

Lepton Number Violation and Leptogenesis

BHUPAL DEV

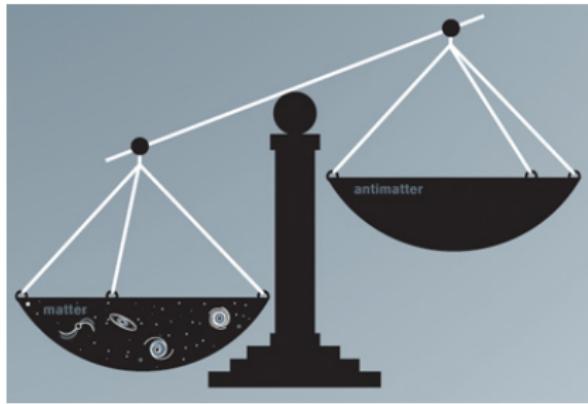
*Consortium for Fundamental Physics,
The University of Manchester, United Kingdom.*

- [1a] BD, P. Millington, A. Pilaftsis and D. Teresi, Nucl. Phys. B **886**, 569 (2014).
- [1b] BD, P. Millington, A. Pilaftsis and D. Teresi, arXiv:1504.07640 [hep-ph].
- [2] BD, P. Millington, A. Pilaftsis and D. Teresi, Nucl. Phys. B **891**, 128 (2015).
- [3a] BD, C. H. Lee and R. N. Mohapatra, Phys. Rev. D **90**, 095012 (2014).
- [3b] BD, C. H. Lee and R. N. Mohapatra, arXiv:1503.04970 [hep-ph].
- [4] BD, arXiv:1506.00837 [hep-ph].

Outline

- Motivation
- Low-scale Leptogenesis
- Flavor Effects
- Phenomenology
- Conclusions and Outlook

Matter-Antimatter Asymmetry



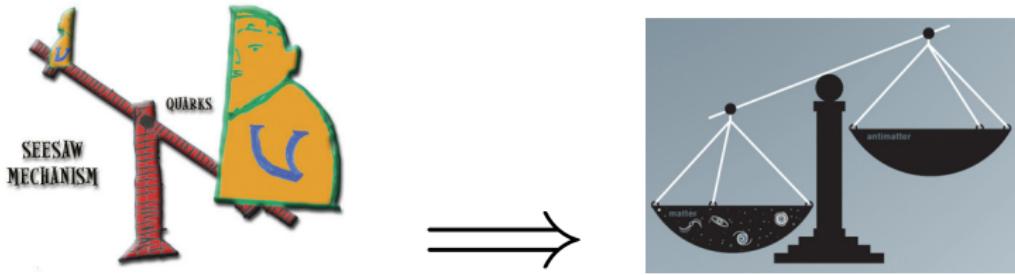
$$\eta_{\Delta B} \equiv \frac{n_B - n_{\bar{B}}}{n_\gamma} = (6.105^{+0.086}_{-0.081}) \times 10^{-10} \quad [\text{Planck (2015)}]$$

- **Baryogenesis:** Dynamical generation of baryon asymmetry.
- **Sakharov conditions:** Need B violation, C and CP violation, departure from thermal equilibrium. [Sakharov '67]
- **Requires some New Physics beyond the Standard Model.**

Leptogenesis

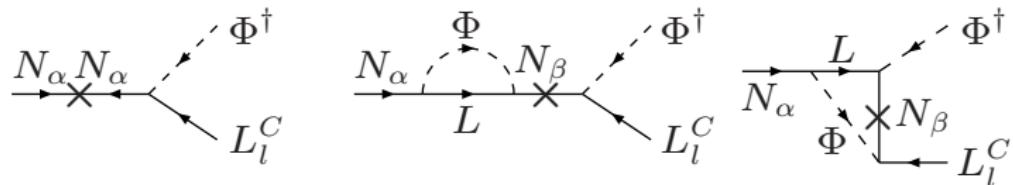
[Fukugita, Yanagida '86] (talk by M. Garny)

- Introduce at least two SM-singlet heavy Majorana neutrinos (N_α).
 - L violation due to the Majorana nature.
 - New source of CP violation through complex Yukawa couplings.
 - Departure from equilibrium due to N decay in an expanding Universe.
 - L asymmetry partially converted to B asymmetry through $(B + L)$ -violating sphaleron effects. [Kuzmin, Rubakov, Shaposhnikov '85]
- Heavy neutrinos can also explain the observed non-zero neutrino masses and mixing: **Seesaw mechanism**. [Minkowski '77; Mohapatra, Senjanović '79; Yanagida '79; Gell-Mann, Ramond, Slansky '79; Glashow '79; Schechter and Valle '80]
- **Leptogenesis is a cosmological consequence of the seesaw mechanism.**

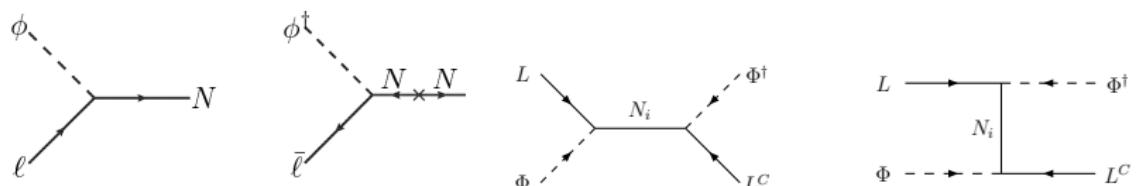


Leptogenesis in 3 Basic Steps

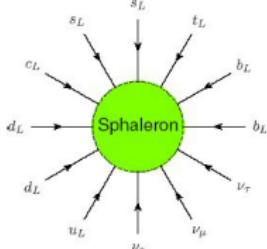
- ① Generation of lepton asymmetry by decay of a heavy Majorana neutrino.



- ② Partial washout of the asymmetry due to inverse decays and scatterings.



- ③ Conversion of the residual lepton asymmetry to baryon asymmetry.



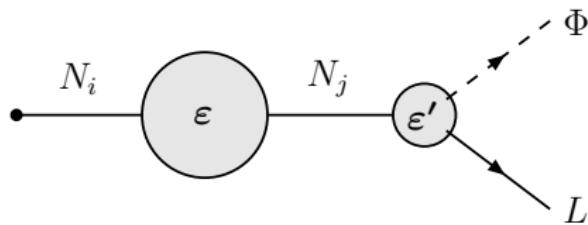
Problems with ‘Vanilla’ Leptogenesis

- For a hierarchical heavy neutrino spectrum ($m_{N_1} \ll m_{N_2}$), **lower** bound on m_{N_1} :
[Davidson, Ibarra '02; Buchmüller, Di Bari, Plümacher '02]

$$m_{N_1} \gtrsim 6.4 \times 10^8 \text{ GeV} \left(\frac{\eta_{\Delta B}}{6 \times 10^{-10}} \right) \left(\frac{0.05 \text{ eV}}{\sqrt{\Delta m_{\text{atm}}^2}} \right)$$

- Experimentally inaccessible mass range!
- Also leads to a potential tension with the gravitino overproduction bound on the reheat temperature: $T_{\text{rh}} \lesssim 10^6 - 10^9 \text{ GeV}$ [Khlopov, Linde '84; Ellis, Kim, Nanopoulos '84; ...; Kawasaki, Kohri, Moroi, Yotsuyanagi '08]
- An attractive solution: **Resonant Leptogenesis**. [Pilaftsis, Underwood '03]

Resonant Leptogenesis



- For quasi-degenerate heavy Majorana neutrinos, self-energy effects on the leptonic CP -asymmetry (ϵ -type) become dominant.
[Flanz, Paschos, Sarkar '95; Covi, Roulet, Vissani '96]
- Resonantly enhanced, even up to order 1, when $\Delta m_N \sim \Gamma_N/2 \ll m_{N_{1,2}}$. [Pilaftsis '97]
- The quasi-degeneracy can be naturally motivated as due to approximate breaking of some symmetry in the leptonic sector.
- Heavy neutrino mass scale can be as low as the EW scale.
[Pilaftsis, Underwood '05; Deppisch, Pilaftsis '10; BD, Millington, Pilaftsis, Teresi '14]
- Provides a potentially testable scenario of leptogenesis, with implications at both Energy and Intensity Frontiers. [Deppisch, BD, Pilaftsis '15; BD '15]

Flavordynamics of Leptogenesis

- Flavor effects could be important for the time-evolution of lepton asymmetry.
- In the minimal scenario, two potential sources of flavor effects due to
 - Heavy neutrino Yukawa couplings h_l^α [Pilaftsis '05; Blanchet, Di Bari, Jones, Marzola '11]
Note: Can also generate lepton asymmetry from **heavy neutrino oscillations** [Akhmedov, Rubakov, Smirnov '98; Asaka, Shaposhnikov '05] (talk by T. Asaka)
 - Charged lepton Yukawa couplings y_l^k [Barbieri, Creminelli, Strumia, Tetradi '00; Abada, Davidson, Ibarra, Josse-Michaux, Losada, Riotto '06; Nardi, Nir, Roulet, Racker '06; Blanchet, Di Bari '07]
- Need a *fully* flavor-covariant formalism to consistently capture all flavor effects, including the interplay between them.



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Flavour covariant transport equations: An application to resonant leptogenesis

P.S. Bhupal Dev ^a, Peter Millington ^{a,b}, Apostolos Pilaftsis ^a,
Daniele Teresi ^{a,*}

Flavor-covariant Master Equation

- In the semi-classical Boltzmann approach, promote the number densities (numbers) to matrices in flavor space: ‘density matrix’ formalism [Sigl, Raffelt ’93]

$$\mathbf{n}^X(t) \equiv \langle \tilde{\mathbf{n}}^X(\tilde{t}; \tilde{t}_i) \rangle_t = \text{Tr} \left[\rho(\tilde{t}; \tilde{t}_i) \tilde{\mathbf{n}}^X(\tilde{t}; \tilde{t}_i) \right]$$

- Differentiate w.r.t the macroscopic time $t = \tilde{t} - \tilde{t}_i$:

$$\frac{d\mathbf{n}^X(t)}{dt} = \text{Tr} \left[\rho(\tilde{t}; \tilde{t}_i) \underbrace{\frac{d\tilde{\mathbf{n}}^X(\tilde{t}; \tilde{t}_i)}{d\tilde{t}}}_{i[H_0^X, \tilde{\mathbf{n}}^X]} \right] + \text{Tr} \left[\underbrace{\frac{d\rho(\tilde{t}; \tilde{t}_i)}{d\tilde{t}}}_{-i[H_{\text{int}}(\tilde{t}; \tilde{t}_i), \rho(\tilde{t}; \tilde{t}_i)]} \tilde{\mathbf{n}}^X(\tilde{t}; \tilde{t}_i) \right]$$

(Heisenberg) (Liouville-von Neumann)

- In the Markovian limit,

$$\frac{d}{dt} \mathbf{n}^X(\mathbf{k}, t) \simeq i \langle [H_0^X, \tilde{\mathbf{n}}^X(\mathbf{k}, t)] \rangle_t - \frac{1}{2} \int_{-\infty}^{+\infty} dt' \langle [H_{\text{int}}(t'), [H_{\text{int}}(t), \tilde{\mathbf{n}}^X(\mathbf{k}, t)]] \rangle_t$$

| | |
|---------------------|-------------------|
| (oscillation terms) | (collision terms) |
|---------------------|-------------------|

Application to Resonant Leptogenesis

- For charged-lepton and heavy-neutrino matrix number densities,

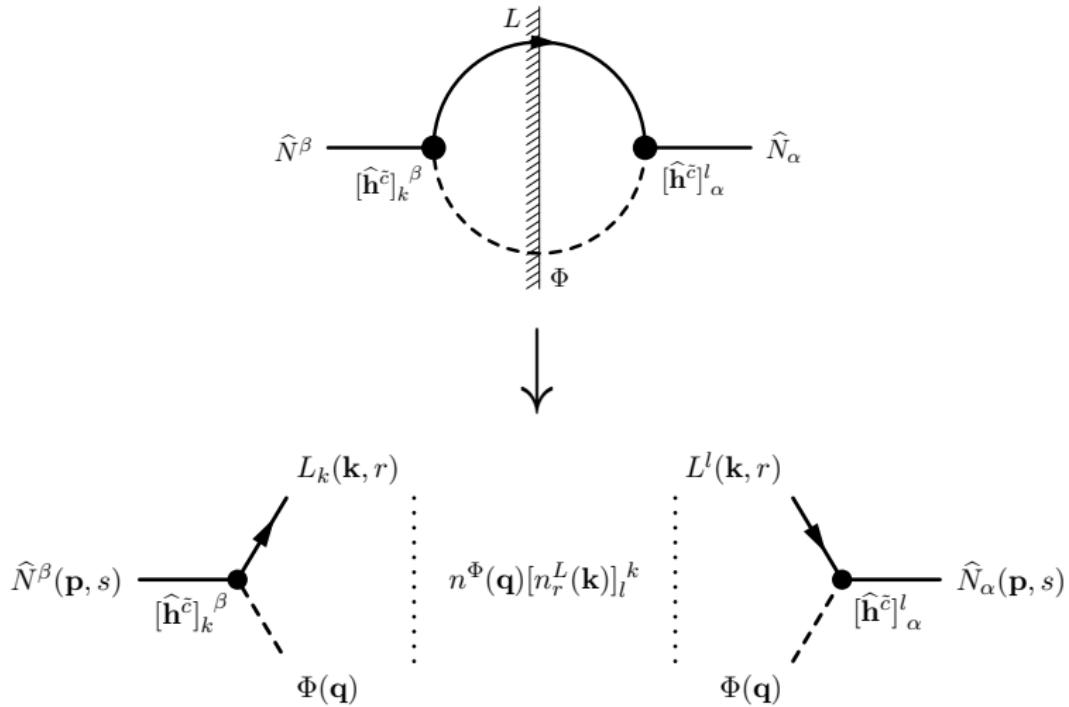
$$\begin{aligned}\frac{d}{dt} [n_{s_1 s_2}^L(\mathbf{p}, t)]_l^m &= -i [E_L(\mathbf{p}), n_{s_1 s_2}^L(\mathbf{p}, t)]_l^m + [C_{s_1 s_2}^L(\mathbf{p}, t)]_l^m \\ \frac{d}{dt} [n_{r_1 r_2}^N(\mathbf{k}, t)]_\alpha^\beta &= -i [E_N(\mathbf{k}), n_{r_1 r_2}^N(\mathbf{k}, t)]_\alpha^\beta + [C_{r_1 r_2}^N(\mathbf{k}, t)]_\alpha^\beta + G_{\alpha \lambda} [\bar{C}_{r_2 r_1}^N(\mathbf{k}, t)]_\mu^\lambda G^{\mu \beta}\end{aligned}$$

- Collision terms are of the form

$$[C_{s_1 s_2}^L(\mathbf{p}, t)]_l^m \supset -\frac{1}{2} [\mathcal{F}_{s_1 s_2 r_1 r_2}(\mathbf{p}, \mathbf{q}, \mathbf{k}, t)]_l^n {}_\alpha^\beta [\Gamma_{s_1 s_2 r_1 r_2}(\mathbf{p}, \mathbf{q}, \mathbf{k})]_n {}^m {}_\beta {}^\alpha,$$

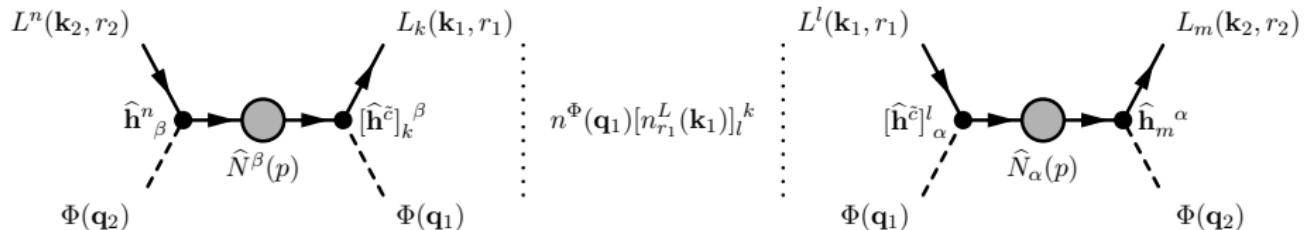
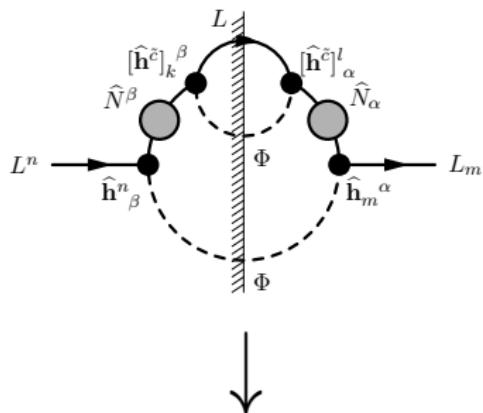
- Statistical tensor $\mathcal{F} = n^\Phi \mathbf{n}^L \otimes (\mathbf{1} - \mathbf{n}^N) - (1 + n^\Phi) (\mathbf{1} - \mathbf{n}^L) \otimes \mathbf{n}^N$.
- Absorptive rate tensor Γ : rank-4 object describing heavy neutrino decays and inverse decays.

Collision Rates for Decay and Inverse Decay



$$[C^N]_\alpha^\beta \propto n^\Phi [n^L]^k_l [\gamma(L\Phi \rightarrow N)]_k^\beta$$

Collision Rates for $2 \leftrightarrow 2$ Scattering



$$[C^L]_m^n \propto n^\Phi [n^L]^k_l [\gamma(L\Phi \rightarrow L\Phi)]_{km}^{l-n}$$

Final Rate Equations

$$\frac{H_N n^\gamma}{z} \frac{d[\underline{\eta}^N]_\alpha^\beta}{dz} = -i \frac{n^\gamma}{2} \left[\mathcal{E}_N, \delta \eta^N \right]_\alpha^\beta + \left[\widetilde{\text{Re}}(\gamma_{L\Phi}^N) \right]_\alpha^\beta - \frac{1}{2 \eta_{\text{eq}}^N} \left\{ \underline{\eta}^N, \widetilde{\text{Re}}(\gamma_{L\Phi}^N) \right\}_\alpha^\beta$$

$$\begin{aligned} \frac{H_N n^\gamma}{z} \frac{d[\delta \eta^N]_\alpha^\beta}{dz} &= -2i n^\gamma \left[\mathcal{E}_N, \underline{\eta}^N \right]_\alpha^\beta + 2i \left[\widetilde{\text{Im}}(\delta \gamma_{L\Phi}^N) \right]_\alpha^\beta - \frac{i}{\eta_{\text{eq}}^N} \left\{ \underline{\eta}^N, \widetilde{\text{Im}}(\delta \gamma_{L\Phi}^N) \right\}_\alpha^\beta \\ &\quad - \frac{1}{2 \eta_{\text{eq}}^N} \left\{ \delta \eta^N, \widetilde{\text{Re}}(\gamma_{L\Phi}^N) \right\}_\alpha^\beta \end{aligned}$$

$$\begin{aligned} \frac{H_N n^\gamma}{z} \frac{d[\delta \eta^L]_l^m}{dz} &= -[\delta \gamma_{L\Phi}^N]_l^m + \frac{[\underline{\eta}^N]_\beta^\alpha}{\eta_{\text{eq}}^N} [\delta \gamma_{L\Phi}^N]_l^m{}_\alpha^\beta + \frac{[\delta \eta^N]_\beta^\alpha}{2 \eta_{\text{eq}}^N} [\gamma_{L\Phi}^N]_l^m{}_\alpha^\beta \\ &\quad - \frac{1}{3} \left\{ \delta \eta^L, \gamma_{L\bar{c}\Phi\bar{c}}^{L\Phi} + \gamma_{L\Phi}^{L\Phi} \right\}_l^m - \frac{2}{3} [\delta \eta^L]_k^n \left([\gamma_{L\bar{c}\Phi\bar{c}}^{L\Phi}]_n^k {}_l^m - [\gamma_{L\Phi}^{L\Phi}]_n^k {}_l^m \right) \\ &\quad - \frac{2}{3} \left\{ \delta \eta^L, \gamma_{\text{dec}} \right\}_l^m + [\delta \gamma_{\text{dec}}^{\text{back}}]_l^m \end{aligned}$$

Final Rate Equations: Mixing

$$\frac{H_N n^\gamma}{z} \frac{d[\underline{\eta}^N]_\alpha^\beta}{dz} = -i \frac{n^\gamma}{2} \left[\mathcal{E}_N, \delta \eta^N \right]_\alpha^\beta + \boxed{[\widetilde{\text{Re}}(\gamma_{L\Phi}^N)]_\alpha^\beta - \frac{1}{2 \eta_{\text{eq}}^N} \left\{ \underline{\eta}^N, \widetilde{\text{Re}}(\gamma_{L\Phi}^N) \right\}_\alpha^\beta}$$

$$\begin{aligned} \frac{H_N n^\gamma}{z} \frac{d[\delta \eta^N]_\alpha^\beta}{dz} &= -2i n^\gamma \left[\mathcal{E}_N, \underline{\eta}^N \right]_\alpha^\beta + 2i [\widetilde{\text{Im}}(\delta \gamma_{L\Phi}^N)]_\alpha^\beta - \frac{i}{\eta_{\text{eq}}^N} \left\{ \underline{\eta}^N, \widetilde{\text{Im}}(\delta \gamma_{L\Phi}^N) \right\}_\alpha^\beta \\ &\quad - \frac{1}{2 \eta_{\text{eq}}^N} \left\{ \delta \eta^N, \widetilde{\text{Re}}(\gamma_{L\Phi}^N) \right\}_\alpha^\beta \end{aligned}$$

$$\begin{aligned} \frac{H_N n^\gamma}{z} \frac{d[\delta \eta^L]_l^m}{dz} &= \boxed{- [\delta \gamma_{L\Phi}^N]_l^m + \frac{[\underline{\eta}^N]_\beta^\alpha}{\eta_{\text{eq}}^N} [\delta \gamma_{L\Phi}^N]_l^m \delta \gamma_{L\Phi}^N]_\alpha^\beta + \frac{[\delta \eta^N]_\beta^\alpha}{2 \eta_{\text{eq}}^N} [\gamma_{L\Phi}^N]_l^m \delta \gamma_{L\Phi}^N]_\alpha^\beta} \\ &\quad - \frac{1}{3} \left\{ \delta \eta^L, \gamma_{L\bar{\epsilon}\Phi\bar{\epsilon}}^{L\Phi} + \gamma_{L\Phi}^{L\Phi} \right\}_l^m - \frac{2}{3} [\delta \eta^L]_k^n \left([\gamma_{L\bar{\epsilon}\Phi\bar{\epsilon}}^{L\Phi}]_{n,l}^{k,m} - [\gamma_{L\Phi}^{L\Phi}]_{n,l}^{k,m} \right) \\ &\quad - \frac{2}{3} \left\{ \delta \eta^L, \gamma_{\text{dec}} \right\}_l^m + [\delta \gamma_{\text{dec}}^{\text{back}}]_l^m \end{aligned}$$

Final Rate Equations: Oscillation

$$\frac{H_N n^\gamma}{z} \frac{d[\underline{\eta}^N]_\alpha{}^\beta}{dz} = \boxed{-i \frac{n^\gamma}{2} [\mathcal{E}_N, \delta\eta^N]_\alpha{}^\beta + [\widetilde{\text{Re}}(\gamma_{L\Phi}^N)]_\alpha{}^\beta - \frac{1}{2\eta_{\text{eq}}^N} \left\{ \underline{\eta}^N, \widetilde{\text{Re}}(\gamma_{L\Phi}^N) \right\}_\alpha{}^\beta}$$

$$\frac{H_N n^\gamma}{z} \frac{d[\delta\eta^N]_\alpha{}^\beta}{dz} = \boxed{-2i n^\gamma [\mathcal{E}_N, \underline{\eta}^N]_\alpha{}^\beta + 2i [\widetilde{\text{Im}}(\delta\gamma_{L\Phi}^N)]_\alpha{}^\beta - \frac{i}{\eta_{\text{eq}}^N} \left\{ \underline{\eta}^N, \widetilde{\text{Im}}(\delta\gamma_{L\Phi}^N) \right\}_\alpha{}^\beta} \\ - \frac{1}{2\eta_{\text{eq}}^N} \left\{ \delta\eta^N, \widetilde{\text{Re}}(\gamma_{L\Phi}^N) \right\}_\alpha{}^\beta$$

$$\frac{H_N n^\gamma}{z} \frac{d[\delta\eta^L]_l{}^m}{dz} = -[\delta\gamma_{L\Phi}^N]_l{}^m + \frac{[\underline{\eta}^N]_\beta{}^\alpha}{\eta_{\text{eq}}^N} [\delta\gamma_{L\Phi}^N]_l{}^m{}_\alpha{}^\beta + \boxed{\frac{[\delta\eta^N]_\beta{}^\alpha}{2\eta_{\text{eq}}^N} [\gamma_{L\Phi}^N]_l{}^m{}_\alpha{}^\beta} \\ - \frac{1}{3} \left\{ \delta\eta^L, \gamma_{L\bar{c}\Phi\bar{c}}^{L\Phi} + \gamma_{L\Phi}^{L\Phi} \right\}_l{}^m - \frac{2}{3} [\delta\eta^L]_k{}^n \left([\gamma_{L\bar{c}\Phi\bar{c}}^{L\Phi}]_{n\,l}{}^{k\,m} - [\gamma_{L\Phi}^{L\Phi}]_{n\,l}{}^{k\,m} \right) \\ - \frac{2}{3} \left\{ \delta\eta^L, \gamma_{\text{dec}} \right\}_l{}^m + [\delta\gamma_{\text{dec}}^{\text{back}}]_l{}^m$$

Final Rate Equations: Charged Lepton Decoherence

$$\frac{H_N n^\gamma}{z} \frac{d[\underline{\eta}^N]_\alpha^\beta}{dz} = -i \frac{n^\gamma}{2} [\mathcal{E}_N, \delta \eta^N]_\alpha^\beta + [\widetilde{\text{Re}}(\gamma_{L\Phi}^N)]_\alpha^\beta - \frac{1}{2 \eta_{\text{eq}}^N} \left\{ \underline{\eta}^N, \widetilde{\text{Re}}(\gamma_{L\Phi}^N) \right\}_\alpha^\beta$$

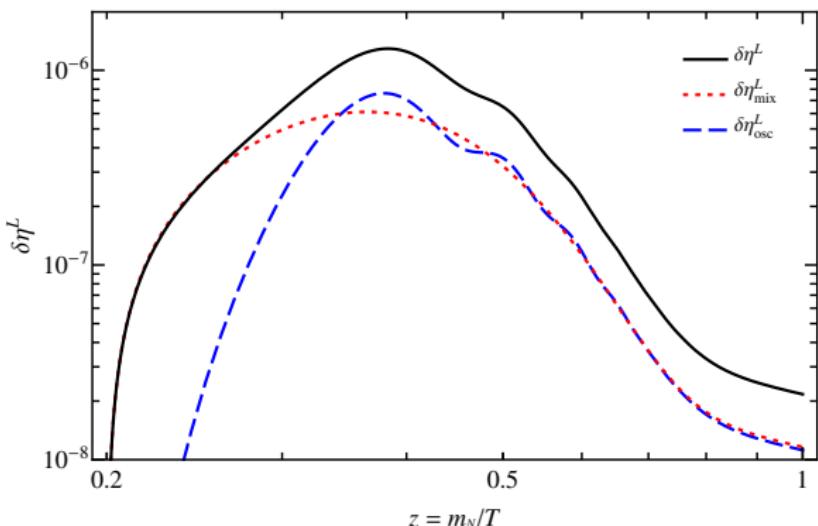
$$\begin{aligned} \frac{H_N n^\gamma}{z} \frac{d[\delta \eta^N]_\alpha^\beta}{dz} &= -2i n^\gamma [\mathcal{E}_N, \underline{\eta}^N]_\alpha^\beta + 2i [\widetilde{\text{Im}}(\delta \gamma_{L\Phi}^N)]_\alpha^\beta - \frac{i}{\eta_{\text{eq}}^N} \left\{ \underline{\eta}^N, \widetilde{\text{Im}}(\delta \gamma_{L\Phi}^N) \right\}_\alpha^\beta \\ &\quad - \frac{1}{2 \eta_{\text{eq}}^N} \left\{ \delta \eta^N, \widetilde{\text{Re}}(\gamma_{L\Phi}^N) \right\}_\alpha^\beta \end{aligned}$$

$$\begin{aligned} \frac{H_N n^\gamma}{z} \frac{d[\delta \eta^L]_l^m}{dz} &= -[\delta \gamma_{L\Phi}^N]_l^m + \frac{[\underline{\eta}^N]_\beta^\alpha}{\eta_{\text{eq}}^N} [\delta \gamma_{L\Phi}^N]_l^m{}_\alpha^\beta + \frac{[\delta \eta^N]_\beta^\alpha}{2 \eta_{\text{eq}}^N} [\gamma_{L\Phi}^N]_l^m{}_\alpha^\beta \\ &\quad - \frac{1}{3} \left\{ \delta \eta^L, \gamma_{L\bar{\Phi}\Phi\bar{\epsilon}}^{L\Phi} + \gamma_{L\Phi}^{L\Phi} \right\}_l^m - \frac{2}{3} [\delta \eta^L]_k^n \left([\gamma_{L\bar{\epsilon}\Phi\bar{\epsilon}}^{L\Phi}]_n^k{}_l^m - [\gamma_{L\Phi}^{L\Phi}]_n^k{}_l^m \right) \end{aligned}$$

$$- \frac{2}{3} \left\{ \delta \eta^L, \gamma_{\text{dec}} \right\}_l^m + [\delta \gamma_{\text{dec}}^{\text{back}}]_l^m$$

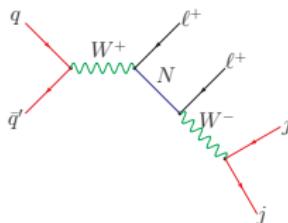
A Unified Framework

- Our flavor-covariant formalism provides a unified framework to consistently describe all pertinent flavor effects: **mixing**, **oscillation** and **decoherence**.
- Mixing** and **Oscillation** are *distinct* physical phenomena, analogous to neutral meson systems.
- Confirmed in a more rigorous ‘first principles’ approach using Kadanoff-Baym formalism. [BD, Millington, Pilaftsis, Teresi ’14]

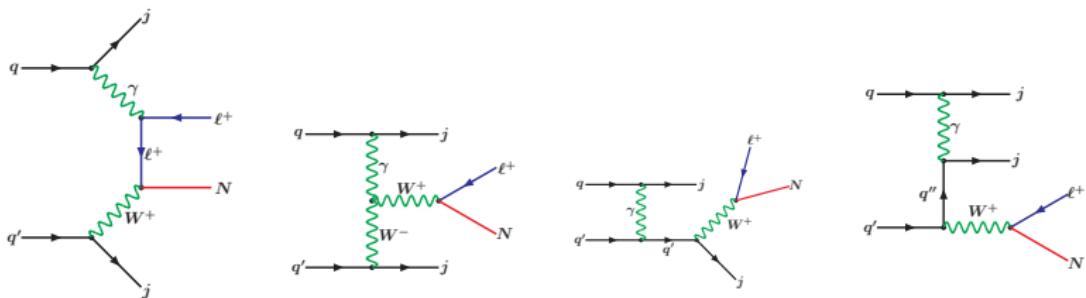


Testing Leptogenesis at Energy Frontier

- Same sign dilepton plus two jets with no missing E_T . [Keung, Senjanovic '83]



- Collinear enhancement effects could improve the LHC sensitivity by up to a factor of 10. [BD, Pilaftsis, Yang '14; Das, BD, Okada '14] (see talk by U. K. Yang)

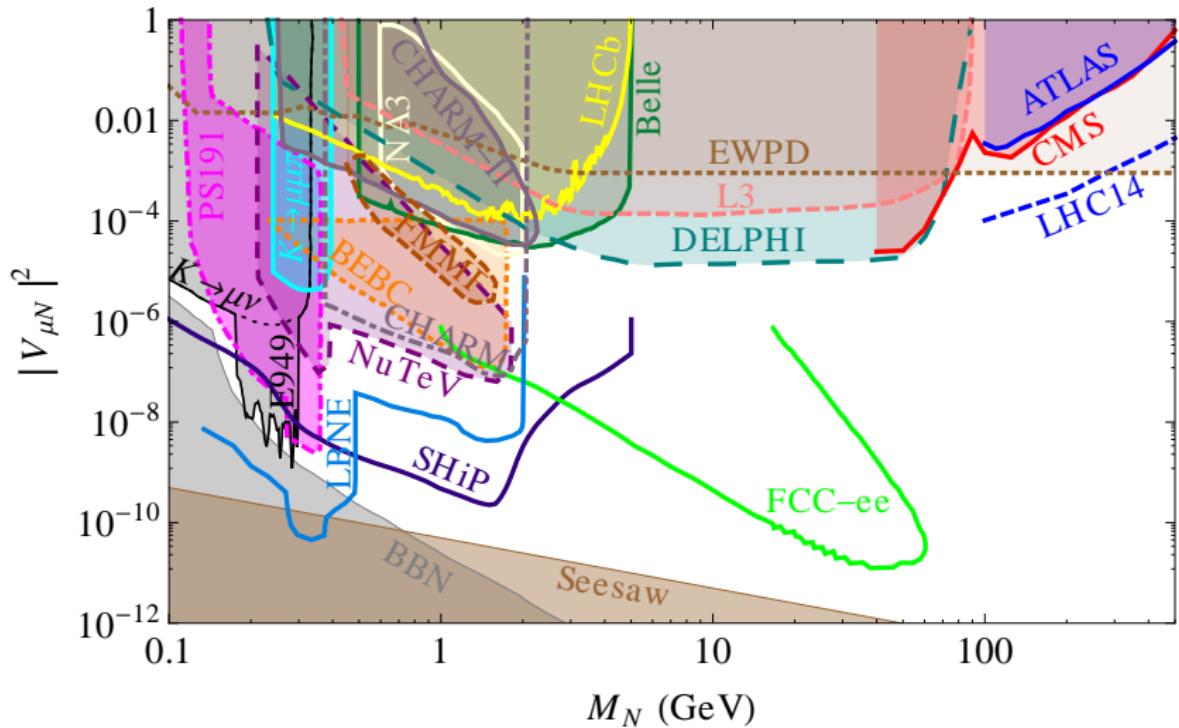


Testing Leptogenesis at Intensity Frontier

| Low-energy observables | Benchmark Point in a Minimal RL_τ Model | Experimental Limit |
|-------------------------------------|--|-------------------------|
| $BR(\mu \rightarrow e\gamma)$ | 1.9×10^{-13} | $< 5.7 \times 10^{-13}$ |
| $BR(\tau \rightarrow \mu\gamma)$ | 1.6×10^{-18} | $< 4.4 \times 10^{-8}$ |
| $BR(\tau \rightarrow e\gamma)$ | 5.9×10^{-19} | $< 3.3 \times 10^{-8}$ |
| $BR(\mu \rightarrow 3e)$ | 9.3×10^{-15} | $< 1.0 \times 10^{-12}$ |
| $R_{\mu \rightarrow e}^{\text{Ti}}$ | 2.9×10^{-13} | $< 6.1 \times 10^{-13}$ |
| $R_{\mu \rightarrow e}^{\text{Au}}$ | 3.2×10^{-13} | $< 7.0 \times 10^{-13}$ |
| $R_{\mu \rightarrow e}^{\text{Pb}}$ | 2.2×10^{-13} | $< 4.6 \times 10^{-11}$ |
| $ \Omega _{e\mu}$ | 1.8×10^{-5} | $< 7.0 \times 10^{-5}$ |
| $\langle m \rangle [\text{eV}]$ | 3.8×10^{-3} | $< (0.11-0.25)$ |

[BD, Millington, Pilaftsis, Teresi '14]

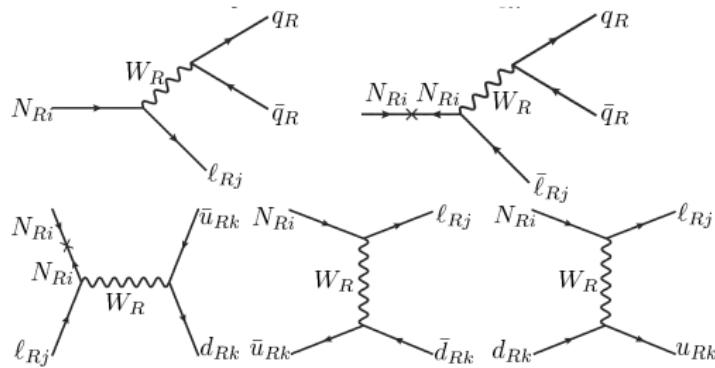
Testing Leptogenesis at Intensity Frontier



[Deppisch, BD, Pilaftsis '15]

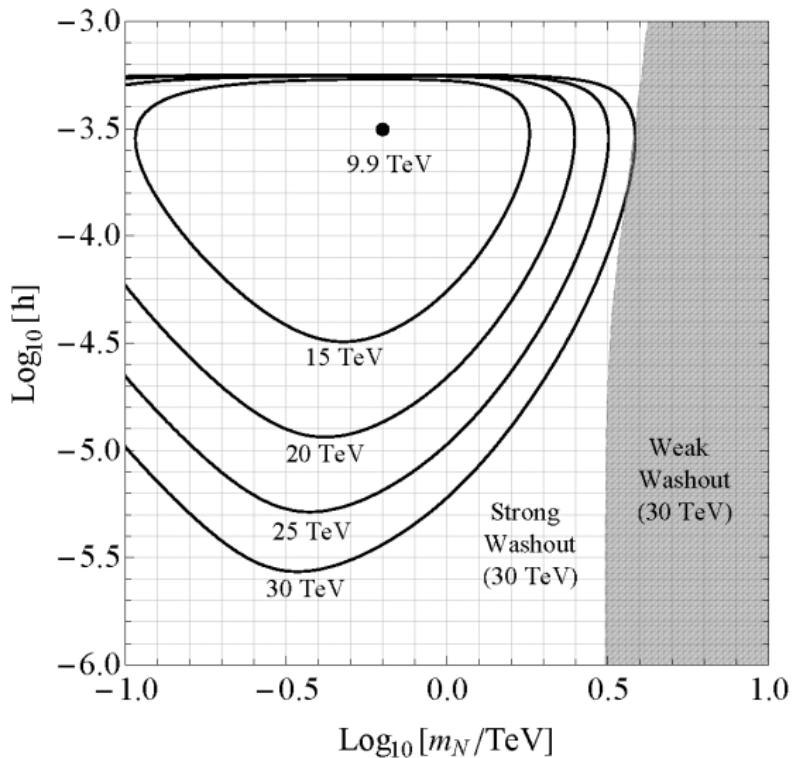
Falsifying Leptogenesis

- Observation of LNV could falsify leptogenesis (barring exceptions).
[Deppisch, Harz, Hirsch '14] (talks by M. Hirsch and J. Harz)
- A concrete example: TeV-scale Leptogenesis in Left-Right Seesaw
- Large washout effects due to gauge scattering.



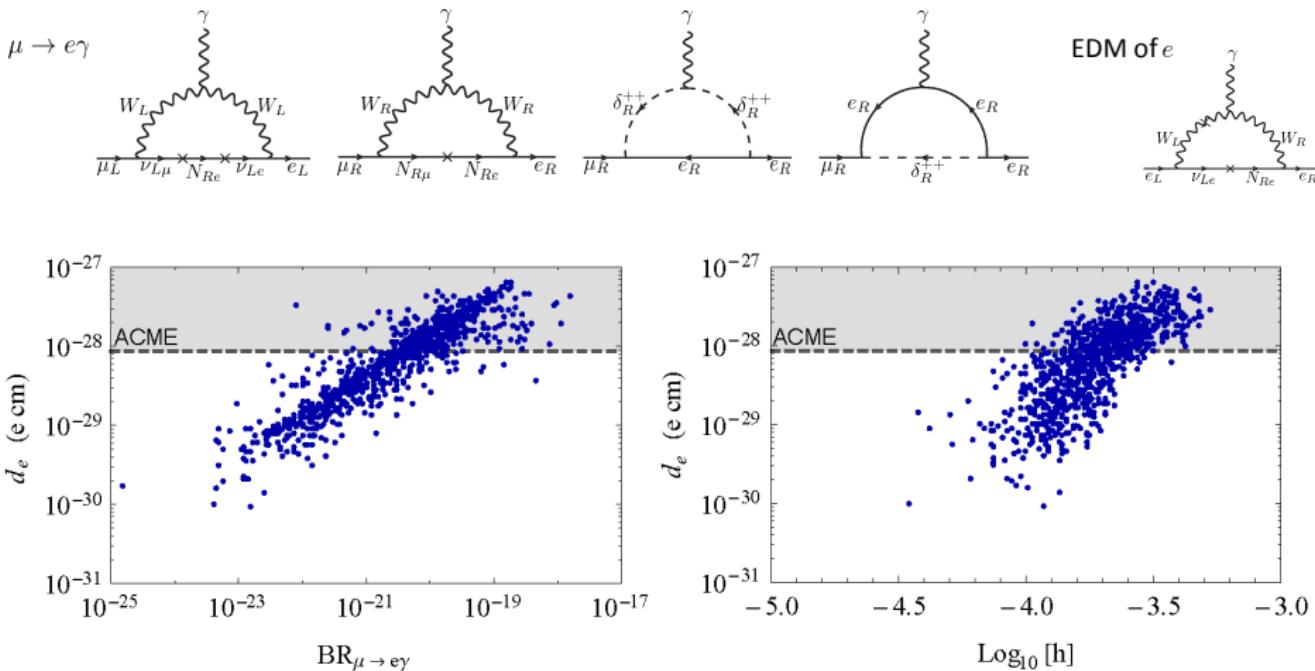
- In minimal LRSM, $M_{W_R} > 18$ TeV for successful leptogenesis. [Frere, Hambye, Vertongen '09]
- In a class of TeV-scale LRSM with large M_D elements [BD, Lee, Mohapatra '14], including flavor effects could lower the leptogenesis bound to $M_{W_R} \gtrsim 10$ TeV.
[BD, Lee, Mohapatra '14, '15]

Lower Bound on M_{W_R} from Leptogenesis



[BD, Lee, Mohapatra '15]

Correlation with LFV Observables

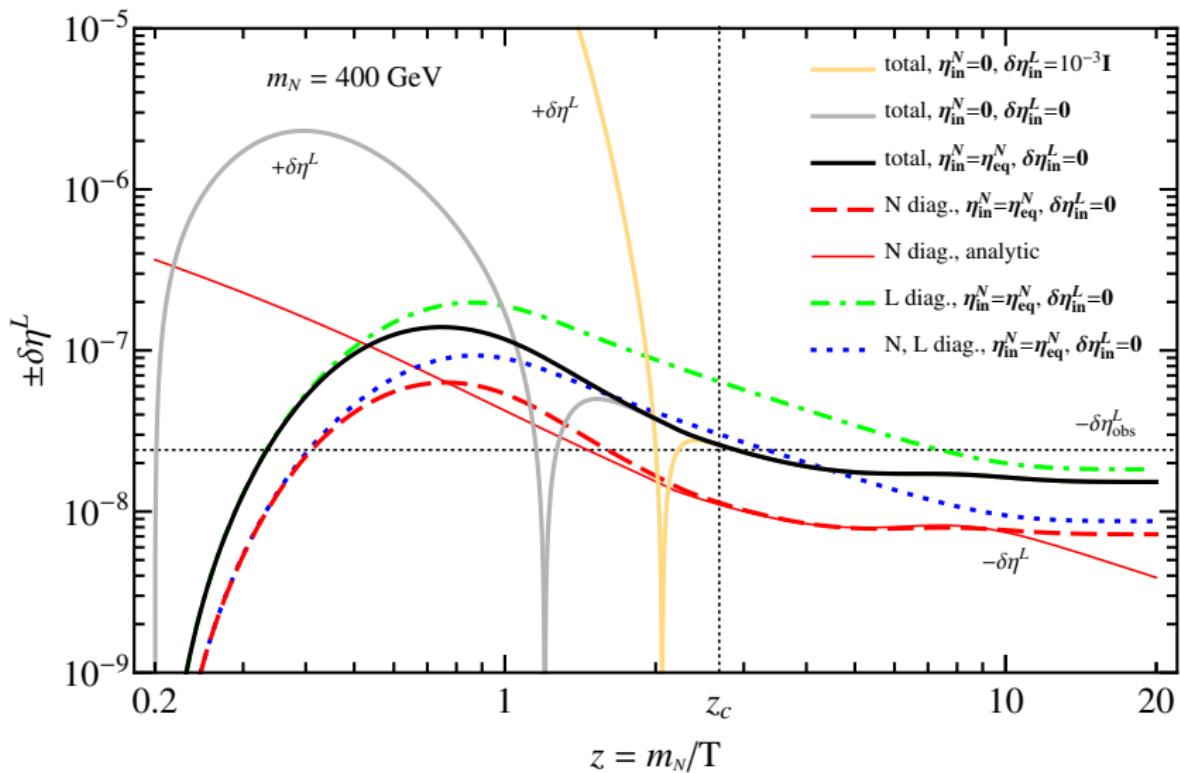


[BD, Lee, Mohapatra '15]

Conclusions and Outlook

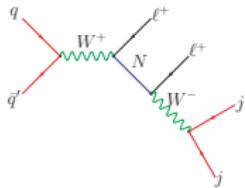
- Leptogenesis provides an attractive link between two seemingly disparate pieces of evidence for BSM physics, namely, neutrino mass and baryon asymmetry.
- Resonant Leptogenesis provides a way to test this idea in laboratory experiments.
- Flavor effects play a crucial role in the calculation of the lepton asymmetry.
- We have developed a *fully flavor-covariant formalism*, which provides a complete and unified description of Resonant Leptogenesis.
- TeV-scale leptogenesis has potential testable effects at both Energy and Intensity frontiers.
- Could be falsified at the LHC and other low-energy experiments.
- Other possible low-scale baryogenesis mechanisms?
- **NEW:** A Simple Model for TeV-scale β and L and **Resonant Baryogenesis**
[BD and R. N. Mohapatra, arXiv:1504.07196 [hep-ph]]

A Numerical Example

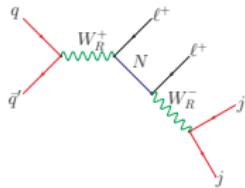


[BD, P. Millington, A. Pilaftsis and D. Teresi, arXiv:1504.07640 [hep-ph]]

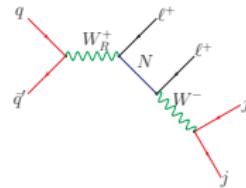
Testing L-R Leptogenesis at Energy Frontier



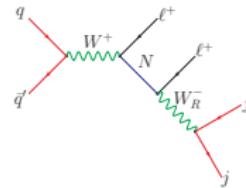
(a) LL



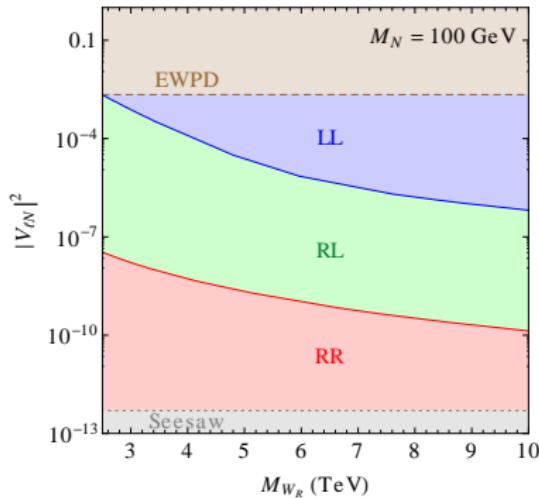
(b) RR



(c) RL

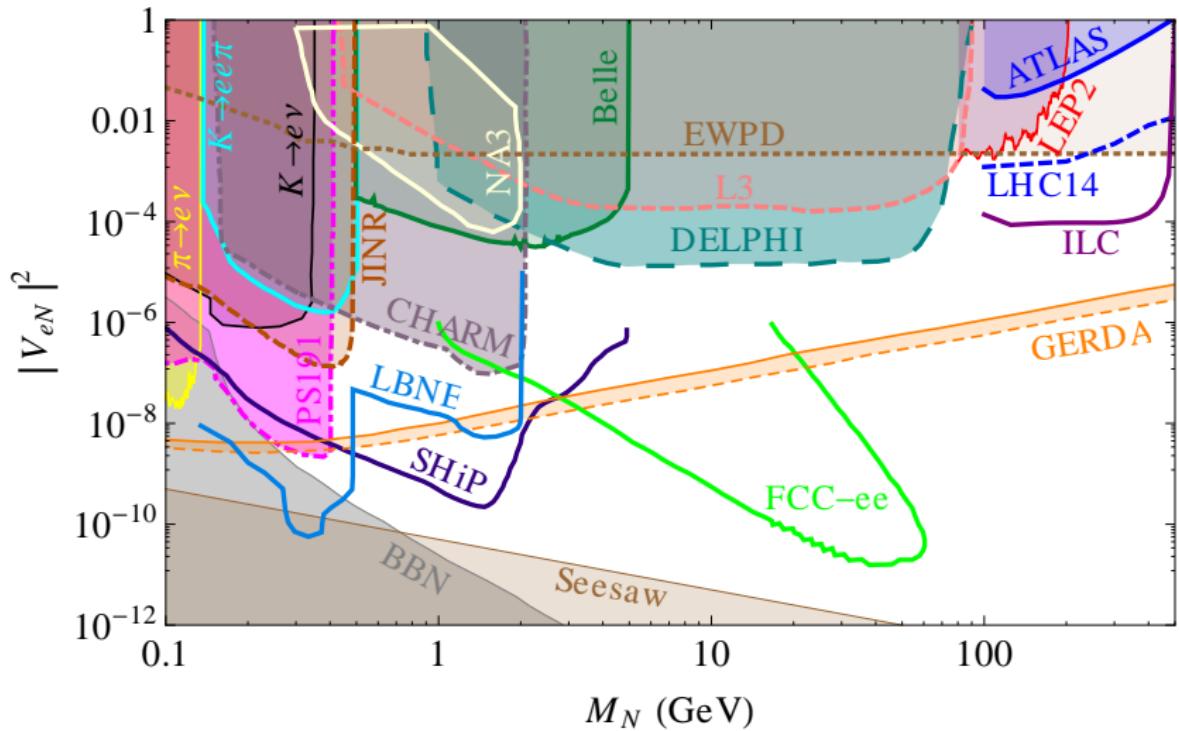


(d) LR



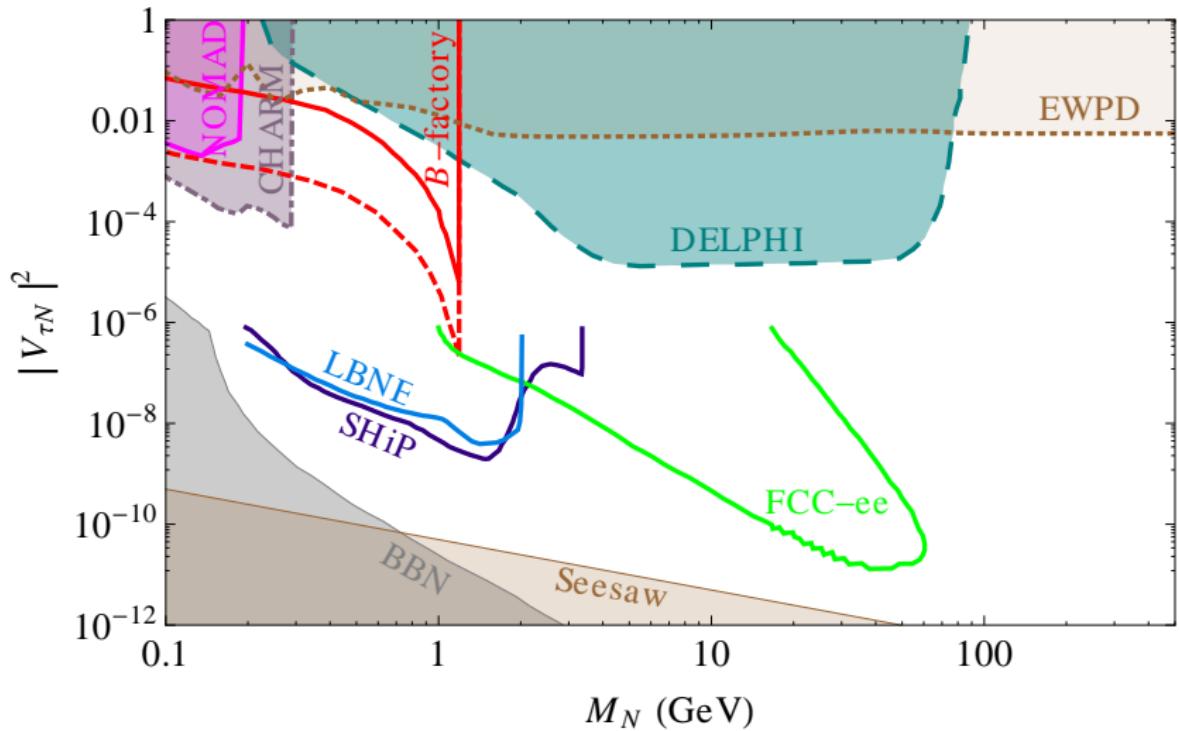
[Chen, BD, Mohapatra '13]

Heavy Neutrino Searches: Current Status and Future Prospects



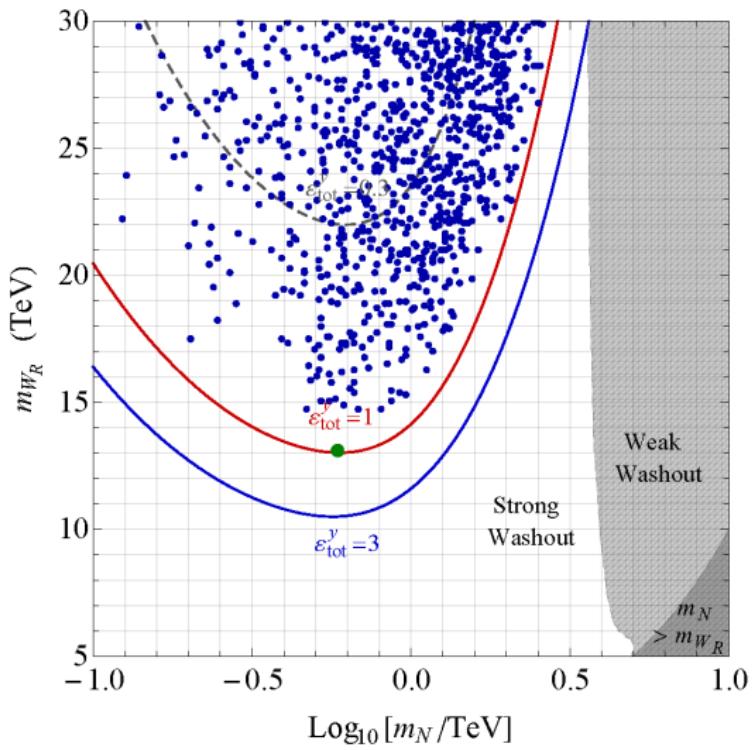
[Deppisch, BD, Pilaftsis '15]

Heavy Neutrino Searches: Current Status and Future Prospects



[Deppisch, BD, Pilaftsis '15]

Lower Bound on M_{W_R} from Leptogenesis



[BD, Lee, Mohapatra '15]