

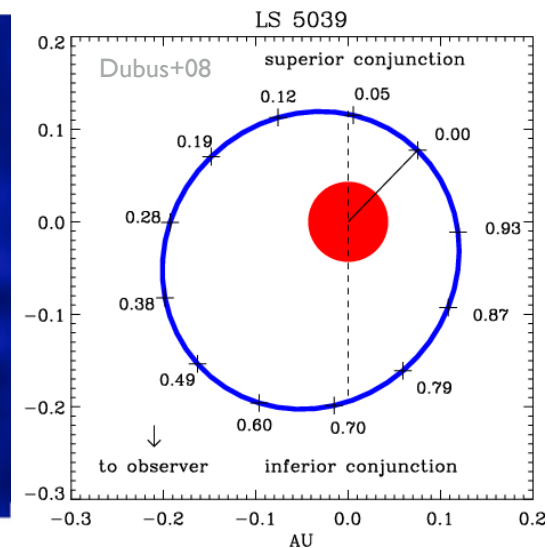
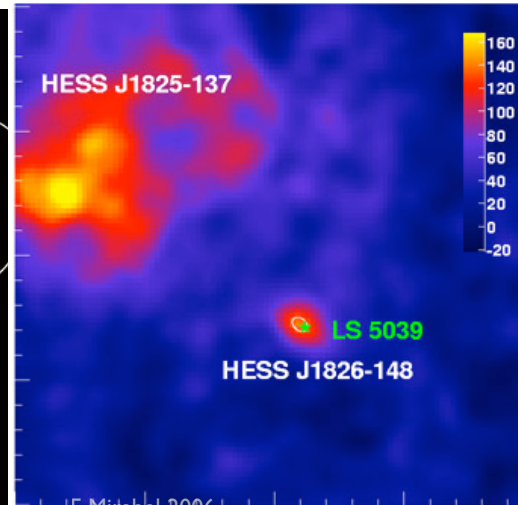
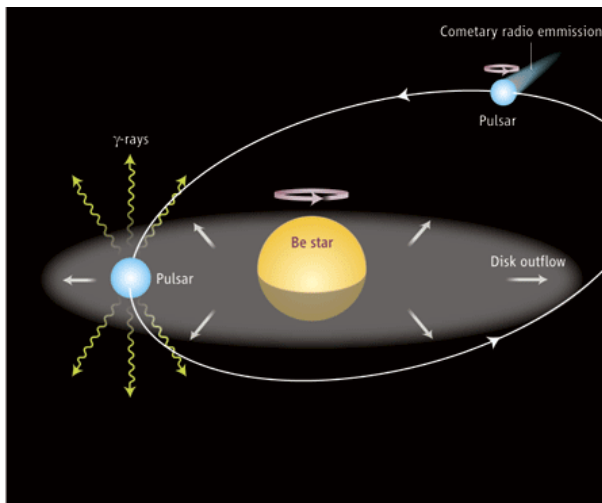
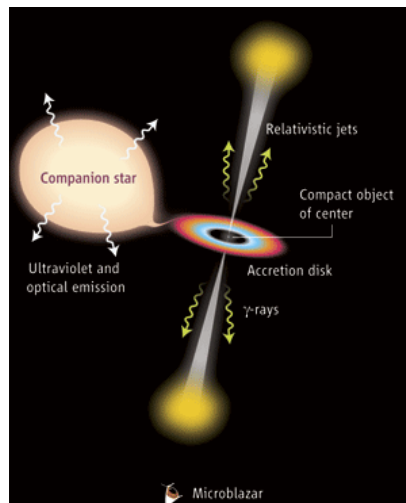
# Stochastic & Shear Particle Acceleration in astrophysical outflows

and its possible relevance for LS 5039

Frank M. Rieger

Workshop on Variable Galactic Gamma-Ray Sources III

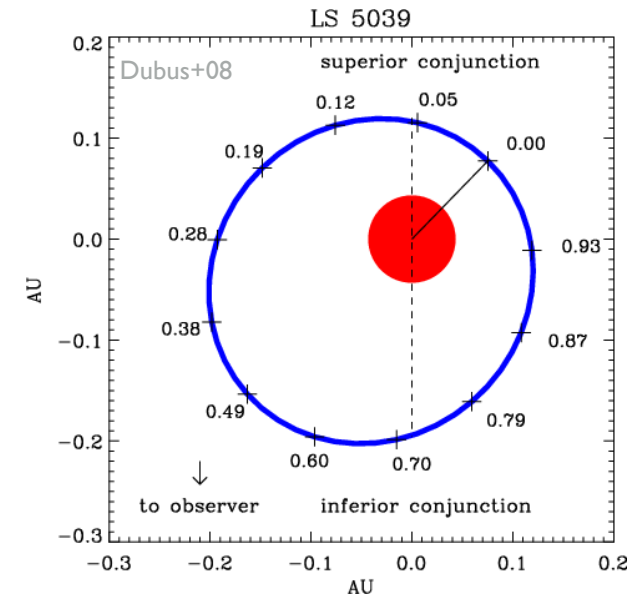
Heidelberg, May 4-6, 2015



# Outline

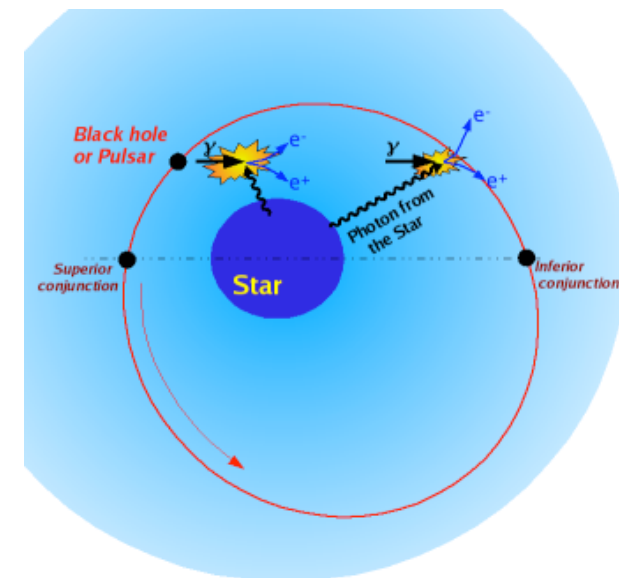
## \_Efficient particle acceleration in gamma-ray binaries

- ▶ The case of LS 5039 (efficiency constraints)
- ▶ Gamma-ray emission from different sites



## \_Potential *acceleration mechanisms & emission sites*

- ▶ Source phenomenology
- ▶ Shear particle acceleration (recap)
- ▶ Stochastic acceleration and Expanding flows



## Periodically modulated TeV emission at $P_{\text{orb}}=3.9$ d :

- ▶ produced inside or very close to system
- ▶ due to  $\gamma\gamma$ -absorption and anisotropic IC

## VHE spectrum extends well beyond 10 TeV: (Aharonian+ 06)

- ▶ stellar radiation peaks  $\sim 10$  eV ( $T \sim 4 \times 10^4$  K)
- ▶ IC scattering (KN!) needs  $> 10$  TeV electrons

## X-ray (Suzaku 2007) observations: (Takahashi+ 09)

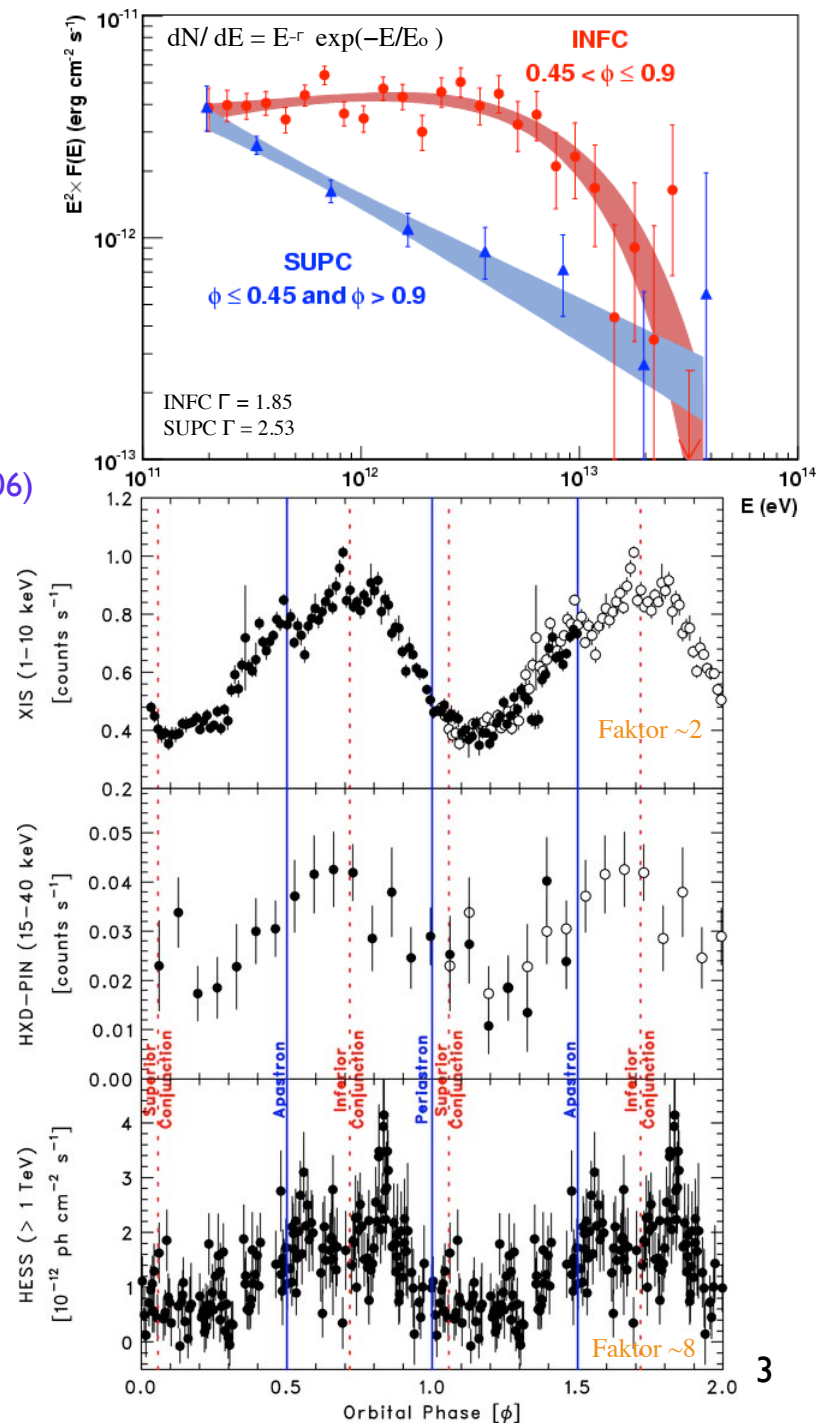
- ▶ hard power law up to  $\sim 70$  keV

$$\Rightarrow n_e(\gamma) = n_0 \gamma^{-s}, s \approx 2$$

(in Gauss-type fields up to  $\gamma \sim 10^{6-7}$ )

- ▶ periodic modulation at orbital period

$\Rightarrow$  origin?



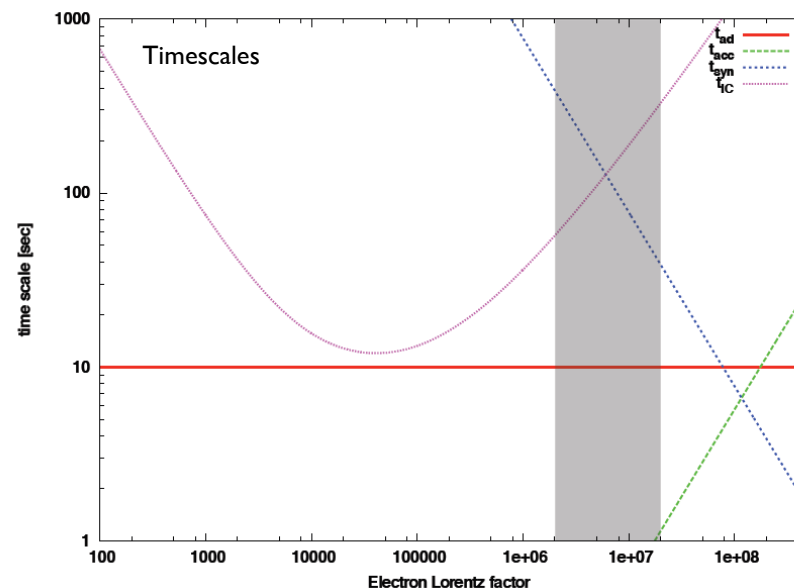
# Evidence for extreme particle acceleration in LS 5039 ?

**Acceleration efficiency**  $t_{\text{acc}} := \eta r_g / c$  for origin of TeV: (Khangulyan+ 08)

- ▶ min. variability  $\sim 1$  hr gives lower limit on B
- ▶ from  $t_{\text{acc}} \leq \min(t_{\text{IC,KN}}, t_{\text{syn}})$ :  $\eta < 100$  ( $z < 5 R_{\text{orb}}$ ) and  $\eta < 10$  ( $z \ll R_{\text{orb}}$ )

**Origin of X-ray “periodicity” ?** (Takahashi+ 09)

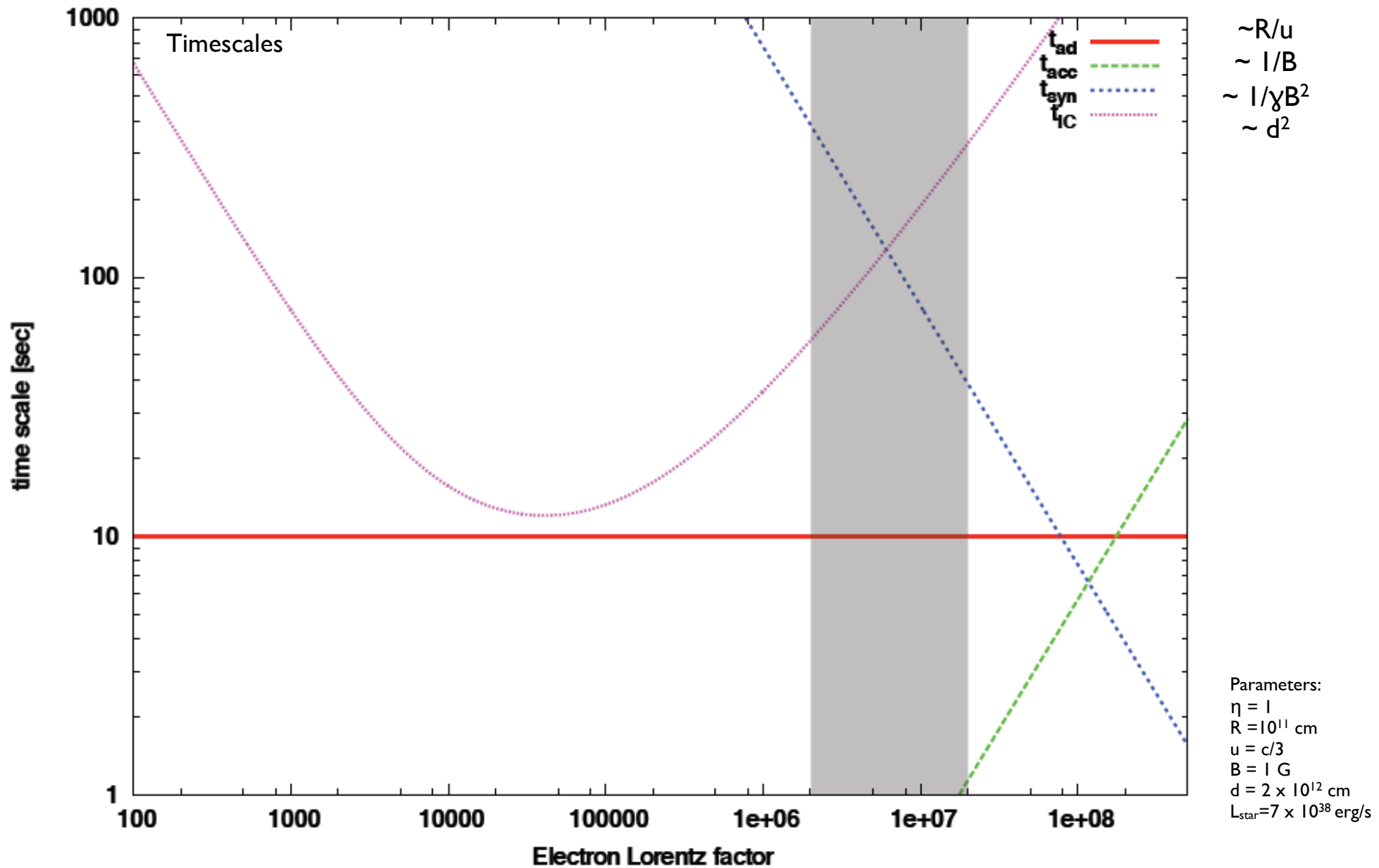
- ▶ if due to dominant *adiabatic cooling*  $\eta \leq 3$
- ▶ similar for m.f. modulation (equipartition stellar field), synchrotron HE ( $\sim 100$  MeV) (Chernyakova+ 14)



Parameters:

$\eta = 1$   
 $R = 10^{11}$  cm  
 $u = c/3$   
 $B = 1$  G  
 $d = 2 \times 10^{12}$  cm  
 $L_{\text{star}} = 7 \times 10^{38}$  erg/s

# Evidence for extreme particle acceleration in LS 5039 ?



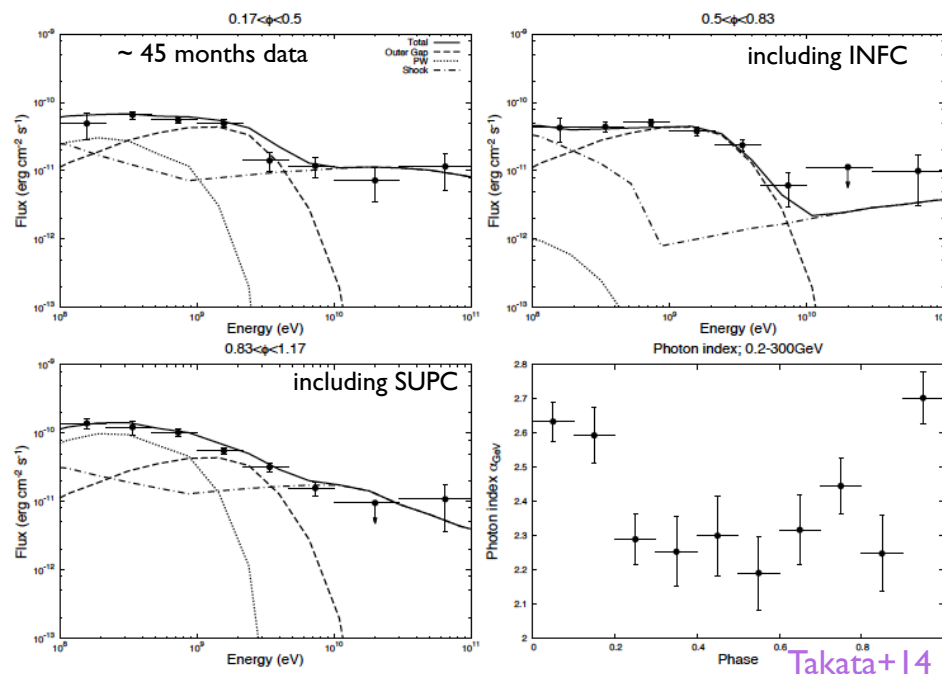
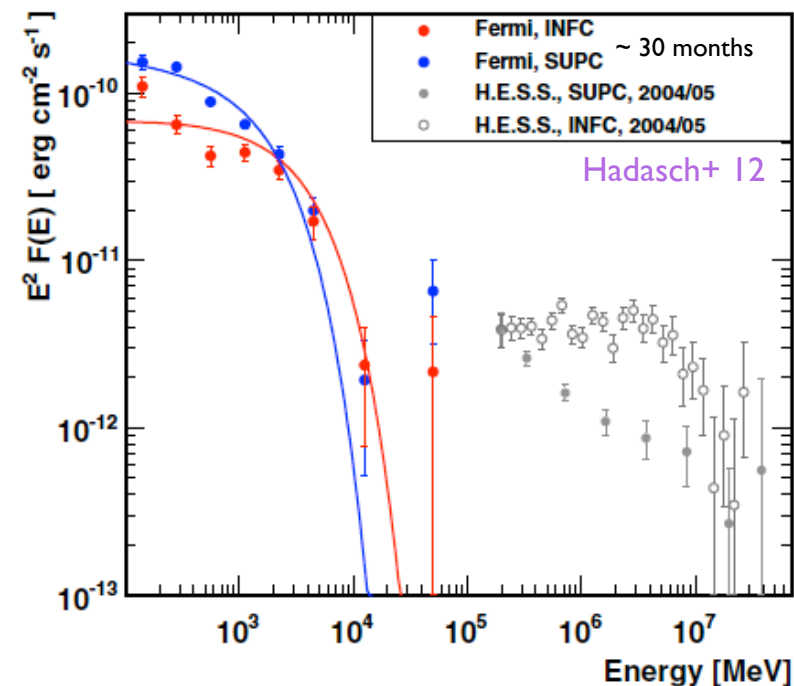
## HE emission *beyond 10 GeV*:

- ▶ *phase-averaged* spectrum ( $>100$  MeV) fits power law (photon index  $\approx 2$ ) with exponential cut-off  $E_c \approx (2-4)$  GeV

- ▶ LC modulated with orbital period, but shifted to TeV/X-rays ("*anti-phase*"), trend for shift increase with HE energy? (Chernyakova+14)

## ▶ *phase-resolved spectrum*:

- *excluding* SUPC: cut-off at  $E_c \approx 2$  GeV and spectra similar,
- *including* SUPC: enhancement at 0.1-0.3 GeV and softer spectrum



## ▶ *Two-component HE emission? Different locations?*

(one for  $<1$  GeV at SUPC, plus one for entire orbit?)

## ▶ HE & VHE gamma-rays from different locations dominating?

- ▶ magnetospheric HE ( $\sim 1$ -10 GeV)?

- ▶ but modulation & no pulsation?

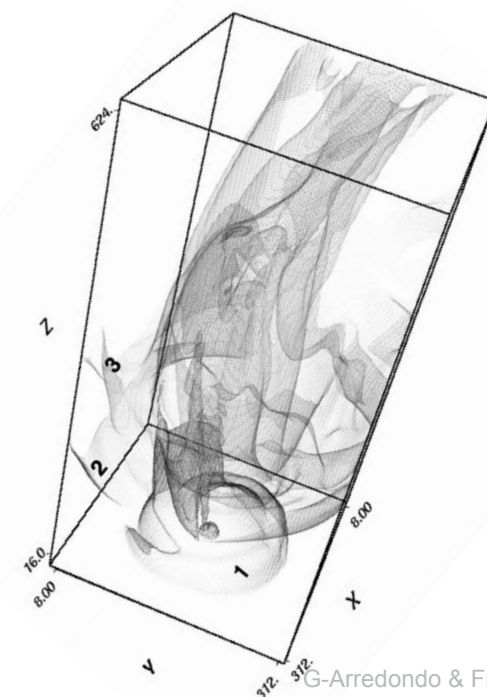
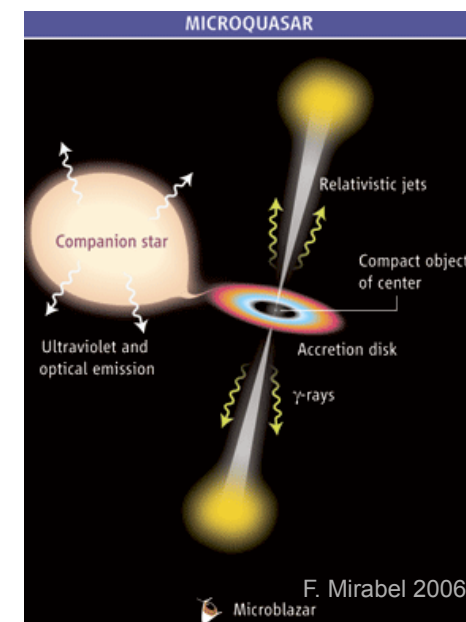
- ▶ unshocked pulsar wind (IC,  $\sim 0.5$  GeV)?

- ▶ termination shock/wind stand-off (GeV-VHE)

- +.....

## Microquasar-Scenario?

- BH-jet, accretion-powered scenario
- Multiple emission sites possible (Perucho & Bosch-Ramon'12)
  - ▶ magnetospheric (IC-GeV)
  - ▶ jet (internal shocks...)
  - ▶ jet-wind interaction...
- expect mildly relativistic jet speeds  $v_j \sim 0.5-0.7 c$
- 1st order Fermi (parallel shock) not efficient enough (?)
  - ▶  $t_{\text{acc}} \approx 20 \kappa / u_s^2 \geq 6 t_L (c/u_s)^2 > 10 t_L$
  - ▶ *escape*: quasi-perpendicular shocks? (Jokipii 1987)
  - ▶ kinetic theory:  $\kappa_{\parallel} = \lambda c / 3$ ,  $\kappa_{\perp} = \kappa_{\parallel} / (1 + \lambda^2 / r_g^2)$
  - ▶ but: already using Bohm limit  $\lambda \rightarrow r_g$

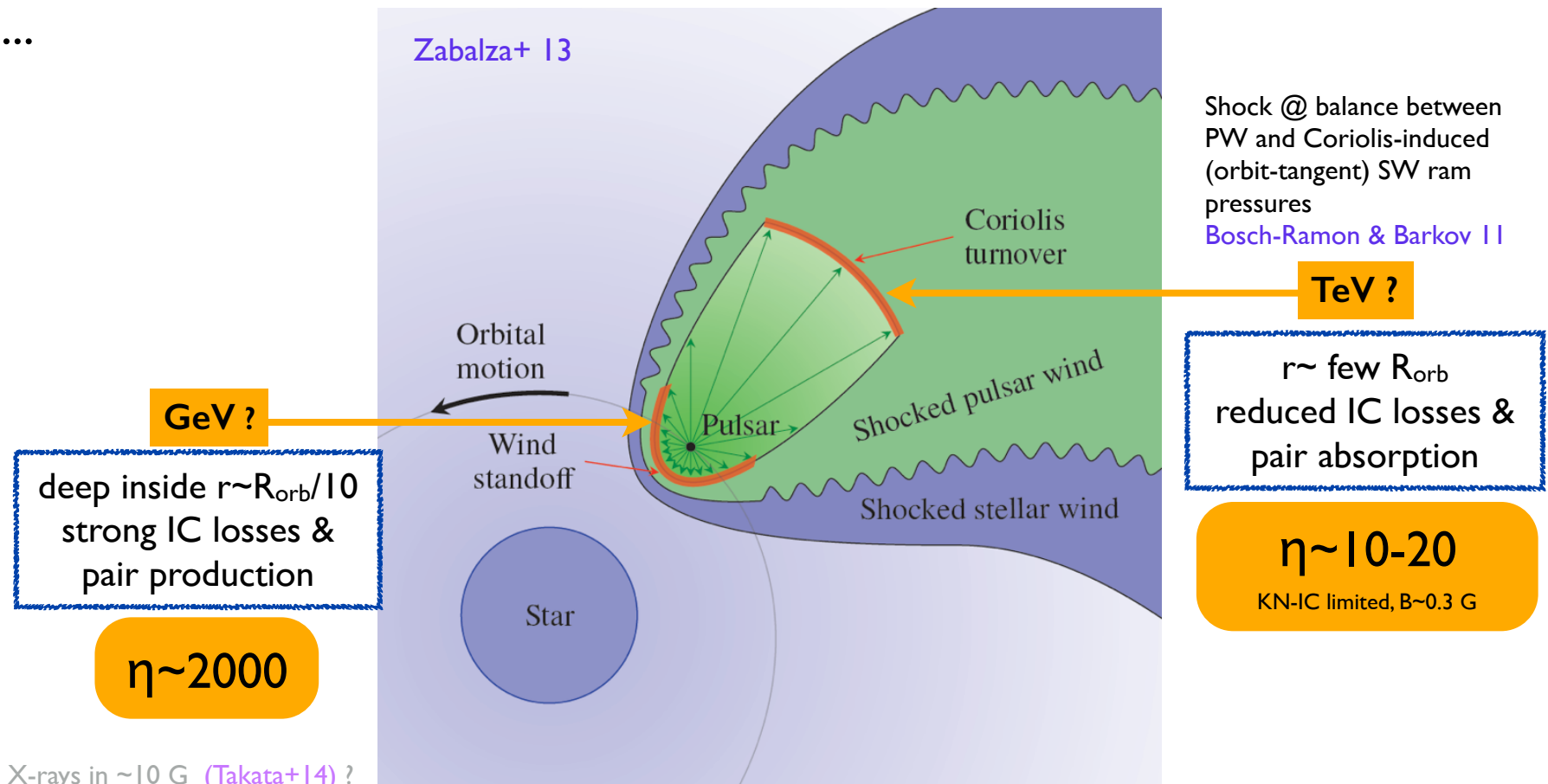


# Particle acceleration and emission in LS 5039

## Expect potential contributions from multiple zones:

(cf. Bosch-Ramon & FR 12)

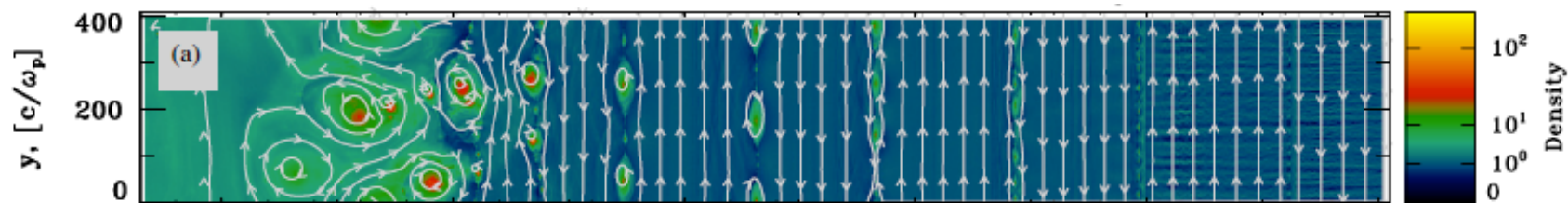
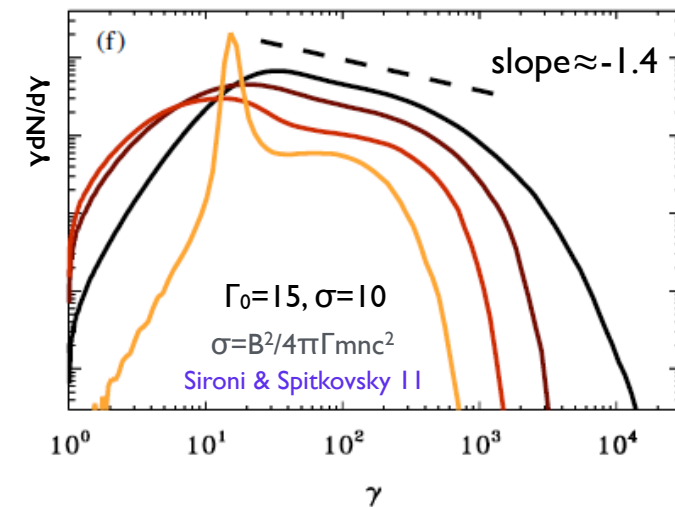
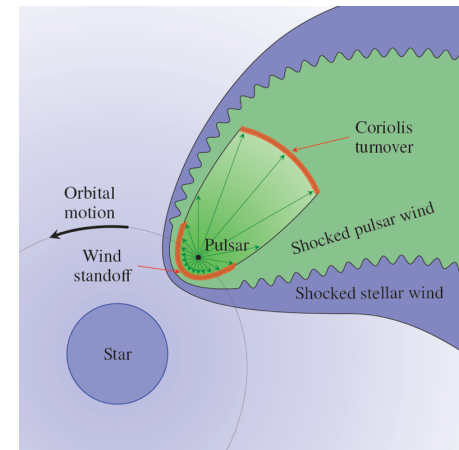
- ▶ pulsar magnetosphere
- ▶ pulsar wind (IC)
- ▶ “termination” shock(s)
- ▶ (re-accelerated?) shocked pulsar wind
- ▶ .....



# Particle acceleration at PW termination shock (TS)

## Particle acceleration by driven magnetic reconnection:

- ▶ at TS, flow gets compressed and **m.f annihilates** (Lyubarski '03)
- ▶ 2D-PIC: *all* magnetic energy given to particles: (Sironi & Spitkovsky '11, '14)
  - ▶ **power-law particle spectrum** (downstream) possible  
from  $\gamma_{\min} \approx \Gamma_{\text{PW}}$  to  $\gamma_{\max} \approx \Gamma_{\text{PW}} \sigma^{1/(2-p)}$
  - ▶ needs stripe wavelength (measured in post-shock plasma)  
 $\lambda / (r_{\text{Larmor}} \sigma) > \text{several tens}$   
equiv:  $4 \pi \kappa R_{\text{LC}} / R_{\text{TS}} > \text{several tens}$  (with  $n = \kappa n_{\text{GJ}}$ )
- ▶ “Better” for gamma-ray binaries:  $R_{\text{TS}} \sim 10^3 R_{\text{LC}}$   
 $\Gamma_{\text{PW}} \sigma \sim 10^4$  (Petri & Dubus '11)  
 spread:  $\gamma_{\max} / \gamma_{\min} = \sigma^2$   
 $\Rightarrow \sigma < 10$  for LS 5039 @ GeV?



$$\omega_p = (4\pi e^2 n_{co} / \gamma_0 m)^{1/2}$$

hydro shock

magnetic island formation

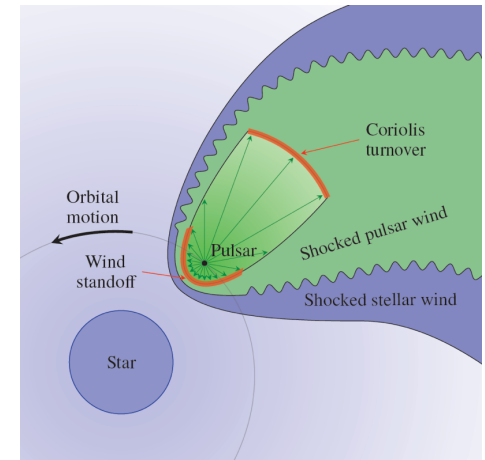
fast MHD shock

Sironi & Spitkovsky 11

# Efficient stochastic acceleration in post-shock flow ?

## CASE I: Post-shock magnetization not too small

- ▶ *assume*: full m.f. dissipation at TS does not occur
- ▶ Alfvén speed  $v_A/c \approx \sigma^{1/2} \gtrsim 0.1$
- ▶ stochastic 2nd order Fermi  $t_{\text{acc}} \approx (c/v_A)^2 \tau_s$   
can reach  $\gamma_{\text{max}} \sim 10^7$
- ▶ diffusion equation (zero-order approximation):



$$\frac{\partial f}{\partial t} = \frac{1}{p^2} \frac{\partial}{\partial p} \left( p^2 D_p \frac{\partial f}{\partial p} \right) + \frac{1}{p^2} \frac{\partial}{\partial p} (p^4 \beta_s f) + \frac{p}{3} \frac{\partial u}{\partial x} \frac{\partial f}{\partial p} - \frac{f}{T_{\text{esc}}}$$

with momentum-space *diffusion coefficient*  $D_p = p^2 (v_A/c)^2 / 3 \tau_s = D_0 p^{2-\alpha}$

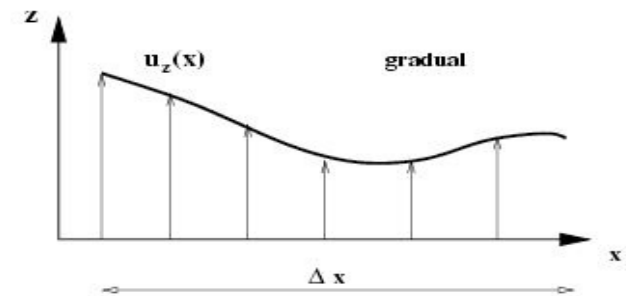
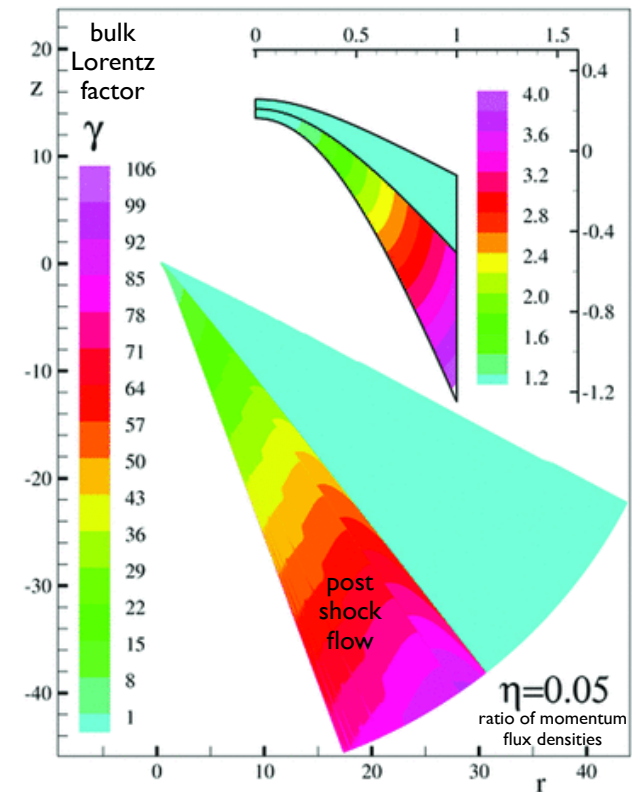
where  $\tau_s \propto p^\alpha$  ( $\alpha=0$  *hard-sphere*,  $\alpha=1/3$  *Kolmogorov*,  $\alpha=1/2$  *Kraichnan*,  $\alpha=1$  *Bohm*)

- ▶ Solution  $f(p) \sim \int dp p^{\alpha-4} \exp(-c_1 p^\alpha / \alpha) \dots$  (for  $\alpha \neq 0$ )
- ▶ for hard-sphere:  $n(p) \sim p^2 f(p) \sim p^{-(1+a)}$  with  $a=1/[3 t_{\text{ad}} D_0]$ , “hard spectrum”
- ▶ will need full time, space & momentum study

# Efficient shear acceleration in post-shock flow ?

## CASE II: Post-shock magnetization small ( $\sigma \ll 1$ )

- ▶ low Alfvén speed, no efficient 2nd order Fermi
- ▶ Hydro-limit applies: (Bogovalov+ 08 & 12)
  - ▶ possible re-acceleration of post-shock flow to  $\Gamma \gg 1$   
(adiabatically: thermal heat to bulk motion)
  - ▶ large velocity gradients
- ▶ shear particle acceleration possible (FR & Duffy '05, '06)
  - ▶ 2nd order “Fermi-type”
  - ▶ draws on systematic velocity component
  - ▶ needs energetic seed particles



$$\frac{\langle \Delta \epsilon \rangle}{\epsilon_1} \propto \left( \frac{u}{c} \right)^2 = \left( \frac{\partial u_z}{\partial x} \right)^2 \lambda^2$$

# Shear acceleration (recap)

(e.g., Jokipii & Morfill '90; FR. & Duffy '04, '06)

► Gradual shear flow with frozen-in scattering centers:

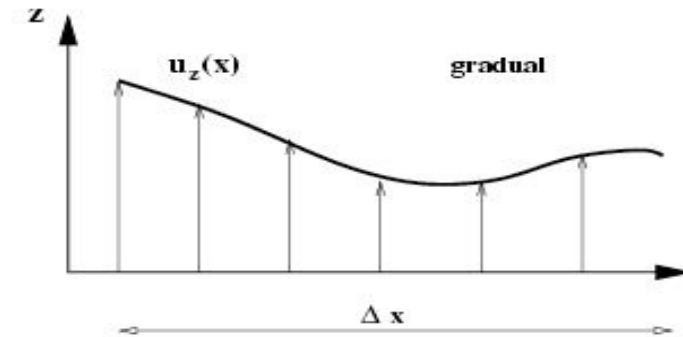
$$\vec{u} = u_z(x) \vec{e}_z$$

► like 2nd Fermi, stochastic process with average gain:

$$\frac{\langle \Delta \epsilon \rangle}{\epsilon_1} \propto \left( \frac{u}{c} \right)^2 = \left( \frac{\partial u_z}{\partial x} \right)^2 \lambda^2$$

with characteristic effective velocity:

$$u = \left( \frac{\partial u_z}{\partial x} \right) \lambda \quad \lambda = \text{mean free path}$$



►  $t_{\text{acc}} \approx E / (dE/dt) \sim 1/\lambda$

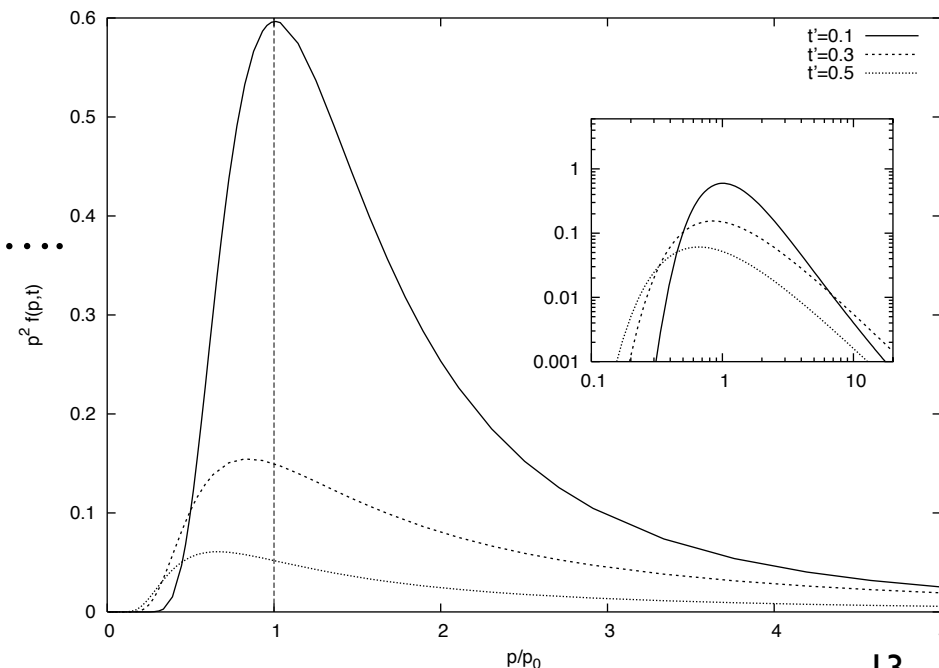
► seed from acceleration @ TS (GeV), stochastic....

► easier for protons....

►  $n(\gamma) \sim \gamma^{-(1+\alpha)}$ , with  $\alpha=1$  for  $\lambda \sim r_g$  (Bohm)

► change of slope?

► boost to TeV energies? relativistic effects?



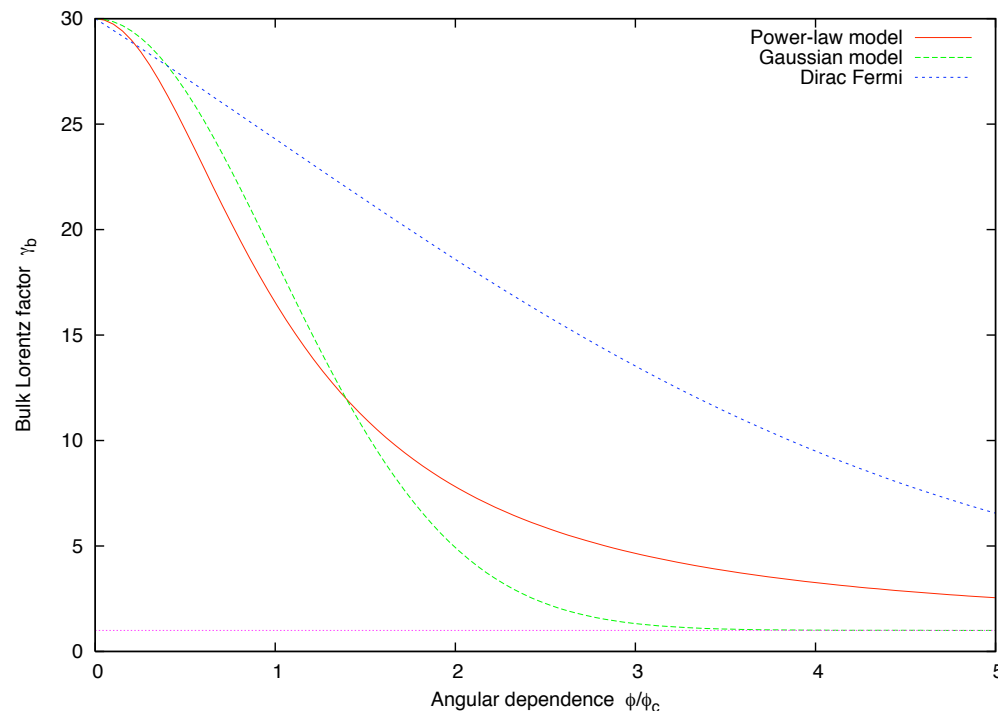
# Efficient shear acceleration in post-shock flow ?

Illustration: Shear acceleration in expanding outflows (FR+, in prep)

- ▶ Flow profile:  $u^\alpha = \gamma_b (1, v_r(\theta)/c, 0, 0)$   $\theta = \text{polar angle}$
- ▶ Characteristic acceleration time scale:

$$t_{\text{acc}}(r, \theta)' \sim r^2 / [\gamma_b^2 \lambda] \times 1 / [v_r^2 + 0.75 \gamma_b^2 (\partial v_r / \partial \theta)^2]$$

- ▶ power-law, Gaussian and Fermi-Dirac profile for  $\gamma_b$  :

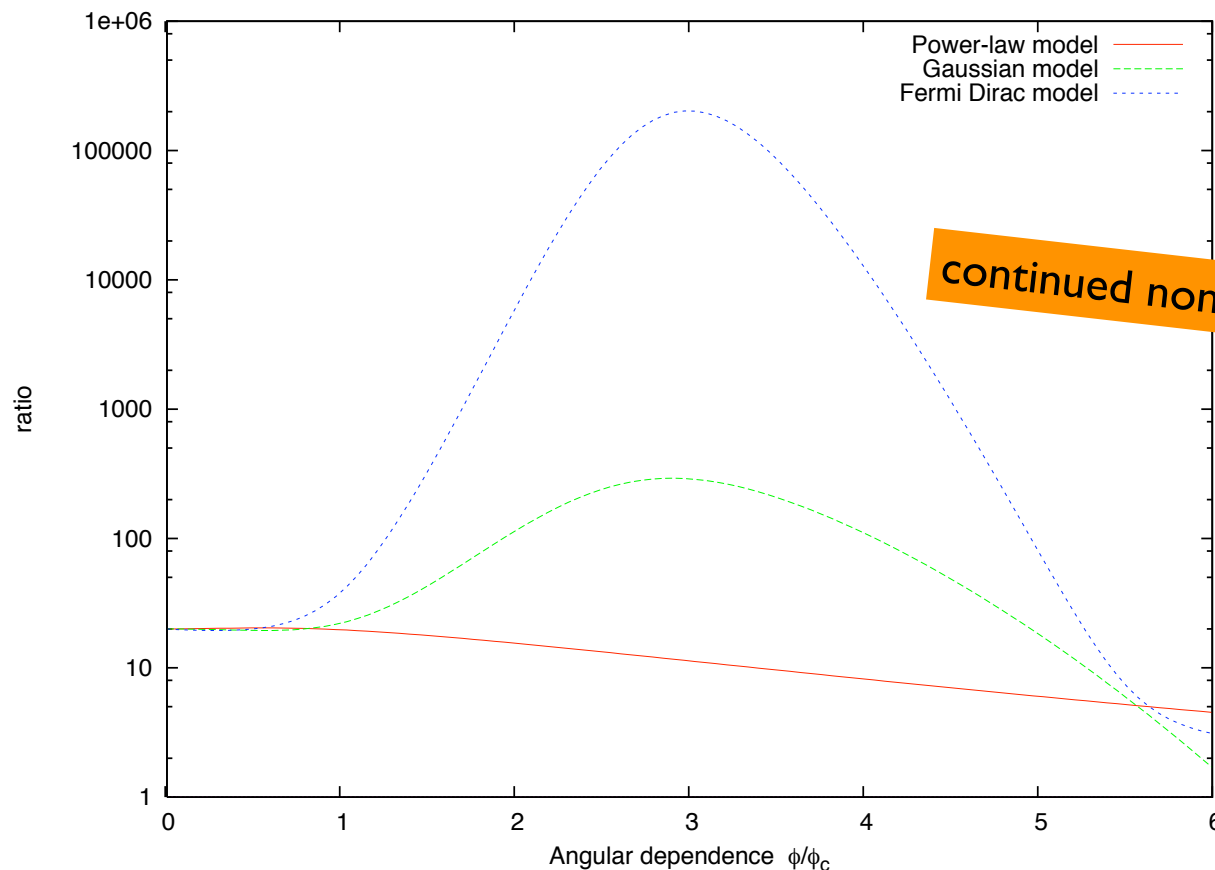


Evolution of  $\gamma_b$  with polar angle  $\theta$  for power-law ( $b = 1.8$ ), Gaussian and Fermi-Dirac type ( $\beta_c = 0.5$ ) profile, respectively, assuming  $\gamma_{b0} = 30$ .

# Efficient shear acceleration in post-shock flow ?

## Illustration: Shear acceleration in expanding outflows

- ▶ acceleration versus adiabatic losses ( $\tau' \sim r / c \gamma_b$ )
- ▶ need sufficient energetic particles ( $\lambda/r > 10^{-6}$ )



Ratio of viscous shear gain versus adiabatic losses times ( $r/\lambda$ ), illustrated for  $\theta_c = 0.05$  rad.

# To conclude

## Extreme particle acceleration in Gamma-Ray Binaries

- ▶ evidence for  $t_{\text{acc}} \sim O(10) r_g/c$  for TeV in LS 5039
- ▶ PW & SW interaction results in several potential acceleration sites (challenges for BH-jet scenarios)
- ▶ Difficulties of traditional shock accelerate picture
- ▶ Particle re-acceleration by stochastic & shear processes possible (alternative, two-step)
- ▶ need to improve understanding of origin of periodic X-ray emission....

**THANK YOU!**