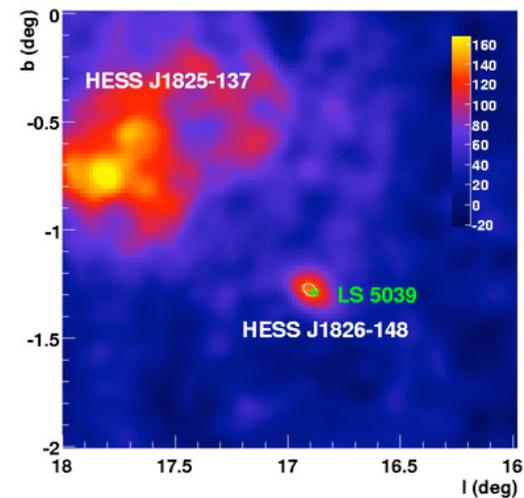
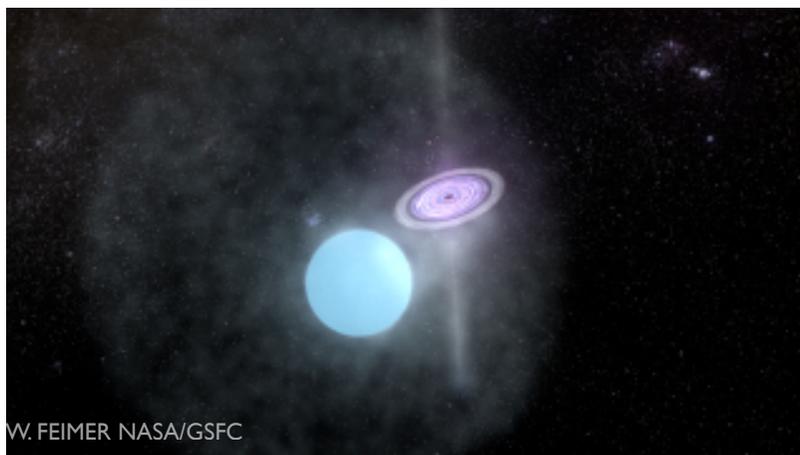


# Particle acceleration in the context of Gamma-ray Binaries

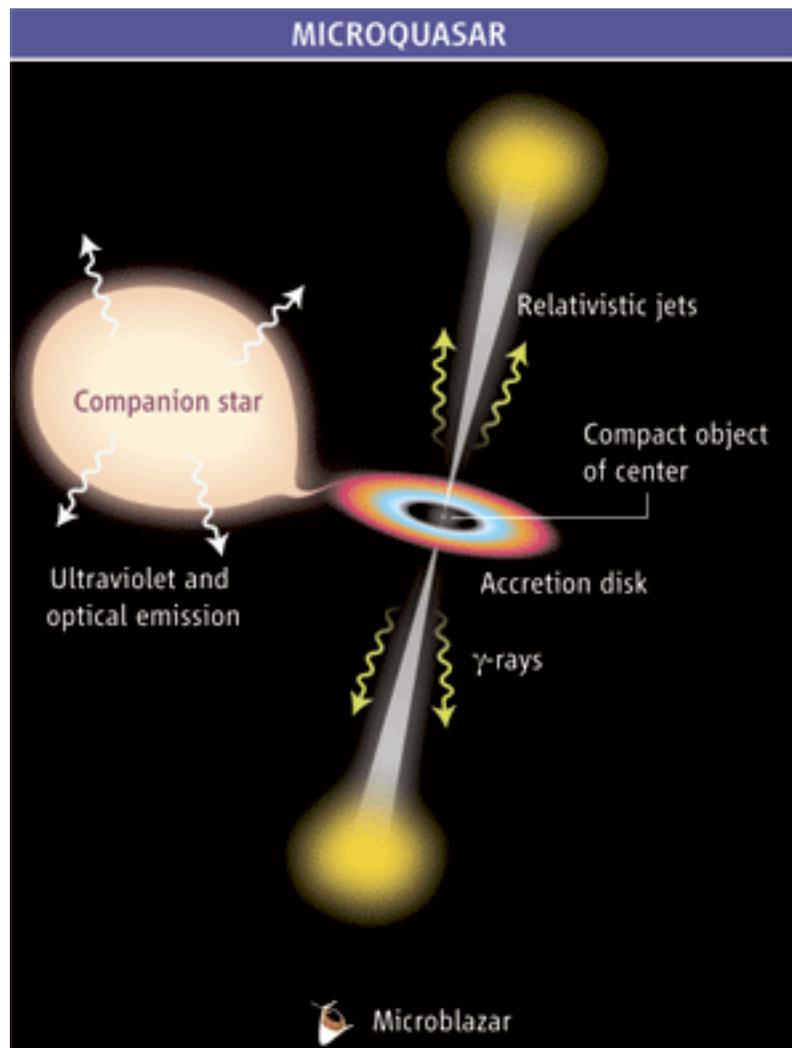
**Frank M. Rieger**

Workshop “Variable Galactic Gamma-Ray Sources”  
Heidelberg, November 30th, 2010

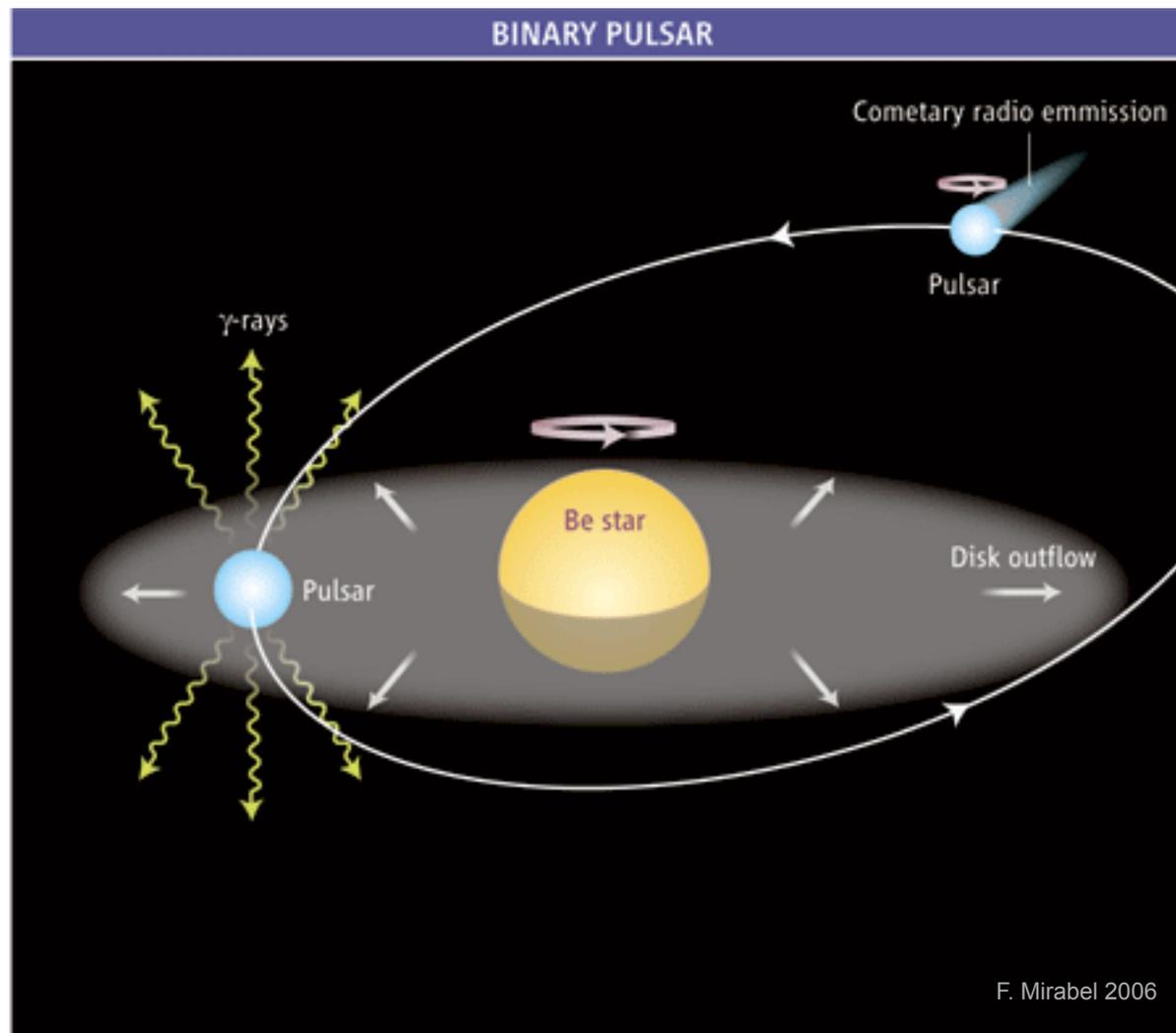


**Max Planck Institut  
für Kernphysik**  
Heidelberg, Germany

# GAMMA-RAYS FROM BINARIES



AGNs, GRBs



Pulsars, PWN

# Outline

## ★ Motivation: On extreme particle acceleration in LS 5039 (requirements)

- ▶ Requirements (Efficiency, spectral index)

## ★ On possible particle *acceleration sites* in binary systems

- ▶ “Termination” shock (PW-SW)
- ▶ Relativistic (re-accelerated post-shock) PW flow
- ▶ Striped pulsar wind
- ▶ Mildly relativistic jet ( $\mu Q$ )

## ★ On possible non-thermal, particle *acceleration mechanisms*

- ▶ Fermi-type particle acceleration
- ▶ Reconnection

## ★ What to expect for Gamma-Ray Binaries?

# On extreme particle acceleration in LS 5039

## Periodically modulated TeV emission at $P_{\text{orb}}=3.9$ d

- ▶ produced inside or very close to system
- ▶ due to  $\gamma\gamma$ -absorption and anisotropic IC

## VHE spectrum extends well beyond 10 TeV (HESS+ 06)

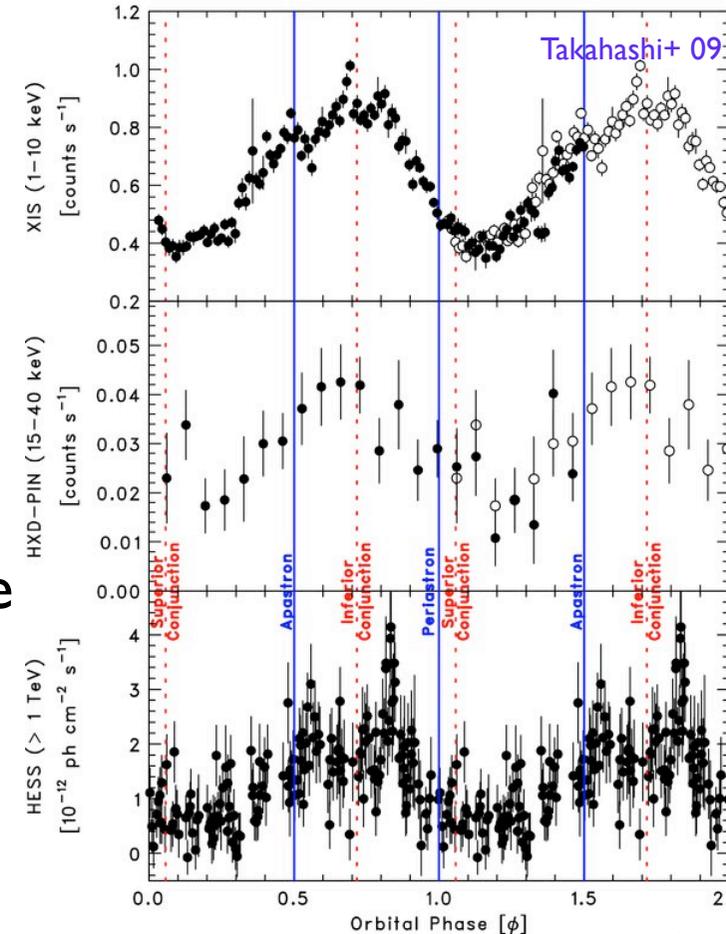
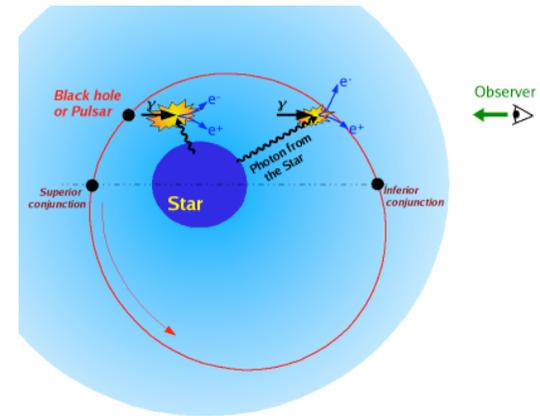
- ▶ stellar radiation peaks  $\sim 10$  eV ( $T \sim 4 \times 10^4$  K)
- ▶ IC scattering (KN!) needs  $> 10$  TeV electrons

## Acceleration efficiency $t_{\text{acc}} := \eta r_g / c$

- ▶ min. variability  $\sim 1$  hr gives lower limit on B
- ▶ from  $t_{\text{acc}} \leq \min(t_{\text{IC,KN}}, t_{\text{syn}})$ : (Khangulyan+ 08)  
 $\eta < 100$  ( $z < 5 R_{\text{orb}}$ ), and  $\eta < 10$  if deep inside

## Recent Suzaku observations (Takahashi+ 09)

- ▶ X-ray power law  $\Rightarrow n_e(\gamma) = n_0 \gamma^{-s}$ ,  $s \approx 2$
- ▶ “periodic”: if due to adiabatic cooling  $\eta \leq 3$



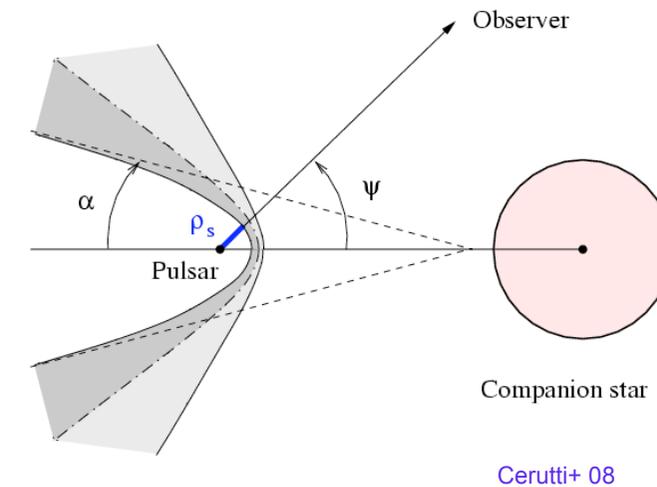
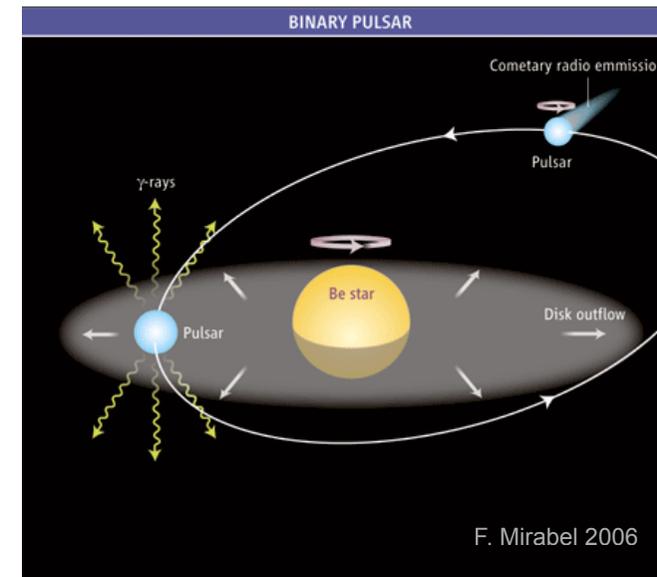
# On possible particle acceleration sites in binary systems

## (I) “Termination” shock: (Dubus 06; [K&C 84])

- ▶ standoff distance given by pressure balance
- ▶ located deep in system:  $R_t \sim R_{\text{orb}}/10 \sim 10^{11}$  cm
- ▶ in contrast to isolated pulsars:  $R_t \sim 10^3 r_L$
- ▶ ordered, relativistic flow of particles and fields is randomized (*1st order Fermi?*)

## Pulsar wind: (cf. Kirk+ 09)

- ▶ expected to be highly relativistic with  $\Gamma \gg 1$ 
  - launched as Poynting flux dominated wind
  - $\sigma = B^2/(4\pi n m_e c^2 \Gamma) \gg 1$
  - asymptotic radial flow speed  $\Gamma \sim \sigma^{1/2} > 100$
  - $\sigma$ -problem: want to have  $\sigma \ll 1$  at shock
- ▶ how to achieve efficient conversion?

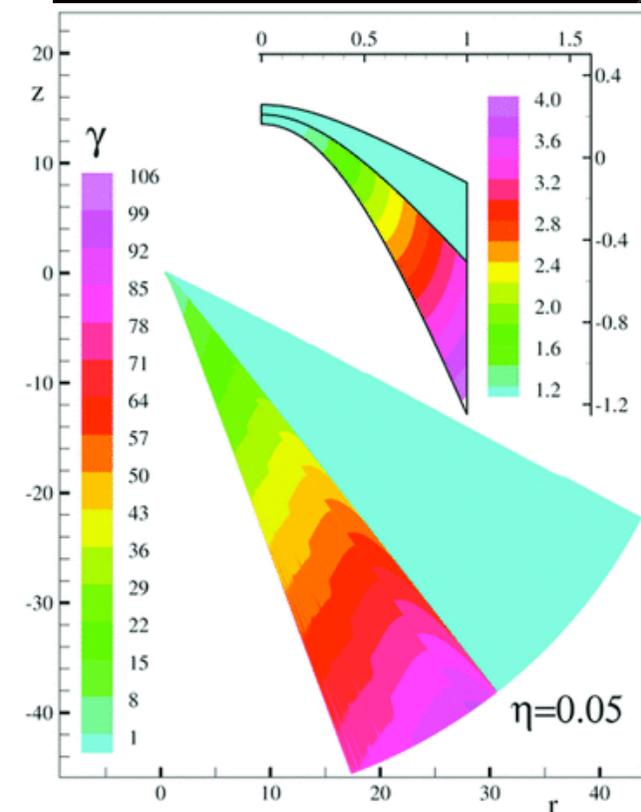
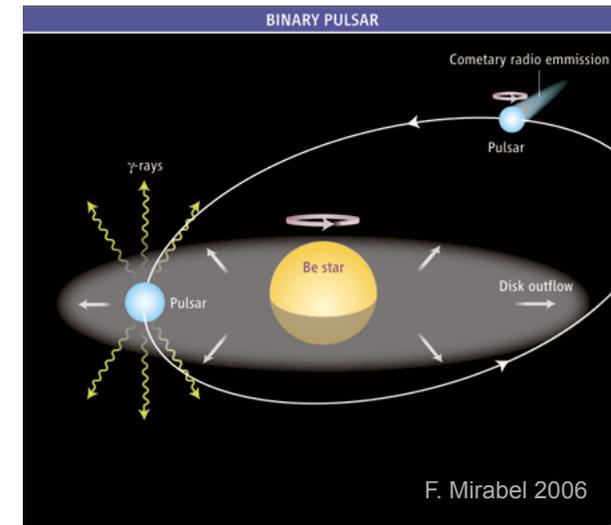


# On possible particle acceleration sites in binary systems

## (2) Relativistic post-shock flow:

Interaction of relativistic pulsar wind ( $\Gamma \sim 10^6$ ) with non-relativistic stellar wind (Bogovalov+ 08)

- ▶ Hydro-limit (no m.f.; cold, isotropic winds)
- ▶ post-shock flow gets accelerated to  $\Gamma \sim 100$ 
  - adiabatically (transfer thermal heat to bulk motion)
- ▶ confined to rather narrow region
- ▶ significant flow velocity gradients possible (*shear acceleration?*)

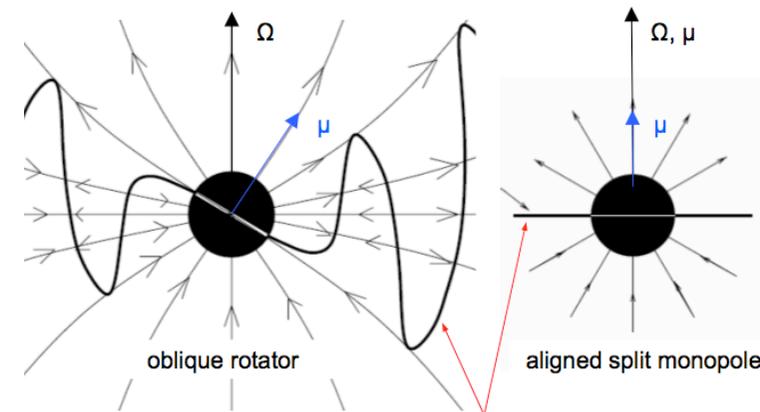
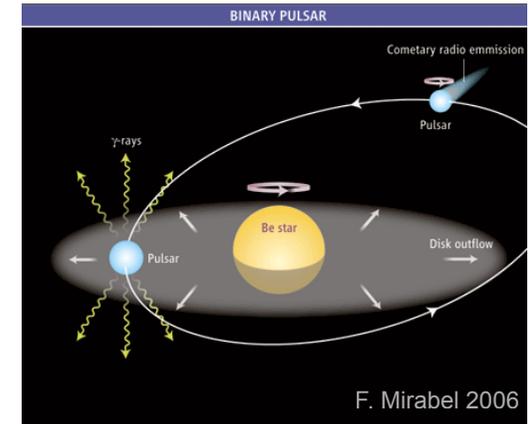


# On possible particle acceleration sites in binary systems

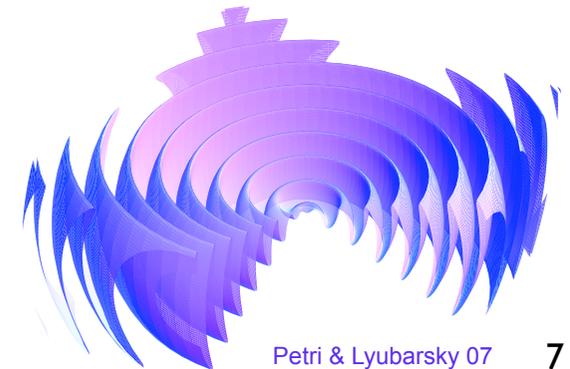
## (3) “Striped pulsar wind” shock

Current pattern induced by an oblique rotator separating stripes of different polarity

- ▶ small wavelength  $2\pi r_L \ll R_t$
- ▶ cannot continue to  $r \rightarrow \infty$  as carriers in sheet  $n \sim 1/r^2$ , while surface current  $j_s = \int j dx \sim B_\theta \sim 1/r$
- ▶ presumably magnetic field reconnects
- ▶ dissipation rate probably too slow (Kirk & Skjaeraasen 03)
- ▶  $\sigma$  still high at termination shock
- ▶ *Reconnection* at termination shock (Petri & Lyubarsky 07)



current sheets  
e.g., Michel 71; Coroniti 90; Bogovalov 99; Contopoulos 06

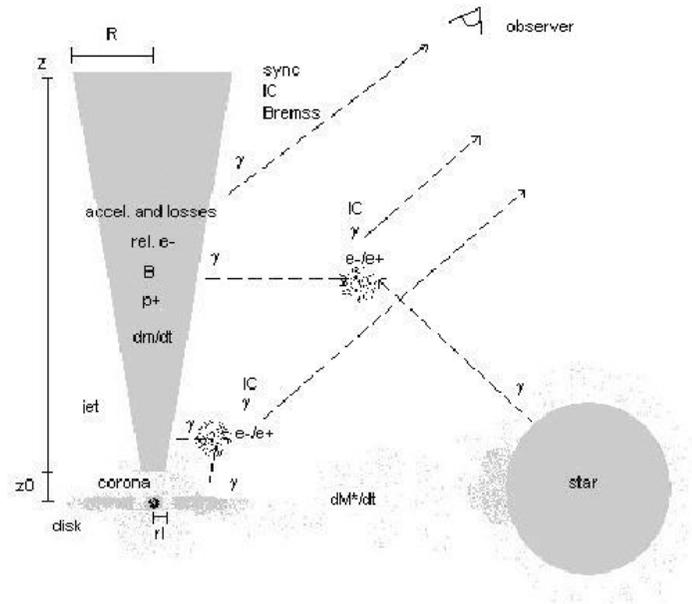


# On possible particle acceleration sites in binary systems

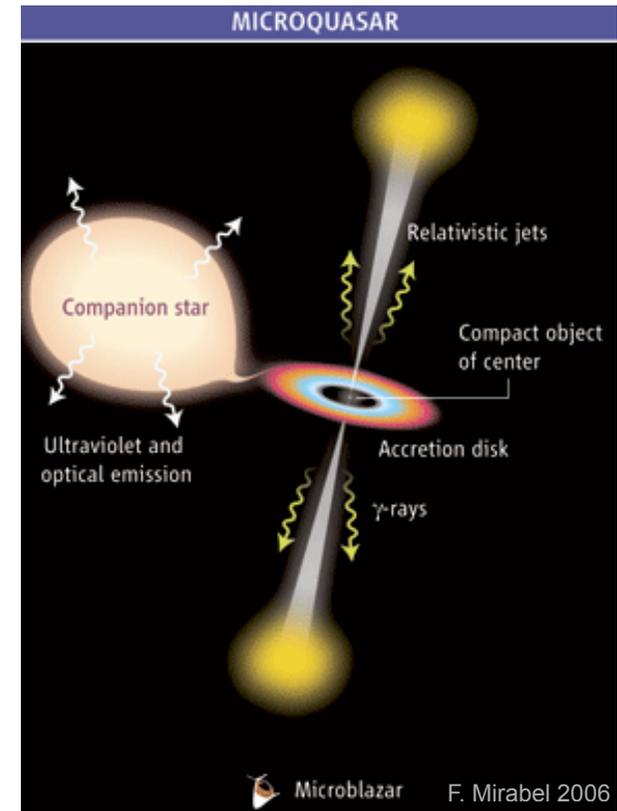
## (4) Mildly relativistic jet ( $\mu$ Quasar)

BH-jet, accretion-powered scenario

- ▶ collimated outflow with  $\theta \sim$  several degree
- ▶ mildly relativistic speeds expected  $v_j \sim 0.5-0.7 c$
- ▶ emission could emerge from different scales
- ▶ *Fermi-type particle acceleration*



e.g., Paredes+ 06, Bosch-Ramon+ 06



# On non-thermal particle acceleration mechanisms (basics)

## (I) Fermi-type “stochastic” particle acceleration

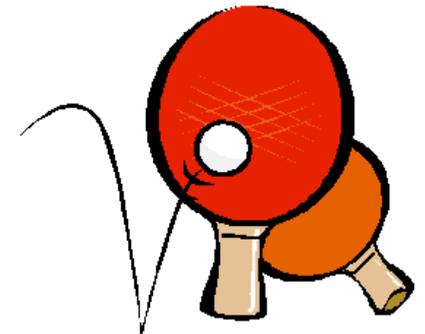
based on Fermi’s original concept:

(Phys. Rev. 75, 578 [1949])

- ▶ *kinematic effect*: particle acceleration as result of scattering off randomly moving magnetic inhomogeneities (“magnetic clouds”)
- ▶ characteristic energy change per scattering:

$$\Delta\epsilon := \epsilon_2 - \epsilon_1 = 2\Gamma^2\epsilon_1\left(\frac{u^2}{c^2} - \frac{u}{c}\frac{\vec{p}\vec{u}}{|\vec{p}||\vec{u}|}\right)$$

➔ energy gain for head-on, loss for following collision



### (I.I) “2nd order Fermi” acceleration:

- ▶ scattering off magnetic turbulence (Alfven waves)
- ▶ average over all momentum directions:

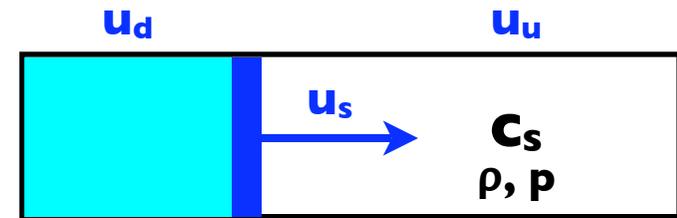
$$\frac{\langle \Delta\epsilon \rangle}{\epsilon_1} \propto \left(\frac{u_A}{c}\right)^2$$

- (–) very small energy gain in low- $\sigma$  flows
- (–) tends to give flat spectra  $s < 2$  (e.g. Virtanen+ 05; R+ 07)
- (+) “distributed” mechanism

# On non-thermal particle acceleration mechanisms (basics)

## (1.2) “1st order Fermi” (shock)

- ▶ better if only head-on collisions:



$$\Delta\epsilon := \epsilon_2 - \epsilon_1 = 2\Gamma^2\epsilon_1\left(\frac{u^2}{c^2} - \frac{u}{c}\frac{\vec{p}\vec{u}}{|\vec{p}||\vec{u}|}\right)$$

- ▶ late '70s: applies to shock propagating through plasma (e.g. Krymsky'77; Bell'78)

➔ *non-relativistic* shocks:

(±) “reasonably” efficient

(+)  $s$  fixed by compression ratio:  
( $s=2$  for strong shock)

$$\frac{\langle \Delta\epsilon \rangle}{\epsilon_1} \propto \left(\frac{u}{c}\right)$$

in shock frame:  
 $u = u_u - u_d > 0$

➔ *relativistic* shocks:

(+) efficient enough  $t_{\text{acc}} \sim t_L$

(±) “universal” index  $s \approx 2.3$

(±) generically perpendicular

$$\frac{\langle \Delta\epsilon \rangle}{\epsilon_1} \sim \Gamma_r^2(1 - \cos\theta) \rightarrow O(1)$$

(Gallant & Achterberg'99; Kirk+ 00, Achterberg+ 01)

# On non-thermal particle acceleration mechanisms (basics)

## (I.3) Shear particle acceleration

(e.g., Jokipii & Morfill '90; R. & Duffy '04, '06)

Particle acceleration in the presence of flow velocity gradients:

- ▶ E.g., (gradual) shear flow with frozen-in scattering centers:

$$\vec{u} = u_z(x) \vec{e}_z$$

- ▶ like 2nd Fermi, stochastic process with average gain:

$$\frac{\langle \Delta \epsilon \rangle}{\epsilon_1} \propto \left( \frac{u}{c} \right)^2 = \left( \frac{\partial u_z}{\partial x} \right)^2 \lambda^2$$

with characteristic effective velocity:

$$u = \left( \frac{\partial u_z}{\partial x} \right) \lambda \quad \lambda = \text{mean free path}$$

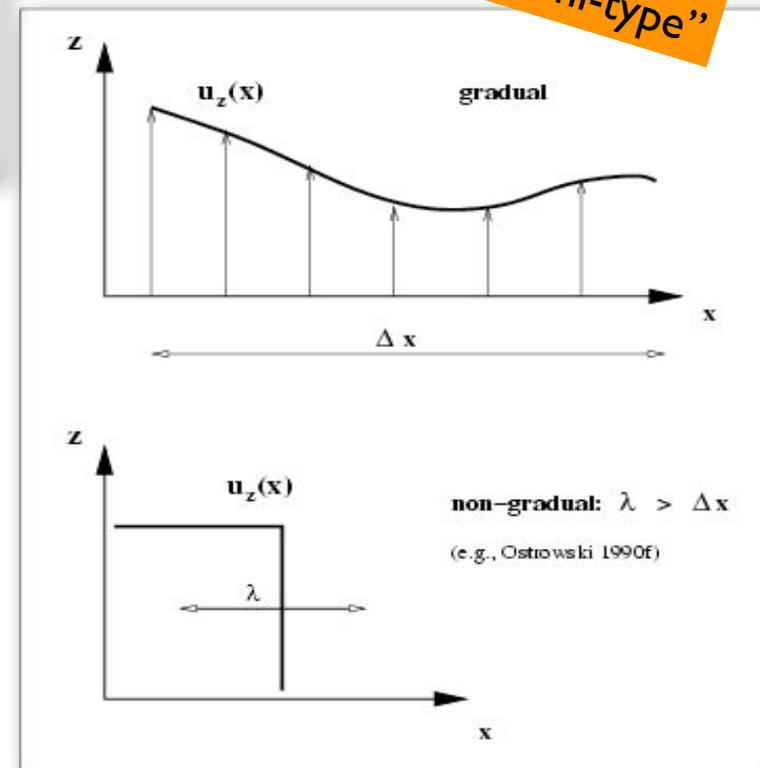
(±) needs energetic seed particles

$$t_{\text{acc}} \sim (\epsilon / \Delta \epsilon) \tau \sim l / \lambda$$

(±) “non-universal” index  $s = l + \alpha$

(+) distributed mechanism

“2nd order Fermi-type”



# On non-thermal particle acceleration mechanisms (basics)

## (2) Reconnection

(e.g., Zenitani & Hoshino '01; Craig & Litvinenko' 02; Zweibel & Yamada 09)

Significant energy release by change of magnetic field topology

- ▶ Possible in the presence of large magnetic field gradients
- ▶ associated with large current densities (“current sheets”):  $4 \pi \mathbf{J} = c \nabla \times \mathbf{B}$
- ▶ electric field runs || to current density  $\mathbf{E} = -\mathbf{v}_i/c \times \mathbf{B} + \mathbf{J}/\sigma$  (resistive MHD)
- ▶ particle acceleration along electric field no longer inhibited by m.f

- acceleration rate:  $d\varepsilon/dt \approx e E c$

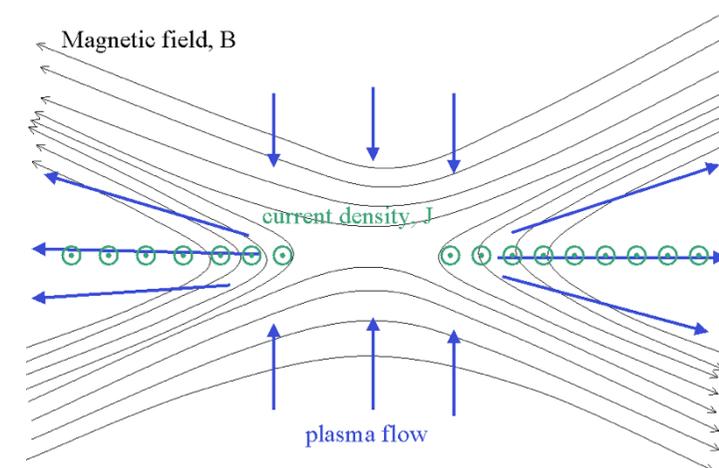
- escape rate:  $(1/N) dN/dt \approx -1/\tau \approx c/r_g = c eB/\varepsilon$

➔ particle energy spectrum:  $N(\varepsilon) \propto \varepsilon^{-s}$ ,  $s \approx E/B \approx I$

(+) can be fast in relativistic pair plasmas

(±) non-thermal distribution (1d vs 2d+ PIC)

(-) “power-law” index



# What to expect for Gamma-Ray Binaries?



## (I) 1st order Fermi at “termination” shock?

### (A) *ultra-relativistic case* $\Gamma_s \sim 10^6$ (low $\sigma \ll 1$ )

- ▶ need high conversion (Poynting  $\rightarrow$  kinetic) for  $< R_t \sim 10^3 r_L$  ( $\sigma$ -problem!)
- ▶ perpendicular field orientation:  $B_{||} = B_{||}'$ ;  $B_{\perp} \rightarrow 3 \Gamma_s B_{\perp}'$  (proper frames)
  - ➡ particles are prevented from diffusing back upstream
  - ➡ no multiple crossings, no 1st order Fermi (shock-drift instead?)
  - ➡ Escape: significant scattering (Weibel-produced at low  $\sigma$ ) with  $\delta B/B > 1$ 
    - ➡ no pitch- but large-angle scattering, no “universal” index?

(Pelletier+ 08; Baring' 09)

### (B) *Highly relativistic case* $\Gamma \ll 10^6$ (high $\sigma$ at shock)

- ▶ for high  $\sigma$ , field fluctuations small - cross-field transport suppressed
- ▶ 1st order Fermi unlikely, but if it operates
  - ➡ “weak” shock (low compression, downstream relativistic)
  - ➡ inefficient accelerator, deep spectra...

(cf., Kirk & Duffy'99; Kirk'04)

# What to expect for Gamma-Ray Binaries?

## (2) Reconnection in a striped pulsar wind?

(e.g., Petri & Lyubarksy'07)

- ▶ possible, if flow stays Poynting-dominated (slow dissipation before)
- ▶ termination shock: plasma compression may lead to forced annihilation
  - ➡ relativistic pair plasma: downstream Lamor radius  $\sim$  sheet thickness  $> 2\pi r_L$  (full dissipation)
  - ➡ full dissipation requires  $R_{\text{t}}/r_L \sim 10^3 > \text{multiplicity}$ , and may not be achieved in LS 5039
  - ➡ downstream flow still relativistic

▶ can be fast:  $\tau_{\text{acc}} \sim \tau_L$

▶ *Problem:*

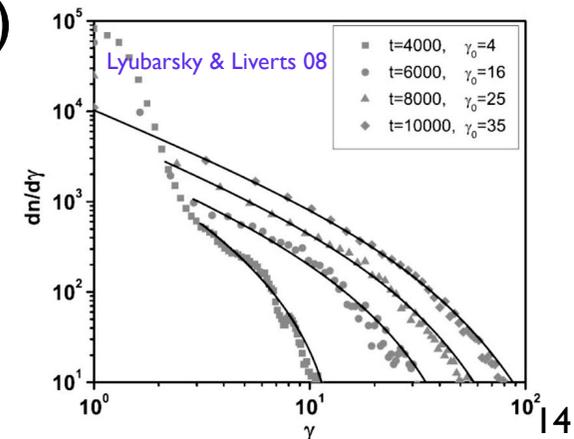
(Jaroschek+04, Zenitani & Hoshino'07, but see Lyubarsky & Liverts'08)

- 1d simulation: no evidence for non-thermal particle distributions
- 2d+ (no striped wind): power-law over limited (!) energy range

**s=1** (acceleration region/X-type neutral line)

**s=3** (whole simulation box)

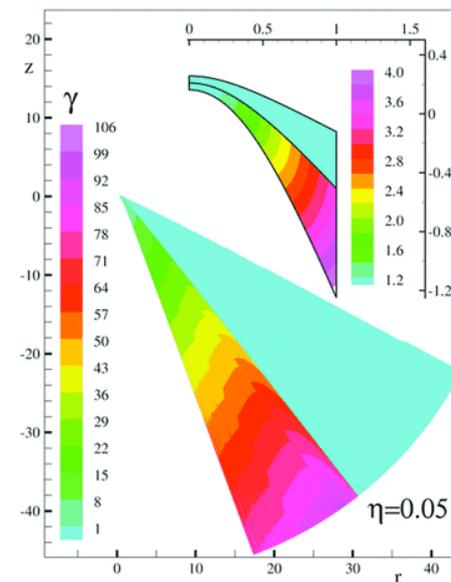
- ▶ Note: annihilation of ordered field may make 1st order Fermi possible (requires  $\sim$ full dissipation)



# What to expect for Gamma-Ray Binaries?

## (3) Stochastic particle acceleration in post-shock flow

- ▶ possible re-acceleration of post-shock flow to  $\Gamma \sim 100$  (Bogovalov+ 08)
- ▶ *Hydro-limit*: applies to  $\sigma \ll 1$  flows, thus low Alfvén speed  $v_A/c \approx \sigma^{1/2}$ 
  - ➡ don't expect efficient 2nd order Fermi
- ▶ but large velocity gradients: may have shear acceleration (R & Duffy'05)
  - ➡ requires energetic seed particles
  - ➡ from shock/thermalization etc?
  - ➡ radiative constraints may not apply:  $t_{\text{acc}} \propto 1/\lambda$
  - ➡ no characteristic index?
  - ➡ need to take relativistic effects into account



# What to expect for Gamma-Ray Binaries?

## (4) Fermi acceleration in mildly relativistic jet?

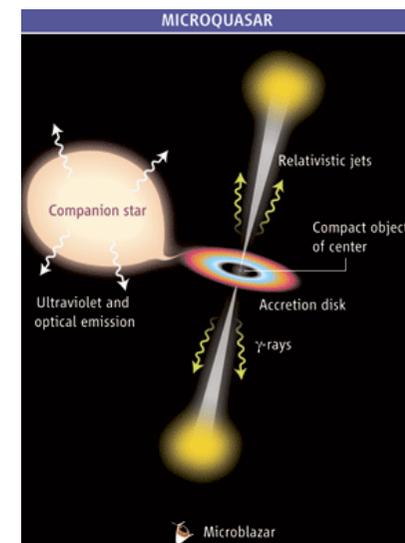
- ▶ 1st order Fermi at internal shocks ( $u_s \sim 0.1c$ ):
  - ➡ “non-relativistic”, robust spectral index  $s \approx 2$
  - ➡ not efficient enough?  $t_{\text{acc}} \sim t_L (c/u_s)^2$
  - ➡ Escape (I): external shocks  $u_s \sim 0.5c$
  - ➡ Escape (II): shear acceleration:

*Example:* minimum shear acceleration timescale

$$t_{\text{acc}} \sim 10 r_g (0.5c/u_j)^2$$

➡ need high jet speeds

➡ may change spectral index (cf. R+ 07)



# To conclude

## On extreme particle acceleration in Gamma-Ray Binaries (e.g., LS 5039)

- ▶ need “more” data - X-ray periodicity in LS 5039?
- ▶ need detailed modelling (adiabatic losses, relativistic effects)
- ▶ may not simply see only one acceleration mechanism at work
- ▶ the classical 1st Fermi @ termination shock picture may not work

**THANK YOU!**

# Fermi Acceleration Timescales

(e.g., Drury '83; Kirk '94; Duffy & Blundell '05; R.+ 07)

## ➔ 1st order Fermi - standard shock (non-relativistic):

\_with shock crossing time  $t_c \sim \kappa / (u_s c)$ , where  $\kappa \sim \lambda c$

$$t_{\text{acc}} = \frac{\epsilon}{d\epsilon/dt} \simeq \frac{\epsilon}{\Delta\epsilon} t_c \sim \frac{\kappa}{u_s^2} \propto \frac{\lambda}{u_s^2}$$

## ➔ 2nd order Fermi (stochastic):

\_with scattering time  $\tau \sim \lambda/c$

$$t_{\text{acc}} = \frac{\epsilon}{d\epsilon/dt} \simeq \frac{\epsilon}{\Delta\epsilon} \tau \sim \left(\frac{c}{v_A}\right)^2 \left(\frac{\lambda}{c}\right) \propto \frac{\lambda}{v_A^2}$$

## ➔ shear (gradual, non-relativistic):

$$t_{\text{acc}} = \frac{\epsilon}{d\epsilon/dt} \simeq \frac{\epsilon}{\Delta\epsilon} \tau \sim \left(\frac{c}{\frac{\partial u_z}{\partial x} \lambda}\right)^2 \left(\frac{\lambda}{c}\right) \propto \frac{1}{\lambda}$$

Significance - (i) scales with synchrotron losses...  
- (ii) requires energetic seed particles