



# Baryon Antibaryon Symmetry Experiment

INTERNATIONAL  
MAX PLANCK  
RESEARCH SCHOOL

PT  
FS

FOR PRECISION TESTS  
OF FUNDAMENTAL  
SYMMETRIES



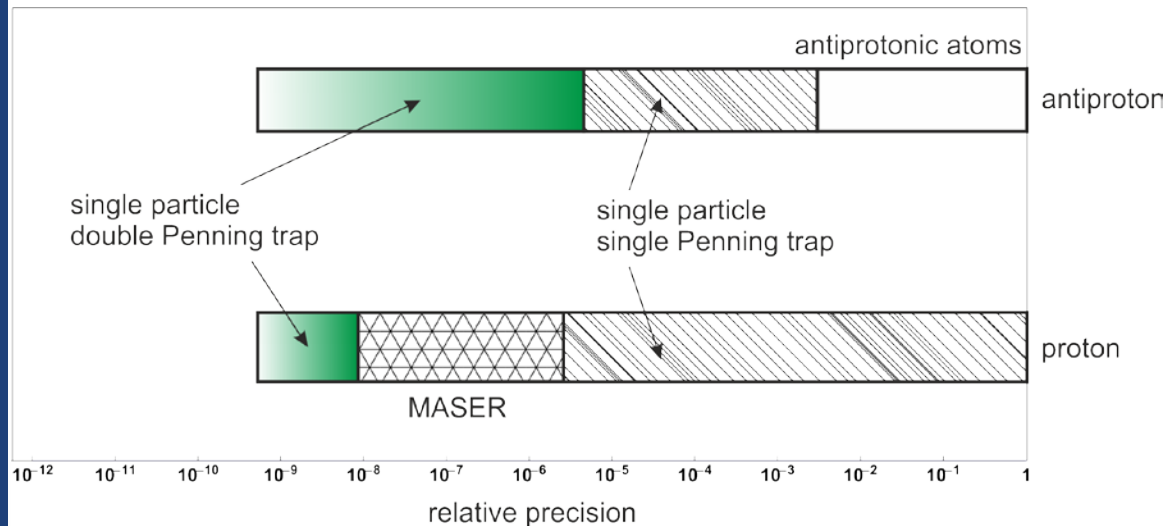
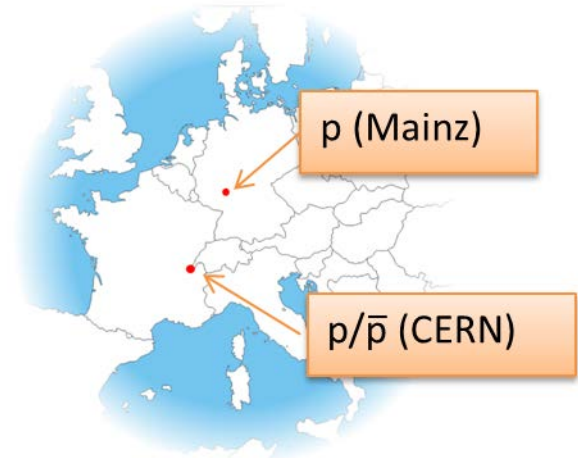
**Kurt Franke**

IMPRS-PTFS Evaluation

# Motivation

High-precision test of CPT invariance in Baryons by comparing the proton and antiproton magnetic moments:

$$\vec{\mu}_{p/\bar{p}} = g_{p/\bar{p}} \frac{q_{p/\bar{p}}}{2m_{p/\bar{p}}} \vec{S}$$



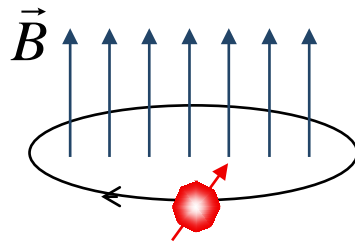
$$g_{\bar{p}} = 5.585690(24)$$

$$g_p = 5.585694713(46)$$

# Experimental principle

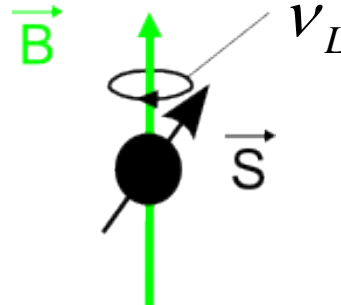
- Charged particle in magnetic field:

## Cyclotron Motion



$$\nu_c = \frac{1}{2\pi} \frac{q \cdot B}{m}$$

## Spin precession



$$\nu_L = \frac{1}{2\pi} \frac{g}{2} \frac{q \cdot B}{m}$$

$$g = \frac{2 \nu_L}{\nu_c}$$

- g found as ratio of two frequencies
- Stable homogeneous magnetic field
- Long observation time


# The Penning trap

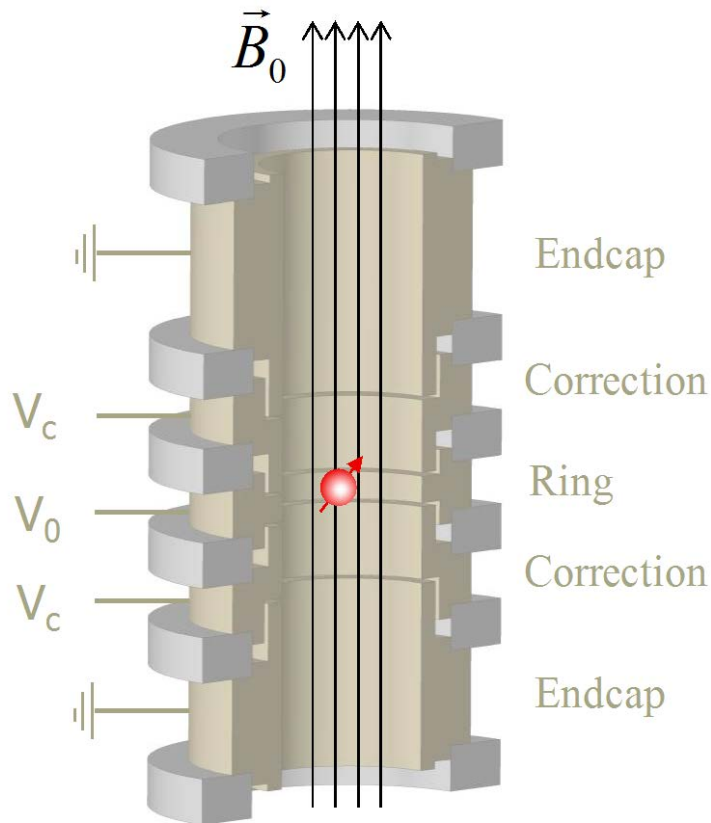
## Ideal Penning Trap

$$\vec{B} = B_0 \vec{e}_z$$

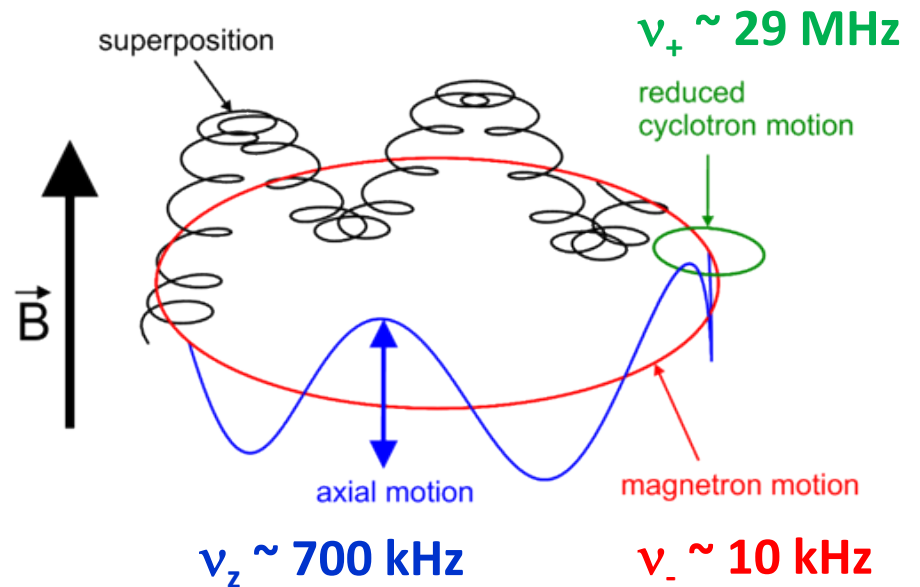
 Radial confinement

$$\Phi = V_0 C_2 (z^2 - \rho^2 / 2)$$

 Axial confinement



## Motion in a Penning Trap

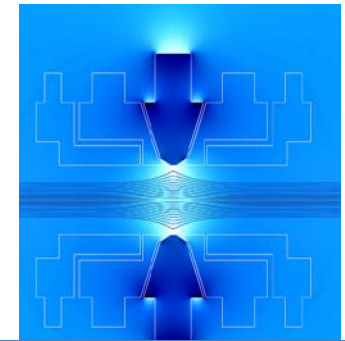


# Continuous Stern-Gerlach Effect

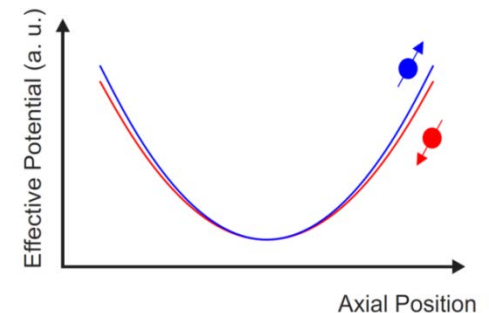
- Measure  $\nu_{SF}$  frequency to flip  $S_z$
- “Magnetic bottle” to affect motion

$$\Phi_M = -\vec{\mu}_{p/\bar{p}} \cdot \vec{B}$$

$$B_z = B_0 + B_2(z^2 - \rho^2/2)$$



$$B_2 = 300000 \text{ T/m}^2$$

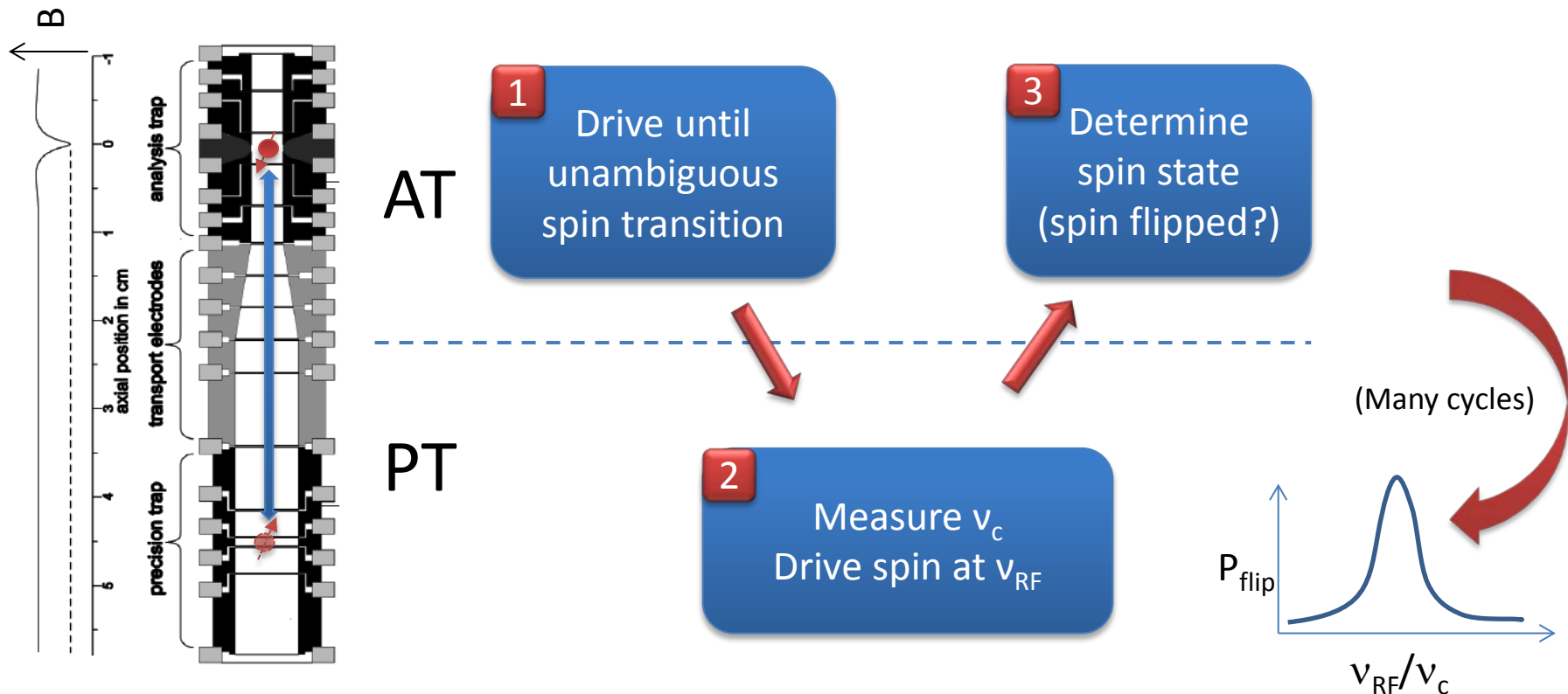


$$\frac{\Delta\nu_z}{\nu_z} \approx \frac{B_2}{4\pi^2 m \nu_z^2} \left( \pm\mu + \frac{E_+ + |E_-|}{B_0} \right)$$

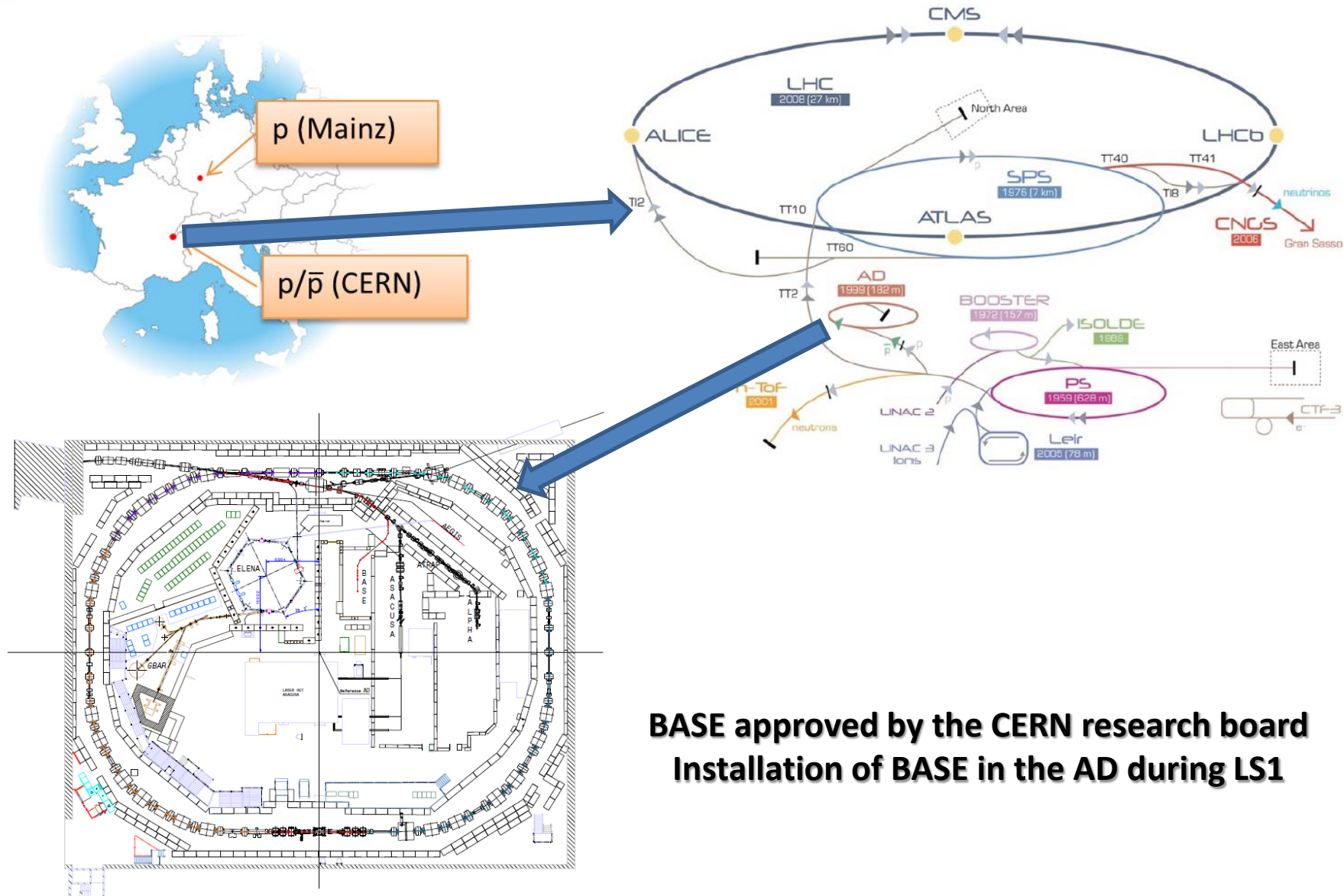
	Electron:	228 kHz
$\Delta\nu_{SF} = \dots$	Electron in $^{28}\text{Si}^{13+}$ :	4.4 Hz
	Proton/antiproton:	0.17 Hz

# Double Trap Technique

- Detection of spin requires large  $B_2$
- High precision requires small  $B_2$   $\longrightarrow$  Split up the work

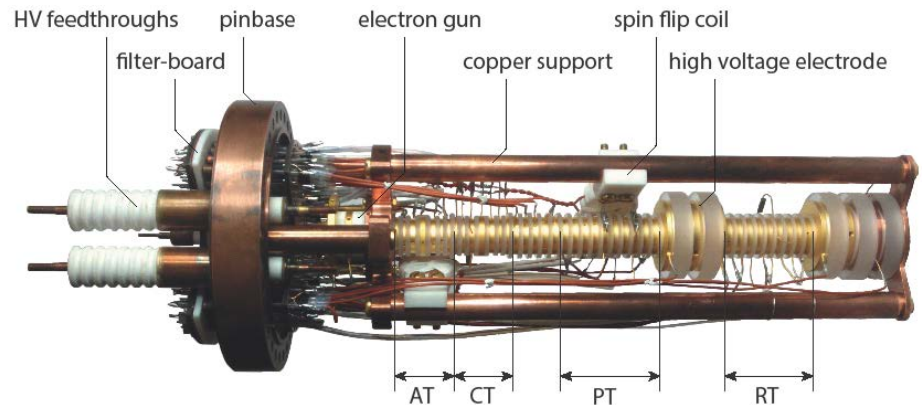
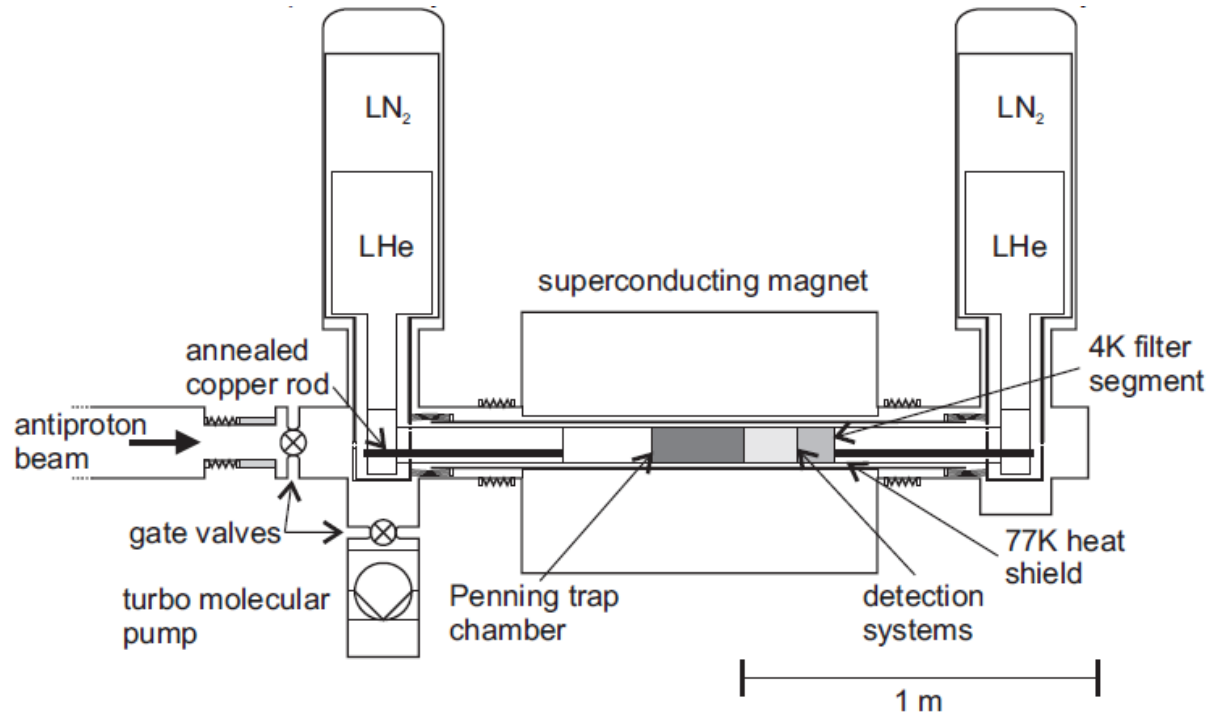


# Implementation of BASE in the AD





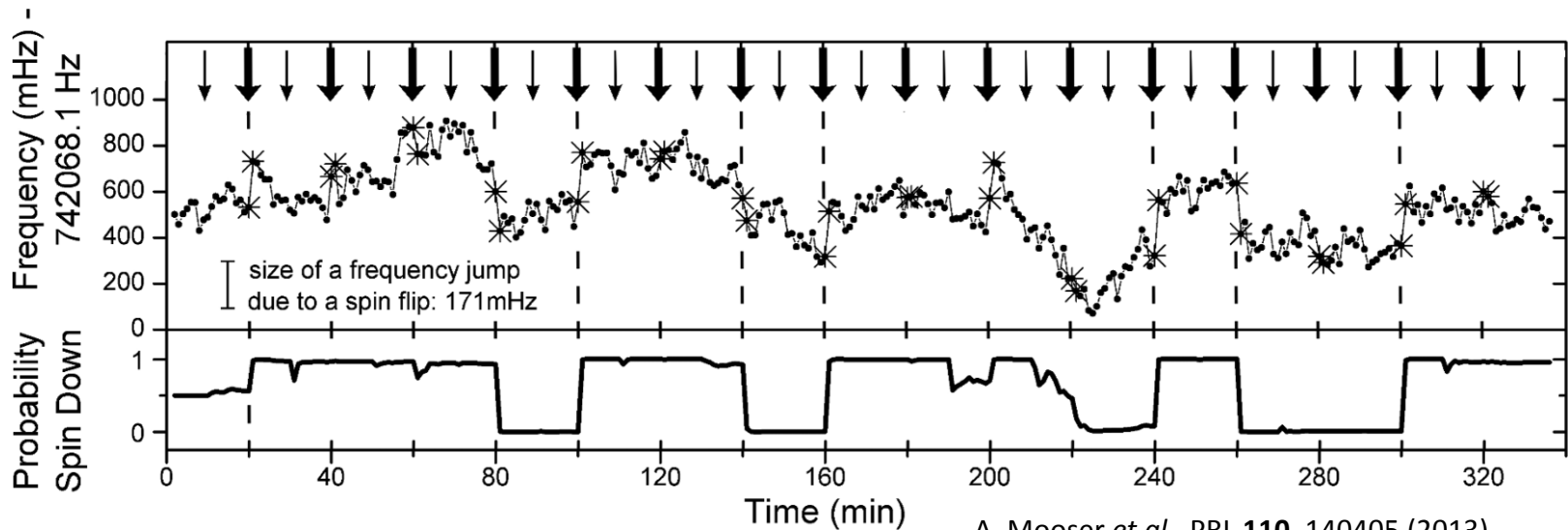
# BASE Apparatus





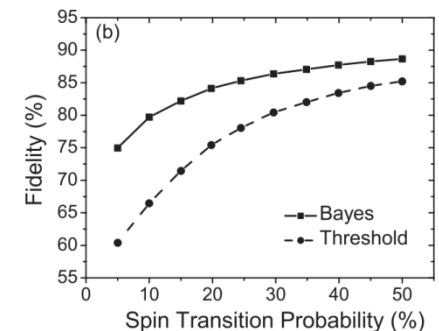
# Detecting Spin State

AT as spin state detector:



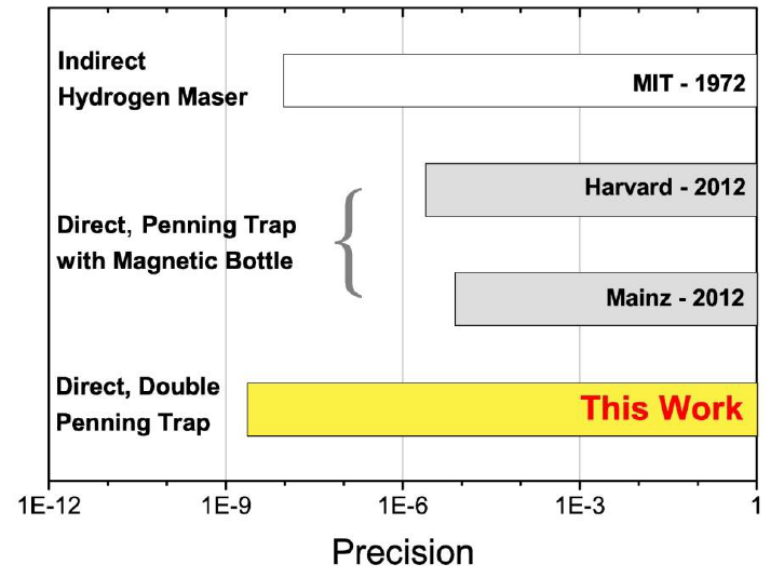
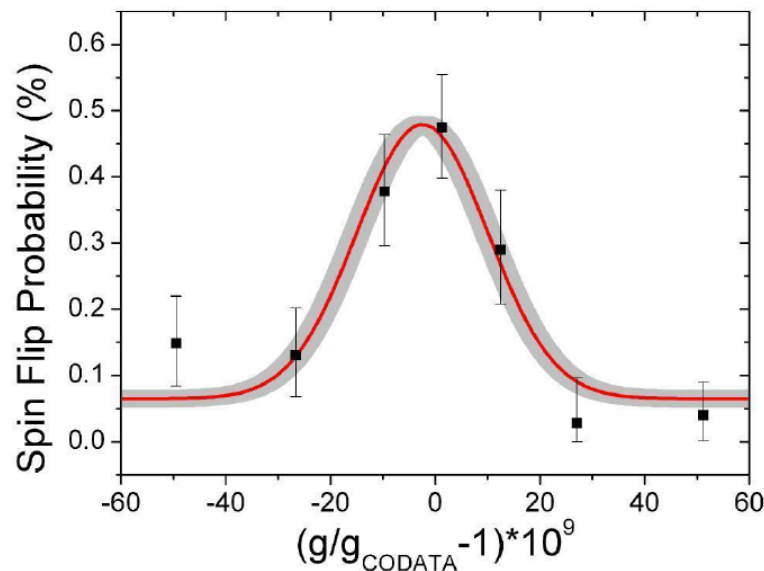
State estimator using Bayesian recursive formula:

$$P(s_i, W_i | f_i, f_{i-1} \dots) = \frac{P(f_i | s_i, W_i, f_{i-1} \dots) P(s_i, W_i | f_{i-1} \dots)}{P(f_i | f_{i-1} \dots)}$$



# Fitting the Resonance

- Bayesian parameter-based model selection
  - $P(\mu, \sigma, n_0, n_1, \dots | \nu_c, \text{spin flip data})$
  - Numerically integrate out everything except  $\mu$
  - Uncertainty reduced by 30%!
- First improvement in  $g_p$  in over 40 years!

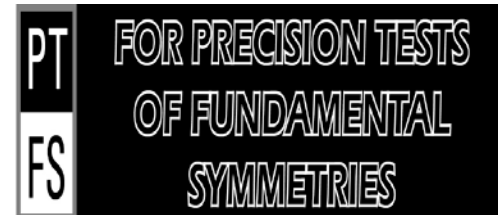




# People/Funding



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**Thank you for your attention!**

