#### Pico-charged intermediate particles rescue dark matter interpretation of 511 keV line

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# Situation today

- From CMS and ATLAS: Higgs discovery but nothing more
- Some news from LHCB
- Neutríno physics: Overall pícture is consistent with 3 x 3 oscillation paradígm

Dark matter





Competitive resultifrom PANDAXII, 1708.06917



#### Why simplest dark paradigm should be true?

#### SM as clue

 SM sector is sophisticated and non-trivial with a very rich phenomenology

#### WHAT IS STANDARD MODEL ?

The Standard Model explains how the basic building blocks of matter interact, governed by four fundamental forces and classifies all the subatomic particles known. Because of its success in explaining a wide variety of experimental results, the Standard Model is sometimes regarded as a "theory of almost everything".



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#### Indirect dark matter searches

- Searching for stable product from dark matter annihilation or decay such as
- photons
- posítrons
- antíproton
- antíhydrogen
- neutrínos

. . . .

#### Indirect dark matter searches



#### Hints for DM from indirect search

Sígnals that went away with further data: 130
 GeV líne observed by Fermí-LAT

 Sígnals that stay robust but go "out of fashíon": PAMELA Sígnal, INTEGRAL 511 keV líne

#### PAMELA and AMSO2 positron

excess





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### 511 keV

It has been observed for more than 40 years
Leventhal et al., 1978
e<sup>-</sup>e<sup>+</sup> annihilation

INTEGRAL

INTErnational Gamma-Ray Astrophysics Laboratory

Launched in 2002

SPI at INTEGRAL of ESA

Angular resolution: 2° Energy resolution: 2 keV







# Morphology of the line



Galactic longitude

Distribution of the line as observed by INTEGRAL/SPI: ESA/Bouchet et al.

### Flux

#### Siegert et al., arXiv:1512.00325

#### $(0.96 \pm 0.07) \times 10^{-3} \text{ph cm}^{-2} sec^{-1}$

#### Some alternative scenarios

• Radioactive decay:  ${}^{56}Ni$   ${}^{44}Ti$   ${}^{13}N$   ${}^{26}Al$ • Accreting binary sources • pulsars

supermassive blackhole

# Dark matter explanation

C Boehm, D Hooper, Sílk, Casse and Paul,
 Phys. Rev. Lett. 92 (2004) 101301

• Dark matter mass ~ few MeV

 $\sigma(X + X \to e^- e^+) \sim 10^{-4} pb$ 

# Delayed recombination Reionization > rescattering CMB photons Broadening last scattering surface

- Suppression of temperature and polarization correlation on small scales (large multipoles)
- Late time Thompson scattering \_\_\_\_\_ enhanced polarization correlation at large scales

### Bounds from CMB



Wilkinson, Vincent, Boehm and McCabe, PRD 94 (2016)

Can p-wave annihilation rescue the DM explanation?  

$$\sigma(X + X \to e^-e^+) = (10^{-4} \ pb)v^2$$
• At galaxy:  $10^{-3} >>$  velocity at recombination  
At freeze-out time:  

$$\sigma(X + X \to e^-e^+) = 10 - 100 \ pb$$
suppressed relic density

#### Our scenario

• YF and M Rajaee, arXiv:1708.01137

#### $X \to C\bar{C} \ C\bar{C} \to e^- e^+$

• The velocity of C will be above escape velocity.

# Galactic magnetic field



Sun et. al 2008

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#### The magnetic fields of our galaxy, the



Milky Way

The main magnetic field structure lies *in the plane* of the disc and follows the spiral arms.

- The red arrows are in the opposite direction to the black ones – i.e. the magnetic field is reversed.
- There is also a toroidal and a poloidal magnetic field (not shown)



### Larmour radius

$$r_L = 5 \ pc \times \left(\frac{3 \times 10^{-11}}{q}\right) \left(\frac{m_X}{5 \ \text{MeV}}\right) \left(\frac{10 \ \mu\text{Gauss}}{B}\right)$$

 $(8 \ kpc) \times \sin(2^\circ) = 280 \ pc$ 

### Acceleration by supernova shock

#### waves

Chuzhoy and Kolb, JCAP 0907 (2009) 014

$$\tau_E^{-1} = d\log E/dt$$

$$(100 \text{ Myr})^{-1}$$

We need a mechanism for energy loss. The same mechanism that gives charge to C particles also provides a mechanism for cooling. • Feldman, Liu and Nath, Phys Rev D 95 (2007)

 $U(1)_X \times SU(2) \times U(1)_Y \to U(1)_{em},$ 

• Stueckelberg mechanism  $-\frac{X_{\mu\nu}X^{\mu\nu}}{4} - \frac{\delta}{2}X_{\mu\nu}B^{\mu\nu} - (\partial_{\mu}\sigma + M_{1}X_{\mu} + M_{2}B_{\mu})^{2}$   $\epsilon = \frac{M_{2}}{M_{1}} \ll 1 \qquad \delta \ll 1$ Dark photon,  $\gamma'$ , mainly composed of  $X_{\mu}$ 

### A particularly interesting limit

• Feldman, Liu and Nath, Phys Rev D 95 (2007)

 $\delta = \epsilon$  Decoupling of the sectors

 $q = \frac{g}{e} \xrightarrow{\epsilon}$  Standard SU(2) coupling

Electric charge of C particles

### A particularly interesting limit

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Electric charge of C particles

For  $\delta \neq \epsilon$  still  $q \propto \max[\epsilon, \delta]$ 

### A particularly interesting limit

• Feldman, Liu and Nath, Phys Rev D 95 (2007)

 $\delta = \epsilon$  Decoupling of the sectors

 $q = \frac{g}{e}\epsilon$ 

Dark photon mass arbitrary given by  $M_1$ No tree level coupling between  $\gamma'$  and SM fermions

# Decay of Dark photon

- kinetically available decays modes for keV dark photons  $\gamma\gamma,\gamma\gamma\gamma,\nuar{
  u}$
- Landau-Yang theorem



 $\gamma' \rightarrow \gamma \gamma$  $\Gamma_{\gamma'} \sim m_{\gamma'} \frac{g_X^2 q^6}{4\pi (16\pi^2)^2}$ 

 $\tau = 7 \times 10^{45} \text{ years} \gg 10 \text{ Gyr}$ 

 $\bar{\nu} \sim m_{\gamma'} \left(\frac{m_{\gamma'}}{m_{Z'}^2}\right)^2 \frac{g_X^2 q^4}{4\pi (16\pi^2)^2}$ 

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#### C and $\gamma'$ production in early Universe

$$e^+e^- \to CC \qquad \qquad \frac{\dot{n}_C H^{-1}}{n_\gamma} = 5 \times 10^{-5} \left(\frac{q}{10^{-11}}\right)^2$$

$$\dot{n}_C + 3Hn_C = -\langle \sigma(C\bar{C} \to \gamma'\gamma')v \rangle n_C^2$$





 $10^{-11} < q < 3 \times 10^{-10}$ → BBN:  $\frac{n_{\gamma'}}{n_{\gamma}} < 0.1$ 

 $10 \text{ eV} < m_{\gamma'} < 10 \text{ keV}$ 

Non-relativistic at recombination

Subdominant dark matter component

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# Bounds on $\frac{n_C}{n_X}$ fraction

$$n_C = \frac{\rho_X}{m_X} f$$
 where  $f = \Gamma_X t^0$ 

- Dominant DM component cannot be relativistic [Audren, JCAP 1412 (2014)] f < 1%
- Not all  $\gamma'$  are ejected:

$$C < 10^{-2} \left(\frac{q}{10^{-11}}\right)^2 \left(\frac{m_{\gamma'}}{10 \text{ keV}}\right) \left(\frac{m_X}{10 \text{ MeV}}\right)$$

C should be accumulated

$$n_C \langle \sigma(CC \to \gamma' \gamma') v \rangle t_0 \ll 1$$

$$f < 6 \times 10^{-4} \left(\frac{m_X}{10 \text{ MeV}}\right) \left(\frac{0.15}{g_X}\right)^4 \left(\frac{m_C}{5 \text{ MeV}}\right)^2$$

#### What if $\delta \neq \epsilon$



$$q' \sim g_X \max[\delta, \epsilon] \sim 10^{-11} - 3 \times 10^{-10}$$

$$\tau = 1000 \ yr \left(\frac{3 \times 10^{-10}}{q'}\right)^2 \left(\frac{keV}{m_{\gamma'}}\right)$$

#### Before recombination

 $\lambda_{C\phi'} |C|^2 (\phi')^2$ 

 $C\bar{C} \to \phi' \phi'$ 

### Bounds

 SLAC bounds on millicharged particles; Prinz et al., PRL 81 (1998) 1175 1 MeV-100 MeV

 $q < 4.1 \times 10^{-5} e - 5.8 \times 10^{-4} e$ 

 Supernova bound (energy loss) Davidson, Hannestad and Raffelt, JHEP 05 (2000) 03

$$q < 10^{-9}$$

### A few words on dark matter

 $m_X \sim O(10 \text{ MeV})$ 

 $\langle \sigma(X + X \to \nu + \nu, \bar{\nu} + \bar{\nu})v \rangle|_{tot} = 1 \text{ pb}$ 

Bohm et al., PRD 77 (2008) 043516; Farzan, PRD 80 (2009) 073009

The bounds from CMB on  $N_{eff}$  then implies  $m_X > 5$  MeV

Wilkinson et al., PRD 94 (2016) 103525

#### Bounds on electric charge of C versus DM mass



# Positronium decay

$$e^-e^+ \to \gamma\gamma$$

• Decay at rest: 511 keV line

Decay in flight: harder and continuous spectrum

Beacom and Yuksel, PRL 97 (2006) 071102 $E_{inj} < 3 \text{ MeV}$ Assuming zero ionizationSize, Casse and Schanne, PRD 74 (2006) 063514 $E_{inj} < 7.5 \text{ MeV}$ 51 % ionization

# A fun bound from Voyager



Launched on 5th of September, 1977

# A fun bound from Voyager



#### Containing a piece of Azarbaijani music

# Voyager out of heliopause



#### $E_{inj} < 10 \text{ MeV}$

Boudaud Lavalle and Salatí, PRL 119 (2017) 021103

#### Voyager entered interstellar medium in summer 2012

### Direct detection

C relativistic $v \sim 1/3$			
$\langle \Delta E \rangle \sim 0.03$	$35 \text{ keV} \frac{1}{1-v^2} \left(\frac{v}{1/3}\right)$	$\left(\frac{m_C}{3 \text{ MeV}}\right)^2 \left(\frac{28 \text{ GeV}}{M_N}\right)$	$\left(\frac{M_N}{M_N + \gamma m_C}\right)^2$
Present		Future	
LUX experiment	$E_{th} = 3 \text{ keV}$	SuperCDMS	$E_{th} = 0.056 \text{ keV}$
DAMA	$E_{th} = 2 \text{ keV}$	CRESST III	$E_{th} = 0.02 - 0.06 \text{ keV}$
CRESSTI	$E_{th} = 0.3 \text{ keV}$	Edelweiss III	$E_{th} < 0.1 \text{ keV}$

q10<sup>-9</sup> Supernova In-flight e+ In-flight e+ annihilation Ċ annihilation+ Bremsstrahlung 10<sup>-10</sup> 谷 BBN Trapped Trapped Edelweiss II particles particles 10<sup>-11</sup>  $(m_X = 40 \text{ MeV})$  $(m_X = 5 \text{ MeV})$ CRESST II Voyager 10<sup>-12</sup> Edelweiss III SuperCDMS CRESST III → m<sub>c</sub>[MeV] Fig 1-b 15 20 5 10

### Dependence on recoil energy

Different recoil energy dependence from DM signal Even dipole or anapole DM

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### Tests of the scenario

Direct dark matter search

Posítron search by Voyager

 Studying the correlation of 511 keV line with magnetic field in various dwarf galaxies (e.g. Reticulum I) and milky way

# Summary

- Scenario for saving DM interpretation of 511 keV signal from CMB bounds.
- Dark matter decays to a pair of pico-charged particles that stay in galaxy and eventually annihilate to create electron positron.
- Testable by low energy DM search experiments Edelweiss II, superCDMS and CRESST III with distinctive dependence on the recoil energy.
- Search for a positron signal in outer space by Voyager
- Correlation between galactic magnetic field and 511 keV signal in our galaxy and in dwarf galaxies
- General scenario applicable for the indirect DM signal other than the 511 keV line

Direct annihilation of C pairs to electron positron pair

 $C\bar{C} \rightarrow \phi \phi$ 

 $\frac{\bar{e}e\bar{C}C}{\Lambda}$ 

 $\sigma(C\bar{C} \to \phi\phi) \sim 100 pb$ 

 $\Lambda \sim 100~GeV$ 

### In two steps

 $C\bar{C} \rightarrow \phi \phi$  $\phi \rightarrow e^- e^+$ 

 $g_{\phi}\phi e^-e^+$ 

 $0.3 \times 10^{-15} < g_{\phi} < 10^{-11}$ Supernova

decay length smaller than 100 pc

# Model building

 $a_{\phi}\phi|H|^2$ 

$$g_{\phi} = \sqrt{2} \frac{a_{\phi} v}{m_h^2} Y_e$$