

# Dark Matter Across the Scales

based on : 1607.04278, 1705.09455, 1710.02146

in collaboration with Joachim Kopp, Jia Liu and Xiao-Ping Wang

Vedran Brdar

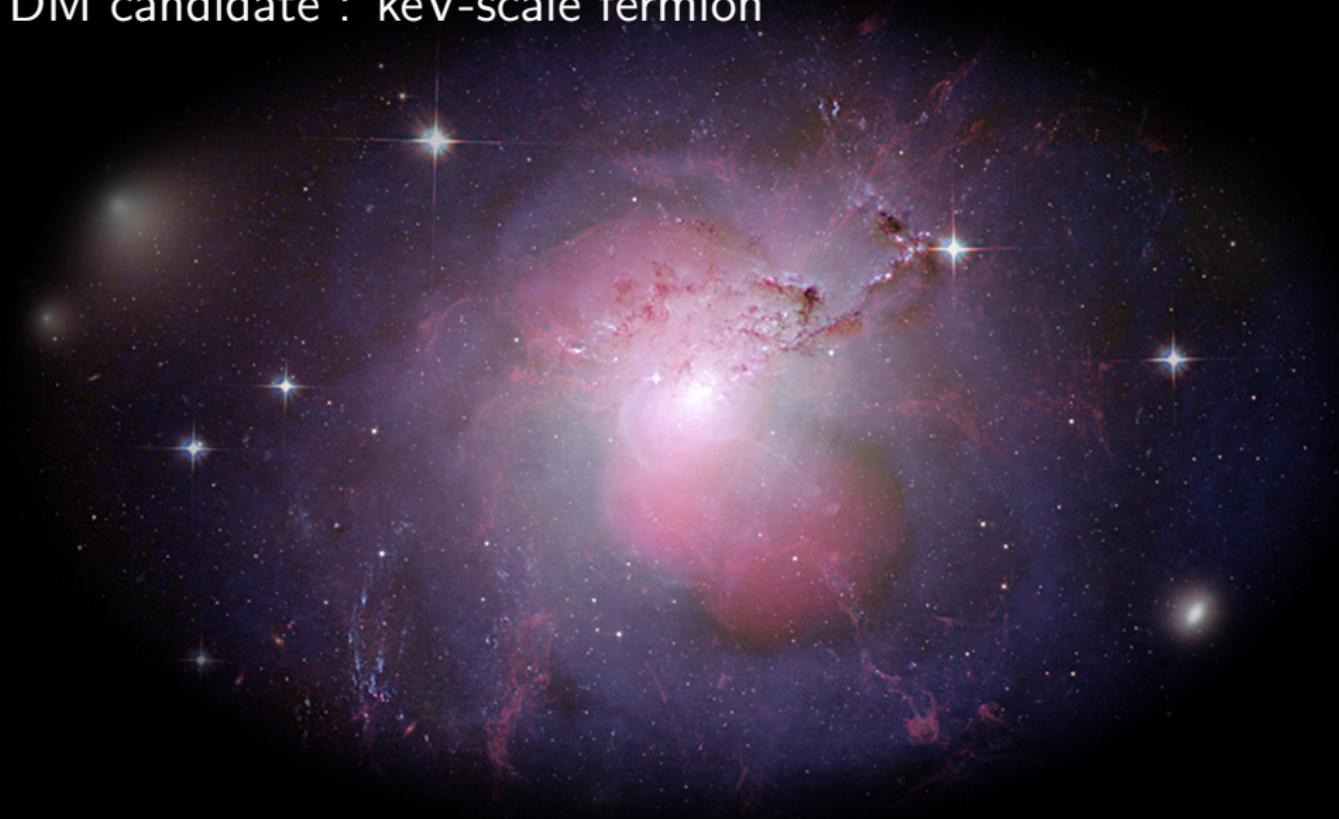


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# Outline

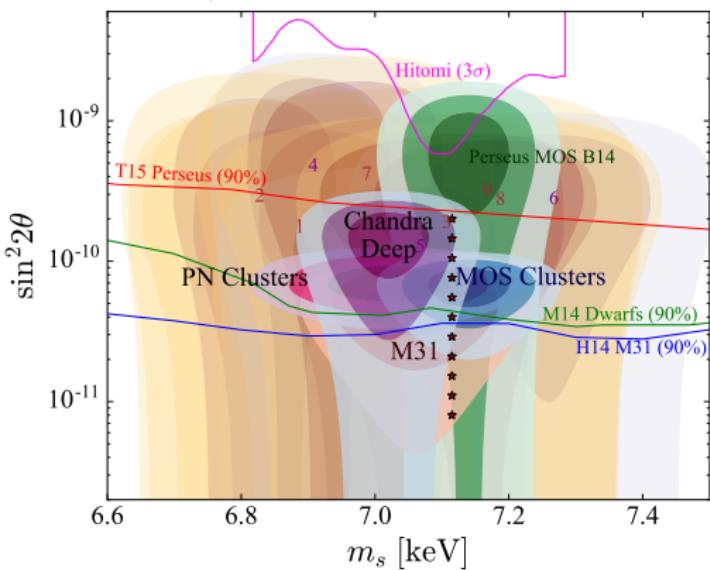
- ▶ DM in Galaxy clusters (Perseus...) and Galaxies (M31, MW)  
**DM candidate :** keV-scale fermion (one may refer to it as “sterile neutrino”)
- ▶ DM in Galactic Supernovae  
**DM candidate :** WIMP
- ▶ DM at Earth  
**DM candidate :** Ultralight “Fuzzy” DM

# DM candidate : keV-scale fermion

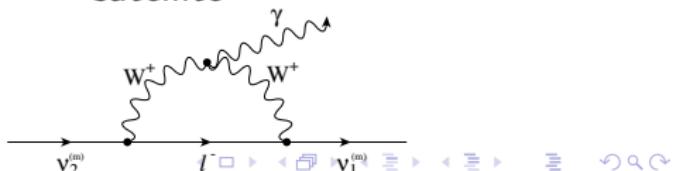
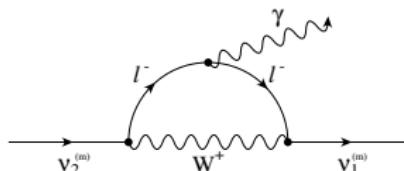


# keV-scale sterile neutrino (decaying DM)

K. Abazajian, arXiv:1705.01837



- ▶ keV DM proposed originally in hep-ph/9303287 by Dodelson and Widrow
- ▶ revival in 2014
- ▶ stacked clusters (Bulbul et al. 1402.2301), Perseus and M31 (Boyarski et al. 1402.4119)
- ▶ (Cappelluti et al., 1701.07932) – Deep Field search using Chandra satellite



# Dark Matter or atomic physics?

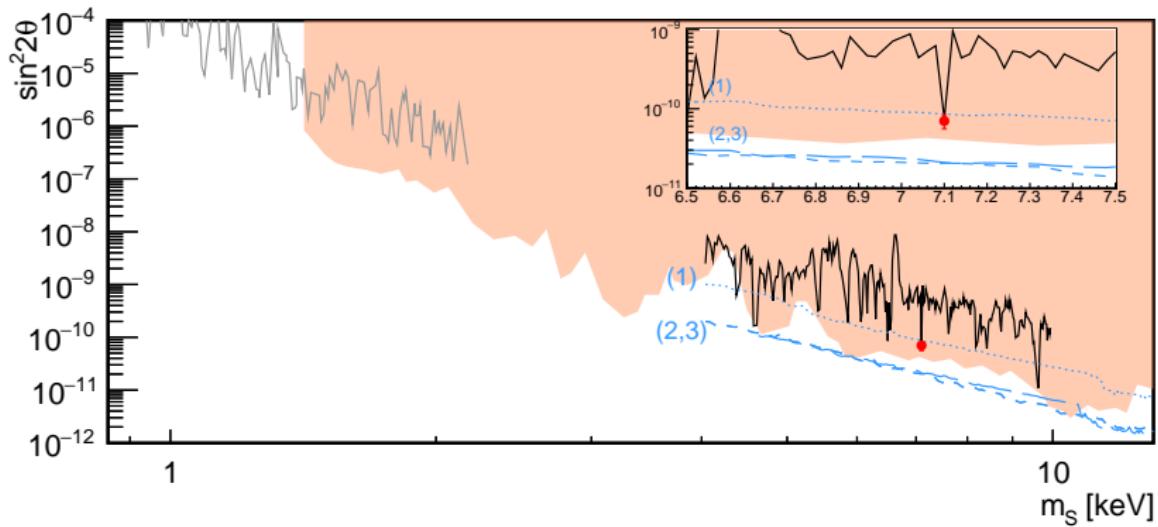
- ▶ Jeltema, Profumo : “Dark matter searches going bananas”
  - Potassium contribution
- ▶ “Hitomi constraints from Perseus” (1607.07420)

*“We do not find anomalously high fluxes of the nearby faint K line or the Ar satellite line that were proposed as explanations for the earlier 3.5 keV detections.”*

- ▶ x-rays from charge exchange : “*Laboratory measurements compellingly support charge-exchange mechanism for the ‘dark matter’ 3.5 keV X-ray line*” (1608.04751)
- ▶ from Cappelluti et al.  
*“According to these measurements and atomic calculations, we can conclude that, at  $> 3\sigma$  confidence level, the totality of the 3.5 keV line flux is not produced by charge exchange”*

# Final answer coming soon?

- ▶ Micro-X: A Sounding Rocket Dark Matter Search (1506.05519)



- ▶ 3 eV energy resolution (comparable to Hitomi)
- ▶ launch in 2019

# Return of the X-rays: A New Hope for Fermionic Dark Matter at the keV Scale

(VB, J. Kopp, J. Liu, X-P Wang 1710.02146)



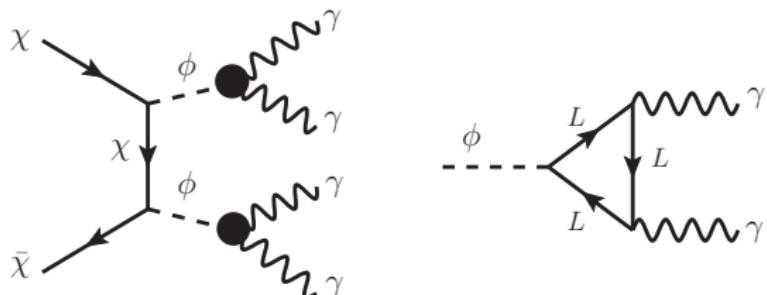
# May the Force Be With DM Annihilation (rather than Decay)



# Model and BSM Particle Content

- ▶ keV-scale fermion  $\chi$  and keV scale real scalar  $\phi$
- ▶ effective Lagrangian :

$$\mathcal{L}_{\text{eff}} \supset \frac{\alpha}{4\pi\Lambda} F_{\mu\nu} F^{\mu\nu} \phi + y \phi \bar{\chi} \chi$$



- ▶ UV complete model:

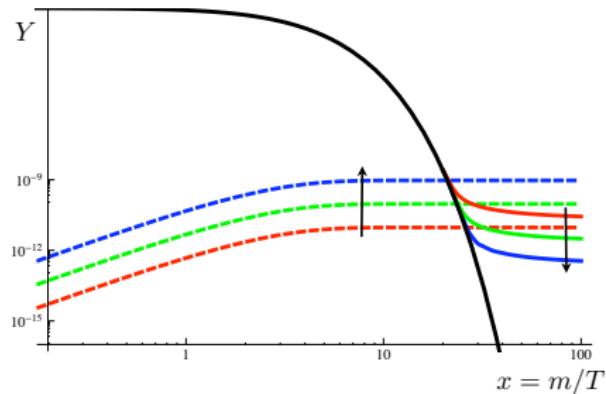
$$\mathcal{L} \supset \bar{L} i \not{\partial} L - m_L \bar{L} L + y \phi \bar{\chi} \chi + g \phi \bar{L} L$$

$$\frac{1}{\Lambda} = \frac{4g m_L}{\mu^2} f(4m_L^2/\mu^2)$$

$$f(\tau) = \begin{cases} 1 - (\tau - 1)(\csc^{-1} \sqrt{\tau})^2 & \tau \geq 1 \\ 1 + \frac{\tau-1}{4} \left[ \log \left[ \frac{1+\sqrt{1-\tau}}{1-\sqrt{1-\tau}} \right] - i\pi \right]^2 & \tau < 1 \end{cases}$$

# DM Production

- Freeze-in (Hall et al. 0911.1120)

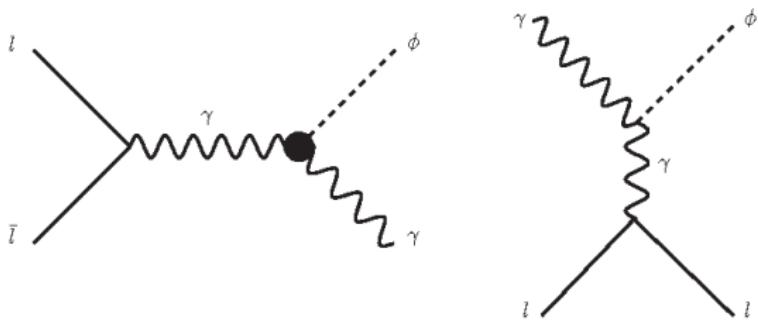


$$\begin{aligned} \frac{dY}{dT} = & -\frac{1}{512\pi^6 H(T) S(T)} \int_0^\infty ds d\Omega P_{AB} P_{CD} \\ & \times \frac{\overline{|\mathcal{M}|^2}_{AB \rightarrow CD}}{\sqrt{s}} K_1(\sqrt{s}/T) \end{aligned}$$

# UV freeze-in

- ▶ valid in regime  $T_{RH} < M_L$
- ▶ freeze-in of  $\phi$  followed by a decay to  $\chi\bar{\chi}$  ( $m_\phi(T) = m_\phi^2 + \lambda T^2$ )

$$\mathcal{L}_{\text{eff}} \supset \frac{\alpha}{4\pi\Lambda} F_{\mu\nu} F^{\mu\nu} \phi + y \phi \bar{\chi} \chi$$



$$Y_{\text{UV}} \simeq \frac{20400 \alpha^3 M_{\text{Pl}} T_{\text{RH}}}{16 \cdot 1.66 \cdot \pi^8 [g_*(T_{\text{RH}})]^{3/2} \Lambda^2}$$

$$\Omega h^2|_{\text{UV}} \simeq 105.31 \times \left(\frac{\text{PeV}}{\Lambda}\right)^2 \left(\frac{T_{\text{RH}}}{\text{TeV}}\right) \left(\frac{100}{g_*(T_{\text{RH}})}\right)^{\frac{3}{2}} \left(\frac{m_\chi}{\text{keV}}\right)$$

# Alternative Production Mechanisms

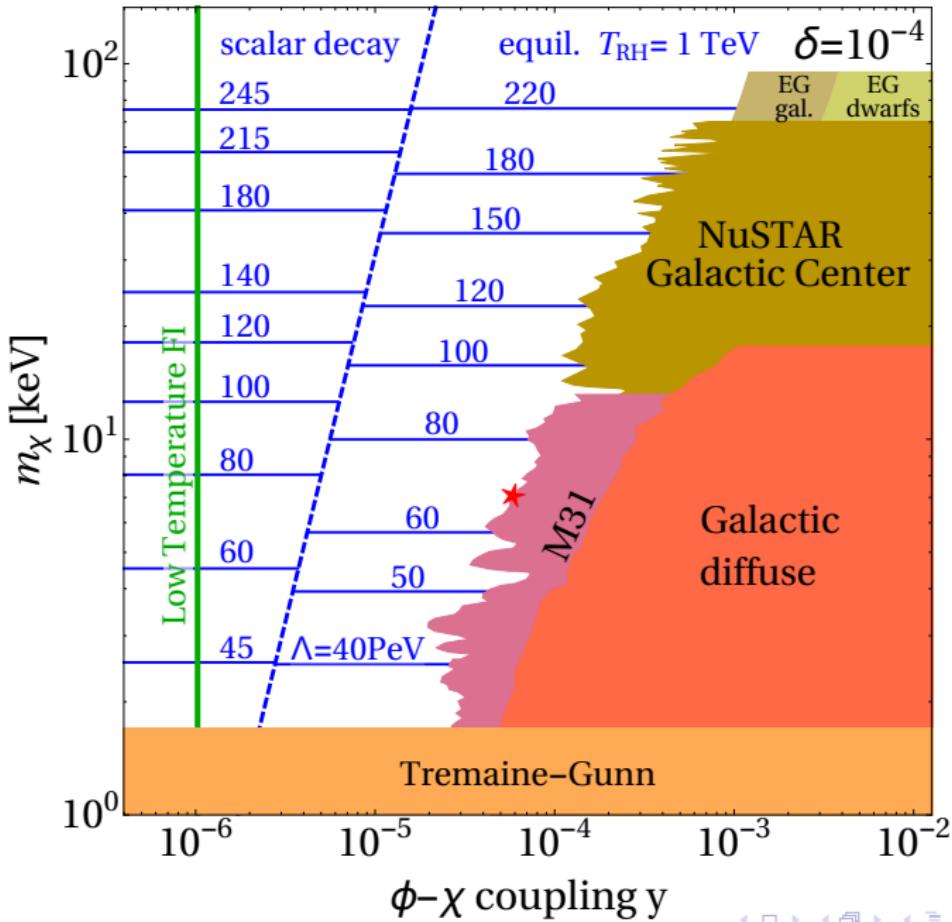
- ▶ Low energy Freeze-in valid in regime  $T_{RH} > M_L$

$$\Omega h^2 \simeq \begin{cases} 0.1 \times \left(\frac{y}{10^{-6}}\right)^2 \left(\frac{\lambda}{10^{-8}}\right)^{\frac{3}{2}} & (\text{FI via } \phi \rightarrow \bar{\chi}\chi) \\ 0.094 \times \left(\frac{y}{10^{-6}}\right)^4 & (\text{FI via } \phi\phi \leftrightarrow \bar{\chi}\chi) \end{cases}$$

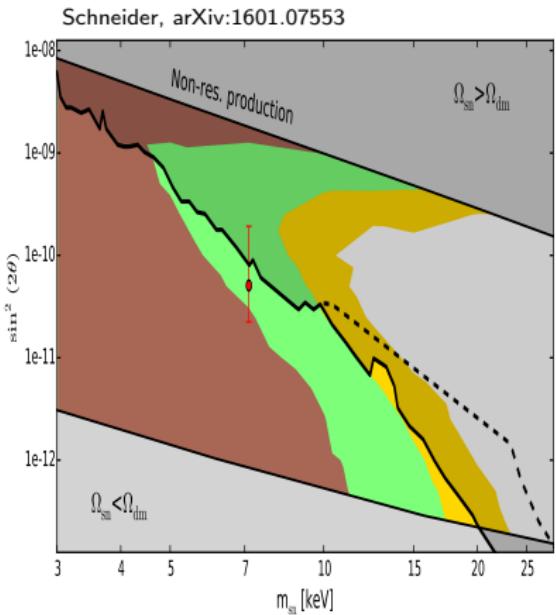
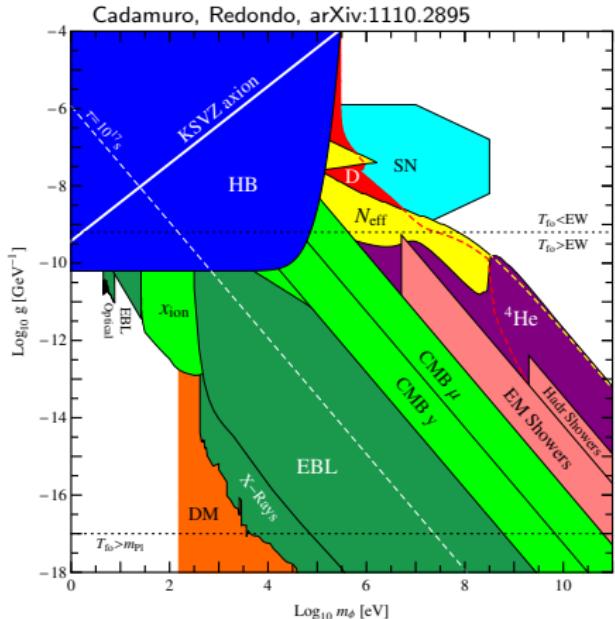
- ▶  $\phi$  is thermalized
- ▶  $N_{\text{eff}}$  constraint from BBN is not violated as the dark sector has been sufficiently diluted by entropy production in the SM sector

## Misalignment mechanism

- ▶ after  $\phi$  and  $\chi$  come into thermal contact, and a fraction of the  $\phi$  energy density is transferred to  $\chi$
- ▶ very cold DM



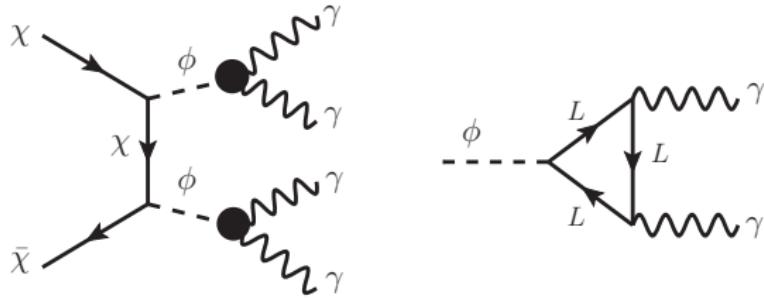
# Limits on scalar coupling to EM and structure formation



- ▶ for freeze-in scenarios, when  $\phi$  and  $\chi$  come in the thermal contact, new dominant channel for scalar decay required in order to avoid CMB limit
- ▶  $L\bar{L} \rightarrow \chi\bar{\chi}$  production is disfavored by HB constraints
- ▶ effective temperature of the dark sector is reduced by an entropy dilution factor (sizable quartic coupling helps)

# DM Annihilation

- the cross section for the DM annihilation process ( $\bar{\chi}\chi \rightarrow \phi\phi$ ) depends on the ratio between the relative mass difference  $\delta \equiv (m_\chi - m_\phi)/m_\chi$  of  $\chi$  and  $\phi$ , and the relative velocity  $v_{\text{rel}}$  of the annihilating DM particles

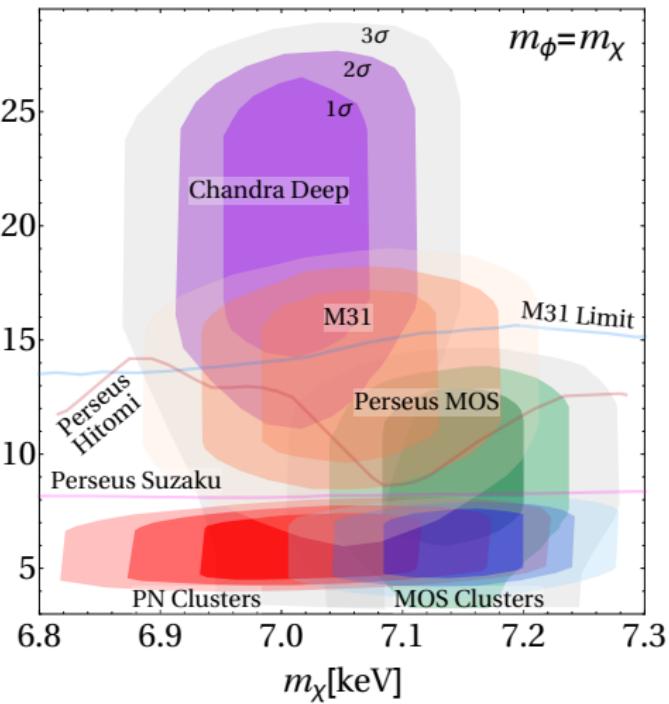
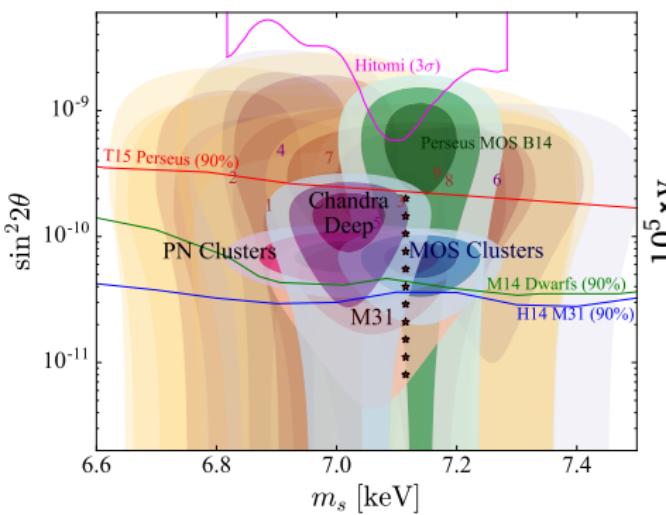


$$|\delta| \ll v_{\text{rel}}^2, \quad \sigma_{\text{ann}} v_{\text{rel}} = \frac{y^4 v_{\text{rel}}^3}{16\pi m_\chi^2} \quad \quad \delta \gg v_{\text{rel}}^2, \quad \sigma_{\text{ann}} v_{\text{rel}} = \frac{\sqrt{\delta}(2\delta(\delta+2)+3) y^4 v_{\text{rel}}^2}{24\pi(1+\delta)^4 m_\chi^2}$$

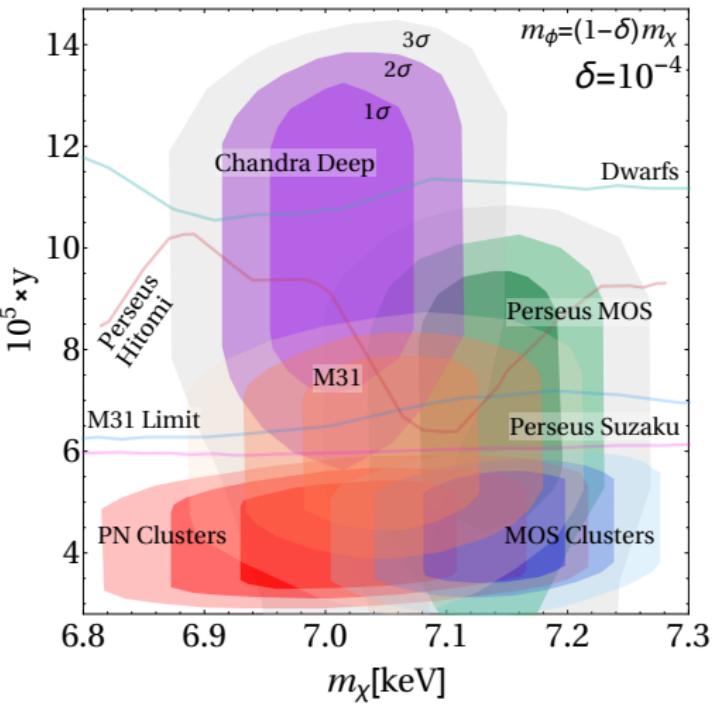
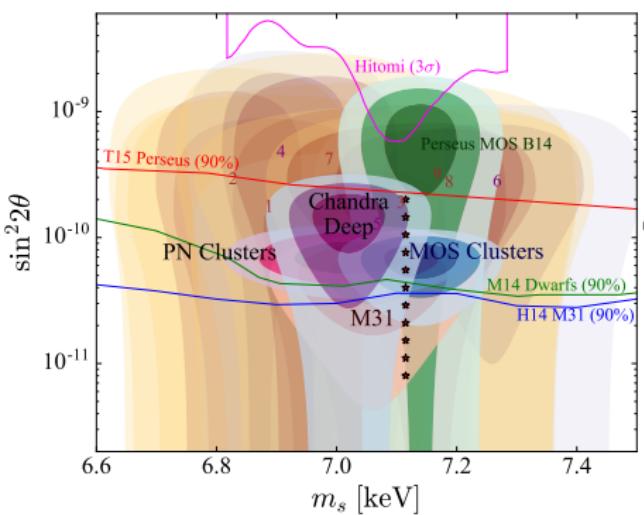
Converting existing limits from decaying DM :

$$\frac{\Gamma_\chi}{4\pi m_\chi} \int dl d\Omega \rho_{\text{DM}}(l, \Omega) = \frac{4}{16\pi m_\chi^2} \int dl d\Omega d^3 v_{\text{rel}} \rho_{\text{DM}}^2(l, \Omega) \sigma_{\text{ann}} v_{\text{rel}} f(l, \Omega, v_{\text{rel}})$$

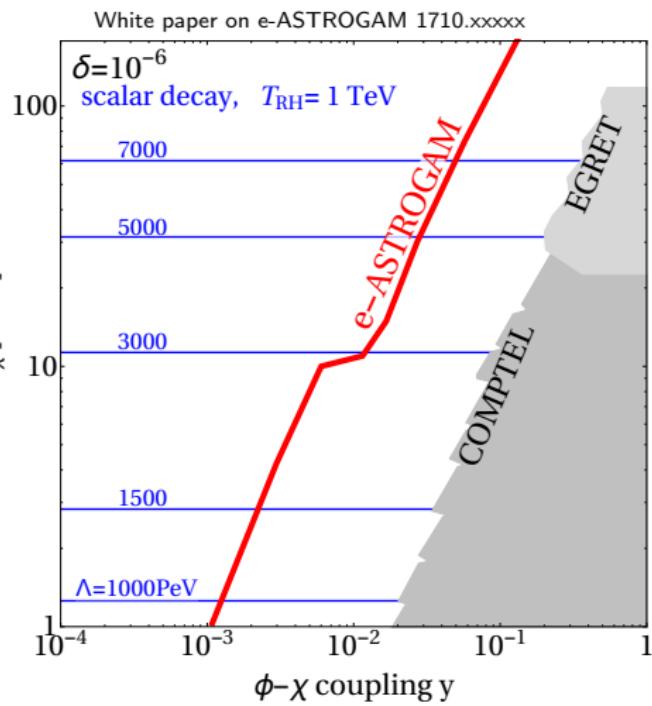
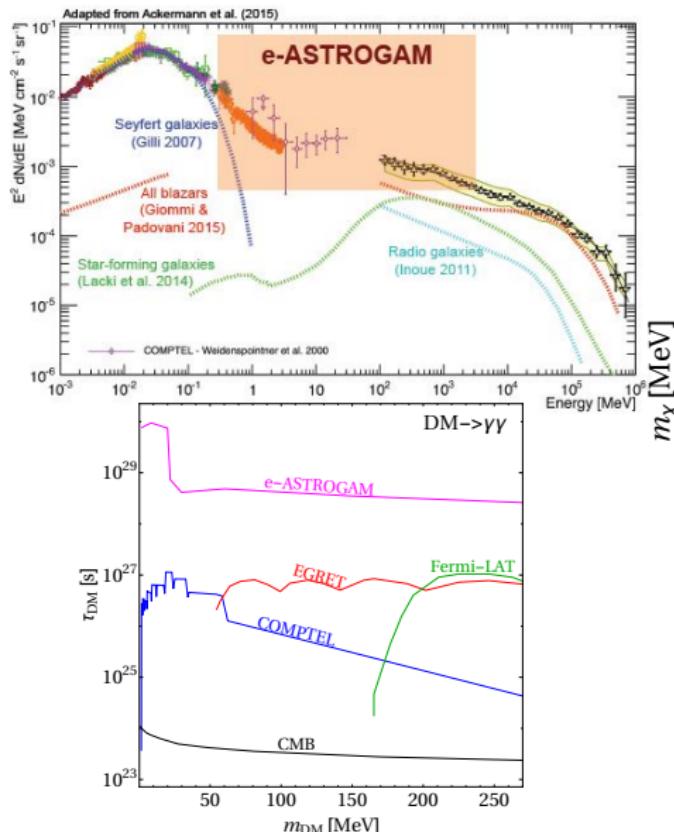
# degenerate $\chi$ and $\phi$ masses



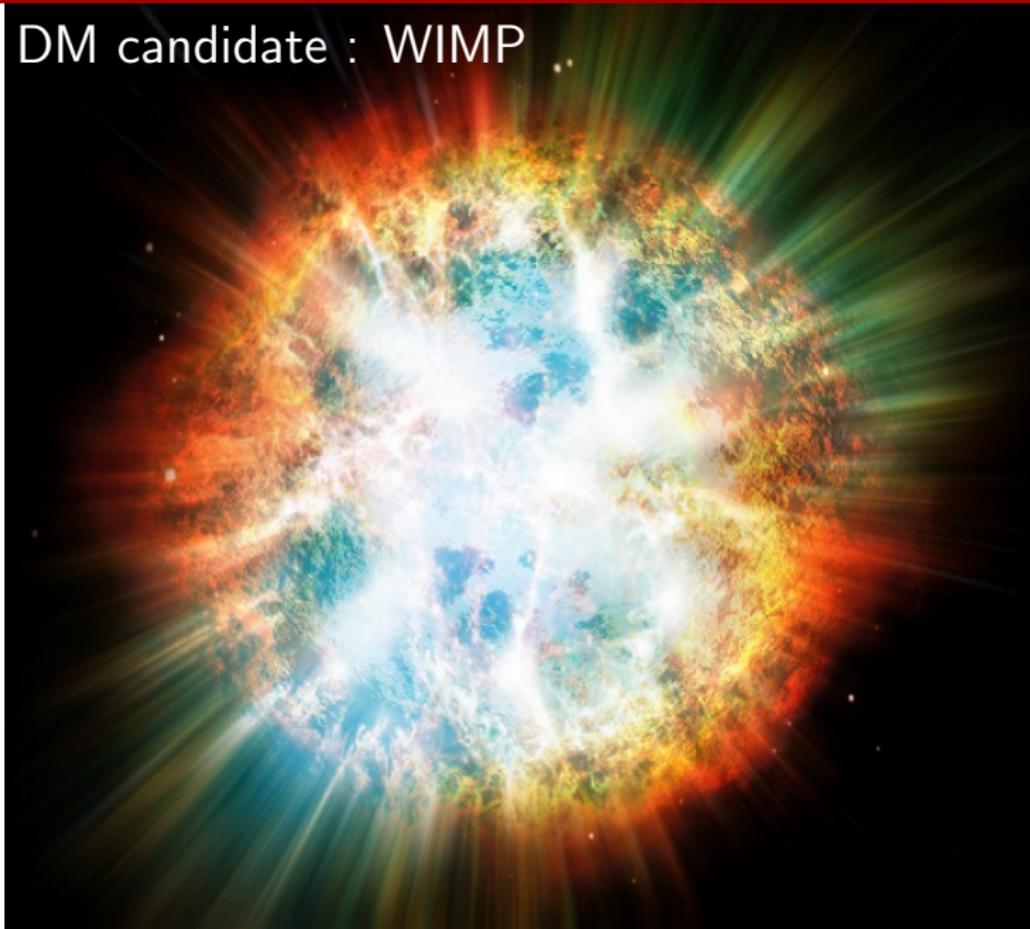
# quasidegenerate $\chi$ and $\phi$ masses



# Non-thermally Produced Dark Matter at the MeV scale



# DM candidate : WIMP



# DM annihilation in the Sun

Capture and Annihilation ( $dN/dt = C_{cap} - C_{ann}N^2$ )

## 1. Conditions:

- ▶  $C_{ann}^{\text{Sun}} \equiv \frac{1}{N^2} \int d^3r \langle \sigma v_{\text{rel}} \rangle n_{\text{DM}}^2(r) \sim 10^{-53} s^{-1}$
- ▶  $C_{cap} = \sum_i \int_0^{R_{\text{star}}} dr 4\pi r^2 \frac{dC_i(r)}{dV} \sim 10^{22} s^{-1}$
- ▶ parameters:  $m_{DM} = 100 \text{ GeV}$ ,  
 $\sigma_{SD}^H = 10^{-40} \text{ cm}^2$  and  
 $\langle \sigma v_{\text{rel}} \rangle = 3 \times 10^{-26} \text{ cm}^3 s^{-1}$

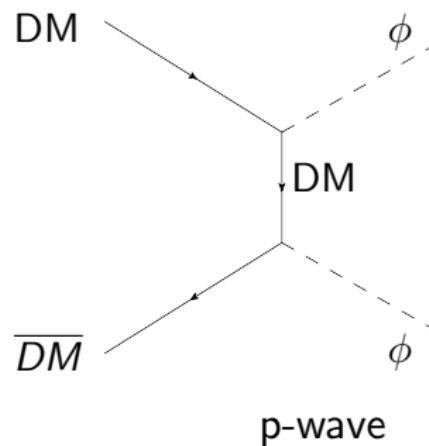
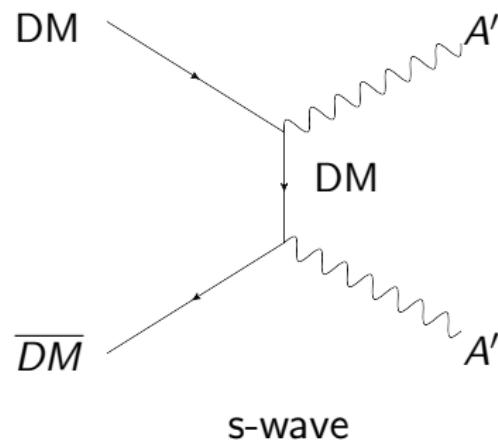
## 2. Results:

- ▶  $N(t) = \sqrt{\frac{C_{cap}}{C_{ann}}} \tanh \frac{t}{t_{eq}} \rightarrow \sqrt{\frac{C_{cap}}{C_{ann}}} \sim 10^{37}$
- ▶  $t_{eq} \equiv 1/\sqrt{C_{cap} C_{ann}} \sim 10^{15} \text{ s}$ ,  $t_{Sun} = 10^{17} \text{ s}$
- ▶  $C_{ann} N^2 = C_{cap} = 10^{22} \text{ s}^{-1}$

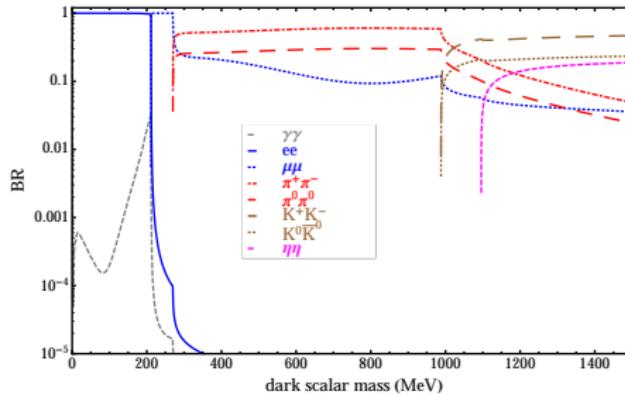
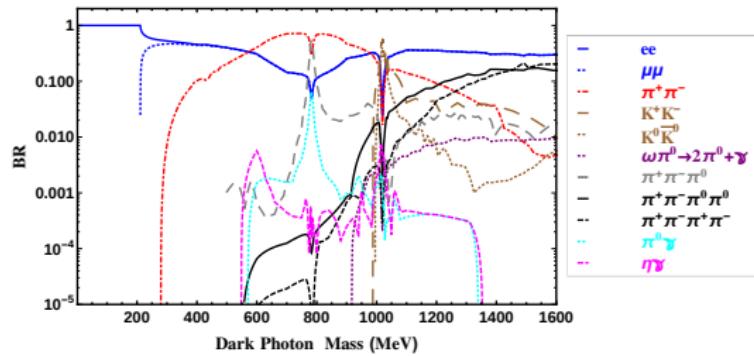
## 3. Conclusion: For the case of the Sun, there is an equilibrium!

# BSM particle content

- ▶ fermionic (Dirac) DM  $\sim (1,1,0)$
- ▶  $\sim \mathcal{O}(1)$  GeV dark photon or scalar coupling to
  - ▶ DM
  - ▶ SM via kinetic mixing (vector) or higgs portal (scalar)



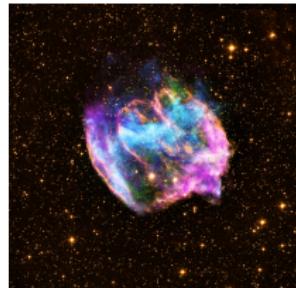
# Decay modes of dark mediators



Liu, Weiner, Xue, arXiv:1412.1485

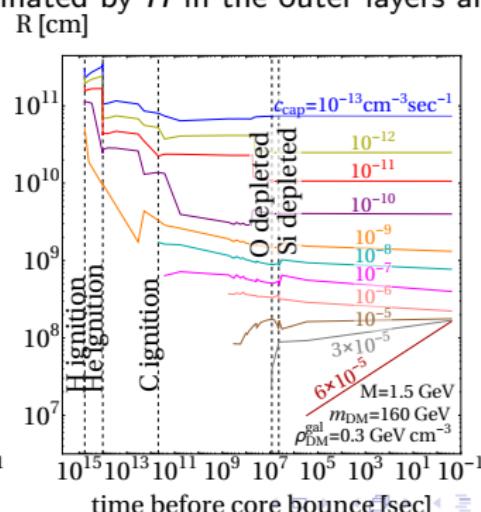
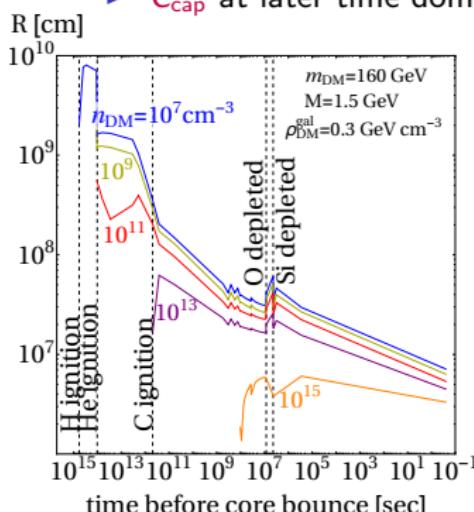
# Supernova progenitors versus the Sun

- ▶  $\mathcal{O}(10^8)$  further than the Sun,  $\sim 1\text{kpc}$
- ▶ much heavier than the Sun,  $\gtrsim 8M_{\text{Sun}}$
- ▶  $\mathcal{O}(10^{-2})$  shorter lifetime  $\sim 10^{15}\text{s}$
- ▶ density, temperature and chemical composition change in time much faster
- ▶ End up with a core collapse Supernova
- ▶ Peak annihilation rate (dark gamma ray burst coincident with the supernova)  $\mathcal{O}(10^{12})$  larger than the Sun!
- ▶ Capture and Annihilation *Not* in Equilibrium!



# Capture Rates and DM Distribution in the Star

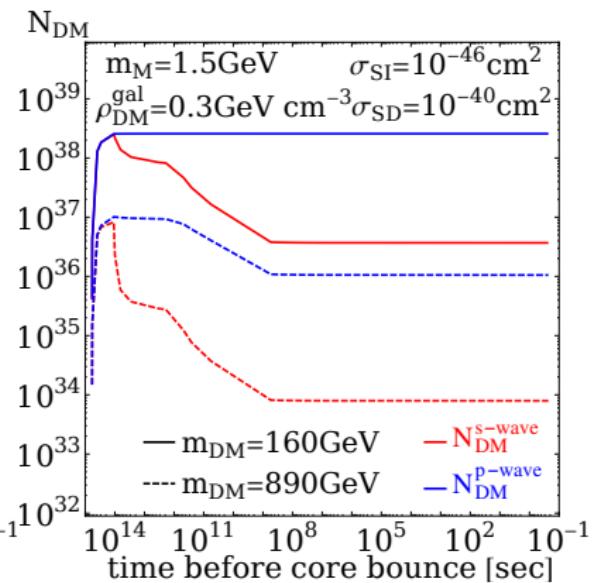
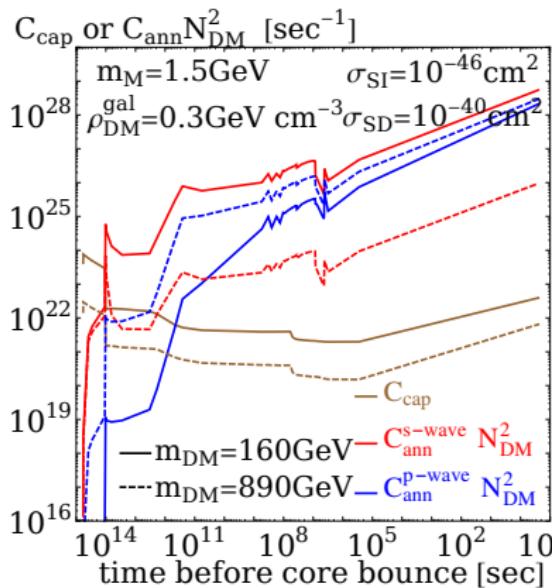
- ▶  $\rho_i(r, t), T(r, t)$  and chemical composition from Heger *et al.*
- ▶  $m_{DM} \in [10, 10^3] \text{ GeV}$ ,  $\sigma^{SD} = 10^{-40} \text{ cm}^2$ ,  $\sigma^{SI} = 10^{-46} \text{ cm}^2$
- ▶ DM core contracts along with the baryonic matter
- ▶ Quasi-instantaneous thermalization ( $n_{DM}(r) = n_0 \exp[-m_{DM}\phi(r)/T_{DM}]$ )
- ▶ Large  $C_{cap}$  at early times due to large  $\sigma_{SD}$  on  $H$
- ▶  $C_{cap}$  at later time dominated by  $H$  in the outer layers and  $^{14}N$



# Capture and Annihilation Rates

$$\dot{N}_{\text{DM}}(t) = C_{\text{cap}}(t) - C_{\text{ann}}(t) N_{\text{DM}}(t)^2 + C_{\text{self}}(t) N_{\text{DM}}(t)$$

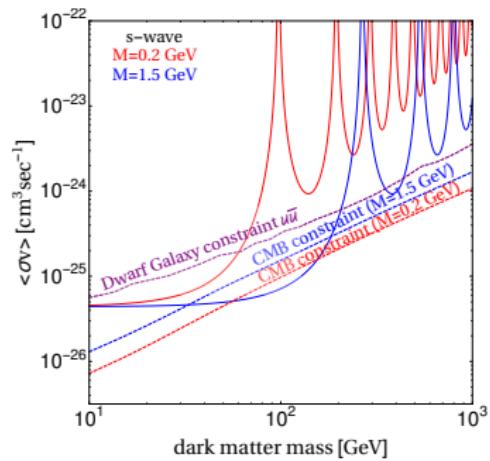
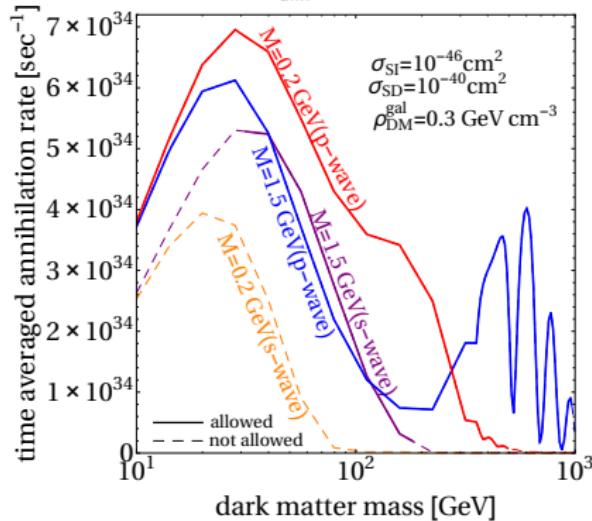
$$C_{\text{cap}} = \sum_i \int_0^{R_{\text{star}}} dr 4\pi r^2 \frac{dC_i(r)}{dV} \quad C_{\text{ann}} N_{\text{DM}}^2 \equiv \int d^3r \langle \sigma v_{\text{rel}} \rangle n_{\text{DM}}^2(r)$$



# DM Annihilation Burst during Supernova cooling phase

- ▶ density and temperature fixed to  $10^{14} \text{ g cm}^{-3}$  and 3 MeV
- ▶ DM particles within  $R_{\text{core}} \sim 30 \text{ km}$  (size of proto-neutron star)
- ▶ DM gets thermalized within  $\sim 10^{-6}$  seconds

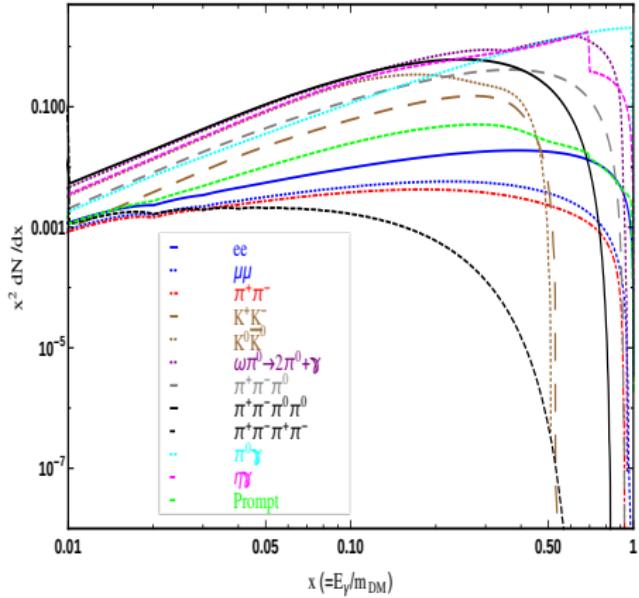
$$\blacktriangleright N_{\text{DM}}(t) = \frac{N_0}{1+t \mathcal{C}_{\text{ann}}^{\text{SN}} N_0} \quad \Delta t_{\text{dur}} \sim (\mathcal{C}_{\text{ann}}^{\text{SN}} N_0)^{-1} \quad \mathcal{C}_{\text{ann}}^{\text{SN}} = \langle \sigma v_{\text{rel}} \rangle \left( \frac{G_N m_{\text{DM}} \rho_{\text{PSN}}}{3 T_{\text{SN}}} \right)^{3/2}$$



# Photon Spectrum

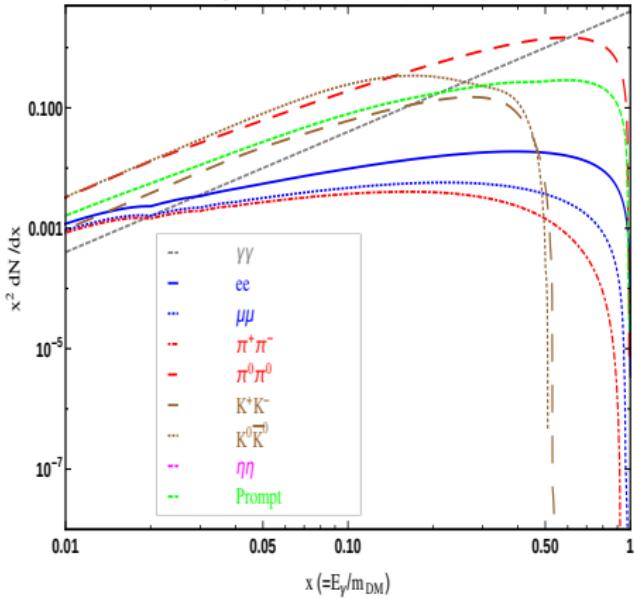
$dN/dx$  for dark photon

# photons per annihilation ( $m_{\text{DF}}=1\text{GeV}$ )



$dN/dx$  for dark scalar

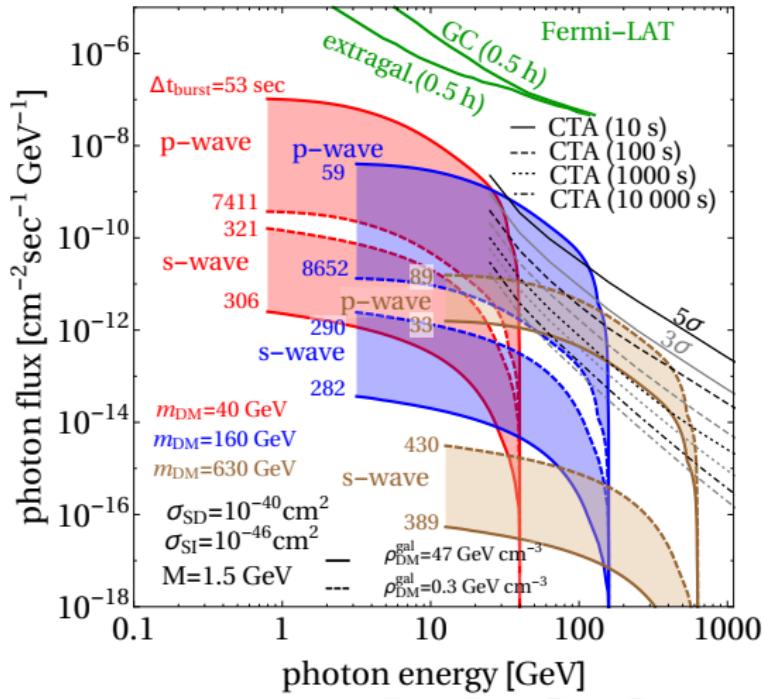
# photons per annihilation ( $m_{\text{DS}}=1\text{GeV}$ )



# Dark Gamma Ray Burst

## Properties

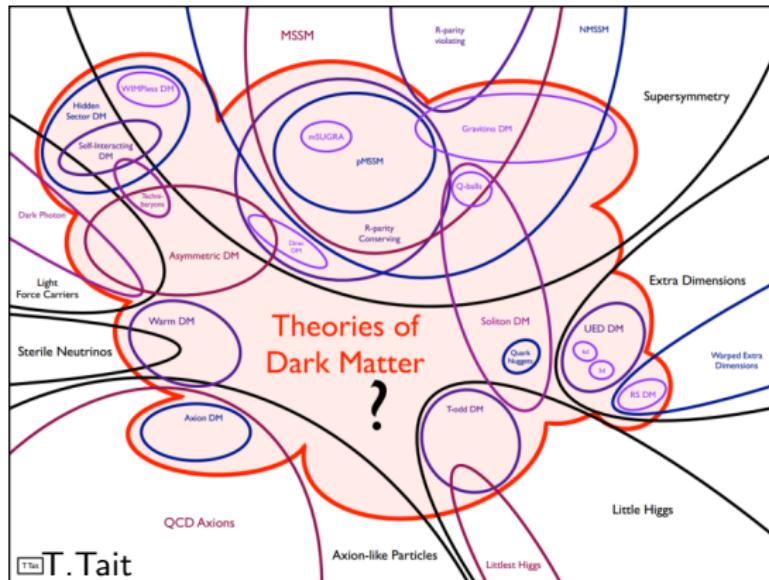
- ▶ An observable gamma ray signal after  $\nu$  arrival
- ▶  $\Delta t_{burst} = (C_{\text{ann}}^{SN} N_0)^{-1}$  related to sensitivity
- ▶  $\Delta t_{burst} \in [\mathcal{O}(10), \mathcal{O}(10^3)]$  sec for p-wave,  $\mathcal{O}(10^2)$  sec for s-wave
- ▶ Benchmark locations: 0.1 kpc and 8 kpc from GC



# DM candidate : Ultralight DM



# Dark Matter - vast number of candidates



- ▶ fuzzy DM with mass  $\mathcal{O}(10^{-22})$  eV
- ▶ we consider both scalar and vector ultralight DM

# Properties of Fuzzy DM candidate

Fuzzy DM can address:

- ▶ “core vs. cusp problem” – DM density profile discrepancy between measurements and simulations
- DM delocalization  
(huge Compton wave length  $\lambda = 2\pi/m_\phi \simeq 0.4 \text{ pc} \times (10^{-22} \text{ eV}/m_\phi)$ )
- ▶ “missing satellites problem” – lower than expected abundance of dwarf galaxies
- higher probability for tidal disruption of DM subhalos and suppression of the matter power spectrum at small scales (Hui et al. 1610.08297)
- ▶ “too big to fail problem” – apparent failure of many of the most massive Milky Way subhalos to host visible dwarf galaxies
- Fuzzy DM predicts fewer such subhalos (Marsh et al. 1307.1705)
- ▶ admittedly, better treatment of baryonic physics in simulations (1602.05957, 1202.0554) may solve these puzzles but the possibility that DM physics plays a crucial role is not excluded

# DM production

## Misalignment mechanism

Arias et al. 1201.5902  
Nelson & Scholtz 1105.2812  
Golovnev et al. 0802.2068

- ▶ EOM for real scalar field  $\phi$

$$\ddot{\phi} + 3H\dot{\phi} + m_\phi^2\phi = 0.$$

- ▶ while  $3H \gg m_\phi$ ,  $\phi$  is “frozen”
- ▶ at  $3H = m_\phi$  damping term stops dominating and the field can start to oscillate
- ▶ for vector DM  $\phi^\mu$  one introduces coupling to gravity  $\sim R\phi_\mu\phi^\mu$
- ▶ The mass of  $\phi^\mu$  can be generated either through the Stückelberg mechanism or from spontaneous symmetry breaking in a dark Higgs sector
- ▶ we consider both polarized and unpolarized vector DM (polarization may be altered during structure formation)

# Model

Relevant part of the Lagrangian:

$$\text{Scalar } \mathcal{L}_{\text{scalar}} = \bar{\nu}_L^\alpha i\partial^\mu \nu_L^\alpha - \frac{1}{2} m_\nu^{\alpha\beta} \overline{(\nu_L^c)^\alpha} \nu_L^\beta - \frac{1}{2} y^{\alpha\beta} \phi \overline{(\nu_L^c)^\alpha} \nu_L^\beta.$$

The interaction term can be generated in a gauge invariant way by coupling  $\phi$  to heavy right-handed neutrinos  $N_R$  (introduced in seesaw type-I)

- ▶ we assume  $y = y_0(m_\nu/0.1\text{eV})$

$$\text{Vector } \mathcal{L}_{\text{vector}} = \bar{\nu}_L^\alpha i\partial^\mu \nu_L^\alpha - \frac{1}{2} m_\nu^{\alpha\beta} \overline{(\nu_L^c)^\alpha} \nu_L^\beta + g Q^{\alpha\beta} \phi^\mu \bar{\nu}_L^\alpha \gamma_\mu \nu_L^\beta.$$

- ▶  $\phi^\mu$  as the  $L_\mu - L_\tau$  symmetry gauge boson with couplings  $Q^{\alpha\beta} = \text{diag}(0, 1, -1)$
- ▶ if  $L_\mu - L_\tau$  breaking occurs at TeV scale, with  $m_\phi \sim 10^{-22}$  eV we require coupling  $g \sim 10^{-30}$  which can be probed

## Model II

- ▶ alternatively,  $\phi^\mu$  could couple to the SM via mixing with a much heavier  $L_\mu - L_\tau$  gauge boson  $K^\mu$  ( term  $\epsilon \phi^{\mu\nu} K_{\mu\nu}$ )

$$\mathcal{L}_{\mu-\tau} = -\frac{1}{4} K_{\mu\nu} K^{\mu\nu} + \bar{L}^\alpha (i\cancel{D} + g_{\mu-\tau} Q_{\mu-\tau}^\alpha \gamma_\mu K^\mu) L^\alpha + \bar{e}_R^\alpha (i\cancel{D} + g_{\mu-\tau} Q_{\mu-\tau}^\alpha \gamma_\mu K^\mu) e_R^\alpha$$

$$+ (D^\mu S)^\dagger (D_\mu S) + \mu_S^2 S^\dagger S - \lambda_S (S^\dagger S)^2$$

$$\mathcal{L}_{\text{dark}} = -\frac{1}{4} \phi_{\mu\nu} \phi^{\mu\nu} + \frac{1}{2} \epsilon \phi_{\mu\nu} K^{\mu\nu} + \frac{1}{2} (\partial_\mu \sigma + m_1 \phi_\mu + m_2 K_\mu)^2$$

kinetic and mass term in matrix form :  $V = (\phi, K)^T$

$$\mathcal{L} \supset -\frac{1}{4} V_{\mu\nu}^T \begin{pmatrix} 1 & -\epsilon \\ -\epsilon & 1 \end{pmatrix} V^{\mu\nu} + \frac{1}{2} V_\mu^T \begin{pmatrix} m_1^2 & m_1 m_2 \\ m_1 m_2 & m_2^2 + (g_{\mu-\tau} v_S)^2 \end{pmatrix} V^\mu$$

after two unitary transformations

$$\begin{pmatrix} \phi \\ K \end{pmatrix} = U \begin{pmatrix} \tilde{\phi} \\ \tilde{K} \end{pmatrix} \equiv U_1 U_2 \begin{pmatrix} \tilde{\phi} \\ \tilde{K} \end{pmatrix}$$

we identify gauge boson masses and the effective coupling  $y_1 = \frac{m_1}{g_{\mu-\tau} v_S}$

$$\mathcal{L}_{\text{int}} = \left( -\frac{y_1^2 \epsilon}{1 - y_1^2} - \frac{y_1 y_2}{1 - y_1^2} \right) g_{\mu-\tau} Q_{\mu-\tau}^\alpha \tilde{\phi}^\mu (\bar{L}^\alpha \gamma_\mu L^\alpha + \bar{e}_R^\alpha \gamma_\mu e_R^\alpha)$$

# Neutrino Masses

Heeck,Rodejohann 1107.5238

- neutrino masses are generated by introducing 3 RH neutrinos with the following charges under  $SU(3)_c \times SU(2)_L \times U(1)_Y \times U(1)_{L_\mu - L_\tau}$

$$N_1 \sim (1, 1, 0)(0), \quad N_2 \sim (1, 1, 0)(+1), \quad N_3 \sim (1, 1, 0)(-1)$$

$$\begin{aligned} \mathcal{L}_{yuk} = & \frac{1}{2} a \bar{N}_1^c N_1 + \frac{1}{2} b (\bar{N}_2^c N_3 + \bar{N}_3^c N_2) + \lambda_e \bar{L}_e \tilde{H} N_1 + \lambda_\mu \bar{L}_\mu \tilde{H} N_2 + \\ & \lambda_\tau \bar{L}_\tau \tilde{H} N_3 + h.c. + \lambda_S^{12} \bar{N}_1^c N_2 S + \lambda_S^{13} \bar{N}_1^c N_3 S^* + h.c. \end{aligned}$$

$$m_D = \begin{pmatrix} m_{\nu_e} & 0 & 0 \\ 0 & m_{\nu_\mu} & 0 \\ 0 & 0 & m_{\nu_\tau} \end{pmatrix}, \quad m_R = \begin{pmatrix} a & s & t \\ s & 0 & b \\ t & b & 0 \end{pmatrix},$$

$$m_{\nu_j} \equiv \lambda_j v / \sqrt{2}, \quad s \equiv \lambda_S^{12} v_X \text{ and } t \equiv \lambda_S^{13} v_X.$$

$$m_\nu \simeq -m_D \cdot m_R^{-1} \cdot m_D.$$

# MSW Potential

- ▶ Coherent Forward Scattering of Neutrinos on Fuzzy DM

- ▶ scalar DM

L. Wolfenstein, Phys. Rev. D17 (1978)

S. P. Mikheev and A. Yu. Smirnov, Sov. J. Nucl. Phys. 42 (1985)

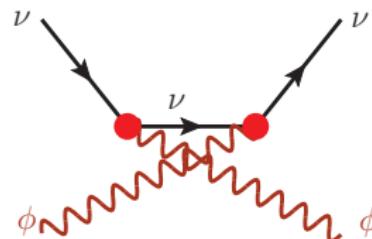
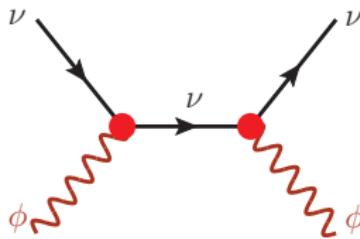
$$V_{\text{eff}} = \frac{1}{2E_\nu} \left( \phi(y m_\nu + m_\nu y) + \phi^2 y^2 \right), \quad \phi = \frac{\sqrt{2\rho_\phi}}{m_\phi} \cos(m_\phi t),$$

- ▶ vector DM

$$V_{\text{eff}} = -\frac{1}{2E_\nu} \left( 2(p_\nu \cdot \phi) gQ + g^2 Q^2 \phi^2 \right). \quad \phi^\mu = \frac{\sqrt{2\rho_\phi}}{m_\phi} \xi^\mu \cos(m_\phi t).$$

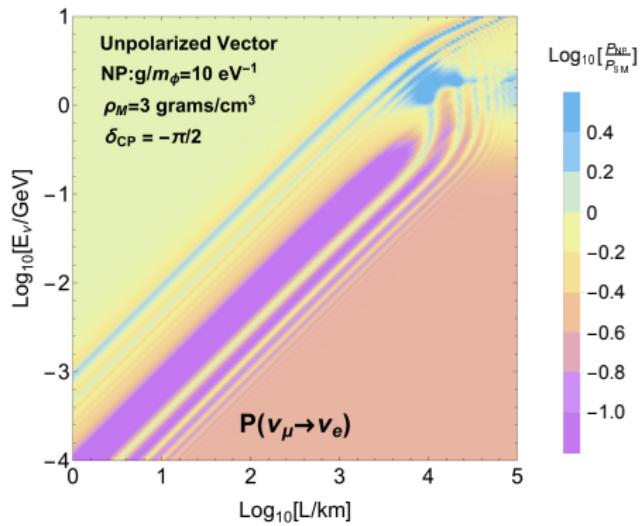
- ▶  $V_{\mu\mu}^{(T,U)} = V_{\tau\tau}^{(T,U)} = \frac{g^2 \rho_\phi}{E_\nu m_\phi^2} \cos^2(m_\phi t)$

- ▶ for polarized DM we evaluate  $p_\nu \cdot \phi$  assuming the polarization axis to be parallel to the ecliptic plane



# Methods

- ▶ We have implemented the potential in GLoBES [Huber et al. 0701187, 0407333](#)
- ▶ the time dependence of matter potential induces time dependent oscillation probabilities
- ▶ we evaluate the oscillation probabilities at several fixed times and interpolate using a second order polynomial in  $\cos(m_\phi t)$

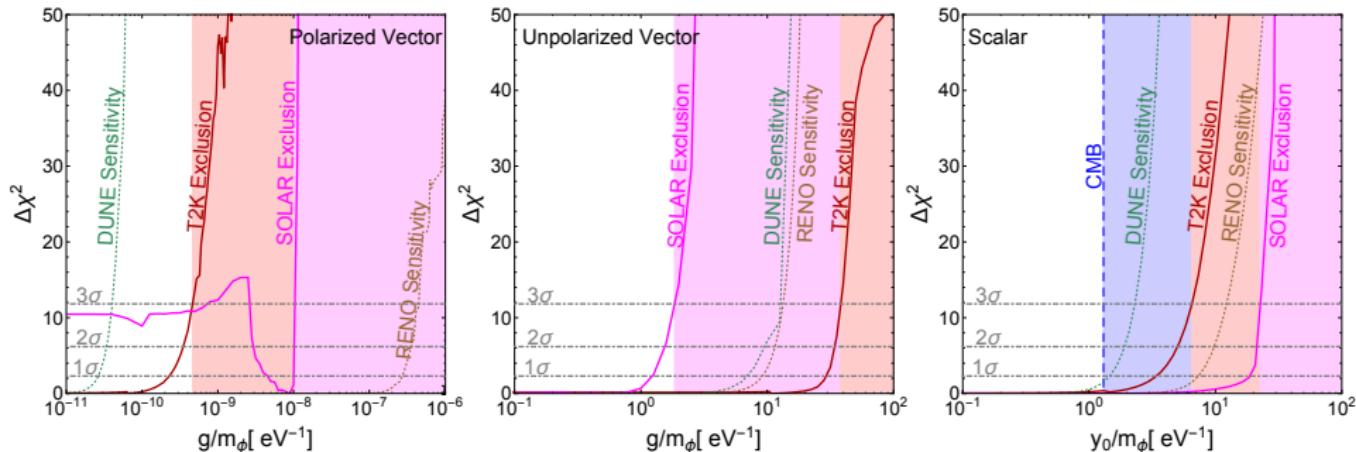


$$P(\overset{(-)}{\nu}_\alpha \rightarrow \overset{(-)}{\nu}_\beta) = P_0^{\alpha\beta}(E_\nu) + P_1^{\alpha\beta}(E_\nu) \cdot V(t) + P_2^{\alpha\beta}(E_\nu) \cdot V(t)^2 + \dots$$

- ▶ the probability is then averaged in a given time interval  $T$

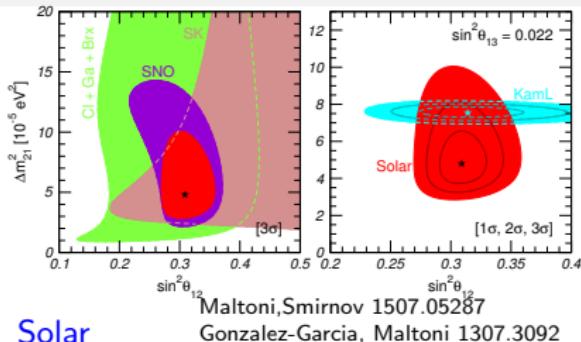
$$\bar{P}(E) = \frac{1}{T} \int_0^T dt P(E_\nu, t)$$

# Constraints



- ▶ for vector DM, the sensitivity is more than ten orders of magnitude better in the polarized case
- ▶ for scalar and polarized vector DM acceleration-based experiments give stronger limits and sensitivities
- ▶ for unpolarized vector DM, experiments at lower energies are better (energy dependence of the potential)

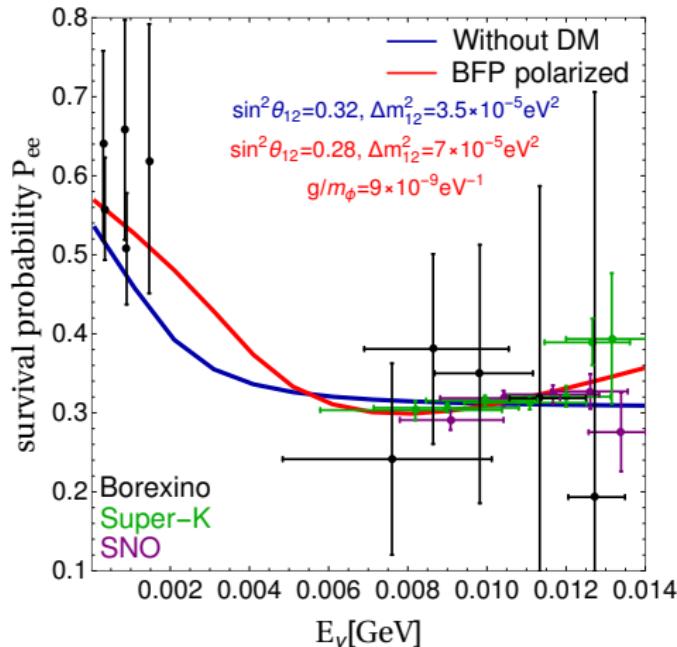
# Impact on Solar and Astrophysical neutrinos



- ▶ adiabatic evolution in the sun Sun
- ▶ survival probability of electron flavor  $P_{ee}(E_\nu) = \sum_i |U_{ei}^\odot|^2 |U_{ei}^\oplus|^2$
- ▶ fitted data from Borexino, Super-K and SNO

## Astrophysical

- ▶ obtaining constraints from optical depth  $\tau_\nu(E_\nu) = \sigma_{\nu\phi}(E_\nu) X_\phi m_\phi^{-1}$  with  $X_\phi \equiv \int_{\text{l.o.s}} dl \rho_\phi$
- ▶ much weaker limits in comparison to oscillation exp.



# Summary I

- ▶ Novel proposal for explaining 3.5 keV line relying on annihilating DM
- ▶ For exactly degenerate  $\chi$  and  $\phi$ , the agreement between different searches is at  $2 - 3\sigma$  level
- ▶ For quasidegenerate masses, our scenario leads to better statistical agreement between various searches wrt to decaying DM ( for annihilating DM the limit from dwarf galaxies is less relevant thanks to the strong dependence of the annihilation cross section on the DM velocity)
- ▶ DM production via freeze-in or misalignment
- ▶ DM is cold enough, evading structure formation bounds

## Summary II

- ▶ We have computed the evolution of the DM core in a massive star until core collapse
- ▶ If the DM annihilation products are able to leave the exploding star and decay to SM particles later, this may lead to an observable signal
- ▶ Such dark gamma ray burst can be detected by CTA for p-wave DM
- ▶ p-wave has larger photon flux than s-wave!  
This is a special feature since p-wave annihilation is generally harder to detect than s-wave ( $\langle \sigma v \rangle = \sigma_0 v^2$ , with  $v \sim 10^{-3}$  for galactic DM )
- ▶ The best signal is around  $m_{\text{DM}} \sim O(100)$  GeV

## Summary III

- ▶ fuzzy DM is an interesting alternative to WIMP
- ▶ fuzzy neutrinoophilic DM has recently received attention  
(Berlin 1608.01307, Krnjaić et al. 1705.06740)
- ▶ we have demonstrated that unique opportunities exist at current and future neutrino oscillation experiments to probe interactions between neutrinos and ultra-light DM particles