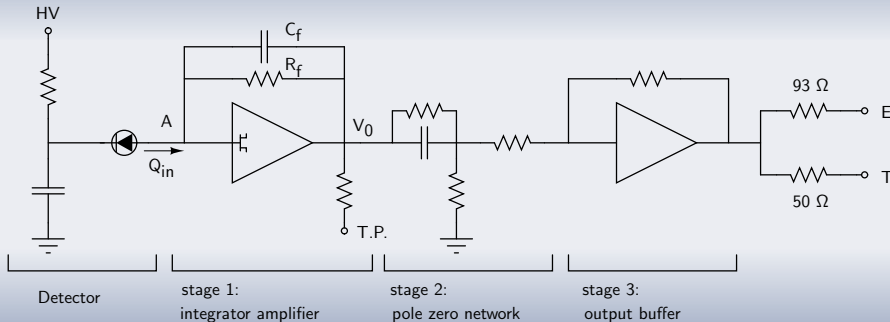


# Characterization measurements - Linearity



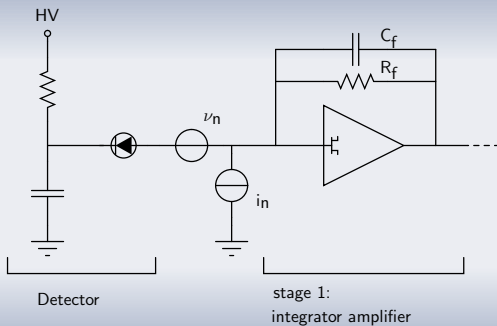


# Characterization measurements - Preamplifier



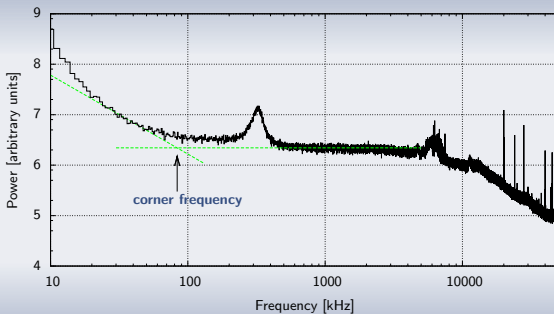


## Characterization measurements - Preamplifier noise



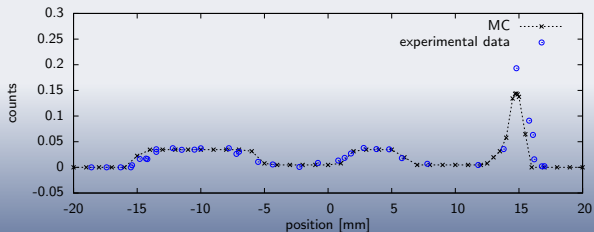
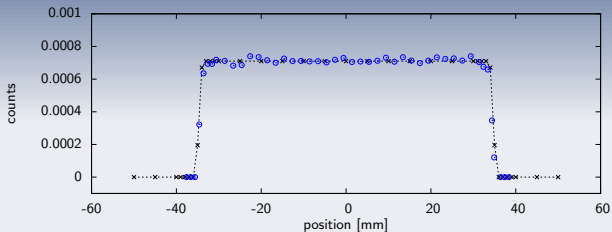


## Characterization measurements - Preamplifier noise





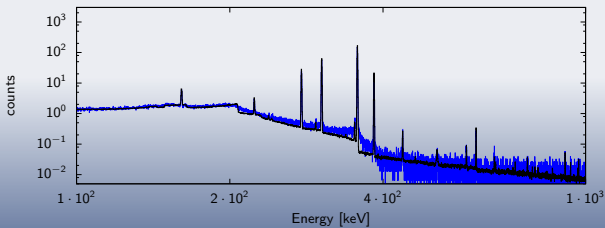
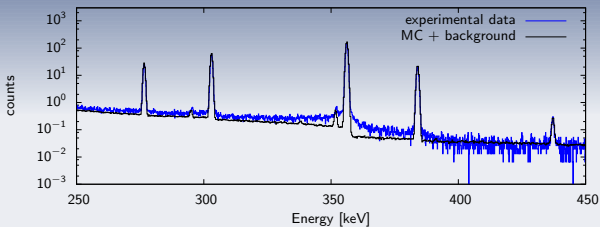
# Validation of the MaGe simulation - Absorption







# Validation of the MaGe simulation - Barium spectrum





# Validation of the MaGe simulation - DL

