

What can we learn about neutrinoless double beta decay at the LHC ?

MPIK Heidelberg

22 Nov 2010

Steve Chun-Hay Kom

Cavendish Laboratory, Cambridge

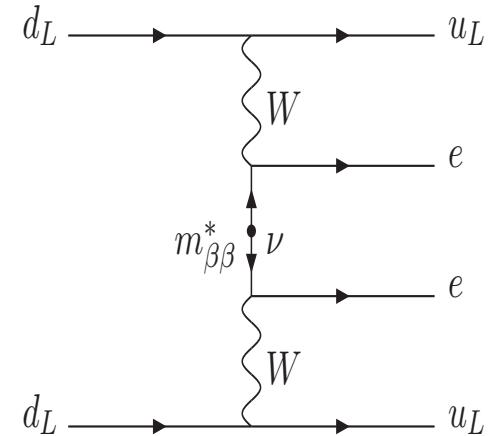
Outline

- Introduction
- Why LHC might be relevant for $0\nu\beta\beta$
- Example : resonant selectron production in LNV SUSY
Allanach, CHK, Päs 0902.4697, 0903.0347
- Charge asymmetry ratio
CHK, Stirling 1004.3404, 1010.2988
- Summary

Standard $0\nu\beta\beta$

Standard picture: light mass mechanism

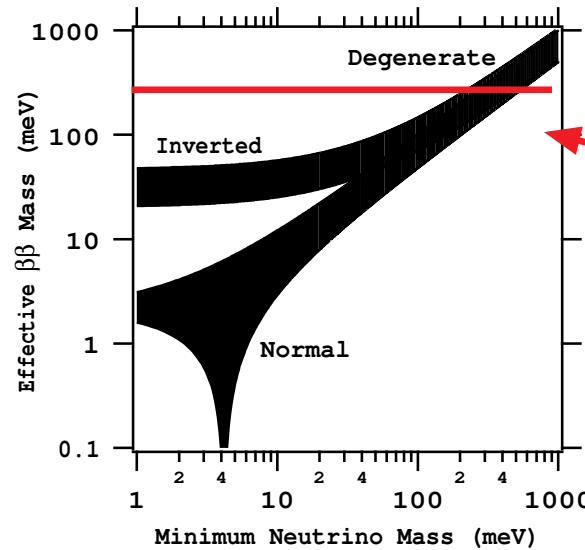
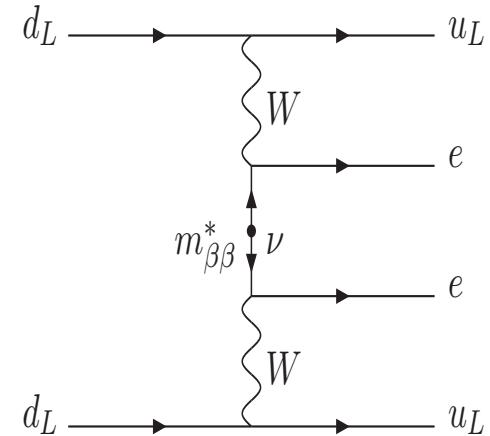
$$\begin{aligned}\mathcal{L}_{EW}^{eff, \Delta L_e=2}(x) = & \frac{G_F^2}{2} m_{\beta\beta} \left[\bar{e}_1 \gamma_\mu (1 - \gamma_5) \frac{1}{q^2} \gamma_\nu e_2^c \right] \\ & \times \left[J_{1, V-A}^\mu(q) J_{2, V-A}^\nu(-q) \right]\end{aligned}$$



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Heidelberg-Moscow , CUORICINO & NEMO3

$$|m_{\beta\beta}| \lesssim 0.35 \text{ eV}$$

$$(\text{also } |m_{\beta\beta}| \sim 0.5 \text{ eV})$$

Klapdor-Kleingrothaus et. al.)

Other possibilities

- However many lepton number violating theories :
LNV SUSY, heavy Majorana neutrinos,
type II, type III see-saws, lepto-quarks, KK neutrinos ...

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- $0\nu\beta\beta$ -based strategies to distinguish different mechanisms, e.g.
 - Electron kinematics [Ali,Borisov,Zhuridov 07](#) , [SuperNEMO](#)
 - $T_{1/2}^{0\nu\beta\beta}(^{76}\text{Ge})$ ratios of different isotopes
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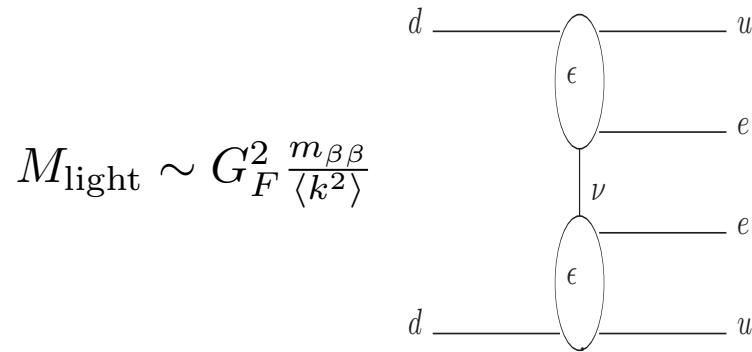
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- Investigate interplay between LHC signatures and $0\nu\beta\beta$ rate predictions.

TeV $0\nu\beta\beta$ mechanisms at the LHC

Relative strength of ‘light’ and ‘heavy’ $0\nu\beta\beta$ amplitudes:

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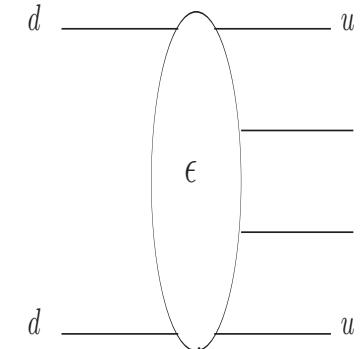
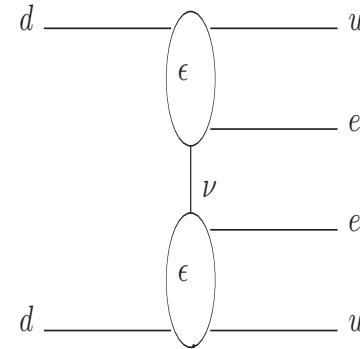
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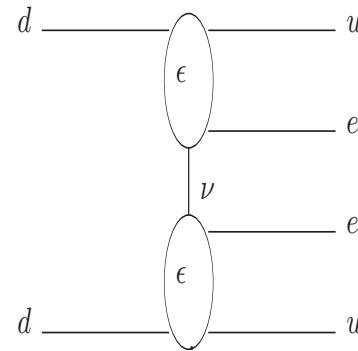


$$M_{\text{heavy}} \sim G_F^2 \left(\frac{\lambda}{g_2} \right)^4 \frac{M_W^4}{\Lambda^5}$$

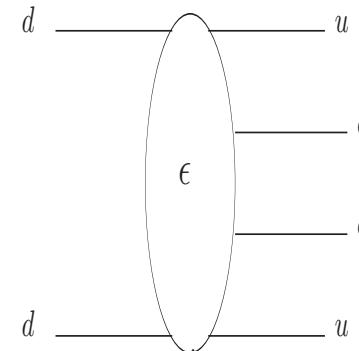
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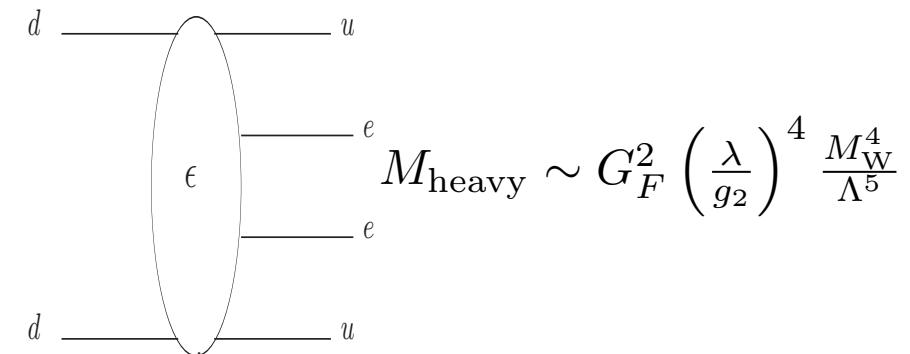
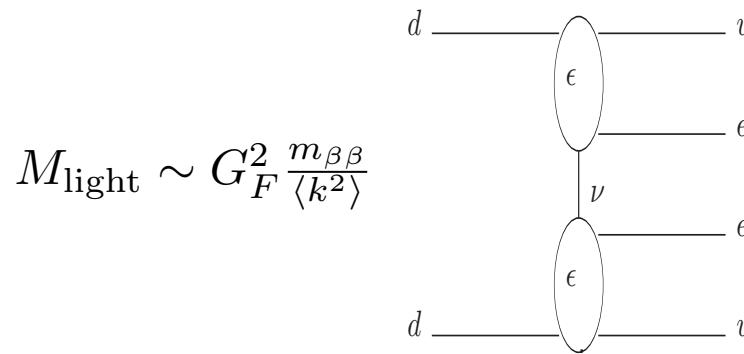
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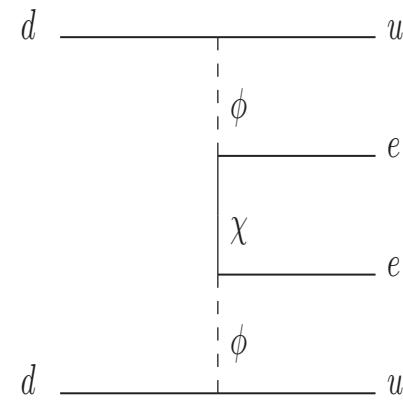


- $M_{\text{light}} \sim M_{\text{heavy}} : m_{\beta\beta} \sim \mathcal{O}(0.1)\text{eV} \leftrightarrow \Lambda \sim \mathcal{O}(1)\text{TeV}$.
- $\mathcal{O}(1)$ TeV resonances via same-sign di-electron + 2 jets :

LNV SUSY Allanach, CHK, Päs [0902.4697](#), [0903.0347](#)

$0\nu\beta\beta$ at the LHC ?

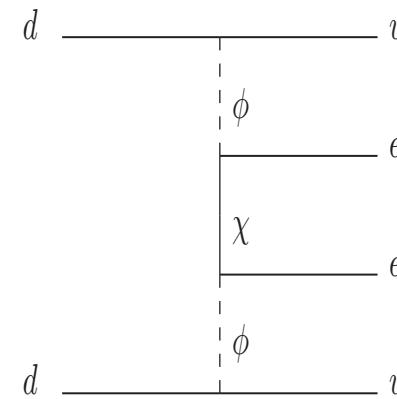
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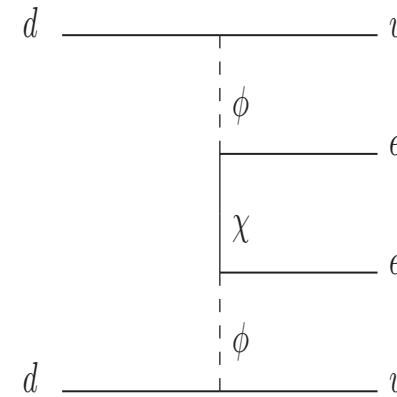
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- Reconstruct (charged) resonances.
Relevant for short range $0\nu\beta\beta$.



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- Look for same sign dielectrons (SSDE)
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Relevant for short range $0\nu\beta\beta$.
- Other possibilities exists, e.g.:
4 leptons f.s. BRs in Higgs triplets [Petcov et. al. 09](#)
 B_d^0 - \bar{B}_d^0 mixing [Allanach, CHK, Päs 0903.0347](#)



$0\nu\beta\beta$ in LNV SUSY

LNV SUSY: \mathcal{Z}_2 for R-parity $\rightarrow \mathcal{Z}_3$. Results in (renormalisable) lepton number violating parameters.

$$\mathcal{W}_{\text{LNV}} = \lambda'_{111} L_1 Q_1 D_1^c + \kappa_1 L_1 H_u + \dots \rightarrow \mathcal{L}_{\text{LNV}} = \lambda'_{111} (\bar{l}^c q \tilde{d}^c + \tilde{l} \bar{q}^c d^c + \bar{l}^c \tilde{q} d^c) -$$

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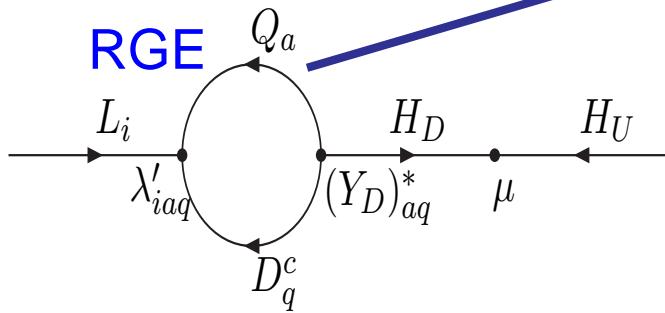
$$\mathcal{M}_N^{\text{tree}} = \begin{pmatrix} M_1 & 0 & \frac{1}{2}gv_u & -\frac{1}{2}gv_d & -\frac{1}{2}gv_1 \\ 0 & M_2 & -\frac{1}{2}g_2v_u & \frac{1}{2}g_2v_d & \frac{1}{2}g_2v_1 \\ \frac{1}{2}gv_u & \frac{1}{2}g_2v_u & 0 & -\mu & -\kappa_1 \\ -\frac{1}{2}gv_d & \frac{1}{2}g_2v_d & -\mu & 0 & 0_{\mu 1} \\ -\frac{1}{2}gv_1 & \frac{1}{2}g_2v_1 & -\kappa_1 & 0_{1\mu} & 0_{11} \end{pmatrix}$$

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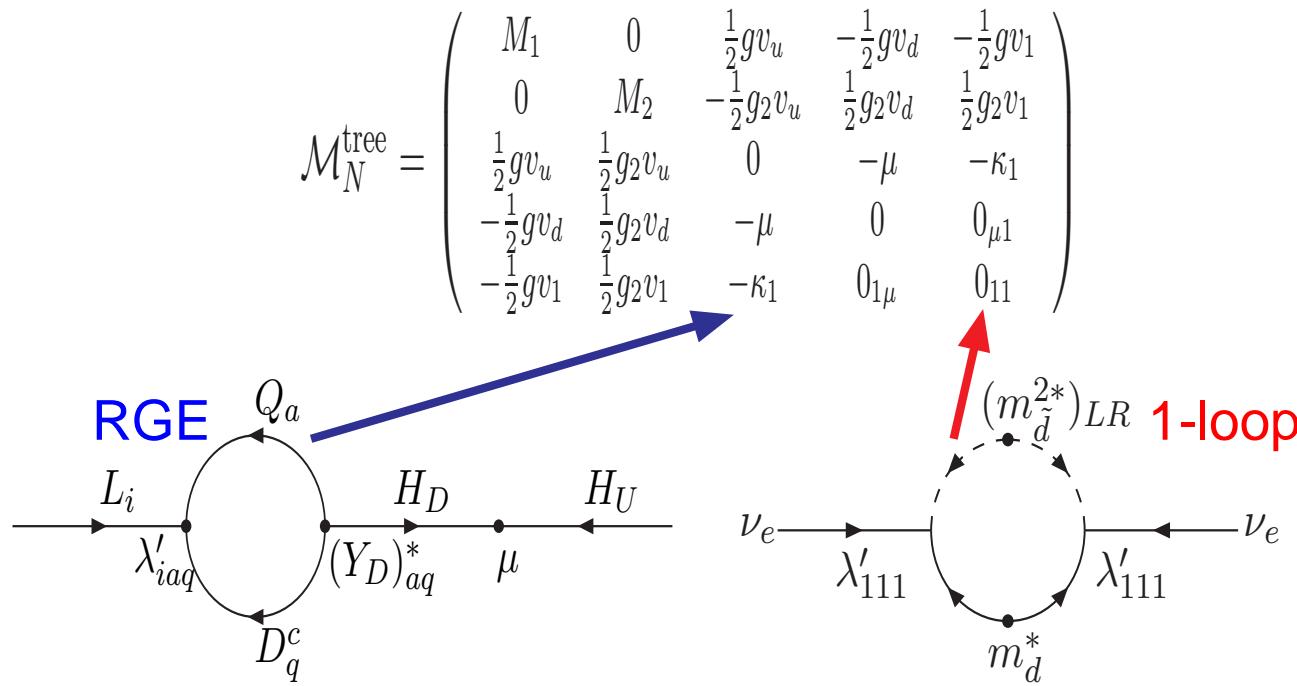
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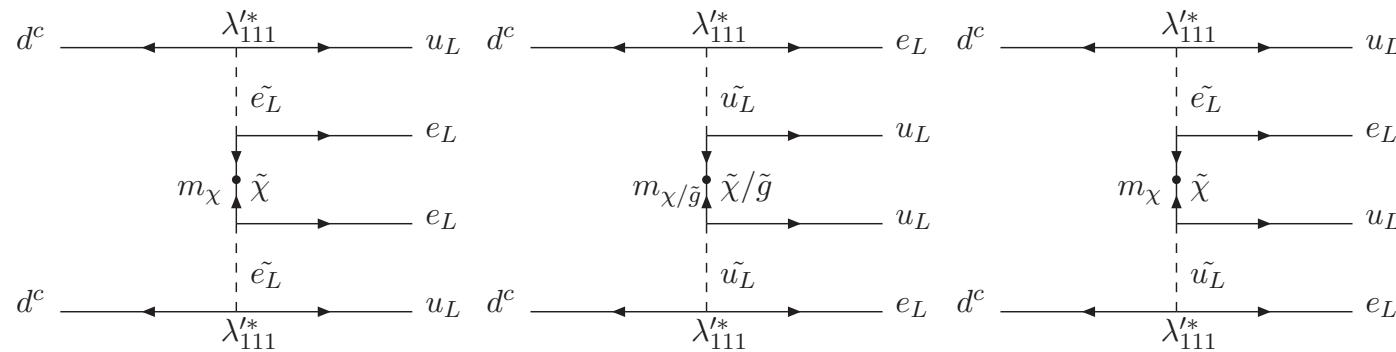
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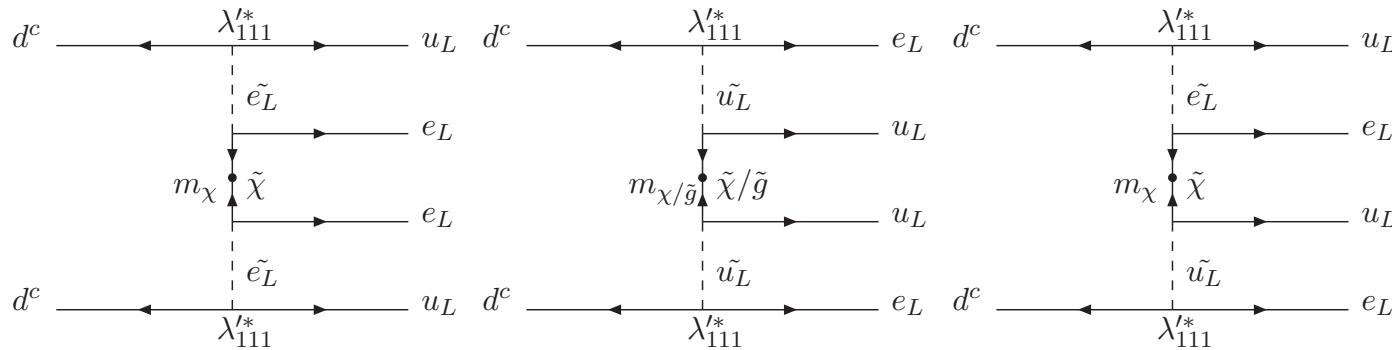
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Direct, TeV scale short range mediation w/o intermediate light ν , e.g.



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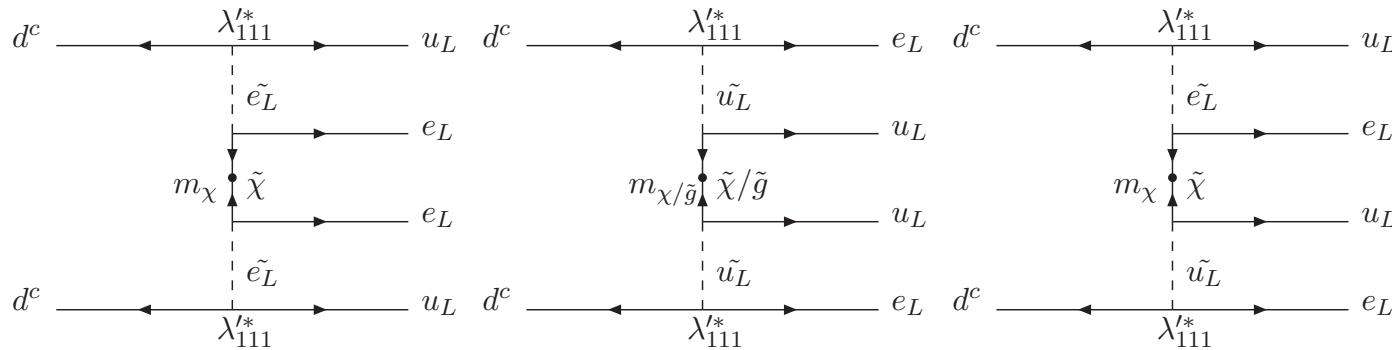
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$$\begin{aligned}
 \mathcal{L}_{\lambda'_1 \lambda'_1}^{eff, \Delta L_e=2}(x) &= \frac{G_F^2}{2} m_p^{-1} [\bar{e}(1 + \gamma_5)e^c] \\
 &\times \left[(\epsilon_{\tilde{g}} + \epsilon_\chi)(J_{PS} J_{PS} - \frac{1}{4} J_T^{\mu\nu} J_{T\mu\nu}) + (\epsilon_{\chi\tilde{e}} + \epsilon'_{\tilde{g}} + \epsilon_{\chi\tilde{f}}) J_{PS} J_{PS} \right] \\
 \epsilon_i &\sim \pi \alpha_{(\text{Strong,EW})} \frac{\lambda'^2_{111}}{G_F^2} \frac{m_P}{m_{(\tilde{g},\tilde{\chi})}} \frac{1}{m_{(\tilde{u},\tilde{d},\tilde{e})}^4}.
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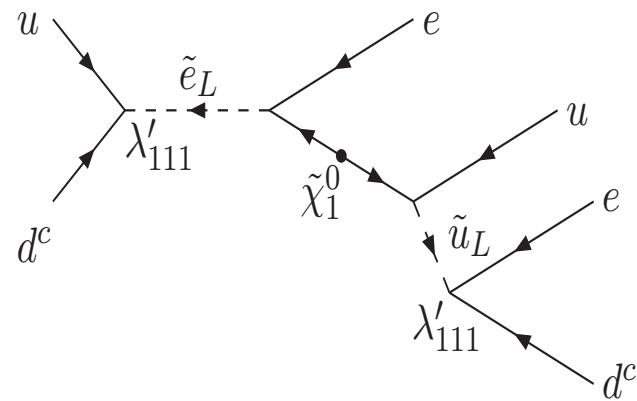


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- Dimension 9 operators:
 λ'_{111} bound relaxes rapidly with increasing Λ_{SUSY} .

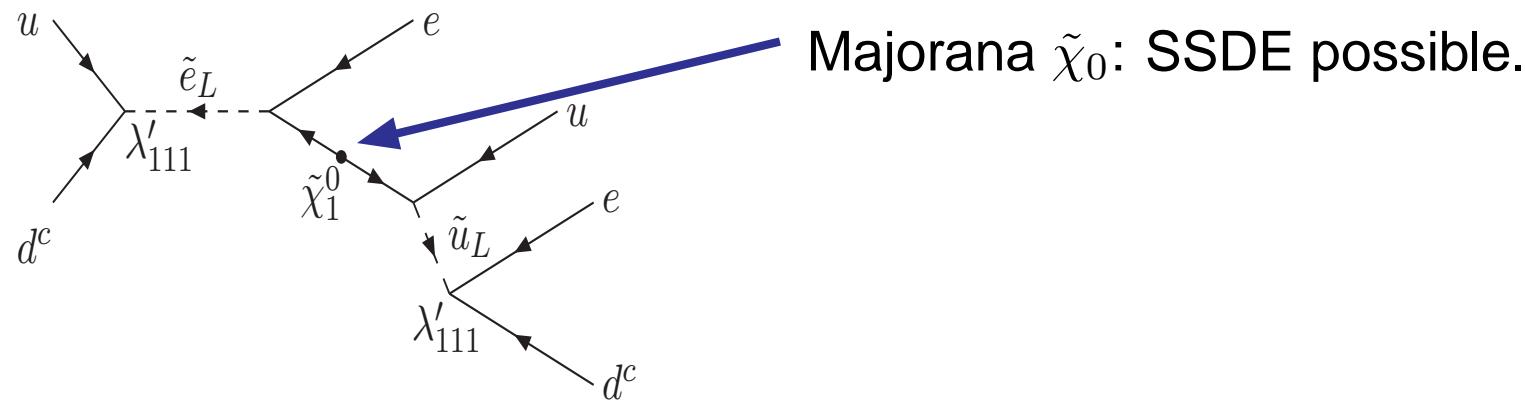
Single slepton production

Direct indication of λ'_{111} !



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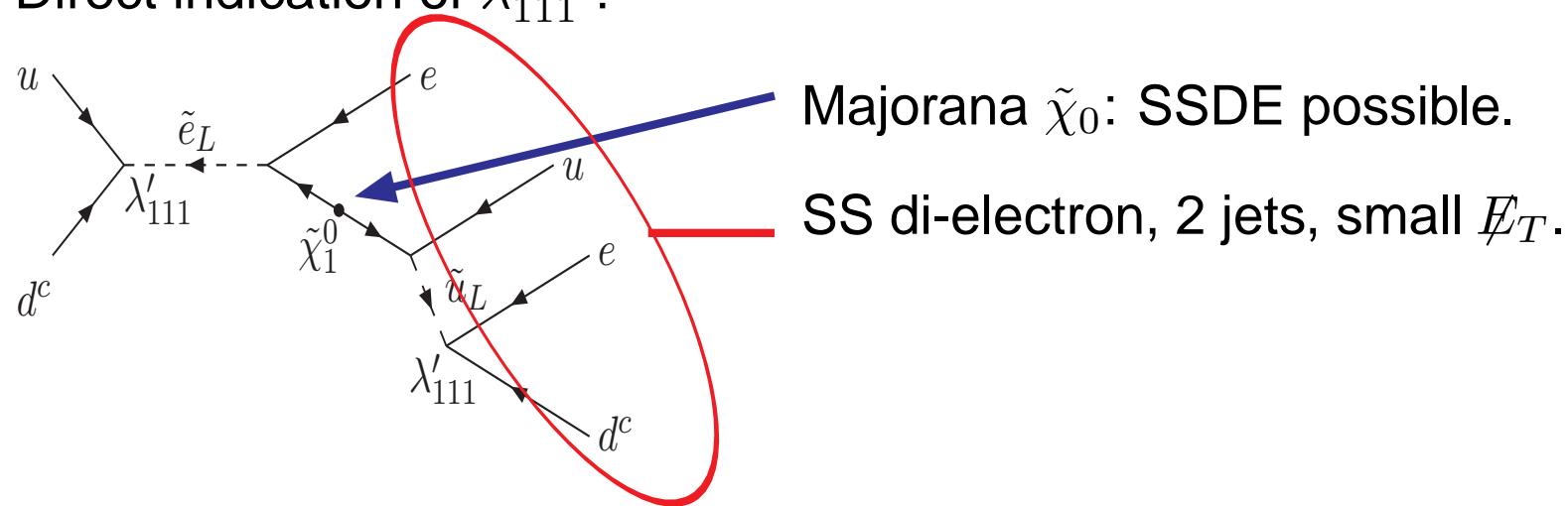
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Majorana $\tilde{\chi}_0^0$: SSDE possible.

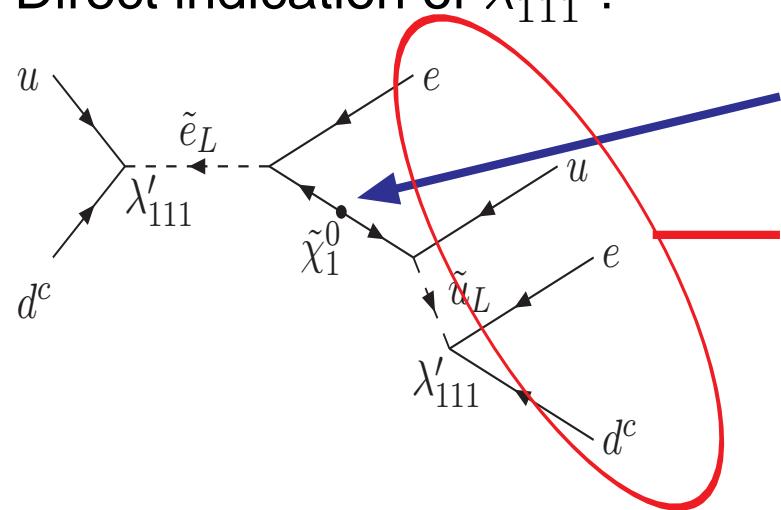
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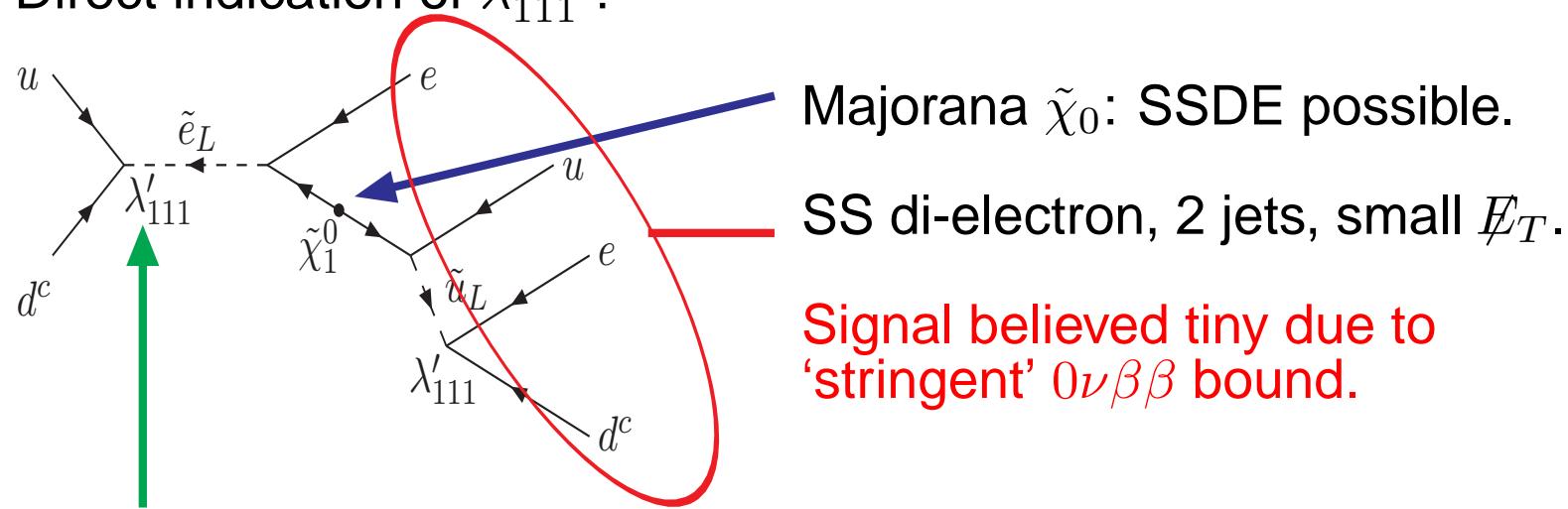
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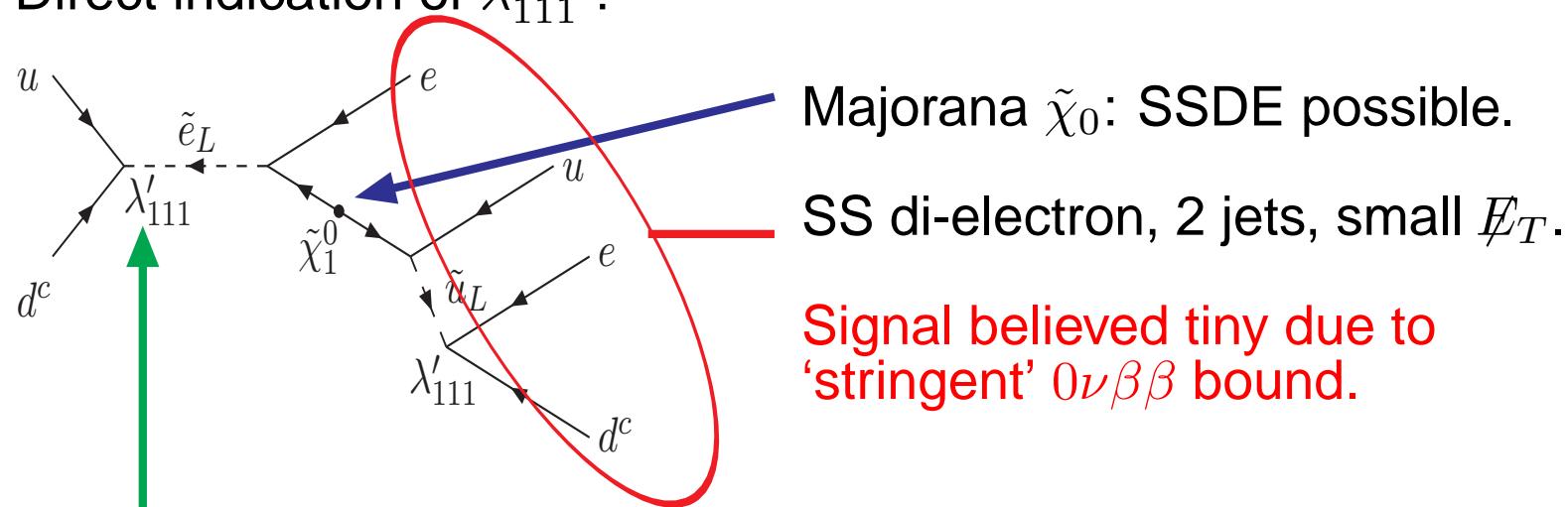
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Lower $T_{1/2}^{0\nu\beta\beta}(^{76}\text{Ge})$ limit: $\lambda'_{111} \lesssim 5 \cdot 10^{-4} \left(\frac{\Lambda_{SUSY}}{100\text{GeV}} \right)^{2.5}$.

Single selectron production: $\sigma(pp \rightarrow \tilde{l}) \propto |\lambda'_{111}|^2 / m_{\tilde{l}}^3$
→ *production upper limit increases with Λ_{SUSY}* .

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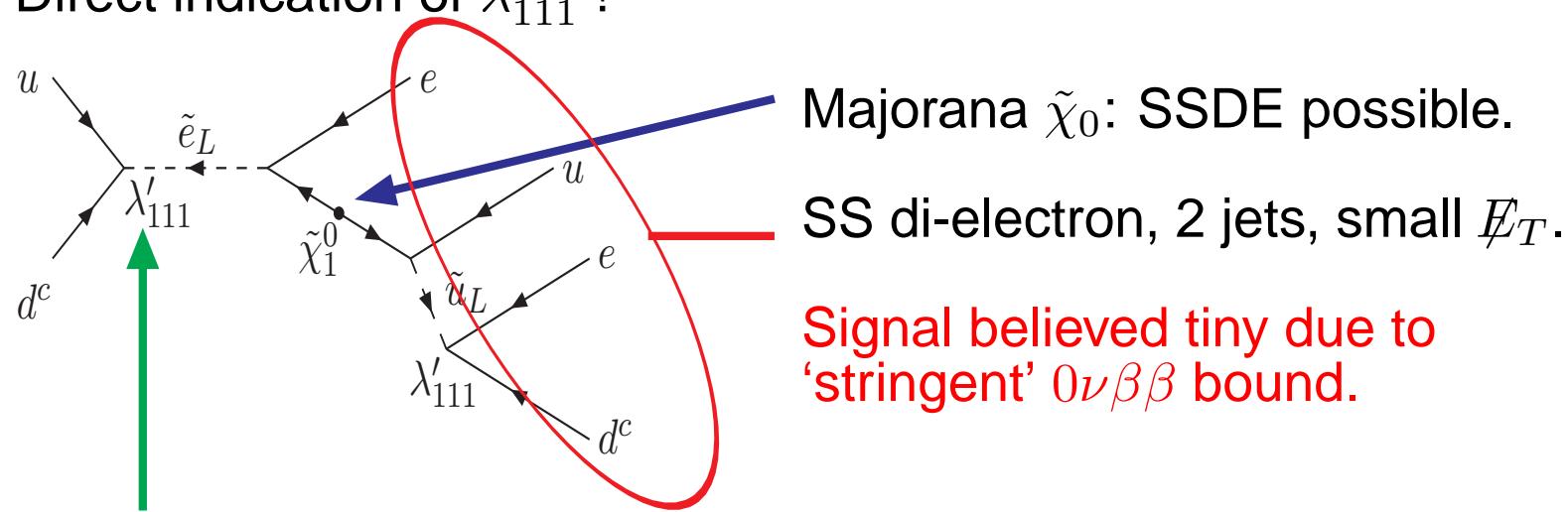
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- Previous analysis on SS di-muon signals for λ'_{211} Dreiner et. al. 99 .

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- To estimate $\epsilon_{\lambda'_{111}}$, need also \tilde{q} , $\tilde{\chi}$, \tilde{g} masses.

Model assumptions

LNV MSSM model parameters:

- ‘RPC’ mSUGRA mass spectrum:
 $m_0, M_{1/2}, A_0 = 0, \tan\beta = 10, sgn(\mu) = +1.$
- At Λ_{SUSY} , set λ'_{111} .
- Only regions with neutralino LSP considered.

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NME model $\Gamma_{0\nu\beta\beta} = G_{0\nu}|M|^2$:

- Include both π and nucleon modes (^{76}Ge):
$$M_{\lambda'_{111}} = \epsilon M_{\tilde{g}}^{2N} + \epsilon' M_{\tilde{f}}^{2N} + \left(\epsilon + \frac{5}{8}\epsilon'\right)\left(\frac{4}{3}M^{1\pi} + M^{2\pi}\right)$$
- $M_{\tilde{g}}^{2N} = 283, M_{\tilde{f}}^{2N} = 13.2, M^{1\pi} = -18.2, M^{2\pi} = -601$
Hirsch et. al. 96 , Faessler et. al. 98

LHC SS di-lepton cuts

From [Dreiner,Richardson,Seymour 99](#)

- Lepton $|\eta| < 2.0$.
- Lepton $p_T > 40 \text{ GeV}$.
- Lepton isolation: $E_T < 5 \text{ GeV}$ in cone $R=0.4$.
- Reject $60 < M_T < 85 \text{ GeV}$.
- $\cancel{E}_T < 20 \text{ GeV}$.
- OSSF lepton veto.
- No more than 2 $p_T > 50 \text{ GeV}$ jets.

Results

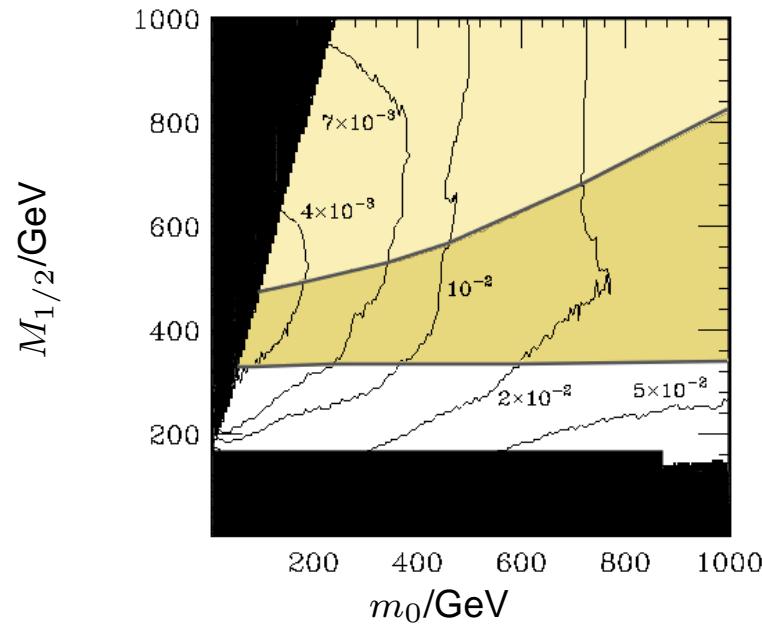
Inferring $T_{1/2}^{0\nu\beta\beta}(^{76}\text{Ge})$ from SSDE @ 5- σ (10 fb^{-1} , 14 TeV , $m_{\beta\beta} = 0$):

Allanach,CHK,Päs PRL09

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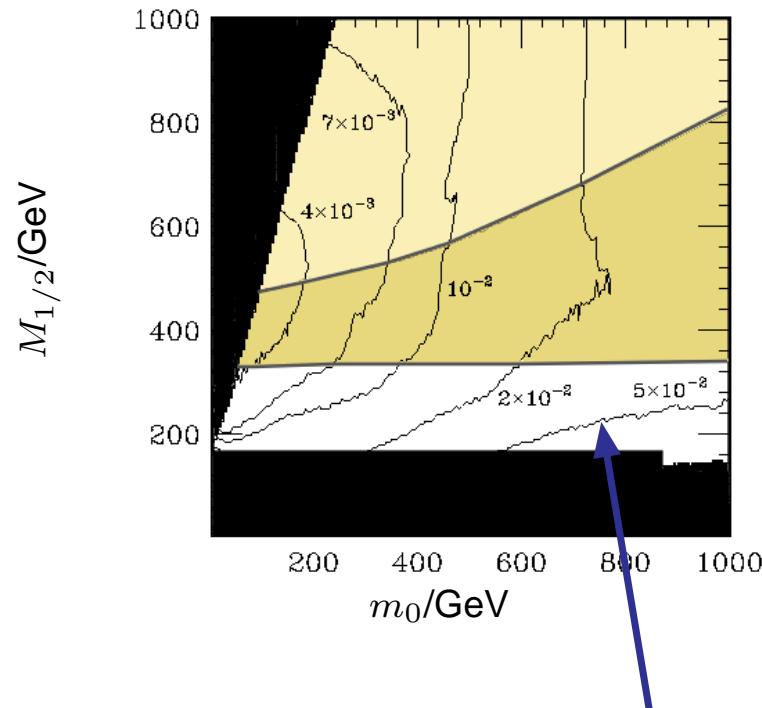
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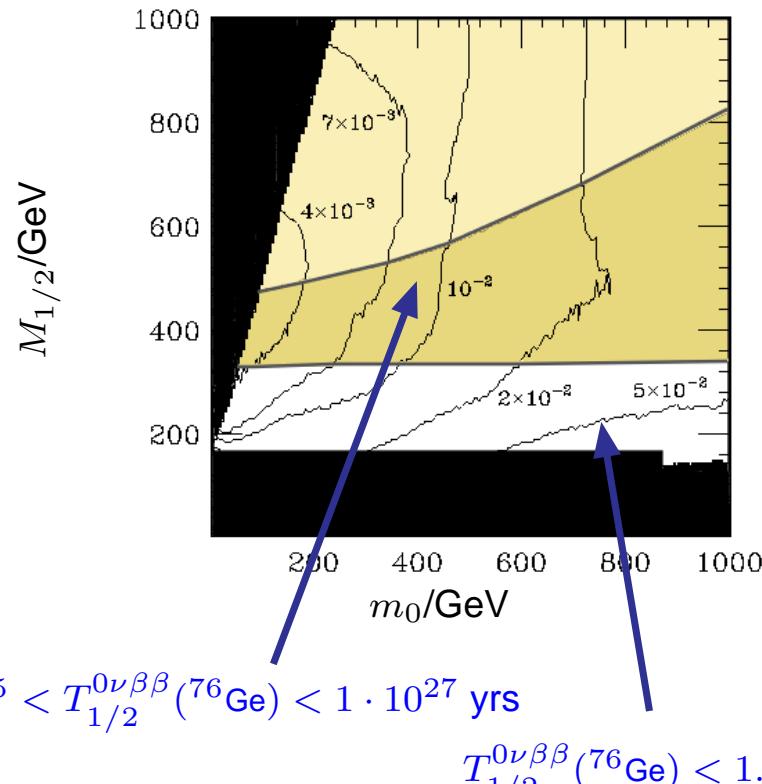


$$T_{1/2}^{0\nu\beta\beta}(^{76}\text{Ge}) < 1.9 \cdot 10^{25} \text{ yrs}$$

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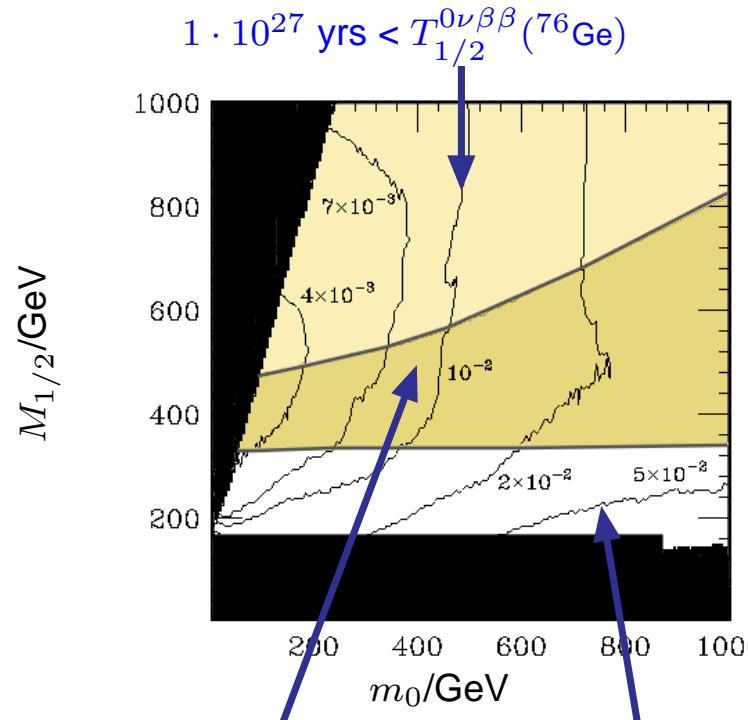
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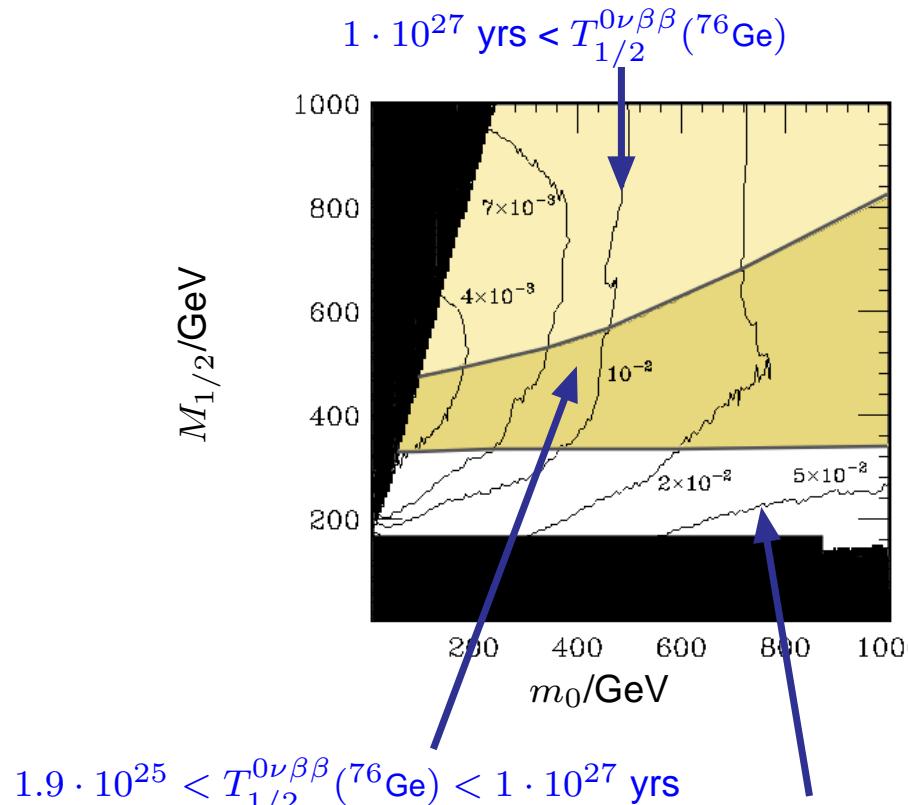


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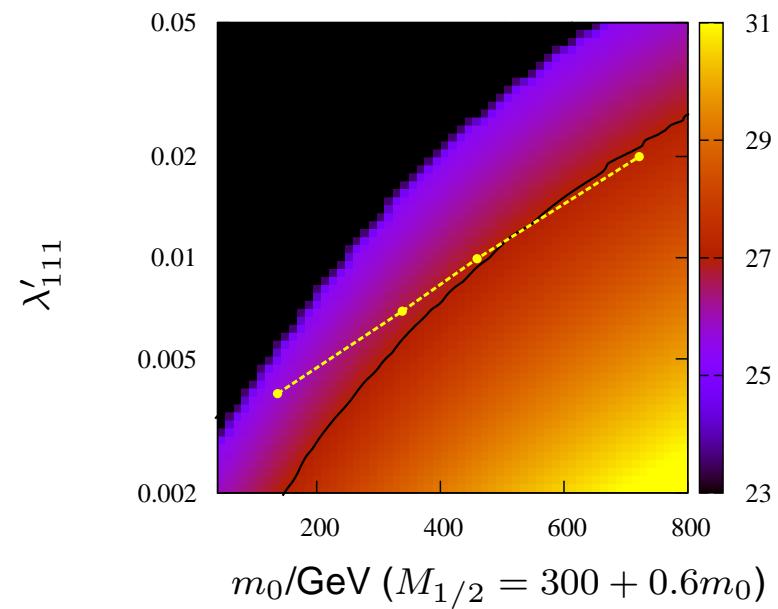
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Inferring $T_{1/2}^{0\nu\beta\beta}(^{76}\text{Ge})$ from SSDE @ 5- σ (10 fb^{-1} , 14 TeV , $m_{\beta\beta} = 0$):

Allanach,CHK,Päs PRL09



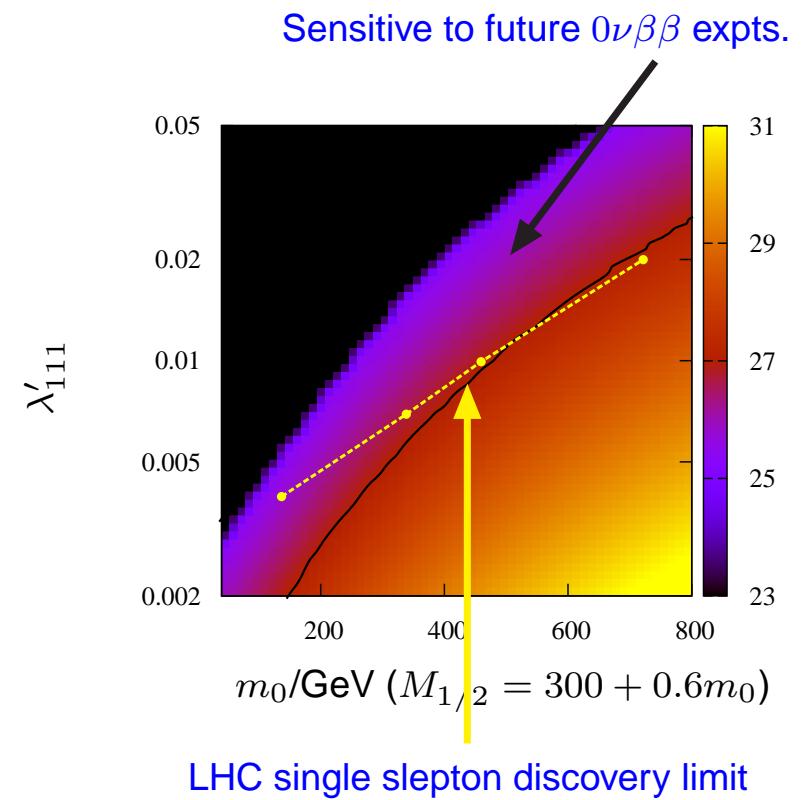
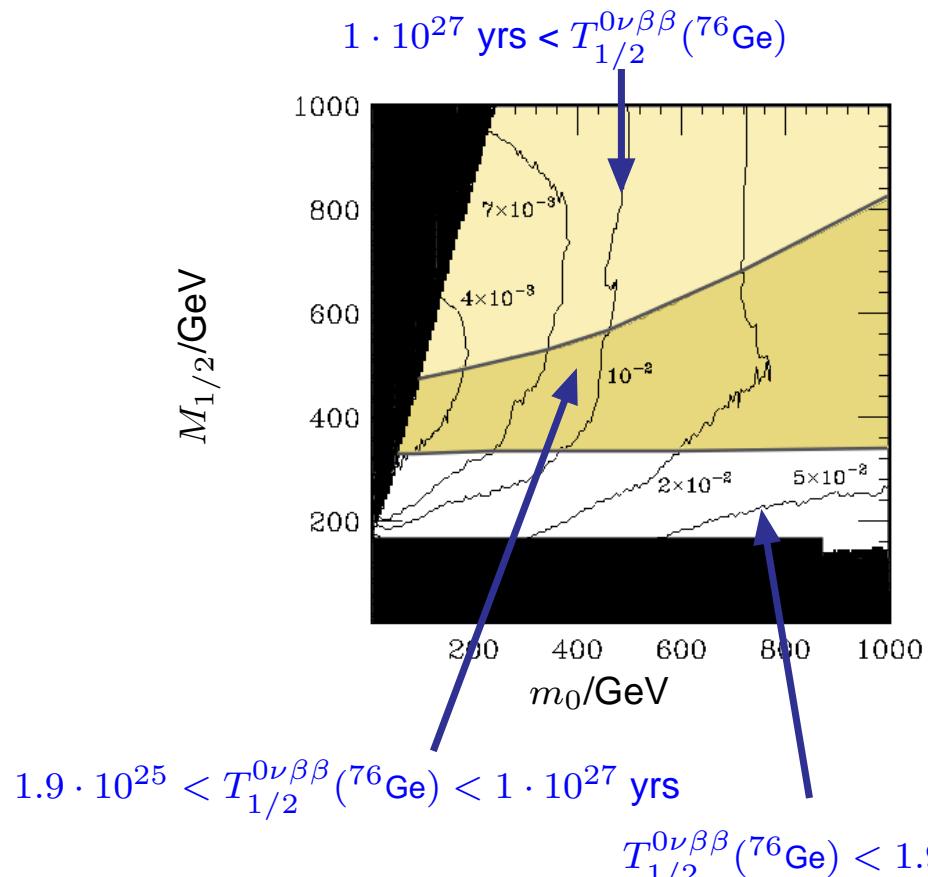
$$T_{1/2}^{0\nu\beta\beta}(^{76}\text{Ge}) < 1.9 \cdot 10^{25} \text{ yrs}$$



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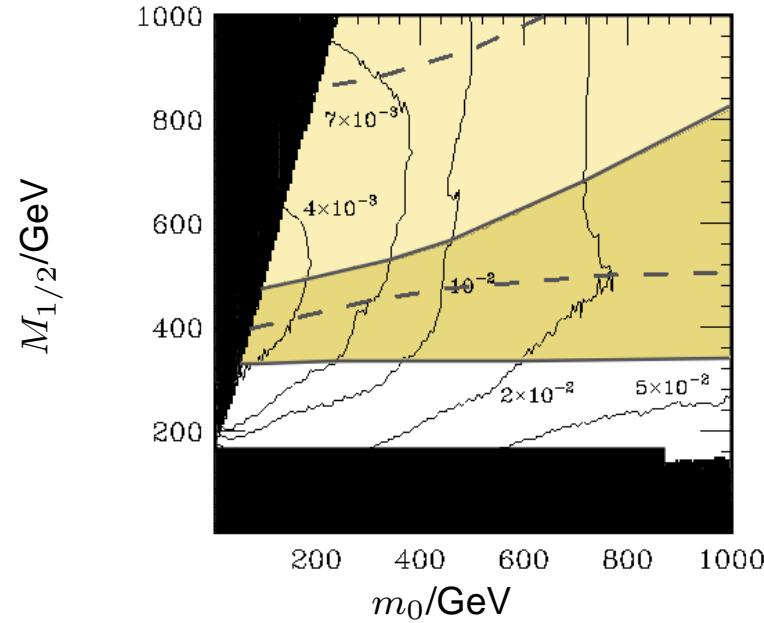


Results

Including

$$|m_{\beta\beta}| = 0.05 \text{ eV}$$

$$(\sim \sqrt{\Delta m_{23}^2})$$



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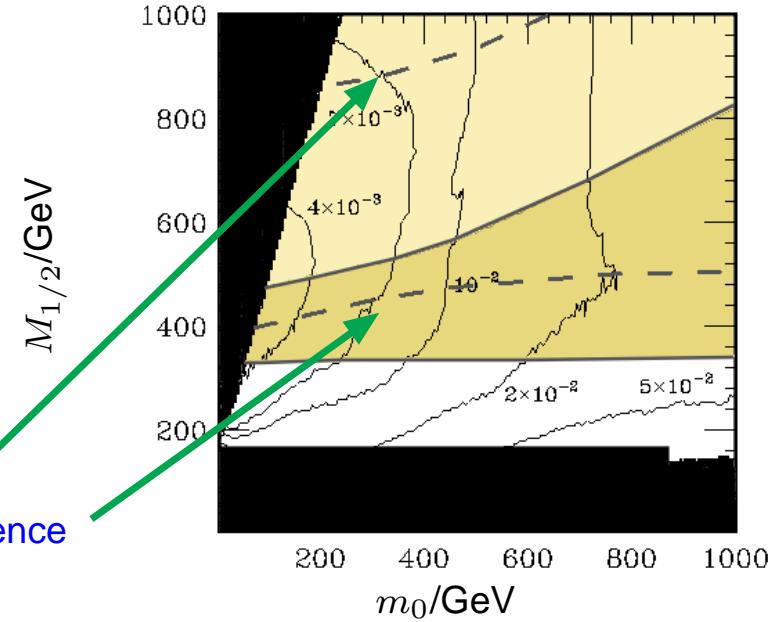
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Constructive interference

Destructive interference



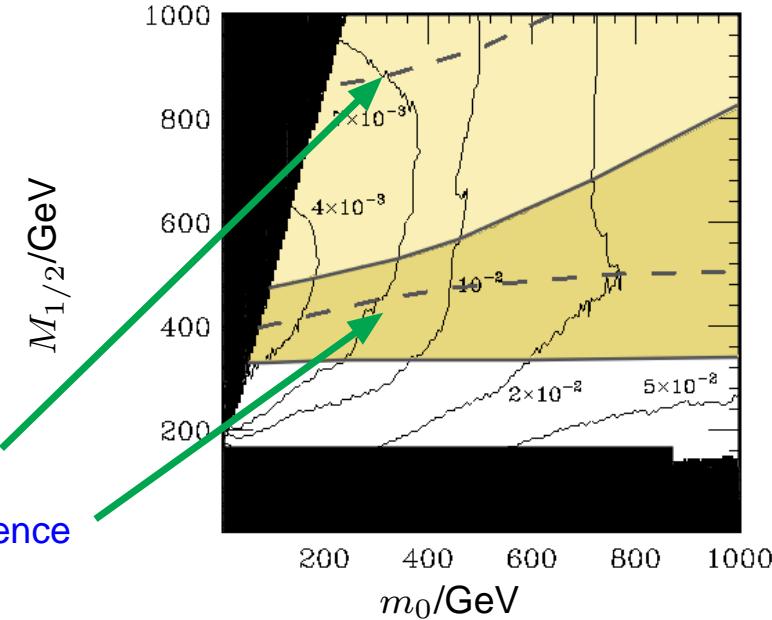
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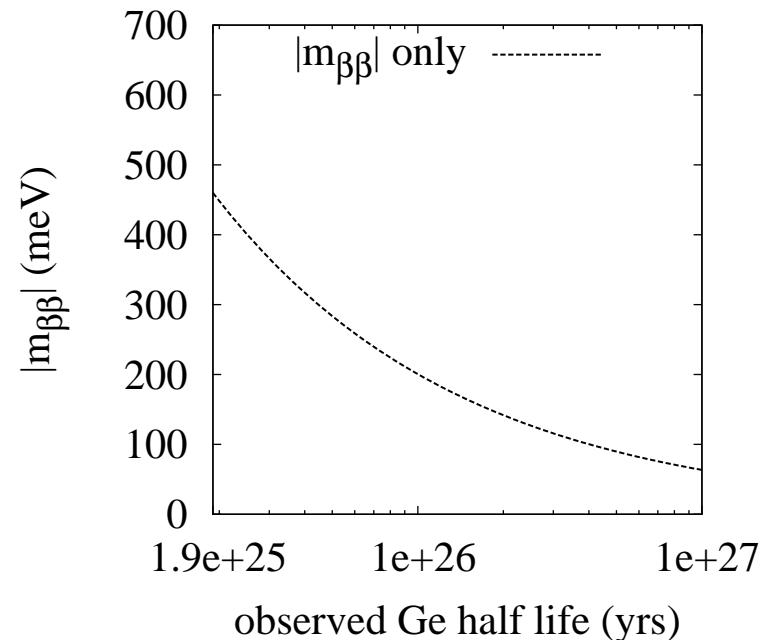
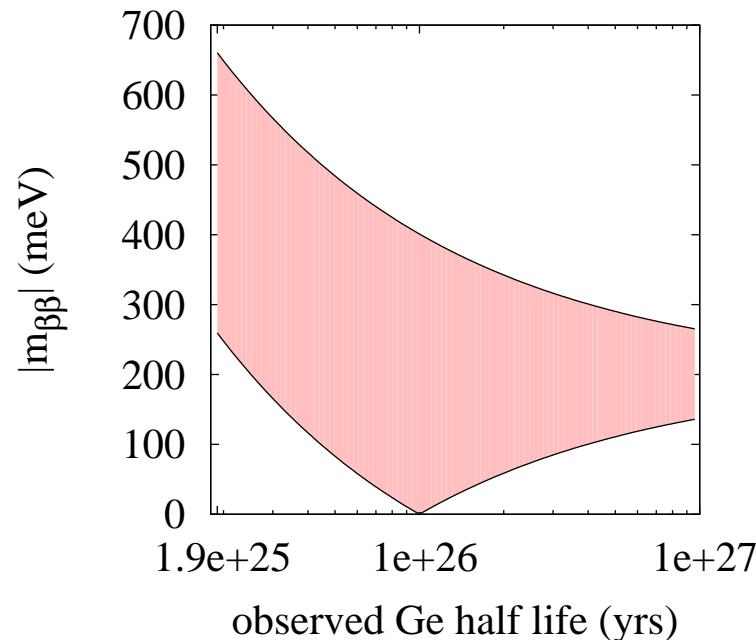
Constructive interference
Destructive interference



- Destructive interference with $m_{\beta\beta}$ increases $T_{1/2}^{0\nu\beta\beta}(^{76}\text{Ge}) \rightarrow \text{dark}$ yellow region shrinks.
- Fixing $T_{1/2}^{0\nu\beta\beta}(^{76}\text{Ge})$, destructive int. with $m_{\beta\beta}$ increases SSDE rate
 \rightarrow better SSDE discovery prospect.

Inference on $m_{\beta\beta}$

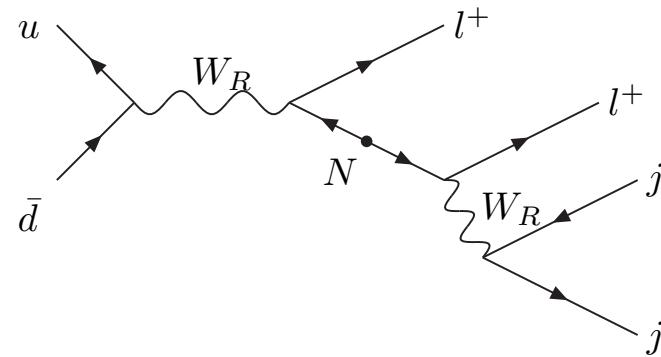
Given 5σ SSDE observation ($M_0 = 680\text{GeV}$, $M_{1/2} = 440\text{GeV}$)
 $\rightarrow T_{1/2}^{0\nu\beta\beta}(^{76}\text{Ge}) = 1 \cdot 10^{26}\text{yrs}$ if direct contribution only.



- Band of $m_{\beta\beta}$ depending on relative phase.
- Normal hierarchy possible if $0\nu\beta\beta$ observed.

SSDE at the LHC 1

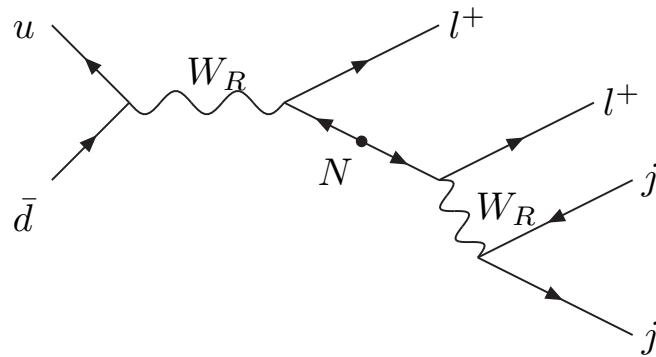
- Heavy Majorana neutrinos (N) can lead to the same final states !
- Similar structure as type I see-saw, with
 $L \rightarrow R$ and $\frac{m_{\beta\beta}}{\langle k^2 \rangle} \rightarrow (M_N)^{-1}_{\beta\beta}$



- Again Majorana nature of N leads to SSDE.

SSDE at the LHC 1

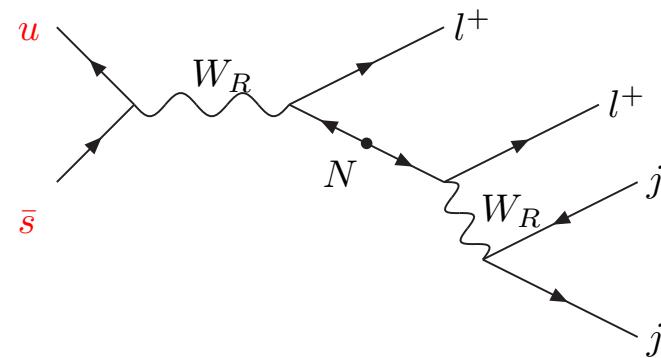
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- Again Majorana nature of N leads to SSDE.
- Angular distribution of charged resonance decay products ?
- At 30 fb^{-1} discovery of $(m_{W_R}, m_N) < (4.6, 2.8) \text{ TeV}$ [Ferrari et. al. 00](#)

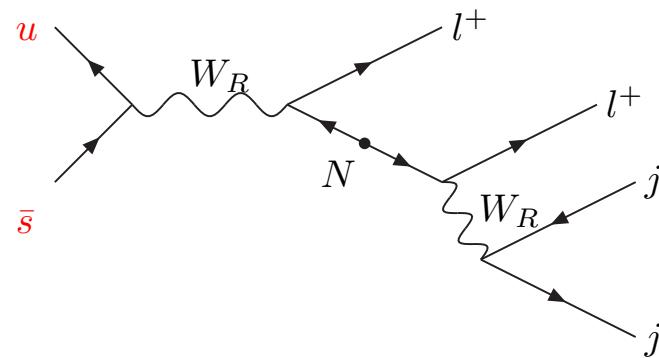
SSDE at the LHC 2

- Contributions from other initial state partons ? e.g.



SSDE at the LHC 2

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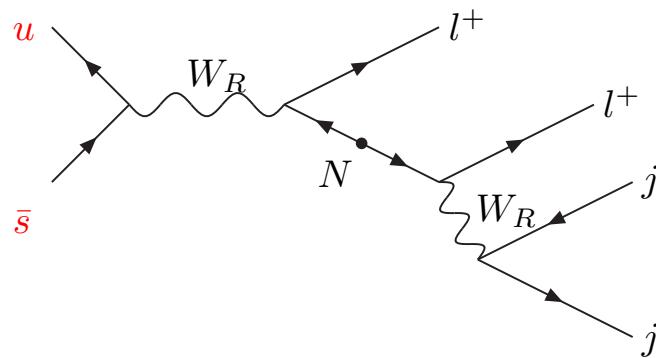


- Charge asymmetry ratio as a possible discriminator

CHK, Stirling 1010.2988

SSDE at the LHC 2

- Contributions from other initial state partons ? e.g.



- Charge asymmetry ratio as a possible discriminator
CHK, Stirling 1010.2988
- More general usage of charge asymmetry ratio as diagnostic tools for new physics see
CHK, Stirling 1004.3404

Charge asymmetry ratio

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- Proton has non-universal flavour content of course !

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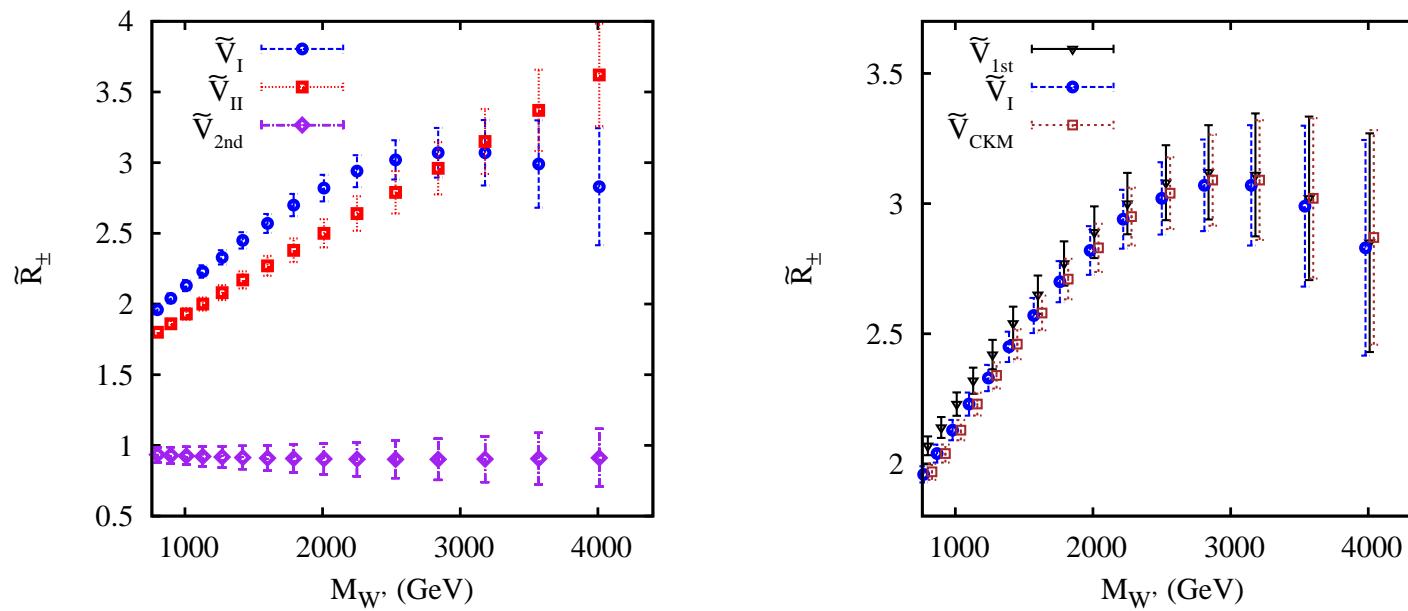
Charge asymmetry ratio

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⇒ Charge asymmetry ratio $R^\pm \equiv \frac{N(+)}{N(-)}$ depends on how quarks couple to the resonance.
- Also, R^\pm tracks ‘weighted’ parton luminosity ratio \tilde{R}^\pm :

$$\tilde{R}^\pm = \frac{\int dy |\tilde{V}_{ab}|^2 f_a(x_1, M_V) f_{\bar{b}}(x_2, M_V)|_{(+)}}{\int dy |\tilde{V}_{cd}|^2 f_{\bar{c}}(x_1, M_V) f_d(x_2, M_V)|_{(-)}}$$

\tilde{R}^\pm in W' models

\tilde{R}^\pm for certain types of quark flavour mixings are distinguishable.



$$|\tilde{V}_{II}| \sim \begin{pmatrix} 0 & \frac{1}{\sqrt{2}} & \frac{1}{\sqrt{2}} \\ 1 & 0 & 0 \\ 0 & \frac{1}{\sqrt{2}} & \frac{1}{\sqrt{2}} \end{pmatrix}$$

Buras et. al. 1007.1993

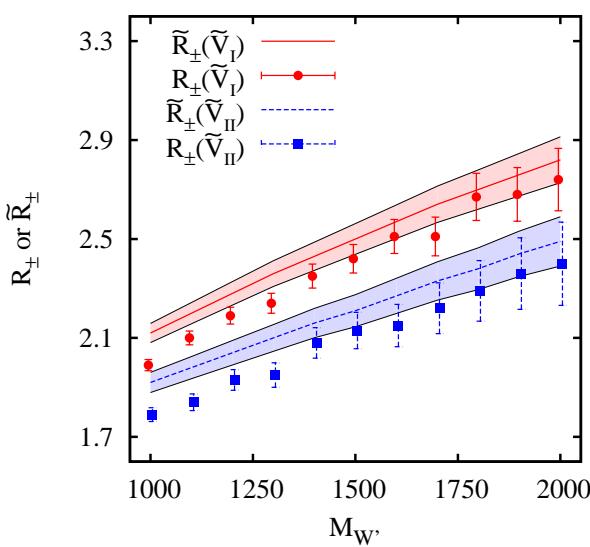
R^\pm in W' models

- Implement W' into Herwig++
- Impose cuts similar to the SSDE analysis for LNV selectron (hard $p_T^l > 75$ GeV, $p_T^j > 50$ GeV, wrong sign lepton veto, $lljj$ invariant mass constraint)
- main background from $t\bar{t}$ (Herwig++), $WZ(\gamma^*)jj$ (Alpgen), but $\mathcal{O}(1)\%$ compared to signal at 14 TeV.

$M_{W'}$	Process	σ_{tot}	σ_{cut}
1.0 TeV	$W'(\tilde{V}_I)$	$4.78 \cdot 10^3$	$1.02 \cdot 10^3$
	$W'(\tilde{V}_{II})$	$2.62 \cdot 10^3$	542
	$t\bar{t}$	$6.06 \cdot 10^5$	2.8
	$WZ(\gamma^*)jj$	-	0.37
2.0 TeV	$W'(\tilde{V}_I)$	226	72.9
	$W'(\tilde{V}_{II})$	92.8	29.3
	$t\bar{t}$	$6.06 \cdot 10^5$	0.53
	$WZ(\gamma^*)jj$	-	0.14

R^\pm vs \tilde{R}^\pm in W' models

\tilde{V}_I and \tilde{V}_{II} are distinguishable for $M_{W'}$ below ~ 2 TeV.
(14 TeV, 30 fb^{-1})



$M_{W'}$	\tilde{V}_I		\tilde{V}_{II}	
	\tilde{R}^\pm	R^\pm	\tilde{R}^\pm	R^\pm
1.0 TeV	2.12(4)	1.99(1)	1.92(4)	1.79(2)
1.5 TeV	2.50(6)	2.42(3)	2.21(7)	2.13(4)
2.0 TeV	2.82(9)	2.74(7)	2.49(10)	2.40(10)

$t\bar{t} :$ $R^\pm \sim 1.0$
 $WZ(\gamma^*)jj :$ $R^\pm \sim 1.2$

- However at 7 TeV 1 fb^{-1} the prospect is not as promising.

Summary

- Many candidate $0\nu\beta\beta$ mechanisms.
- LHC searches complementary to direct $0\nu\beta\beta$ observation.
- Needs both direct $0\nu\beta\beta$ and indirect LHC searches to understand structure of Majorana ν sector.
- Charged resonances decaying to same-sign di-electron + 2 jets might be relevant.
- Charge asymmetry ratio could provide further information on the relevance of SSDE+2j observed to $0\nu\beta\beta$.

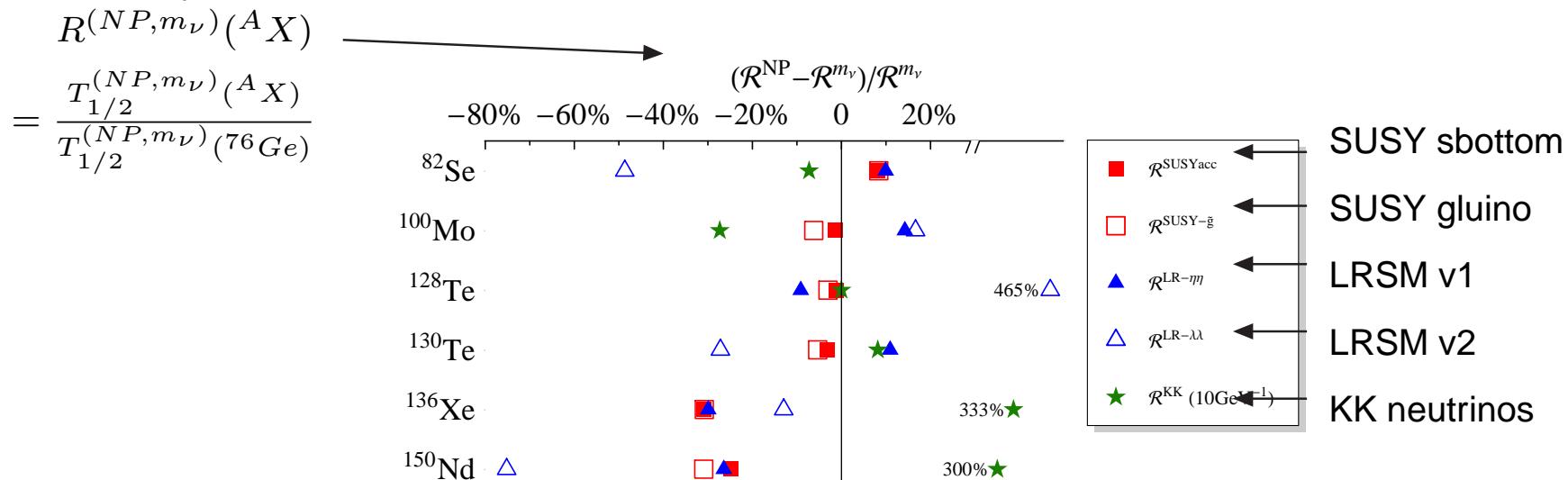
Backup slides

Half life ratios of different isotopes

- Different mechanisms result in different NMEs.
- New physics parameters cancel in ratio.

$$\frac{T_{1/2}(^A X)}{T_{1/2}^{0\nu\beta\beta}(^{76}\text{Ge})} = \frac{|M(^{76}\text{Ge})|^2 G_{0\nu}(^{76}\text{Ge})}{|M(^A X)|^2 G_{0\nu}(^A X)}$$

- Systematic uncertainties in NMEs tend to cancel.



Deppisch, Päes 06

- Many isotopes required.

Electron angular correlations

Different lepton current structure leads to different angular correlations

$$\frac{d\Gamma}{dcos\theta} = \frac{\Gamma}{2}(1 - Kcos\theta).$$

- Only weakly dependent of NME models.
- In m_ν mechanism, $K \sim 0.8 - 0.9$ for a range of isotopes (^{76}Ge , ^{82}Se , ^{100}Mo , ^{130}Te , ^{136}Xe). [Ali,Borisov,Zhuridov 07](#)
- For LR symmetric model, $K \sim -0.8$. [Deppisch,Jackson](#)
- E.g. SuperNEMO is sensitive to single electron kinematics.

Triplet Higgs model

Akeroyd et. al., Garayoa et. al., Kadastik et. al. 08, Petcov et. al. 09

$$V_{\text{Higgs}} = m^2 (\Phi^\dagger \Phi) + \lambda_1 (\Phi^\dagger \Phi)^2 + M_\Delta^2 \text{Tr}(\Delta^\dagger \Delta) + \lambda_2 [\text{Tr}(\Delta^\dagger \Delta)]^2 + \lambda_3 \text{Det}(\Delta^\dagger \Delta) \\ + \lambda_4 (\Phi^\dagger \Phi) \text{Tr}(\Delta^\dagger \Delta) + \lambda_5 (\Phi^\dagger \tau_i \Phi) \text{Tr}(\Delta^\dagger \tau_i \Delta) + \left(\frac{1}{\sqrt{2}} \mu (\Phi^T i \tau_2 \Delta^\dagger \Phi) + h.c \right),$$

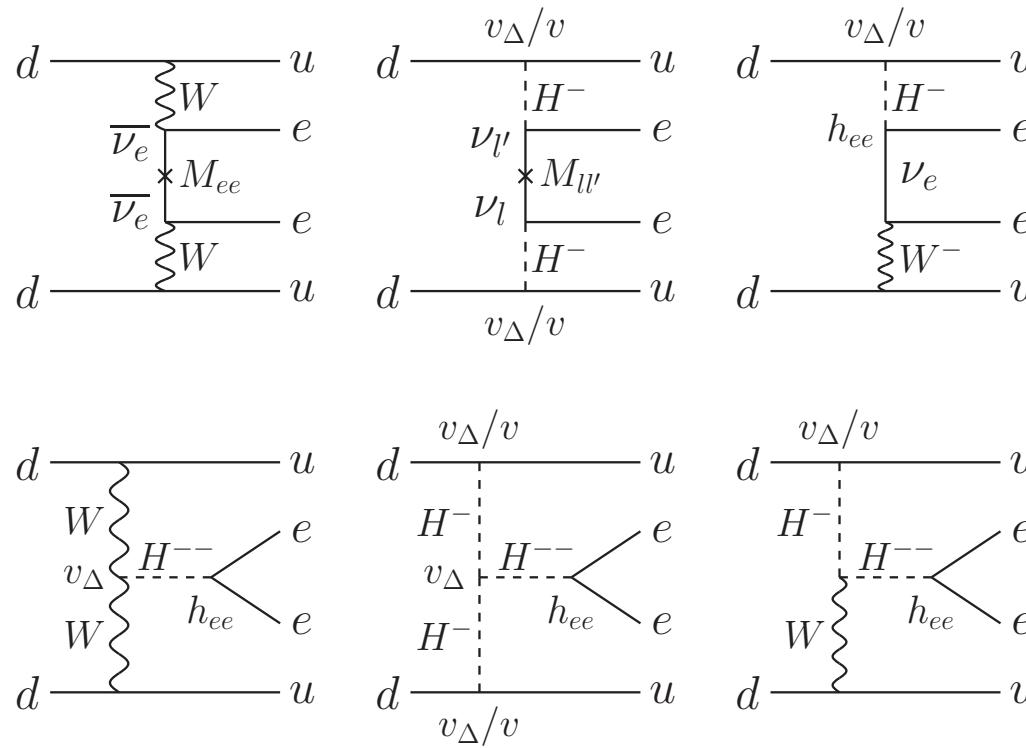
$$\Delta = \begin{pmatrix} \Delta^+/\sqrt{2} & \Delta^{++} \\ \Delta^0 & -\Delta^+/\sqrt{2} \end{pmatrix} \text{ (Higgs triplet)}$$

$$\Phi^T = (\phi^+ \ \phi^0)^T \text{ (Higgs doublet)}$$

- Absence of the last term in V_{Higgs} lead to Majoron (LEP excluded).
- $\langle \Delta^0 \rangle < 8 \text{ GeV}$ from ρ constraint. Petcov et. al. assumed $v_\Delta \lesssim 1 \text{ MeV}$. Also $M_{H^{\pm\pm}} \leq M_{H^\pm}$ to forbid HW decays.
- Tevatron limit : $m_{H^{\pm\pm}} \sim 130 \text{ GeV}$.

$0\nu\beta\beta$ in Triplet Higgs Model

From Petcov et. al. 0904.0759



- All diagrams (bar the first) are suppressed by powers of $v_\Delta \equiv \langle \Delta^0 \rangle$.